

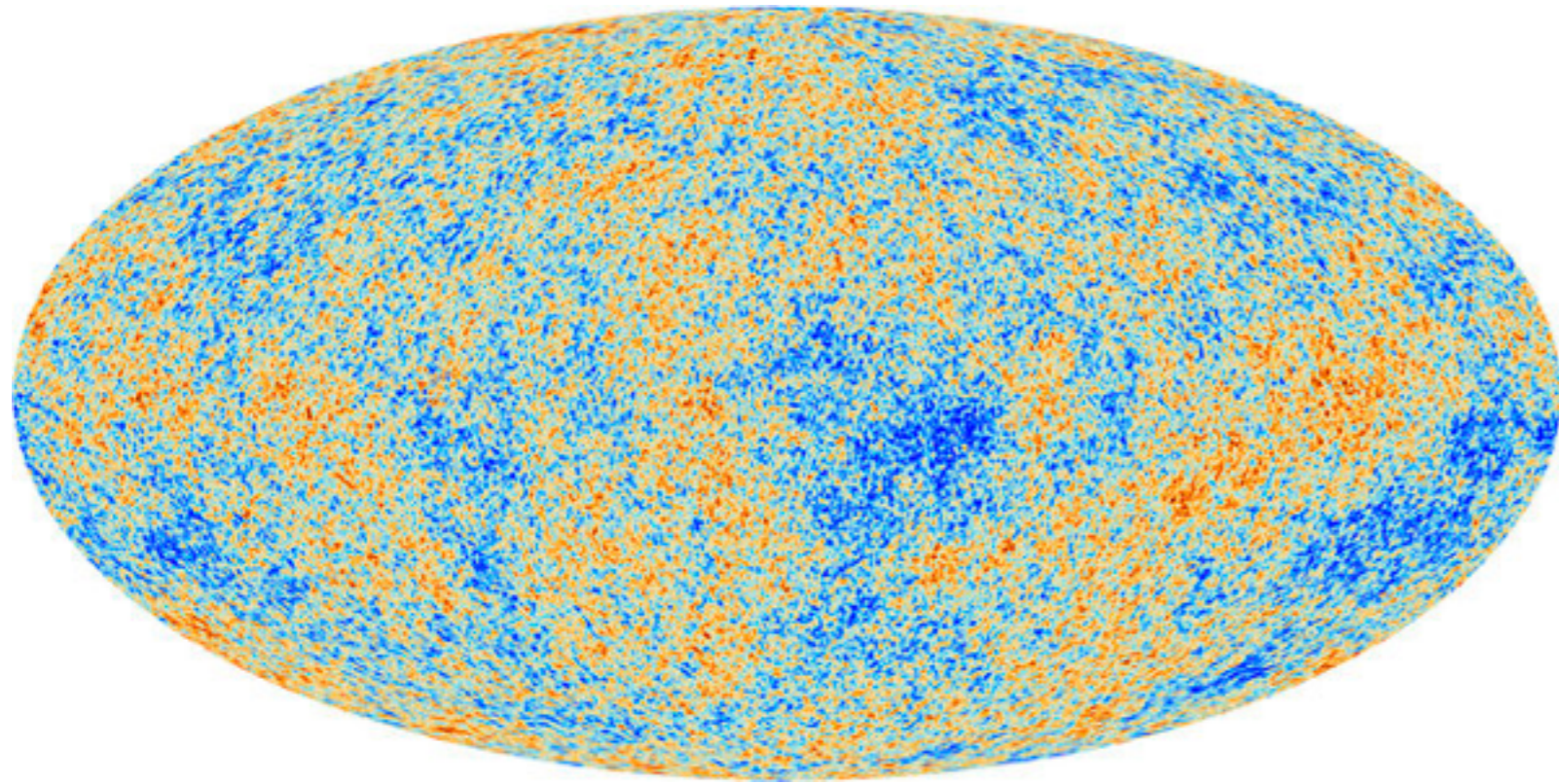
Dark Matter at the LHC, and elsewhere

Patrick Fox

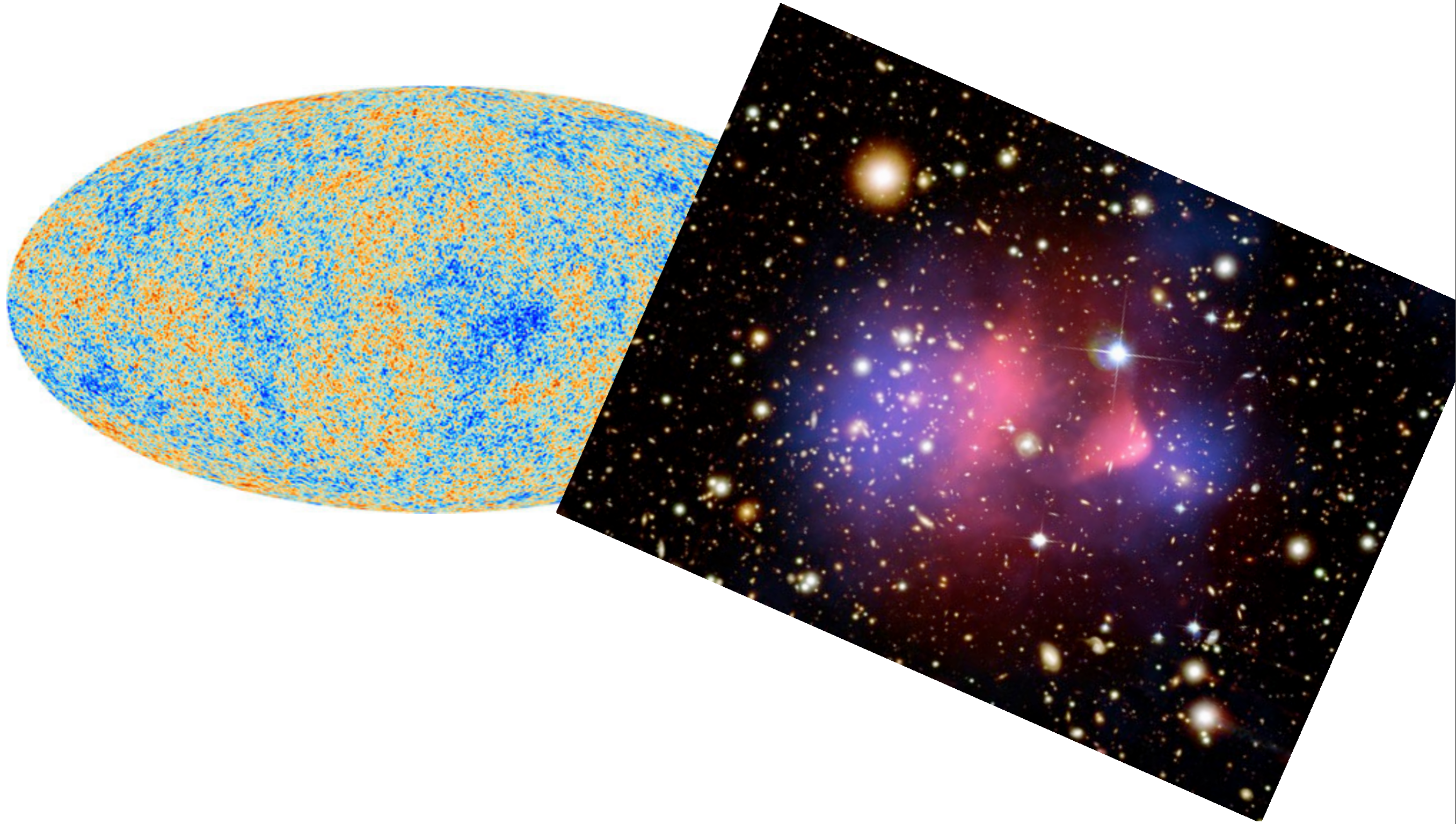


Lots of evidence for DM

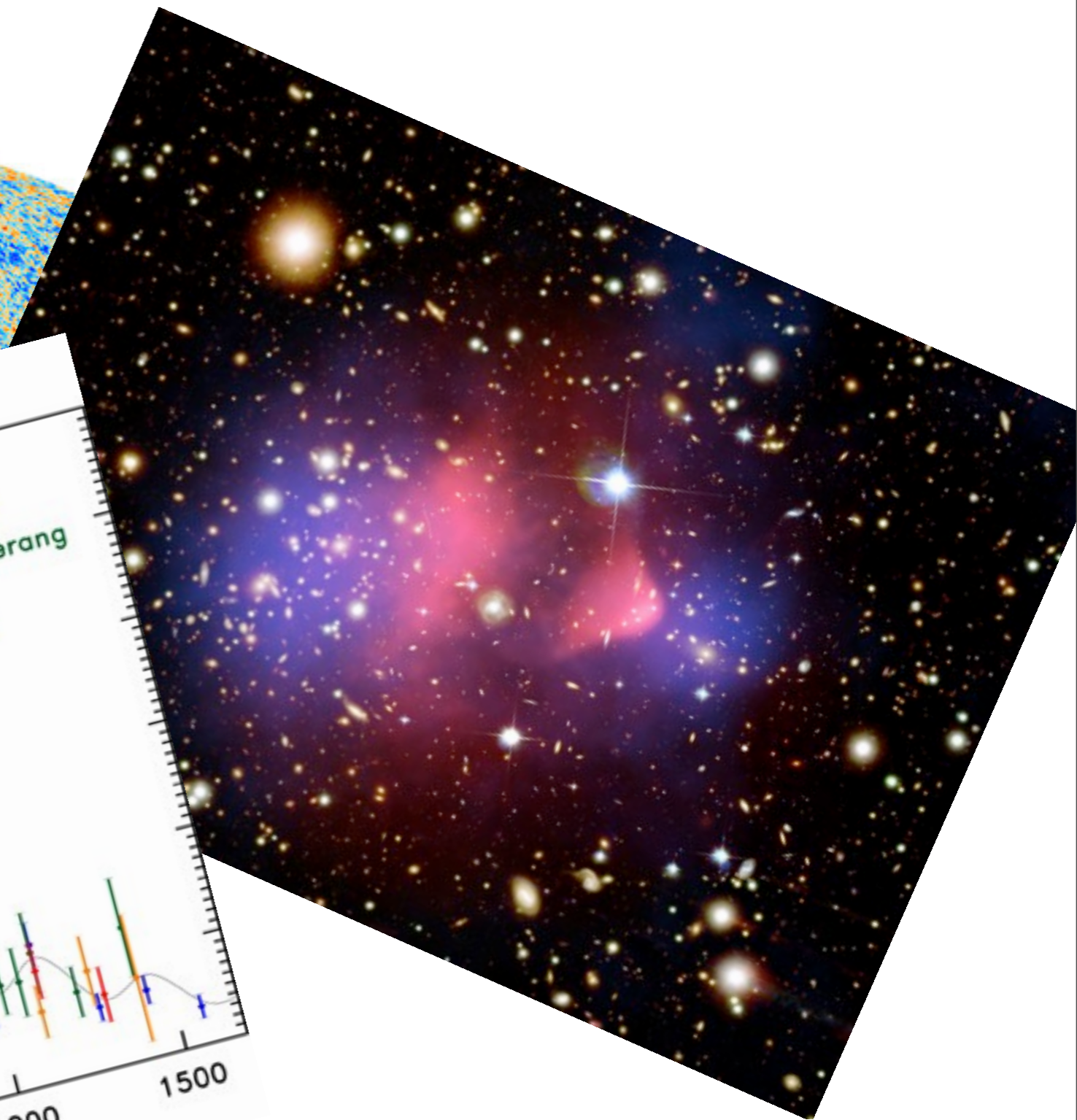
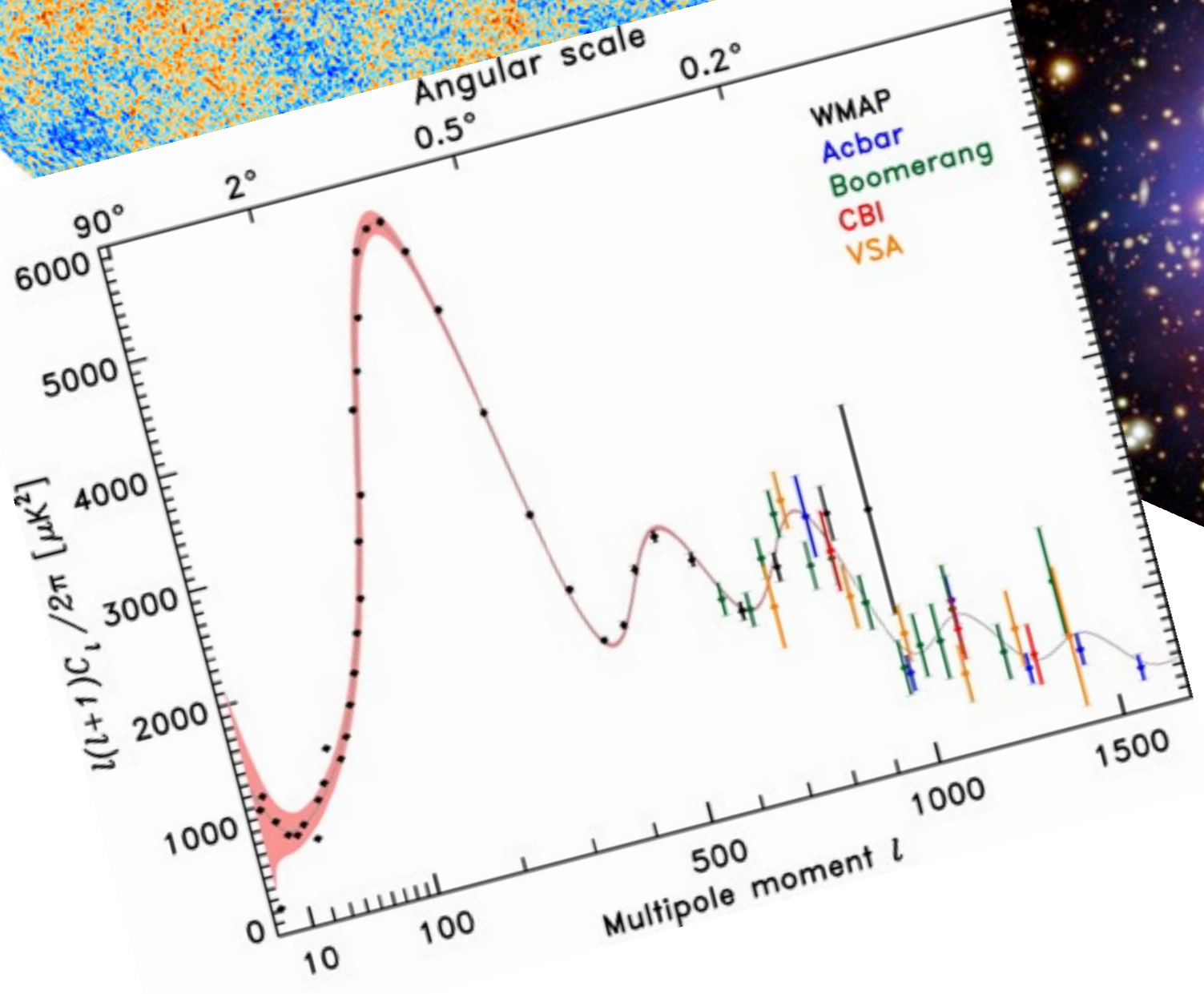
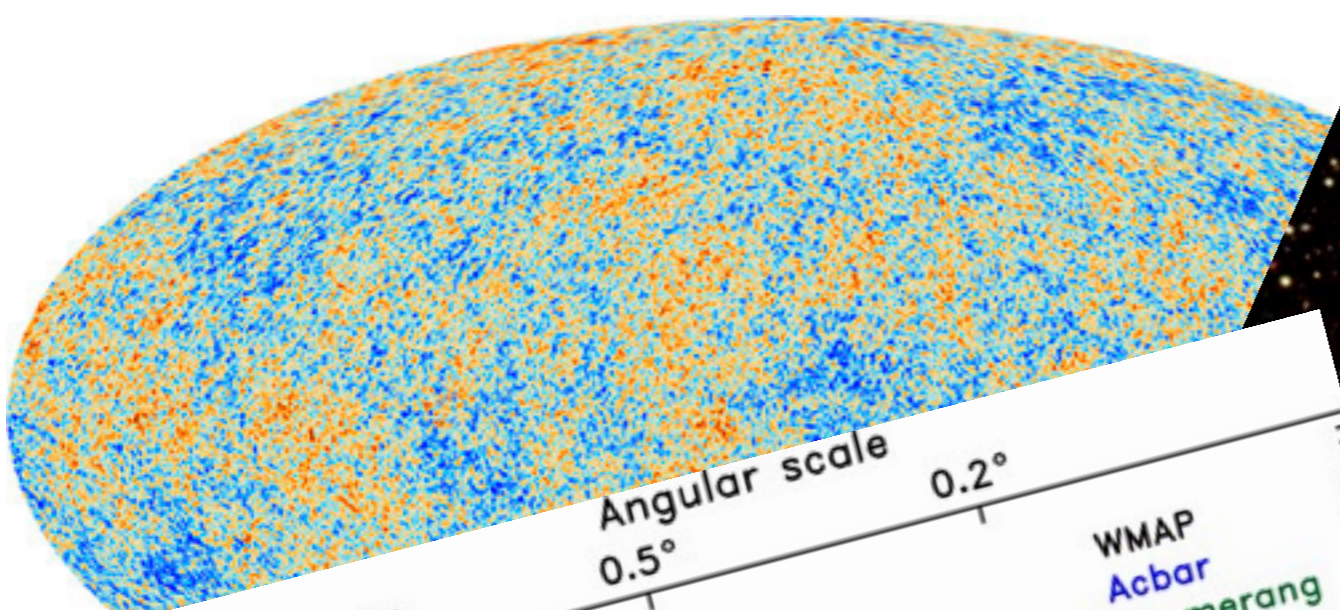
Lots of evidence for DM



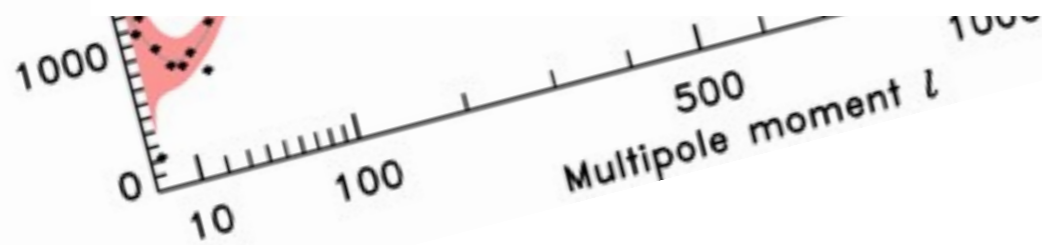
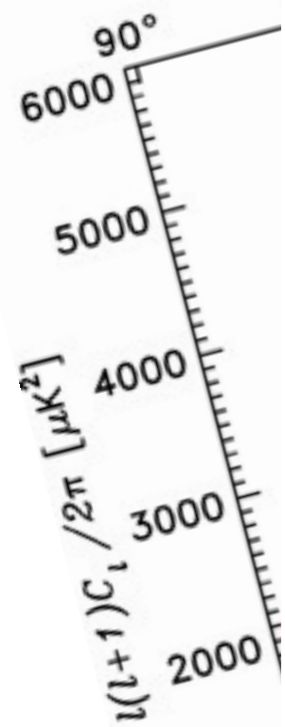
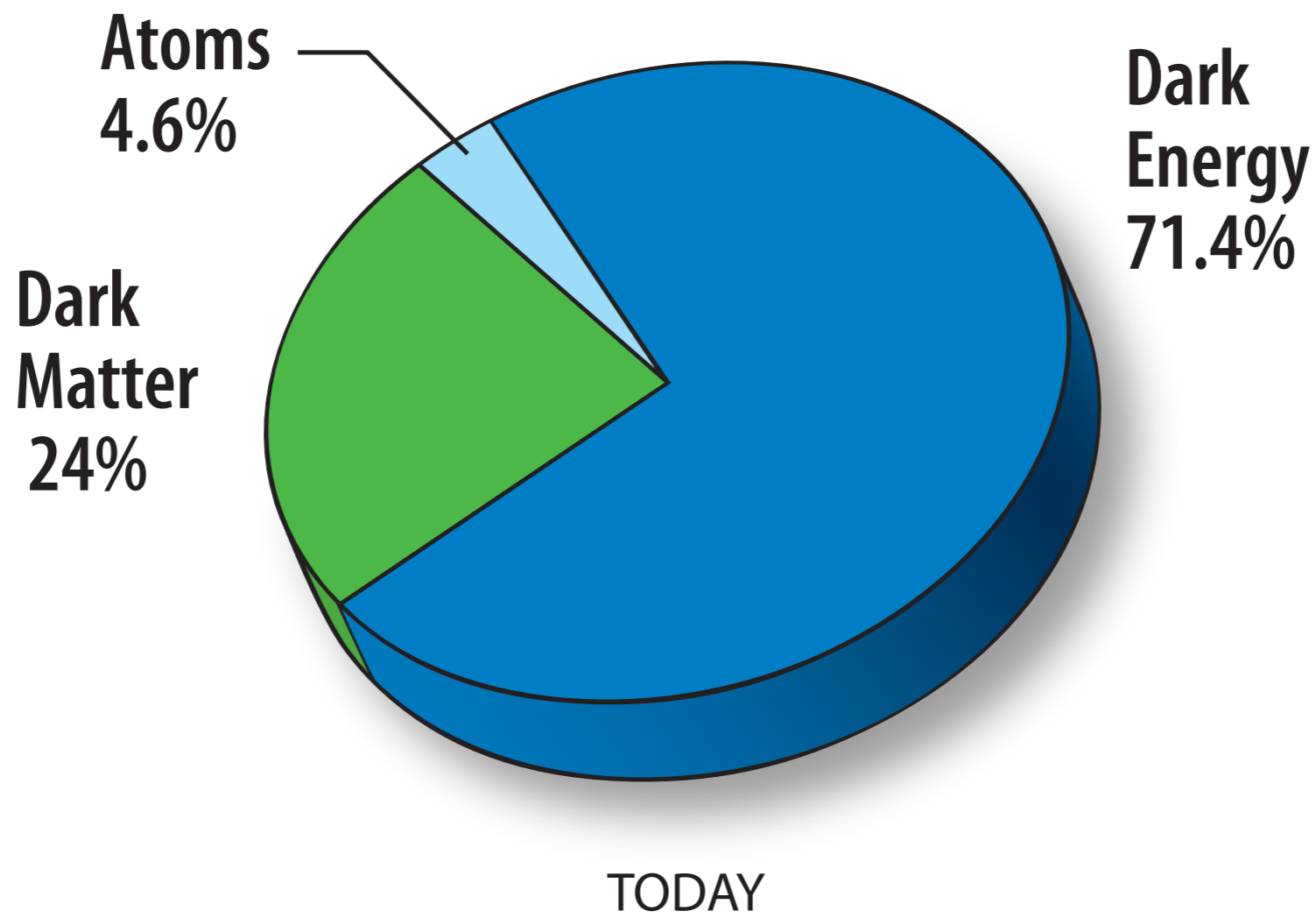
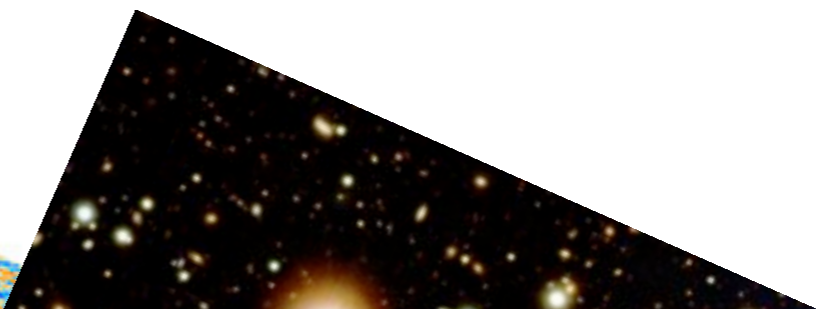
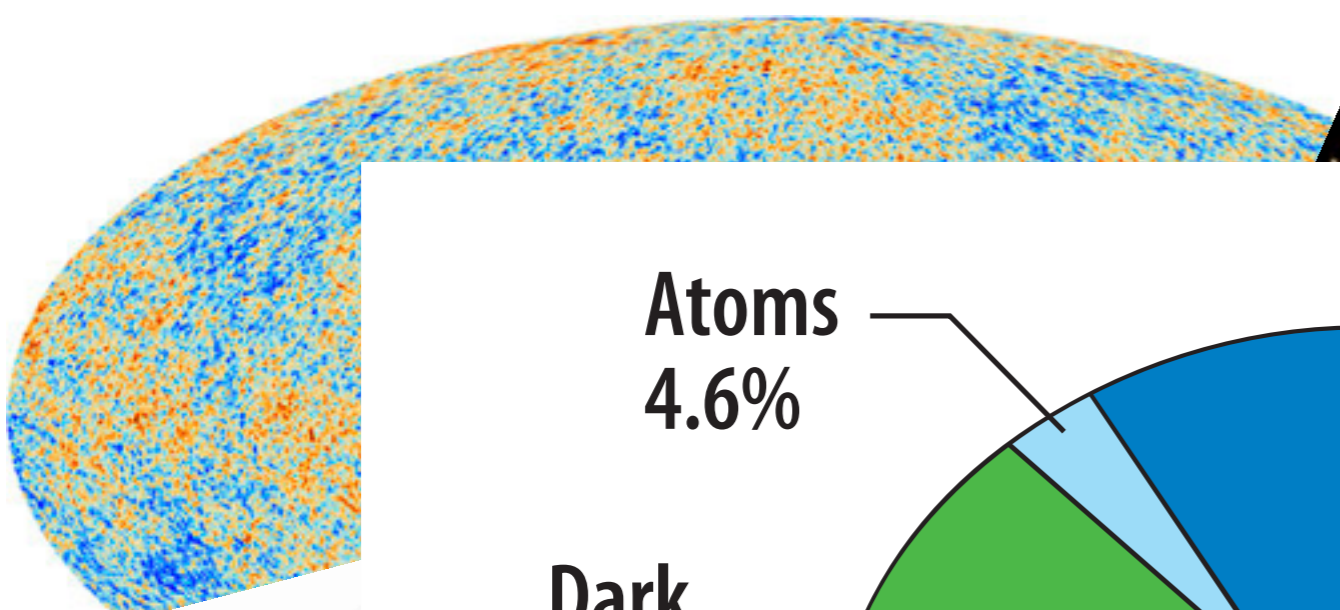
Lots of evidence for DM



Lots of evidence for DM

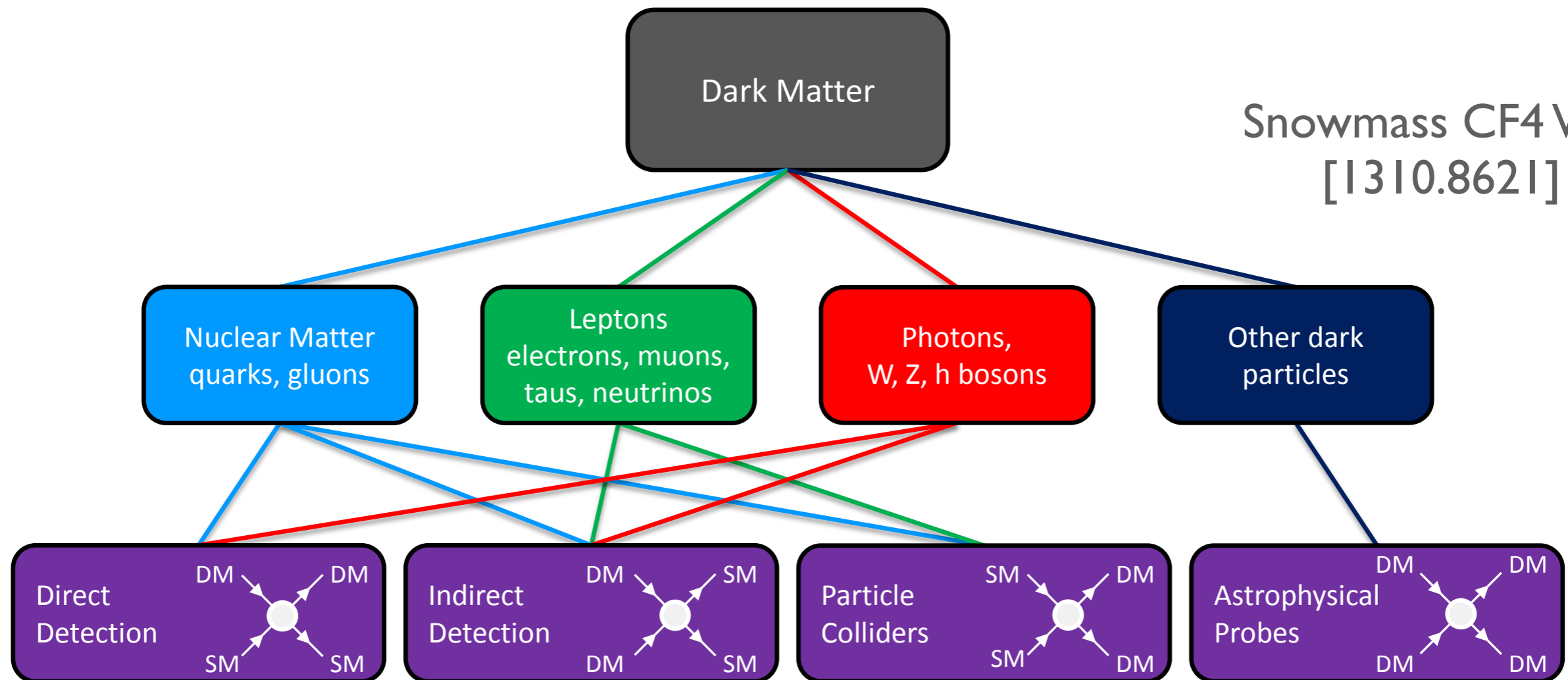


Lots of evidence for DM



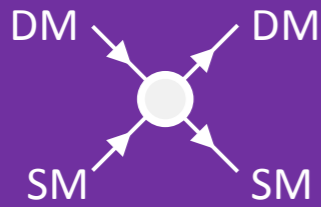
Searching for DM non-gravitationally

Snowmass CF4 WG
[1310.8621]

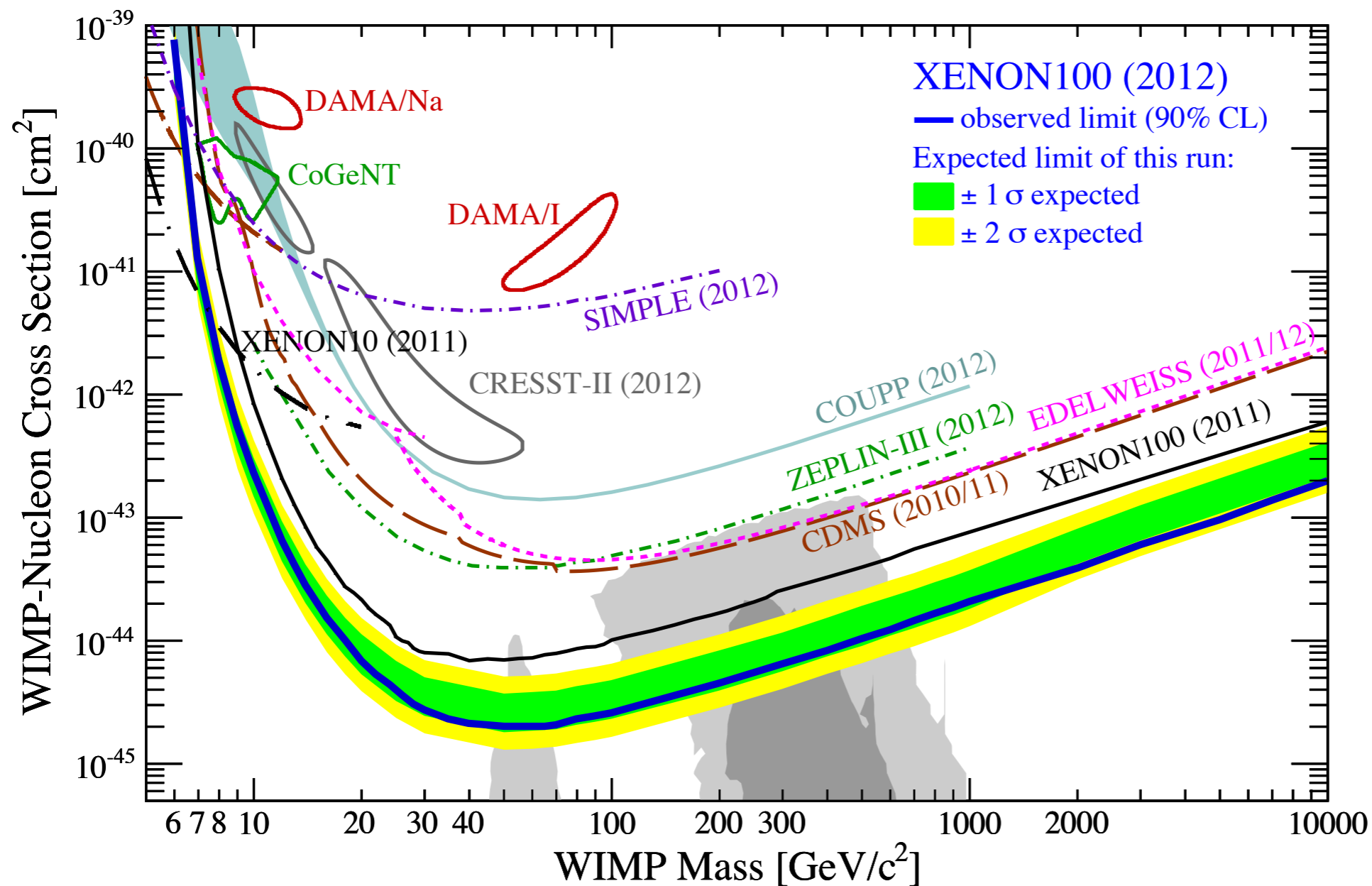


Complementary approaches
Need all four going forward

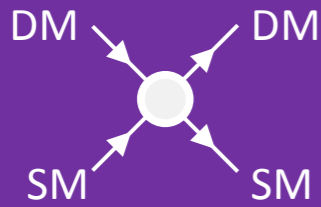
Direct
Detection



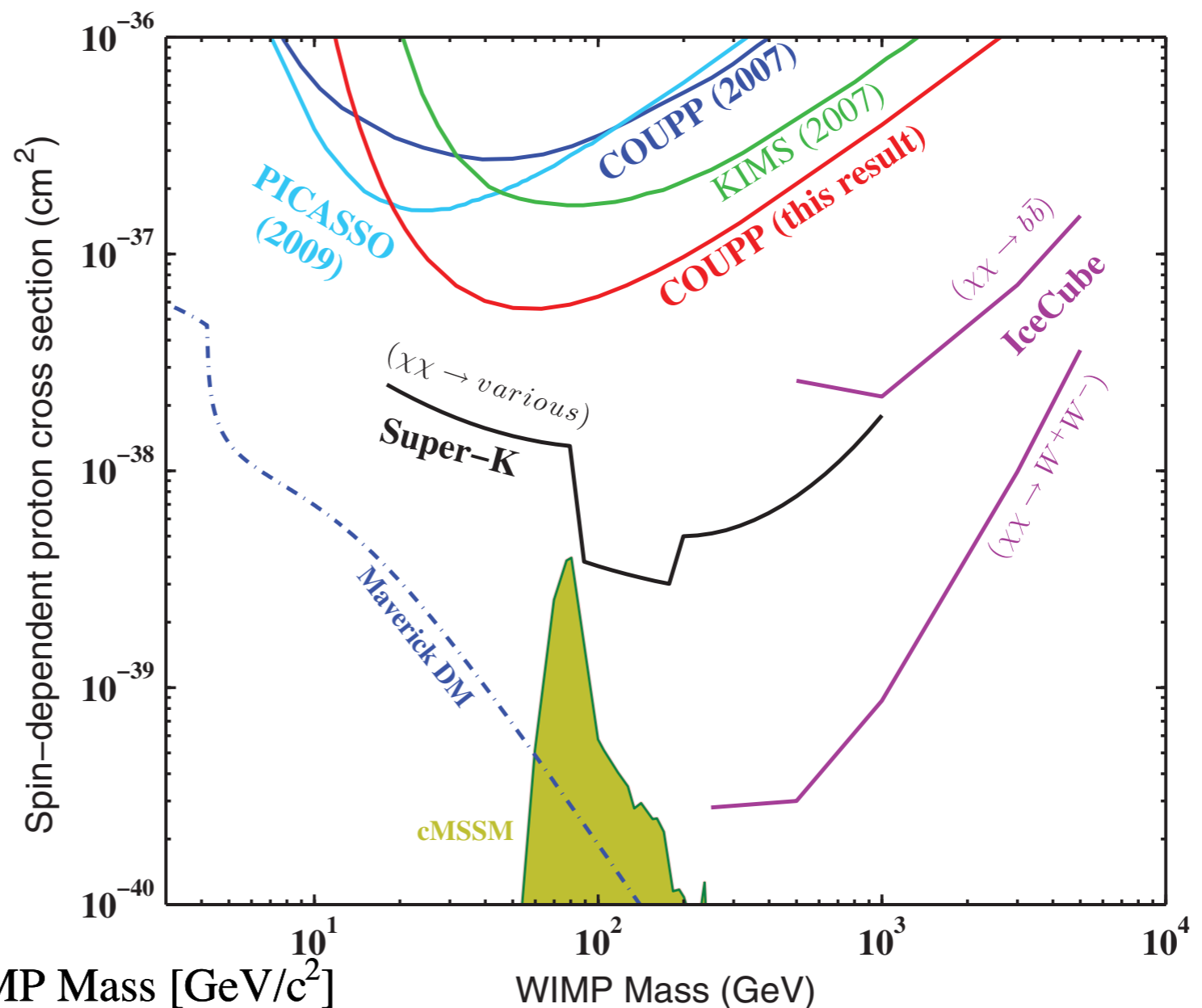
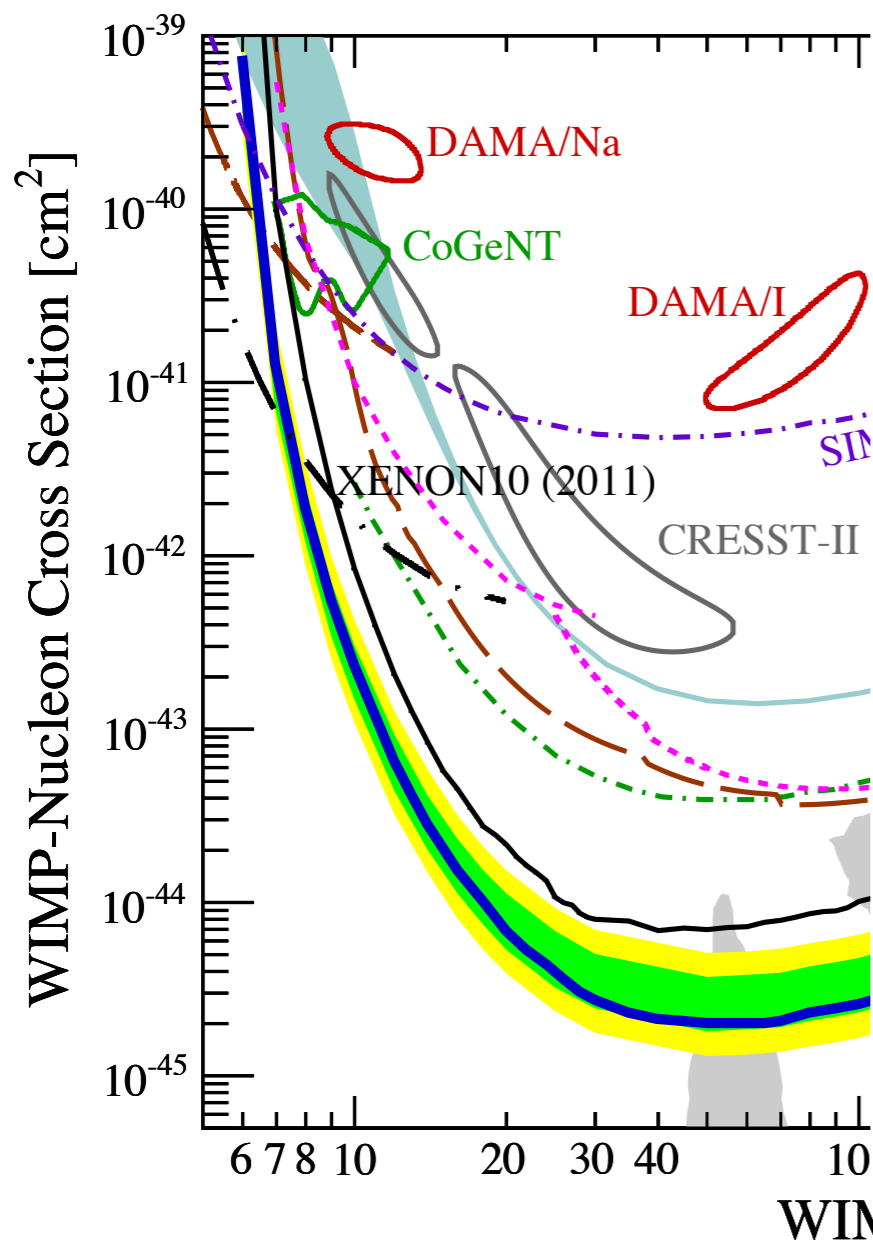
- Astrophysical assumptions
- No upper limit to mass probed
- Lower limit: astrophysics + expt. threshold
- SD, inelastic, isospin-dependence weaken bounds



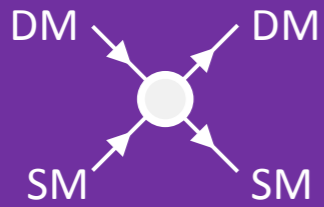
Direct
Detection



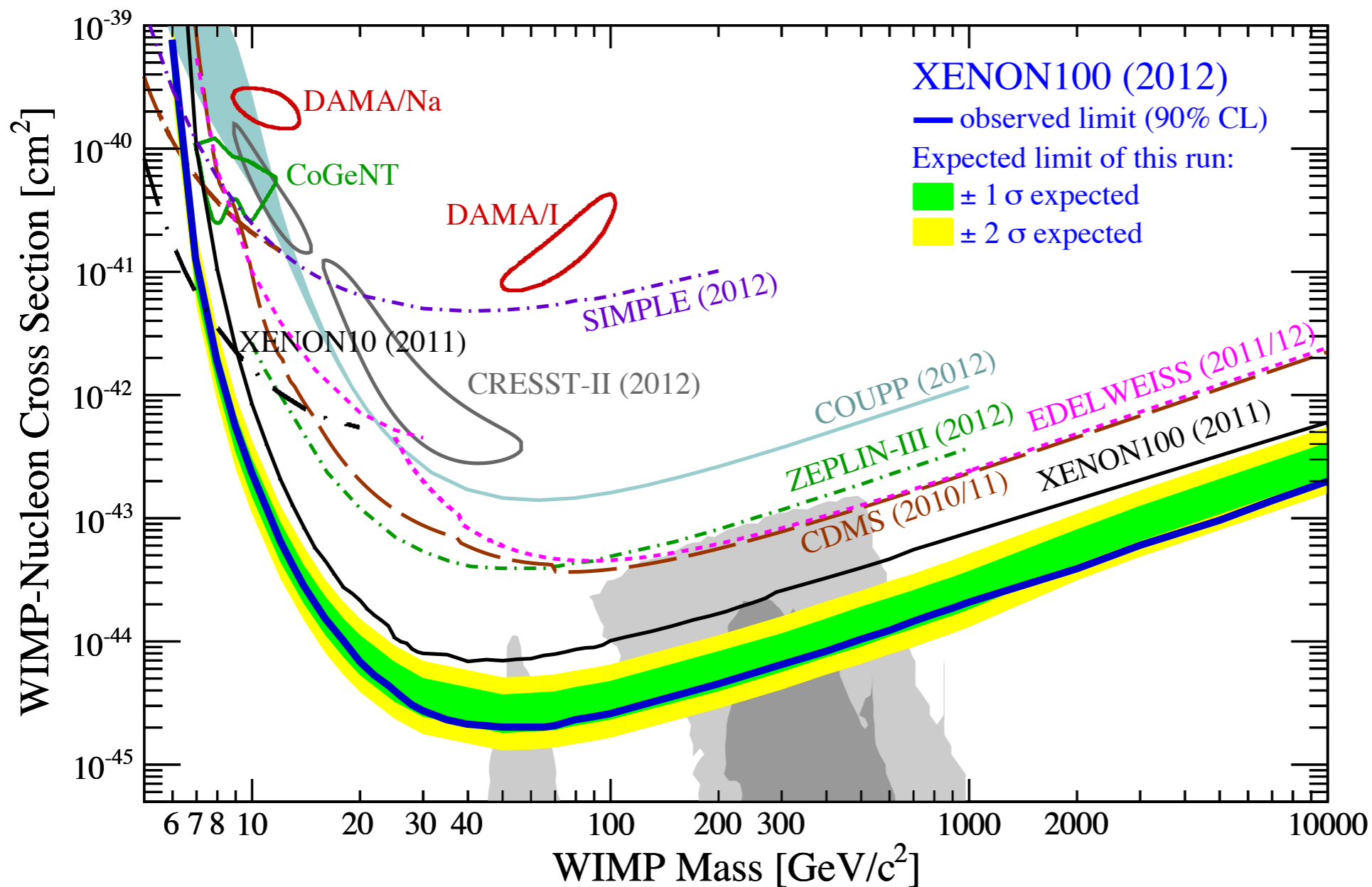
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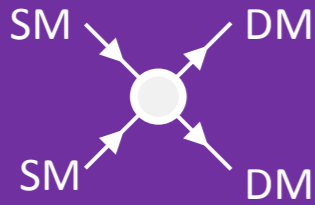
Direct
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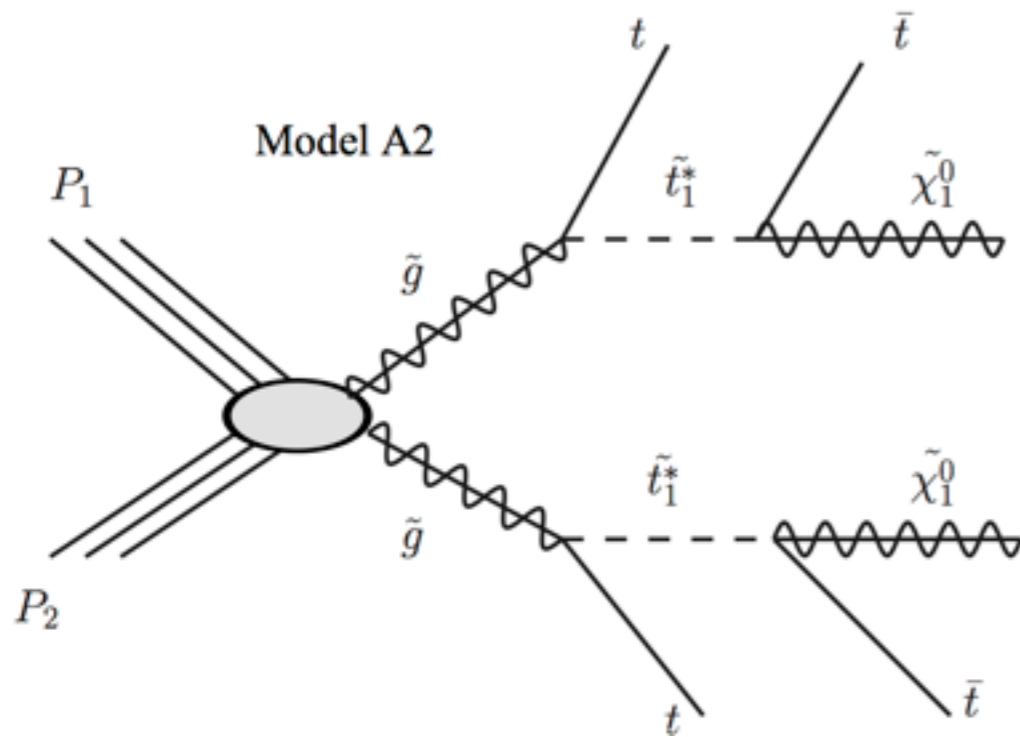


Particle
Colliders



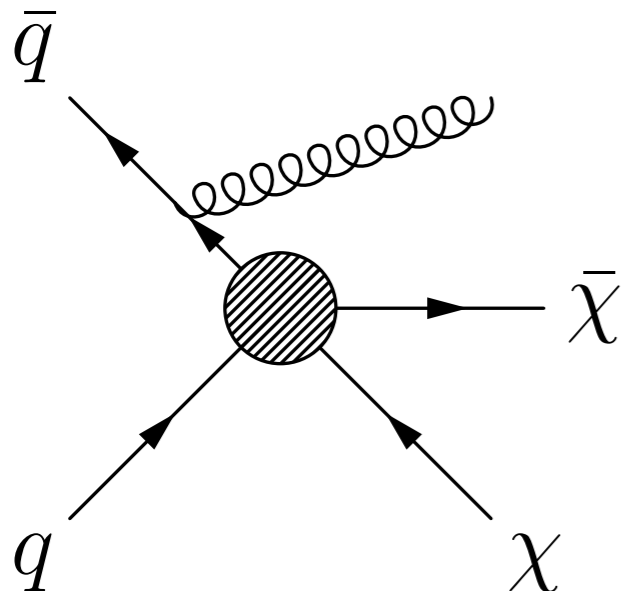
- Collider stable = cosmologically stable?
- No astrophysical assumptions
- Limited by kinematic reach

“Traditional” searches



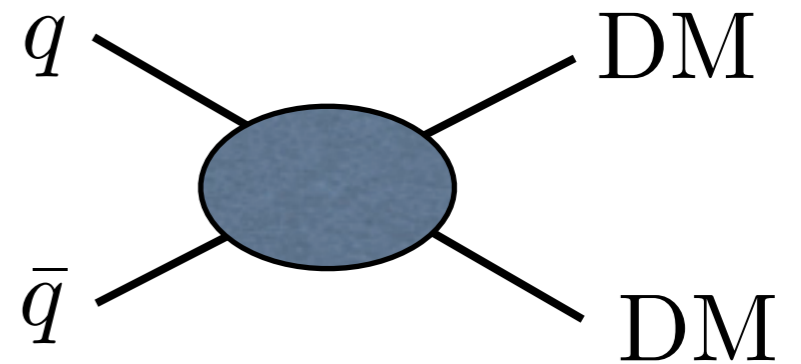
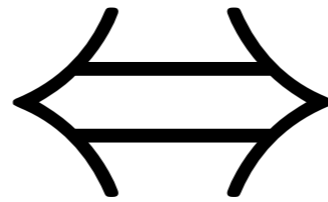
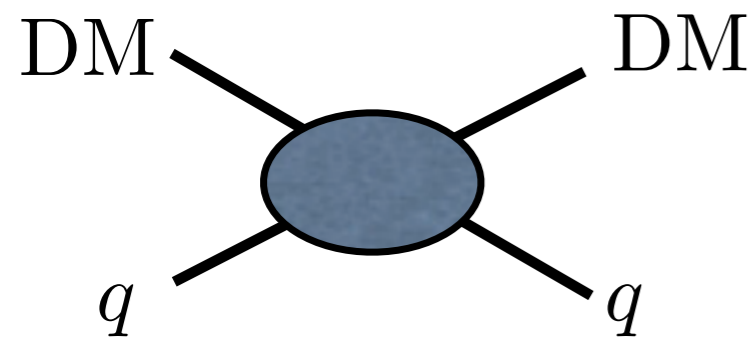
- Many models with DM (e.g. SUSY), searches are model specific
- Many kinematic quantities

“Monojet” searches



- Only search for DM, “model independent”
- Direct link to direct detection
- Few kinematic quantities

Operators



$$\mathcal{O}_V = \frac{(\bar{\chi}\gamma_\mu\chi)(\bar{q}\gamma^\mu q)}{\Lambda^2},$$

$$\mathcal{O}_A = \frac{(\bar{\chi}\gamma_\mu\gamma_5\chi)(\bar{q}\gamma^\mu\gamma_5q)}{\Lambda^2},$$

$$\mathcal{O}_t = \frac{(\bar{\chi}P_Rq)(\bar{q}P_L\chi)}{\Lambda^2} + (L \leftrightarrow R),$$

$$\mathcal{O}_g = \alpha_s \frac{(\bar{\chi}\chi)(G_{\mu\nu}^a G^{a\mu\nu})}{\Lambda^3}$$

SI, vector exchange

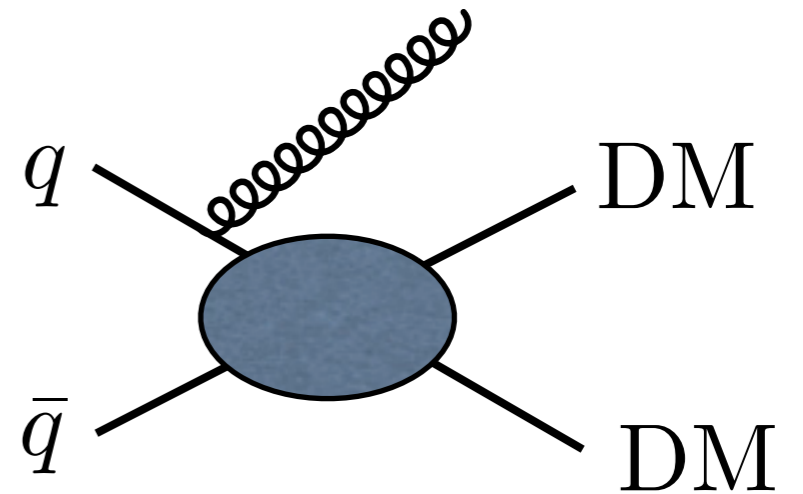
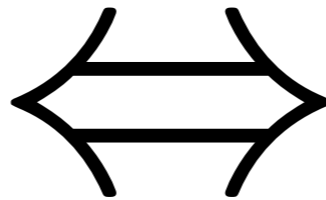
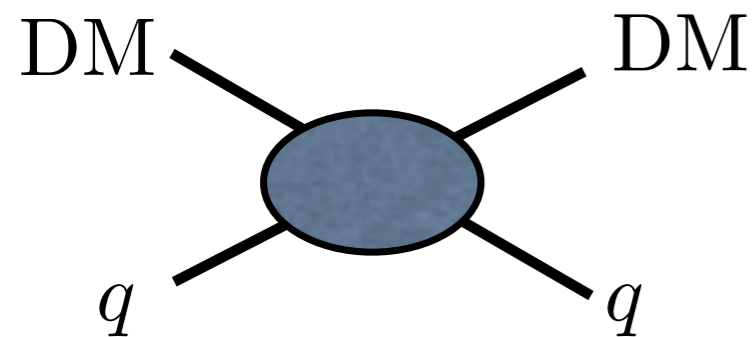
SD, axial-vector
exchange

SI, scalar exchange

SI, scalar exchange

Typically consider each operator separately

Operators



$$\mathcal{O}_V = \frac{(\bar{\chi}\gamma_\mu\chi)(\bar{q}\gamma^\mu q)}{\Lambda^2},$$

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SI, vector exchange

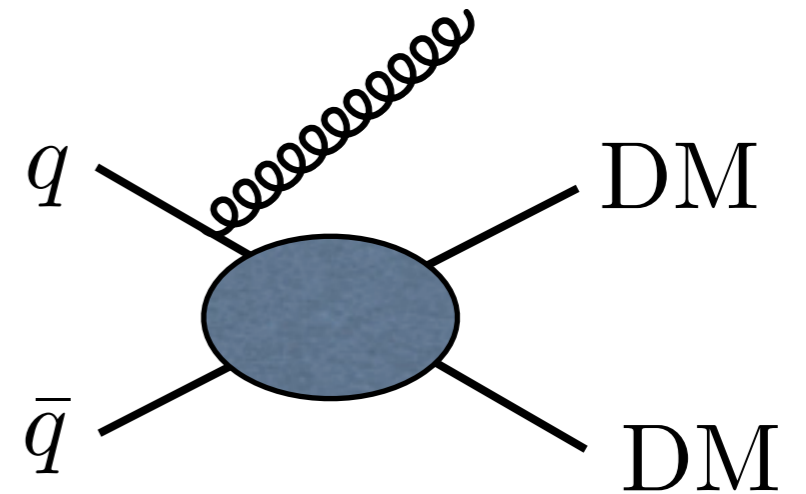
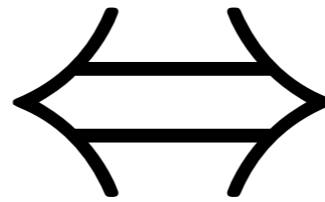
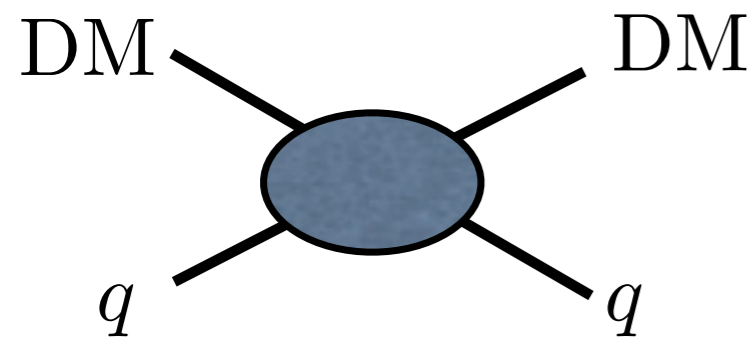
SD, axial-vector exchange

SI, scalar exchange

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Typically consider each operator separately

Operators



$$\mathcal{O}_V = \frac{(\bar{\chi}\gamma_\mu\chi)(\bar{q}\gamma^\mu q)}{\Lambda^2},$$

$$\mathcal{O}_A = \frac{(\bar{\chi}\gamma_\mu\gamma_5\chi)(\bar{q}\gamma^\mu\gamma_5q)}{\Lambda^2}$$

$$\mathcal{O}_t = \frac{(\bar{\chi}P_Rq)(\bar{q}P_L\chi) + (\bar{\chi}P_Lq)(\bar{q}P_R\chi)}{\Lambda^2} \quad (\leftrightarrow R),$$

$$\mathcal{O}_g = \alpha_s \frac{(\bar{\chi}\chi)(G_{\mu\nu}^a G^{a\mu\nu})}{\Lambda^3}$$

SI, vector exchange

SD, axial-vector exchange

SI, scalar exchange

SI, scalar exchange

See Goodman et al. [1008.1783]
for more complete list

Typically consider each operator separately

Many Theorists

Goodman, Jessica et al. Phys.Lett. B695 (2011) 185-188

Goodman, Jessica et al. Phys.Rev. D82 (2010) 116010

Goodman, Jessica et al. arXiv:1111.2359

Rajaraman, Arvind et al. Phys.Rev. D84 (2011) 095013

Fortin, Jean-Francois et al. Phys.Rev. D85 (2012) 063506

Bai, Yang et al. JHEP 1012 (2010) 048

PJF, Harnik, et al. Phys.Rev. D85 (2012) 056011

PJF, Harnik et al. Phys.Rev. D84 (2011) 014028

PJF, Harnik et al arXiv:1203.1662

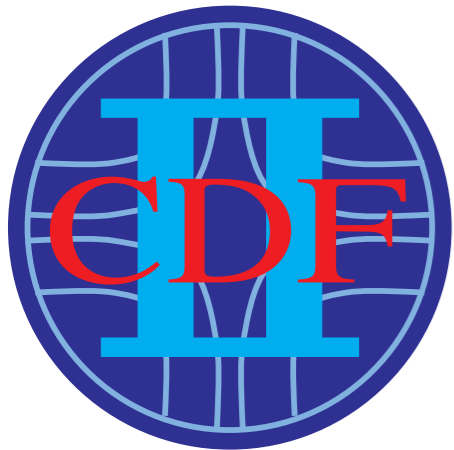
Shoemaker, Vecchi arXiv:1112.5457

An, Jia and Wang: arXiv:1202.2894

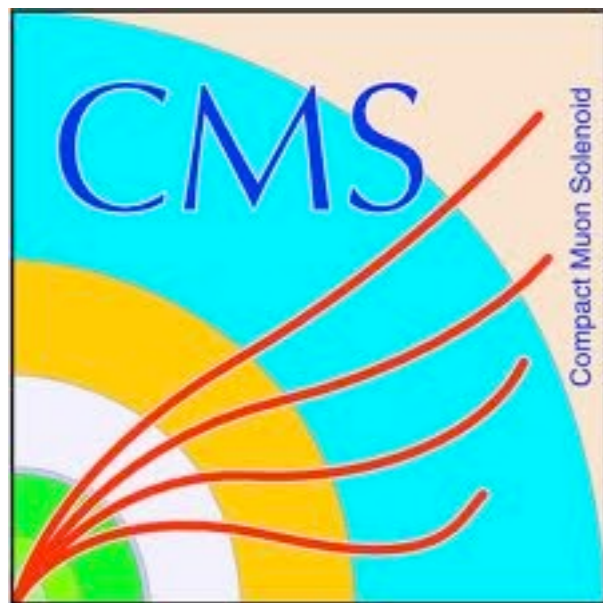
-
-
-

Many Experimentalists

ADD extra dimension searches can be recast



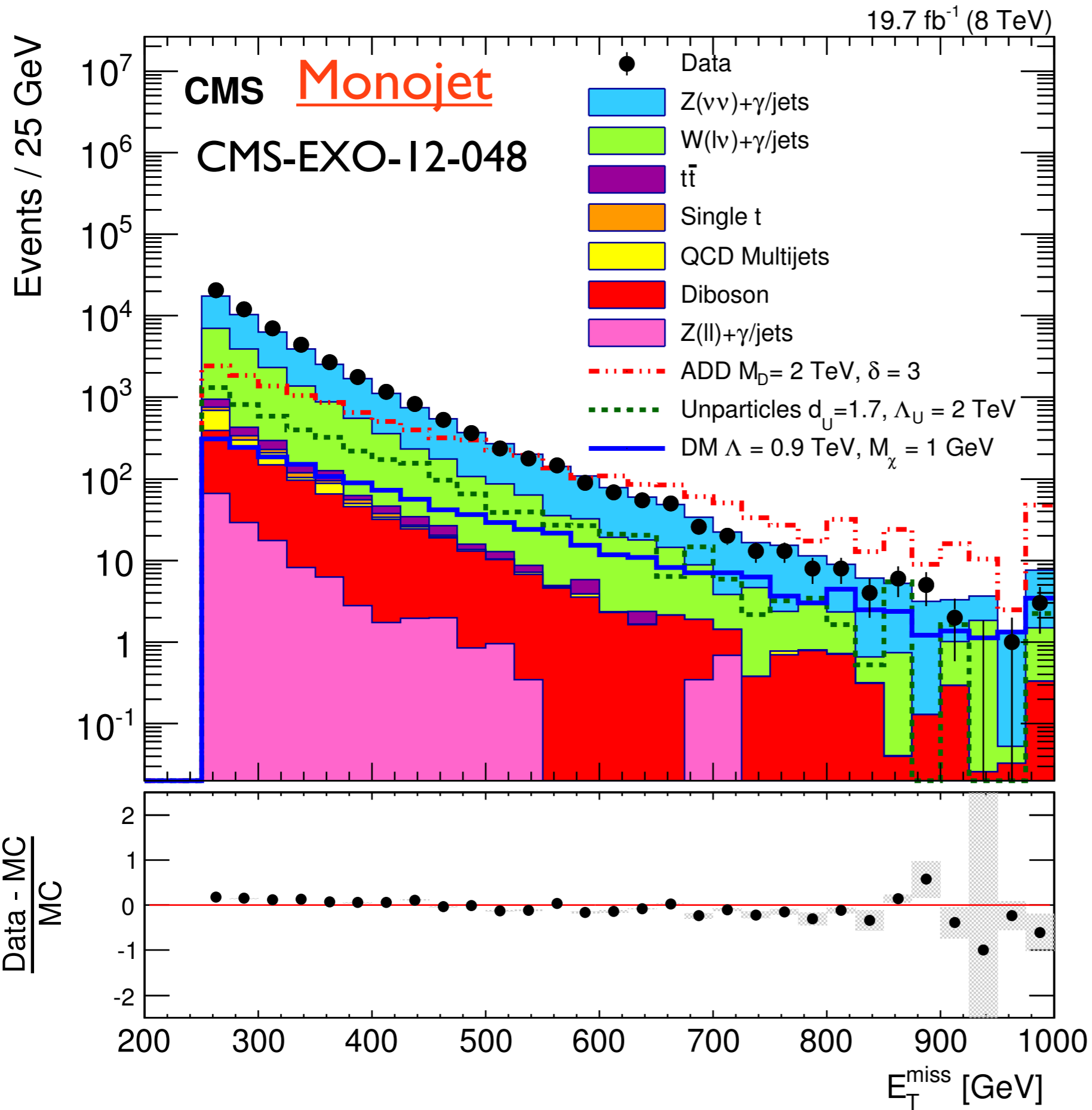
6.7/fb shape-based monojet analysis



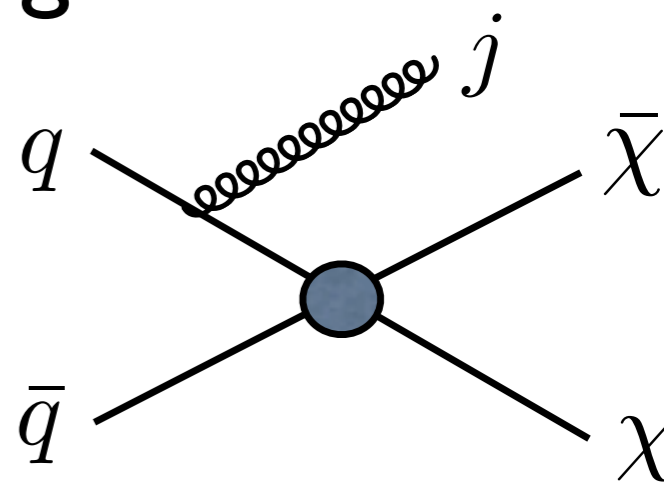
5~20/fb cut and count
“monojet” and
monophoton analyses



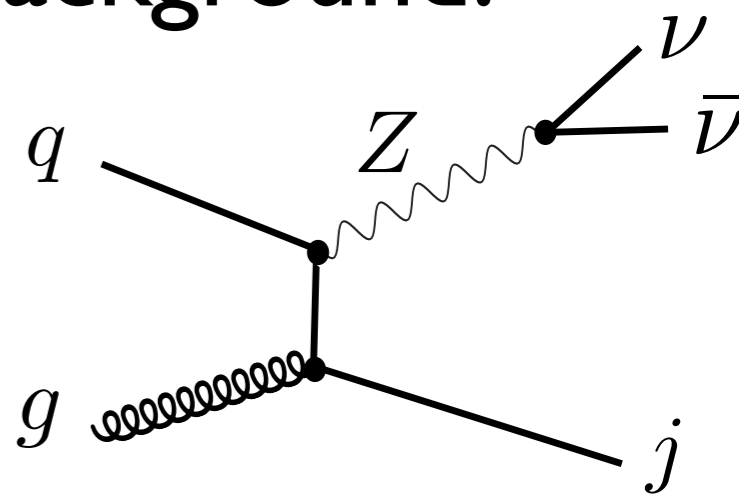
Recast of other searches for mono-W/Z/H
Theory analyses for mono-b, mono-top

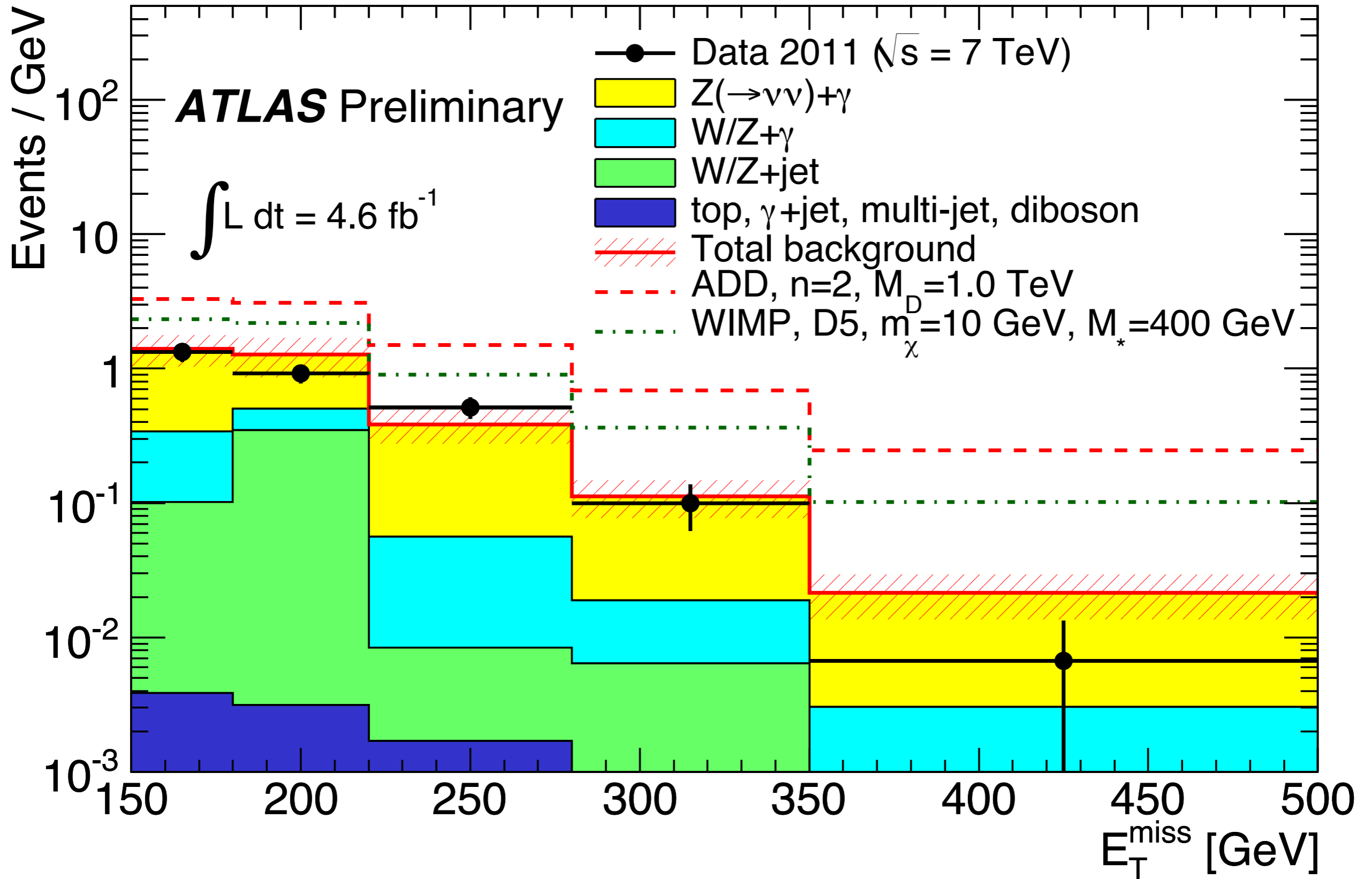


Signal:

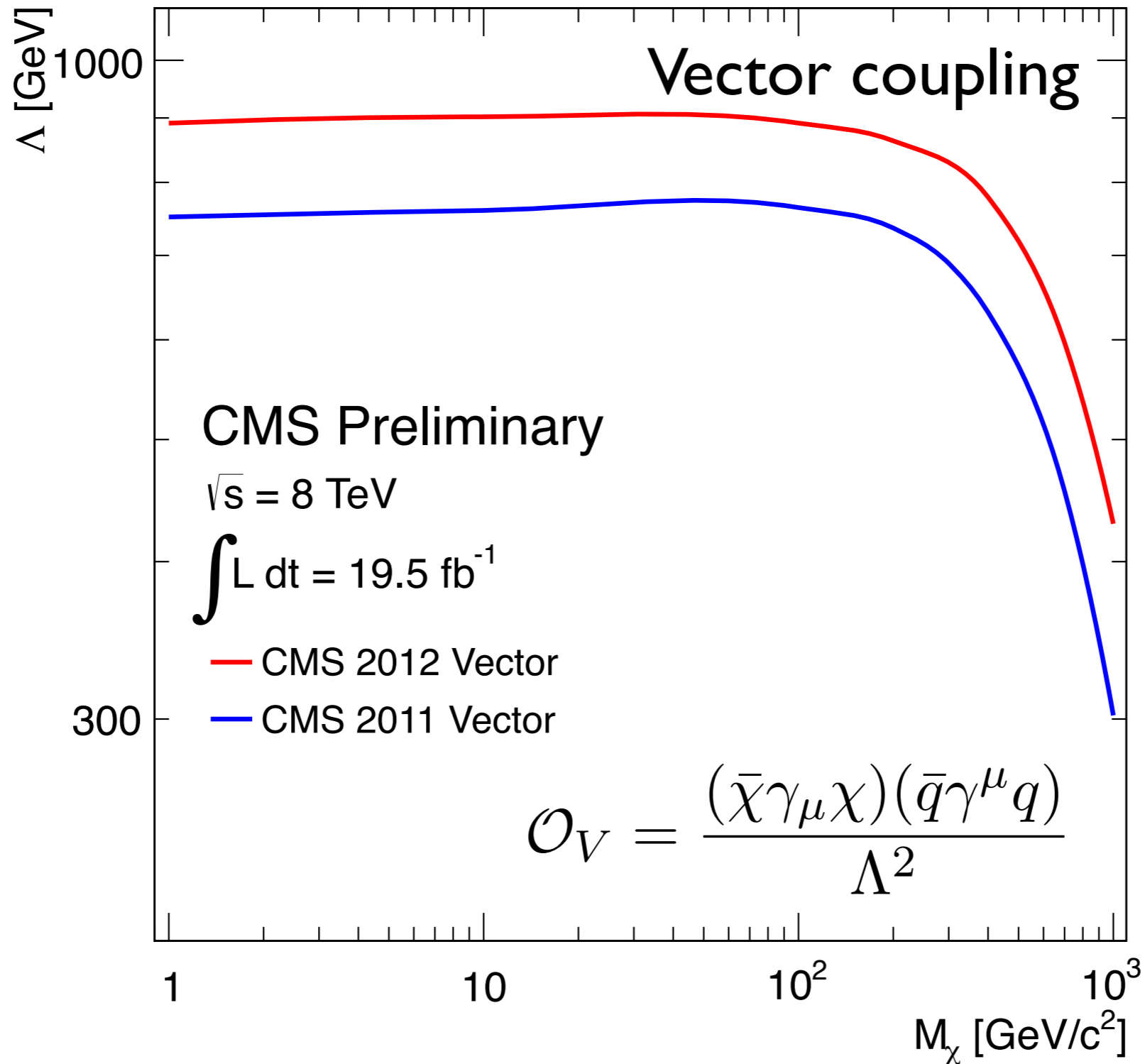


(Dominant) Background:

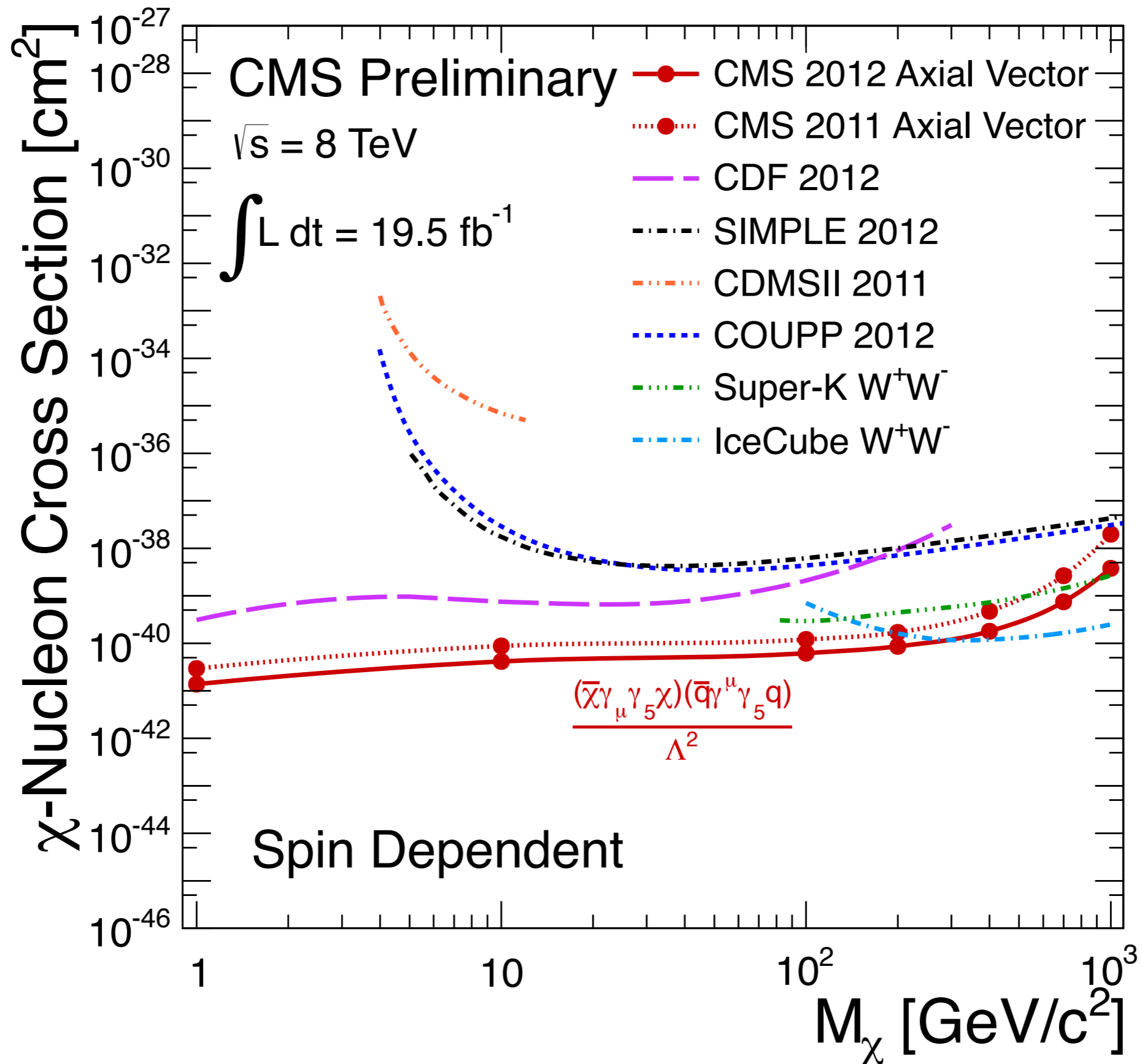




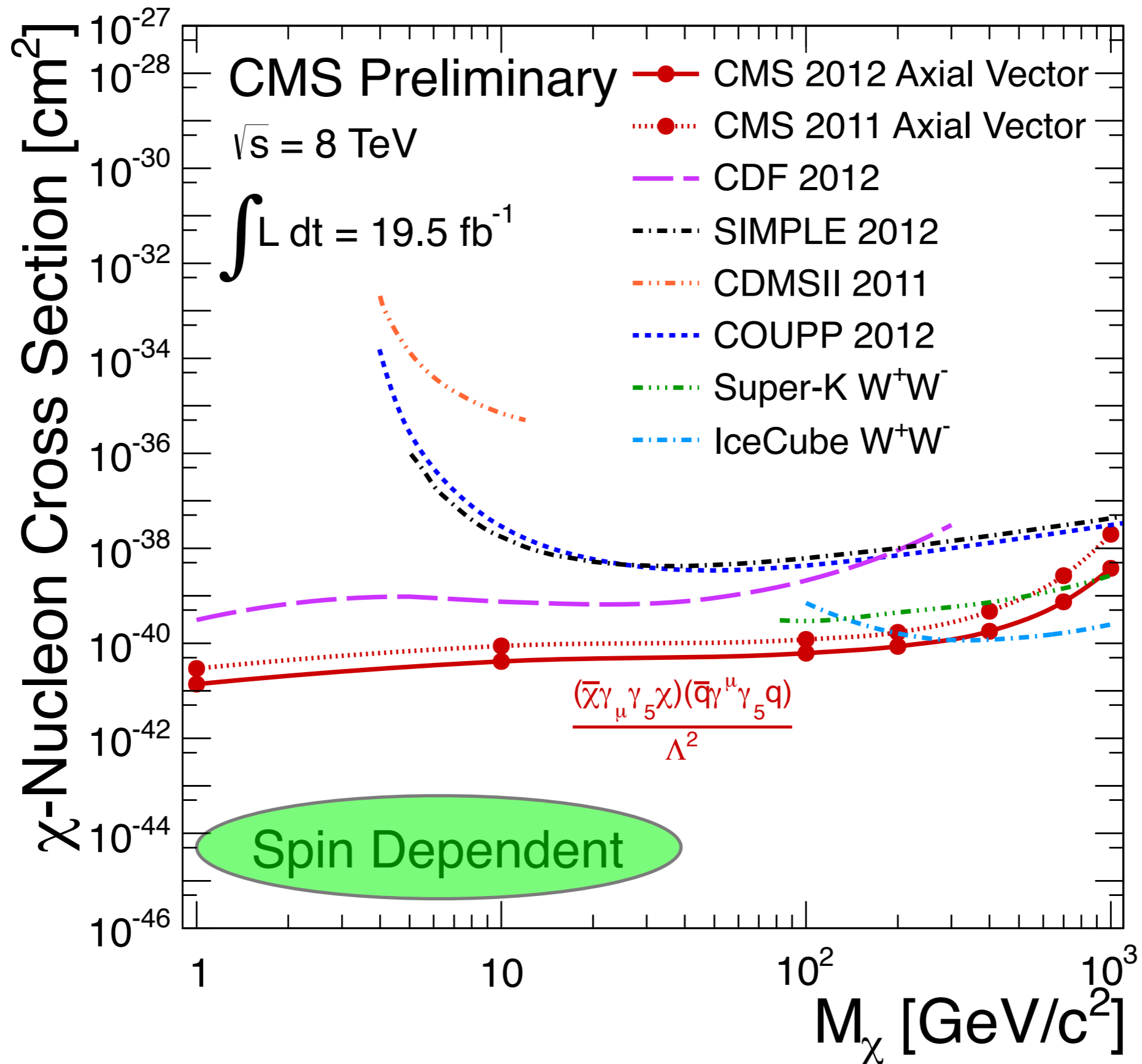
How to quantify nothing?



Monojet



Monojet

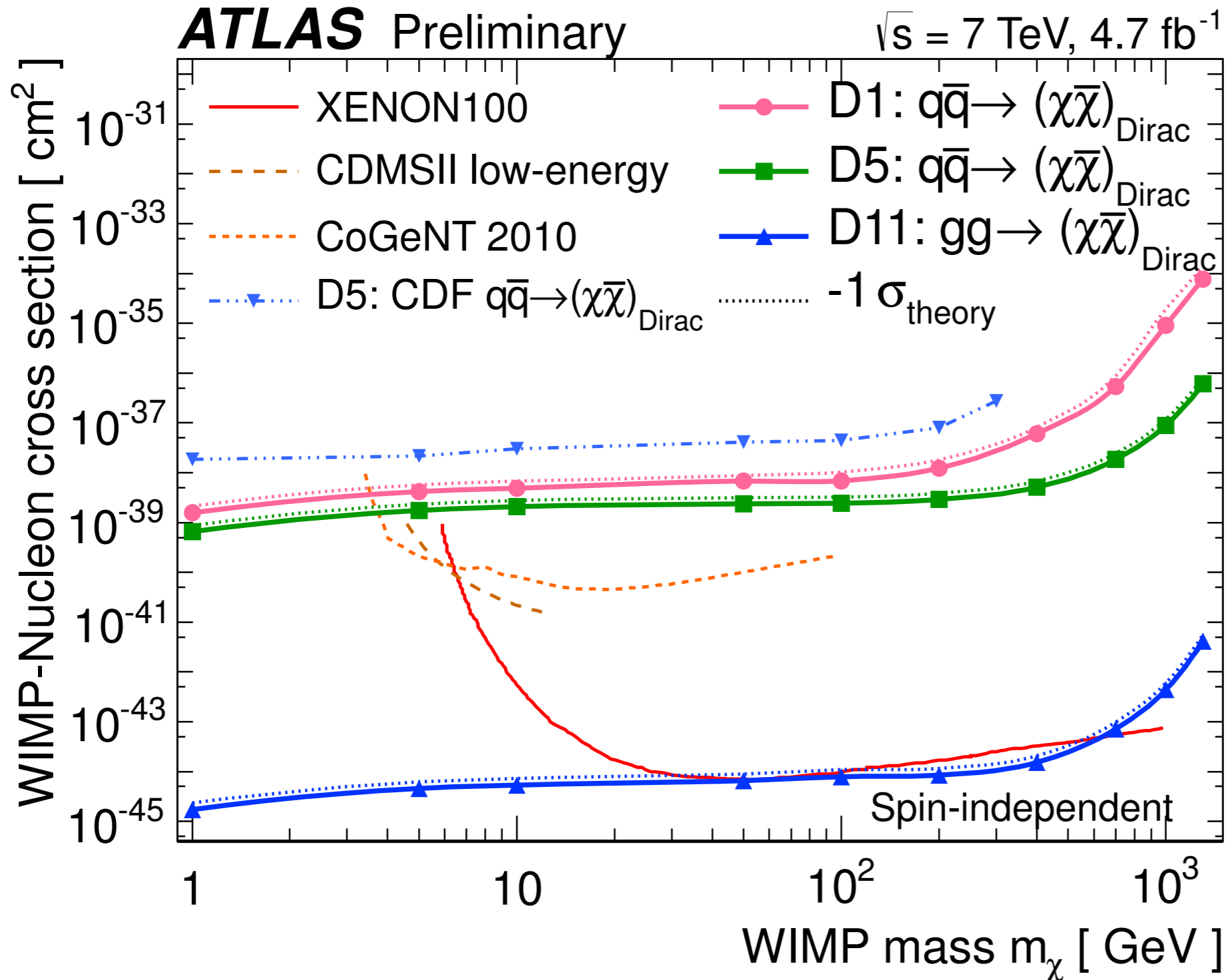


Monojet

$$D1 = \bar{\chi}\chi\bar{q}q$$

$$D5 = \bar{\chi}\gamma^\mu\chi\gamma_\mu\bar{q}q$$

$$D11 = \bar{\chi}\chi G_{\mu\nu}G^{\mu\nu}$$

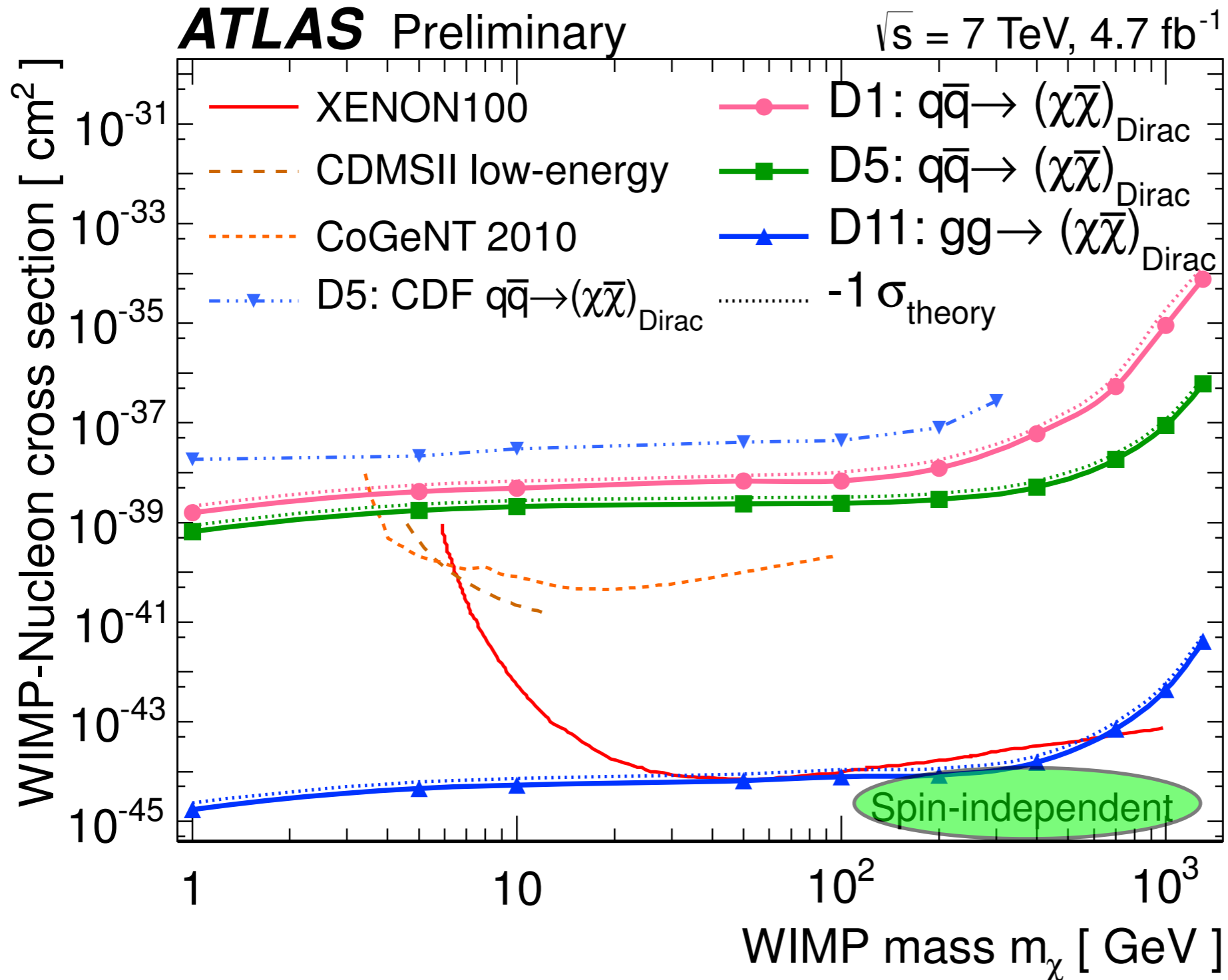


Monojet

$$D1 = \bar{\chi}\chi\bar{q}q$$

$$D5 = \bar{\chi}\gamma^\mu\chi\gamma_\mu\bar{q}q$$

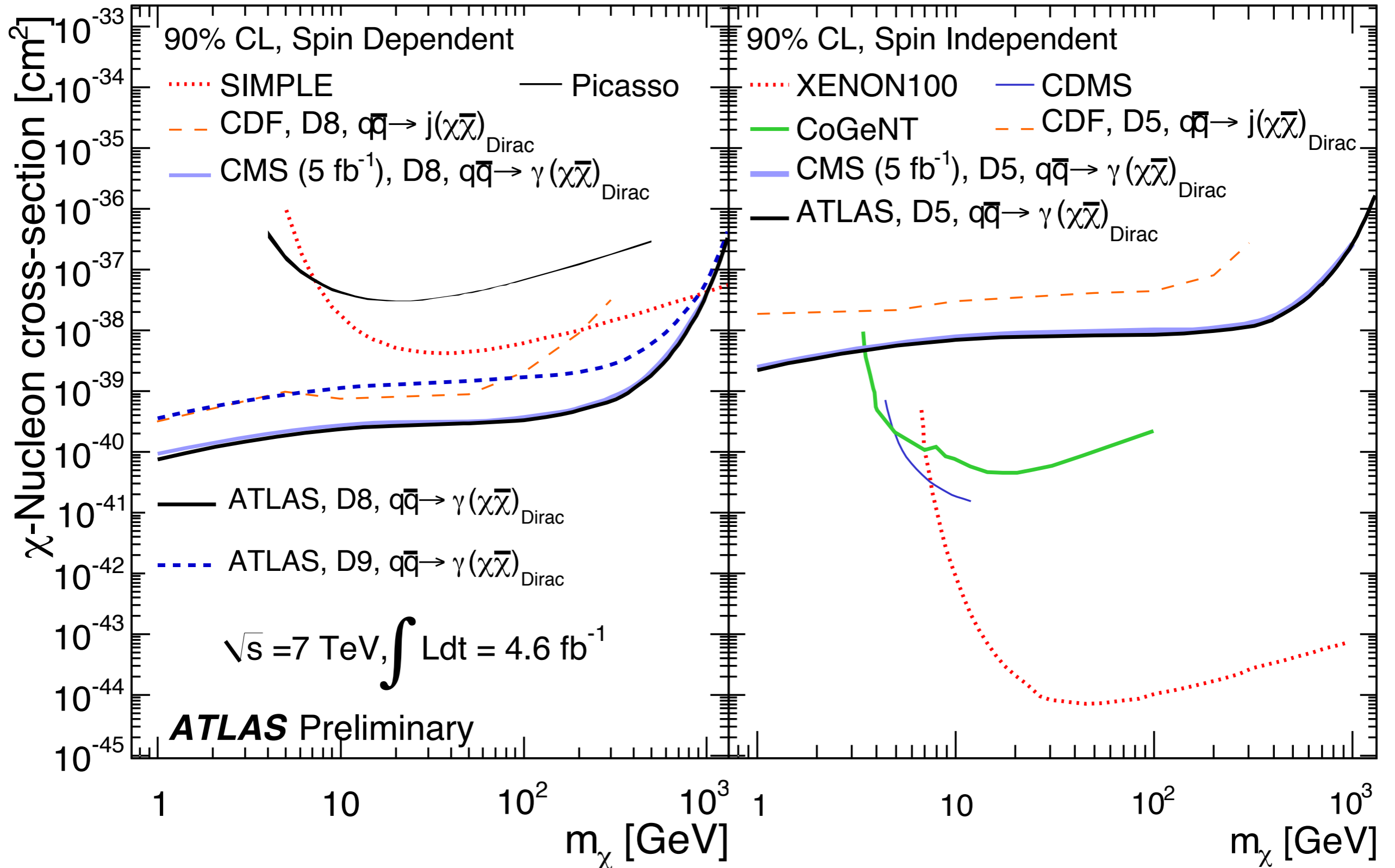
$$D11 = \bar{\chi}\chi G_{\mu\nu}G^{\mu\nu}$$



Monophoton

$$D8 = \bar{\chi} \gamma^\mu \gamma_5 \chi \bar{q} \gamma^\mu \gamma_5 q$$

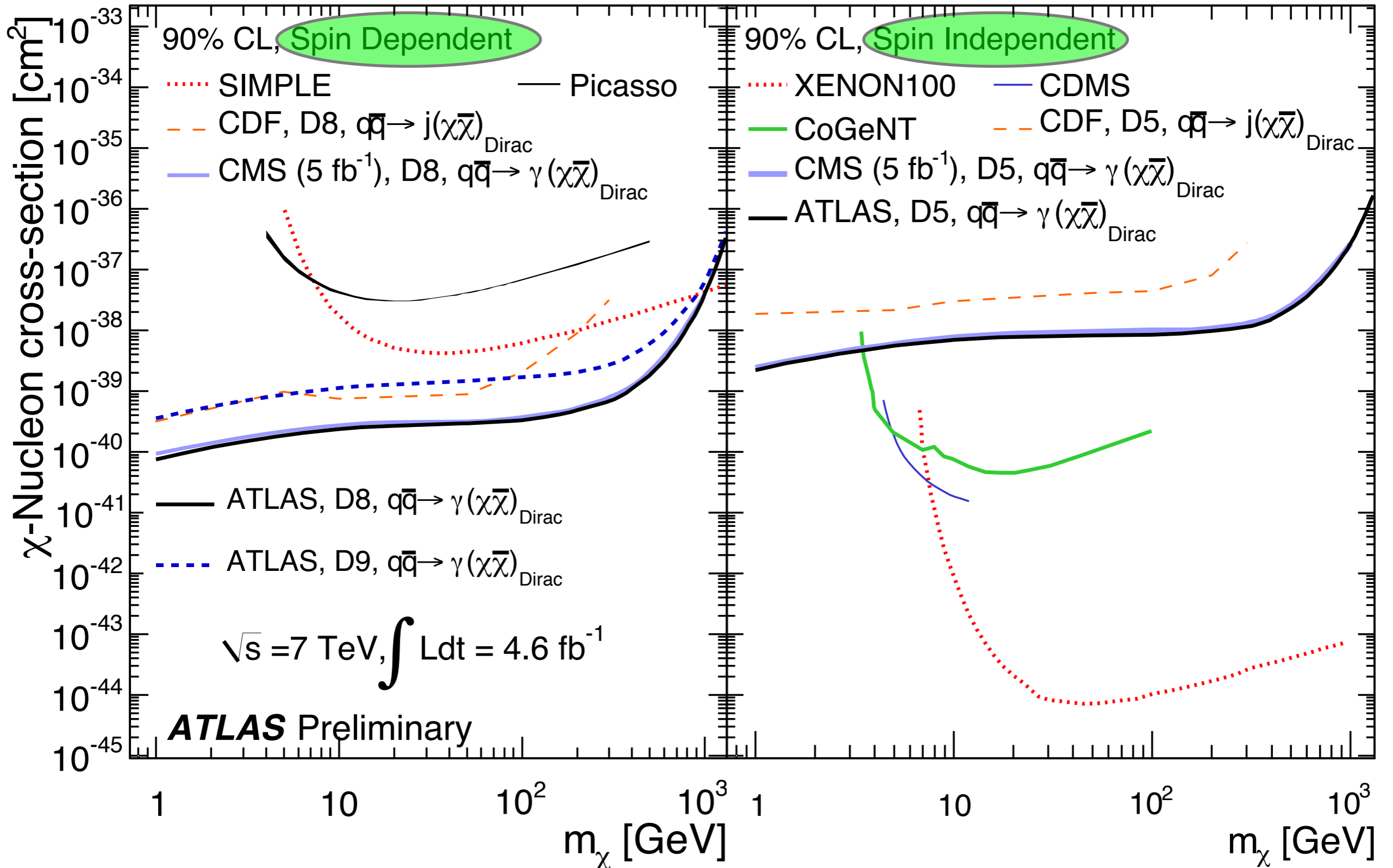
$$D5 = \bar{\chi} \gamma^\mu \chi \bar{q} \gamma^\mu q$$



Monophoton

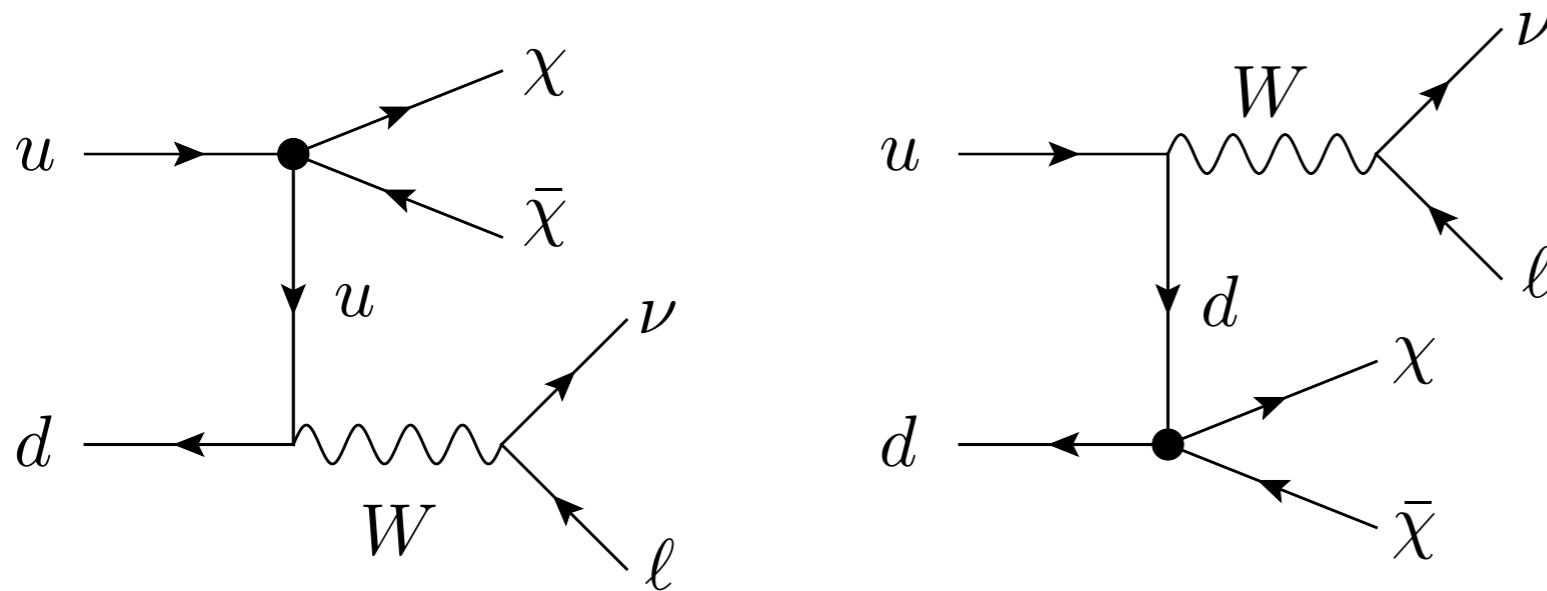
$$D8 = \bar{\chi} \gamma^\mu \gamma_5 \chi \bar{q} \gamma^\mu \gamma_5 q$$

$$D5 = \bar{\chi} \gamma^\mu \chi \bar{q} \gamma^\mu q$$

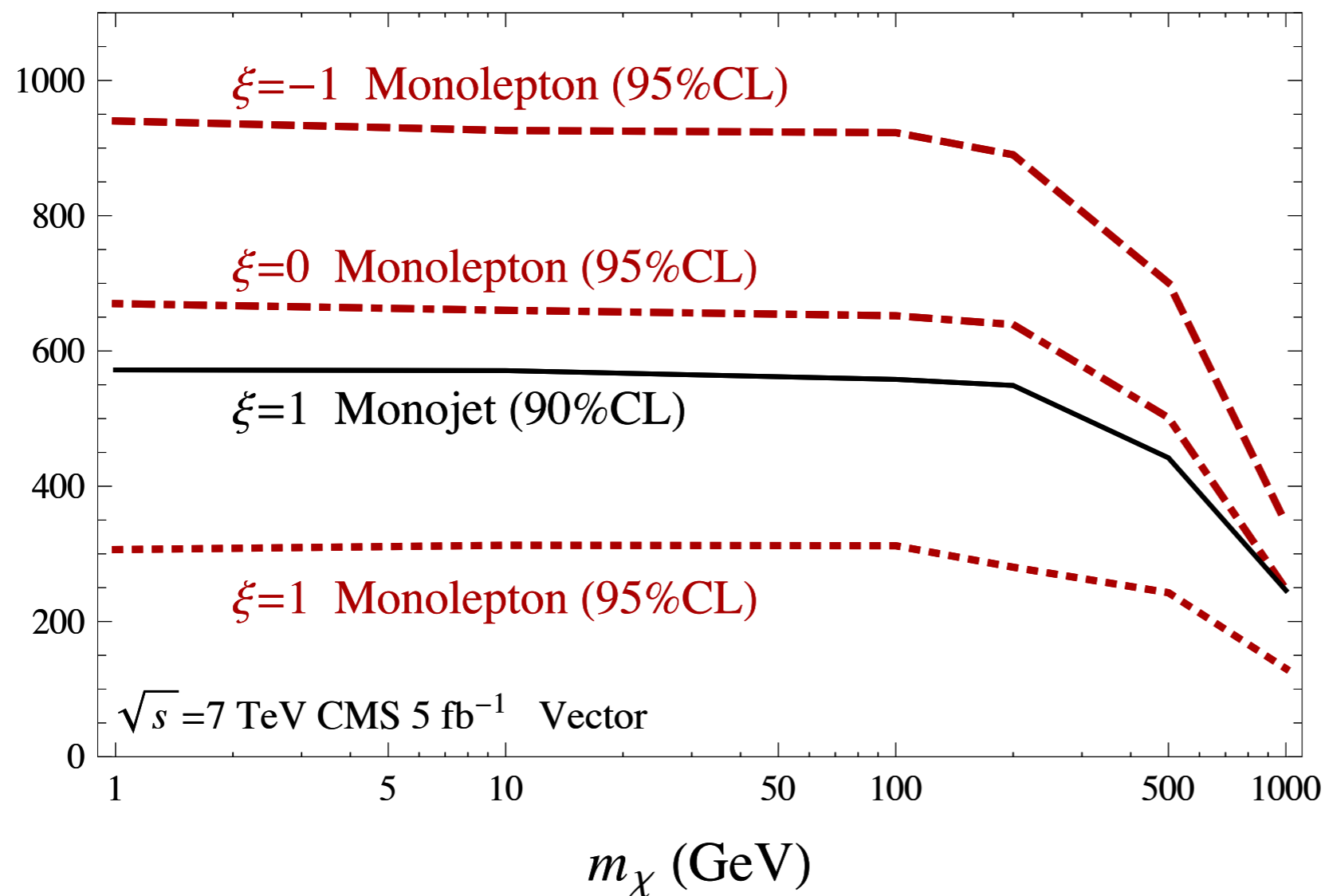


Mono-W

[Bai, Tait, I 208.436 I]



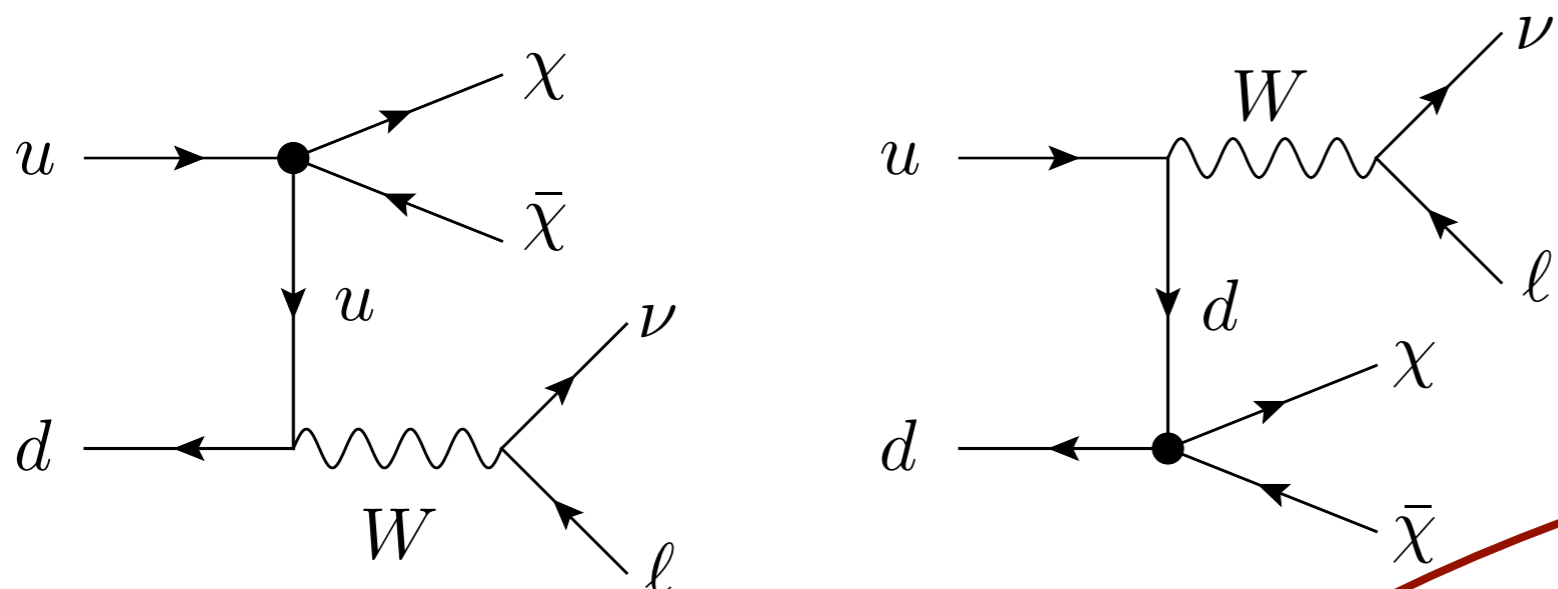
$$\frac{1}{\Lambda^2} \bar{\chi} \gamma_\mu \chi (\bar{u} \gamma^\mu u + \xi \bar{d} \gamma^\mu d)$$



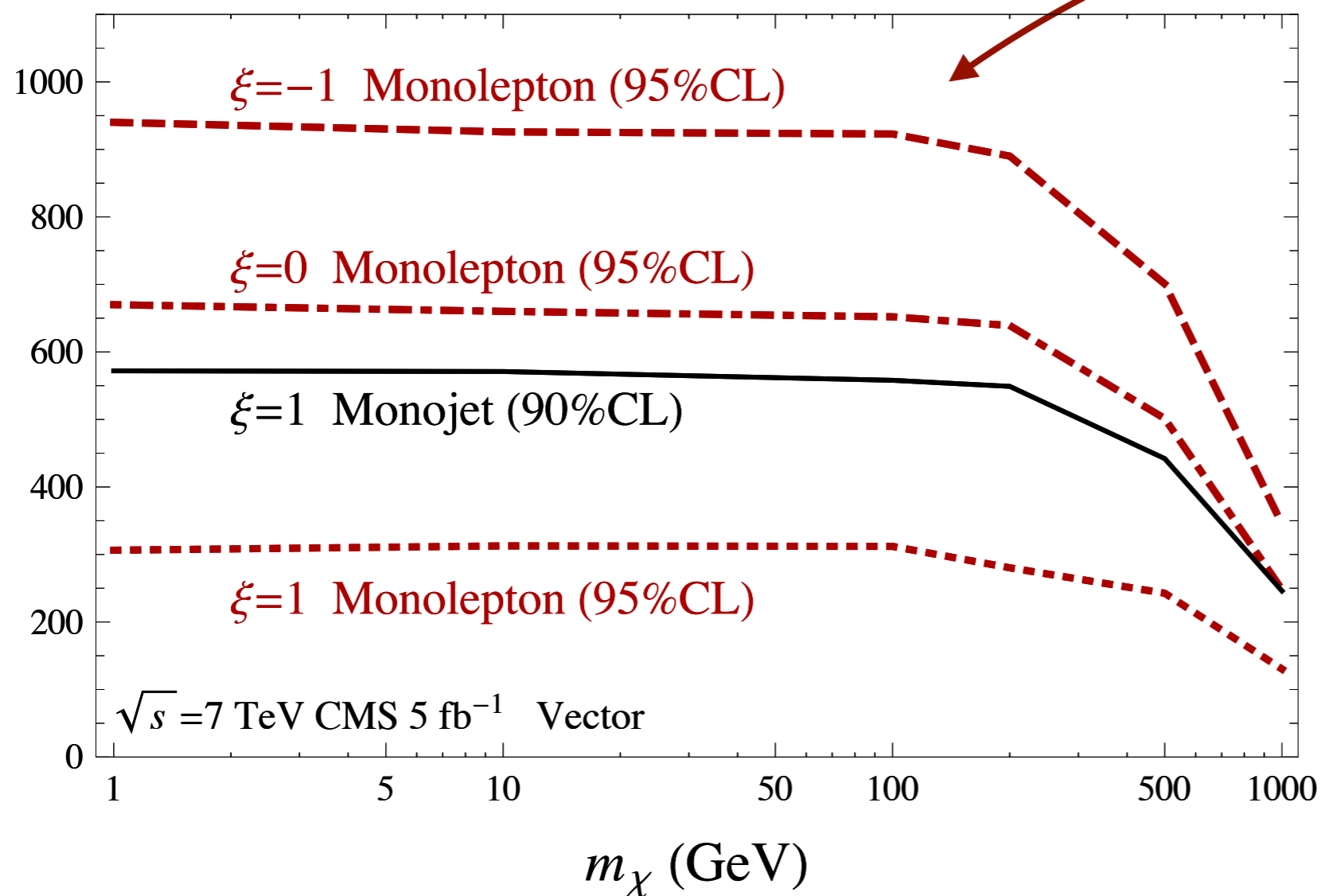
Uses CMS
W' search
(7 TeV 5/fb)

Mono-W

[Bai, Tait, 1208.4361]



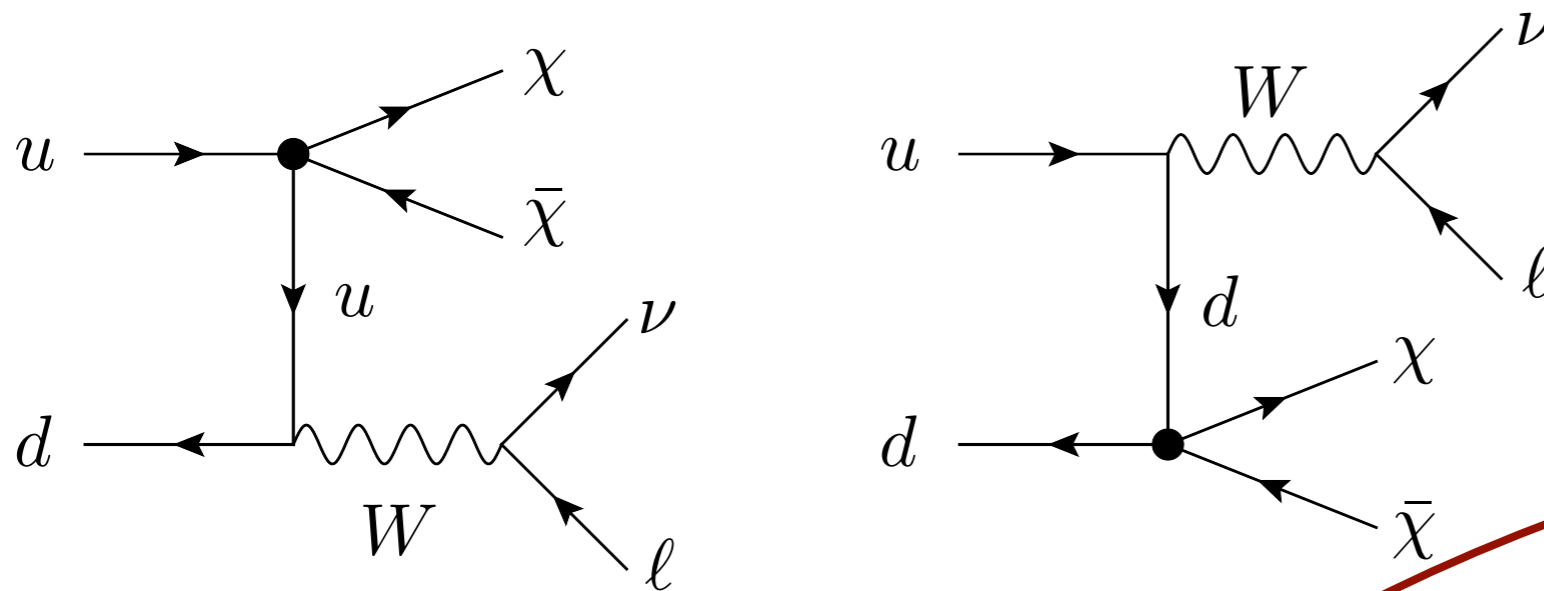
$$\frac{1}{\Lambda^2} \bar{\chi} \gamma_\mu \chi (\bar{u} \gamma^\mu u + \xi \bar{d} \gamma^\mu d)$$



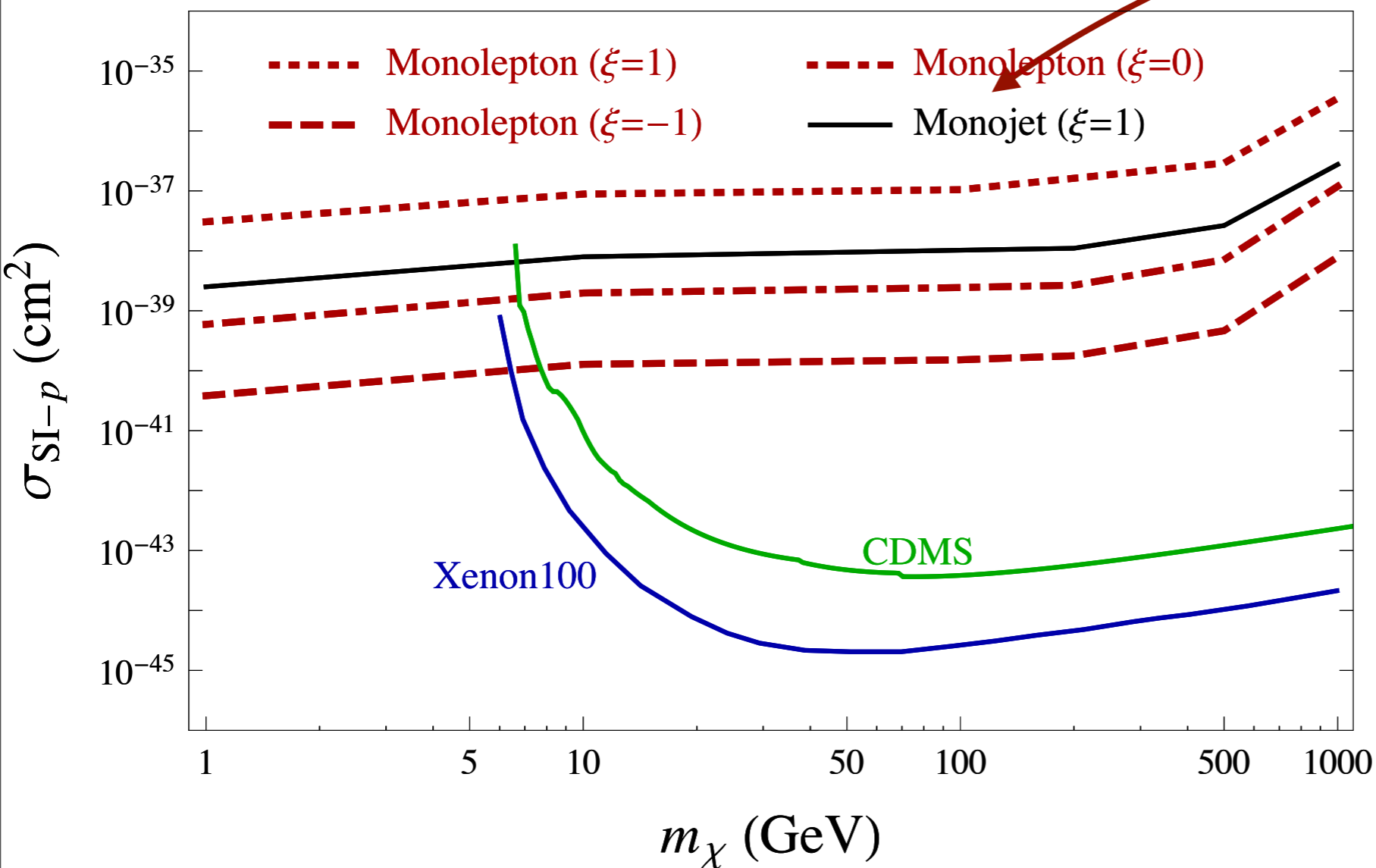
Uses CMS
W' search
(7 TeV 5/fb)

Mono-W

[Bai, Tait, 1208.4361]



$$\frac{1}{\Lambda^2} \bar{\chi} \gamma_\mu \chi (\bar{u} \gamma^\mu u + \xi \bar{d} \gamma^\mu d)$$

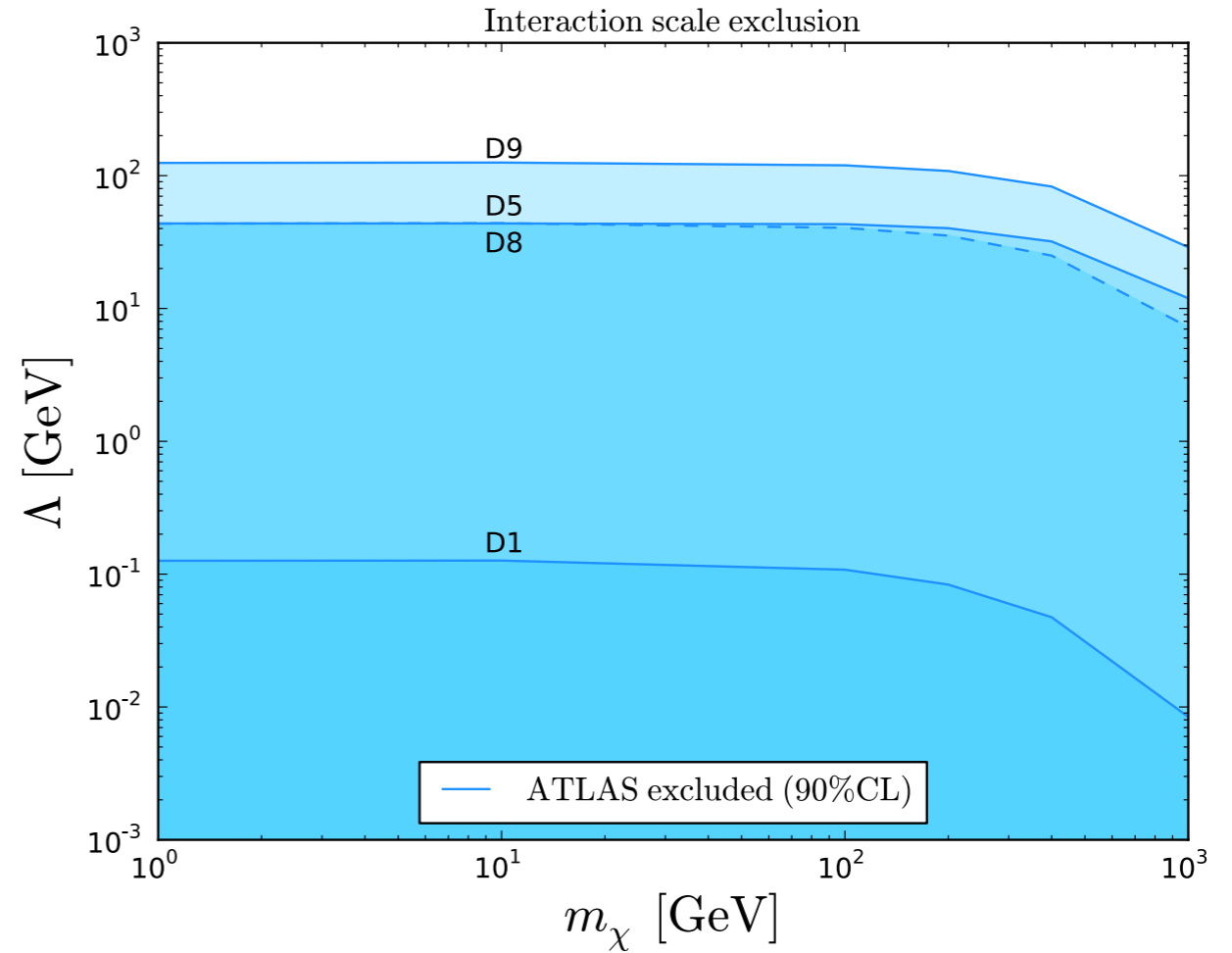
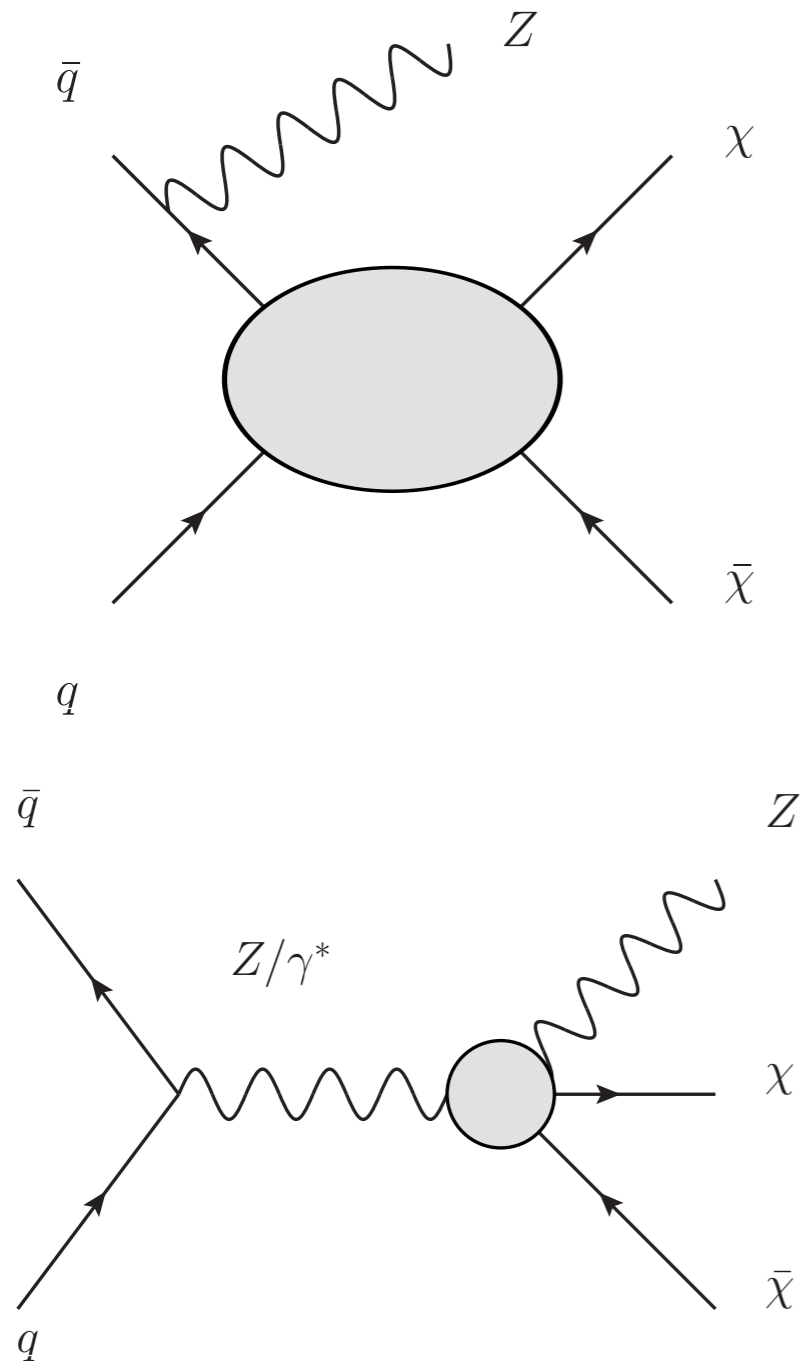


Uses CMS
W' search
(7 TeV 5/fb)

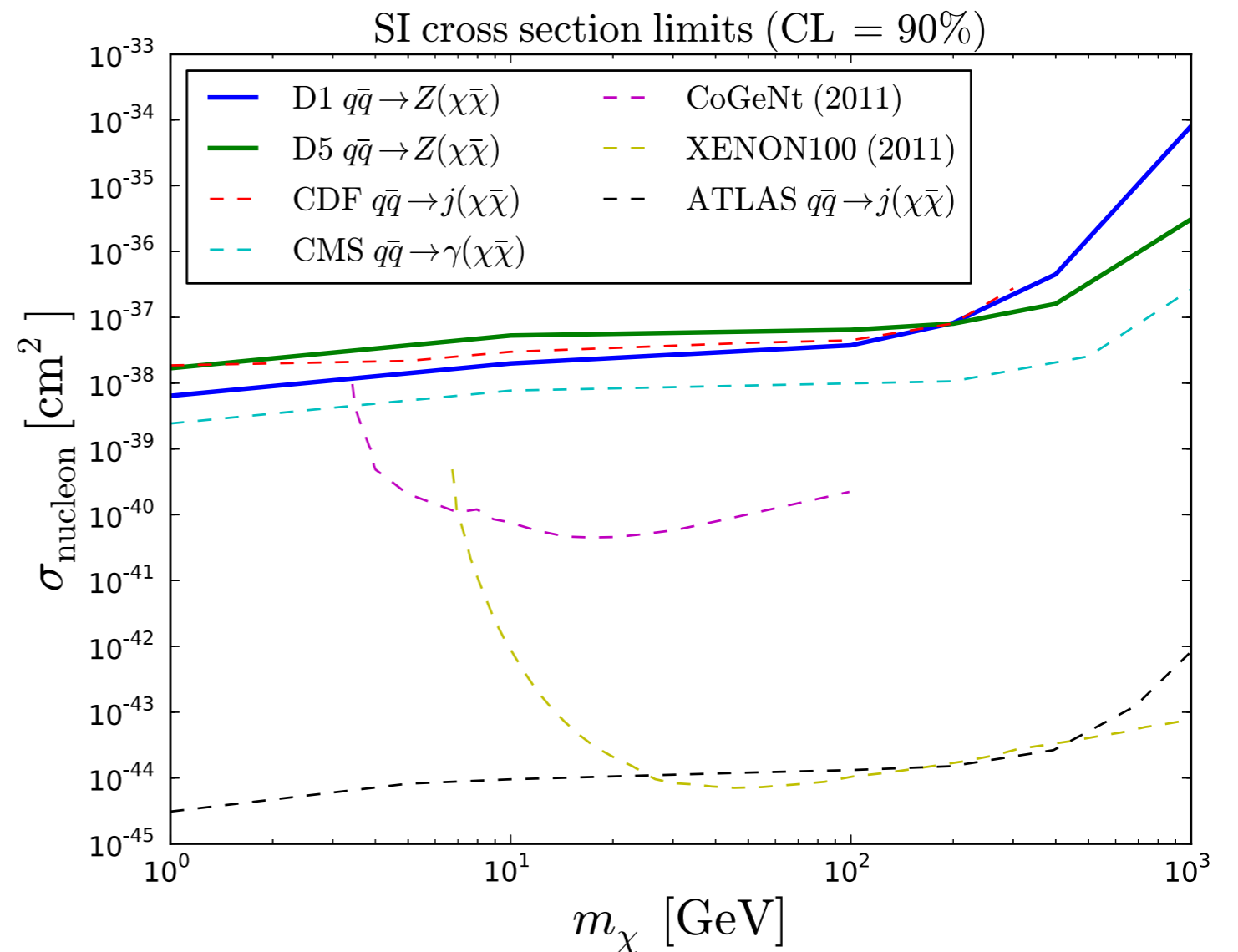
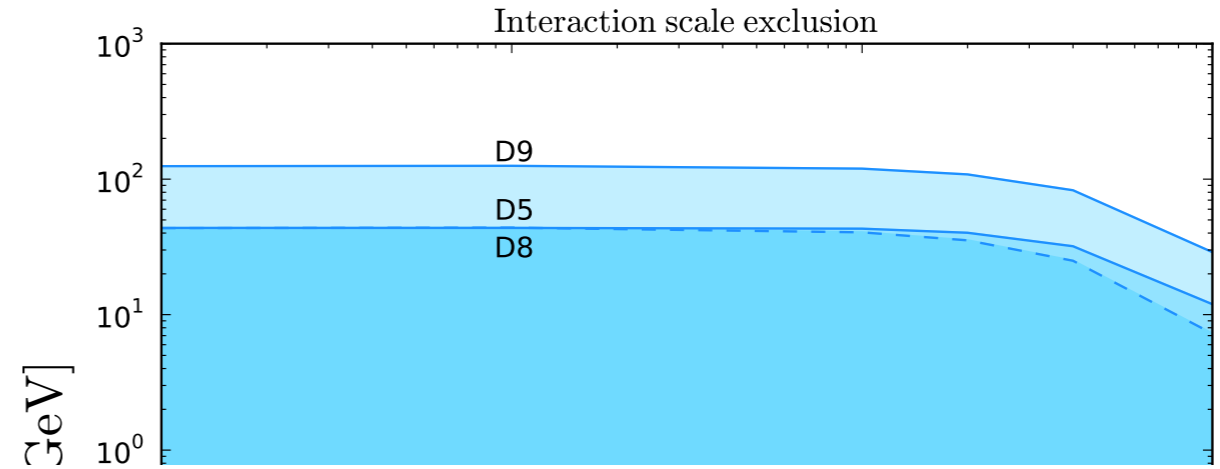
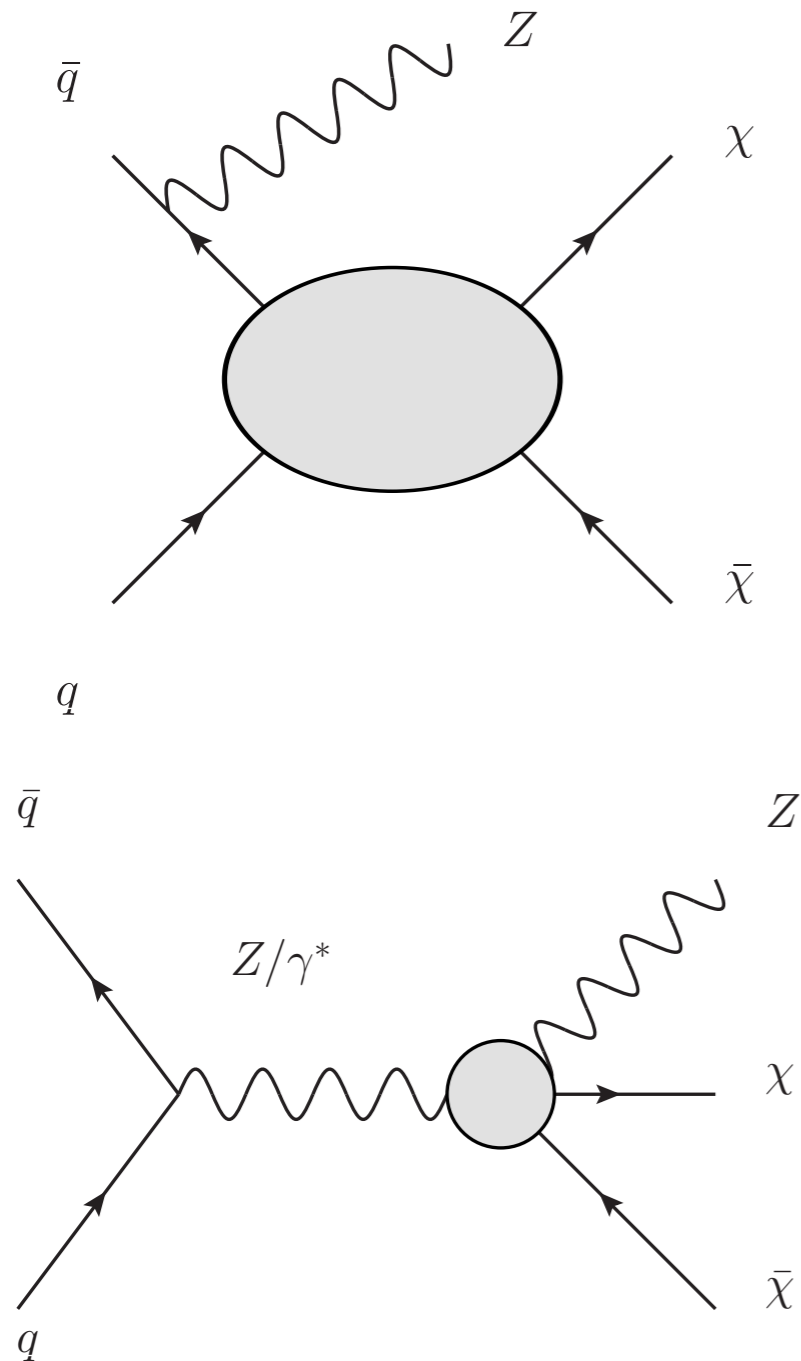
Mono-Z

[Carpenter et al, 1212.3352]

Uses ATLAS $ll\nu\nu$ x-sec measurement (7 TeV 4.6/fb)



Uses ATLAS $ll\nu\nu$ x-sec measurement (7 TeV 4.6/fb)



Mono- “whatever”

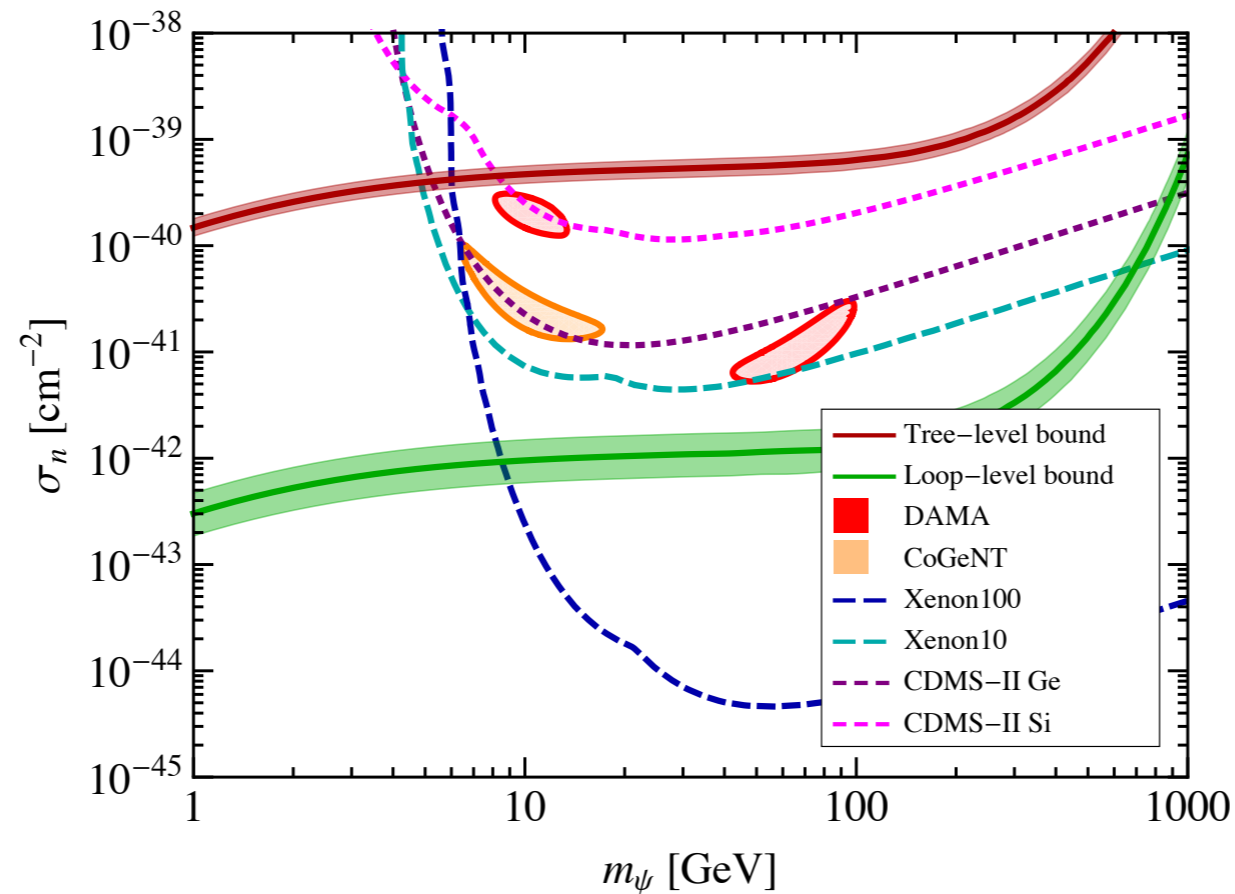
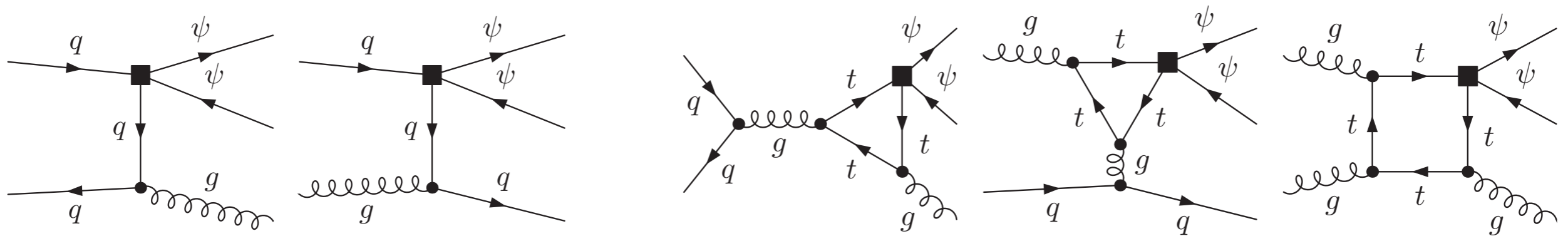
- Many search channels, combining for stronger bounds
- Must be careful about overlaps, but most orthogonal
- Bounds dominated by monojet, but others give non-trivial improvements
- See e.g. Cheung et al (1201.3402); Berge et al (1302.3619)

The scalar operator

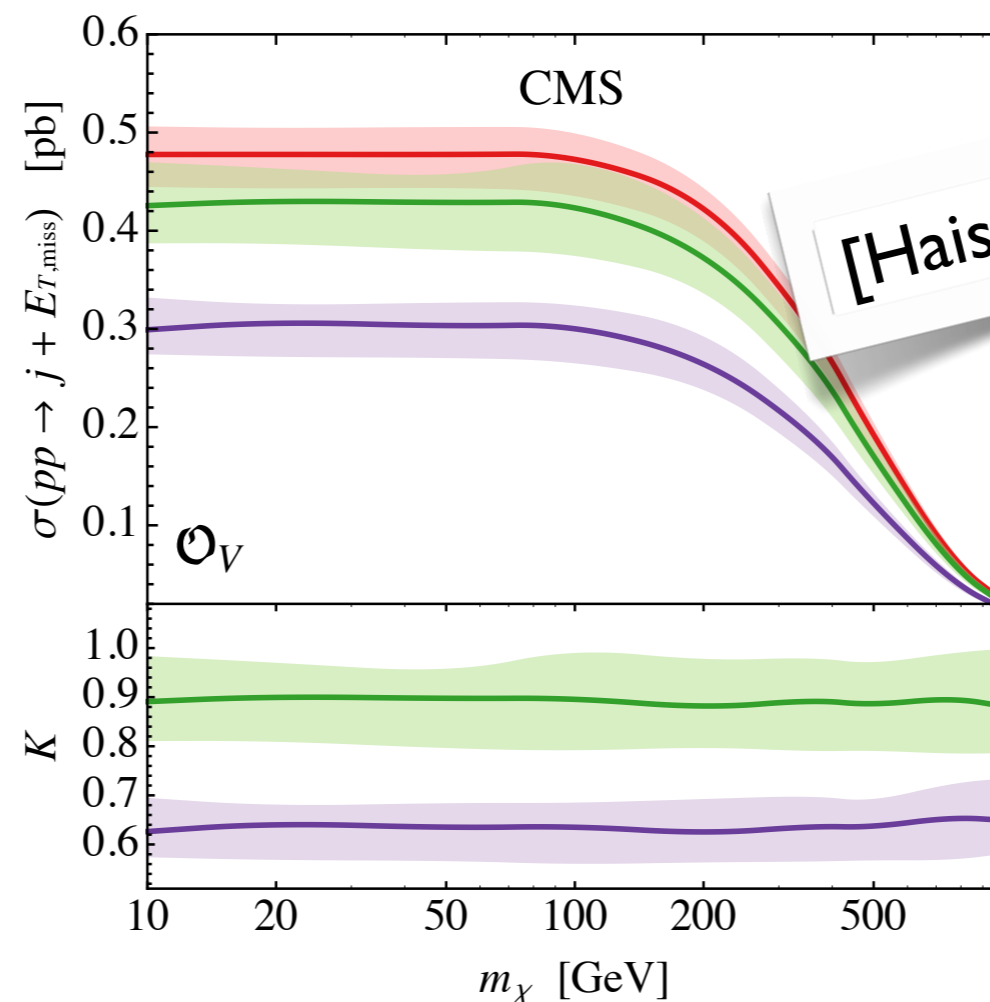
$$\mathcal{O} = \frac{m_q}{M_*^3} \bar{q}q \bar{X} X$$

Large corrections to production cross section

[Haisch, Kahlhoefer, Unwin, 1208.4605]



- Analyses are becoming systematics limited
- Reduce theory uncertainty by calculating at NLO (S+B)
- Mismatch in MET and jet(pT) cuts, combined with “monojet” allowing >1 jet opens up phase space at NLO
- Some operators (e.g. scalar) that have suppressed rate at LO can have very large “NLO” corrections
- MCFM and POWHEG implementations



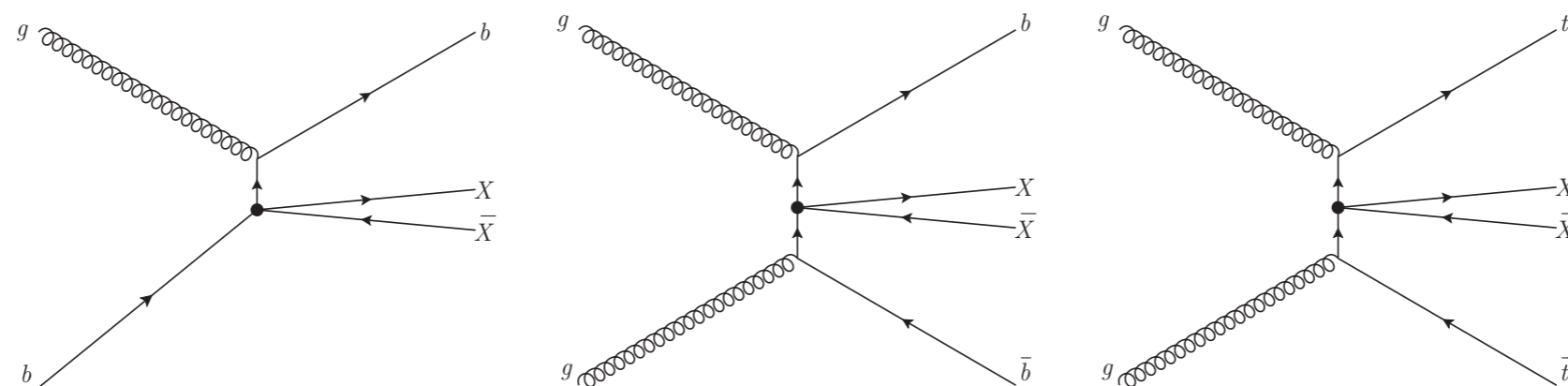
[Haisch et al, 1310.4491]

The scalar operator

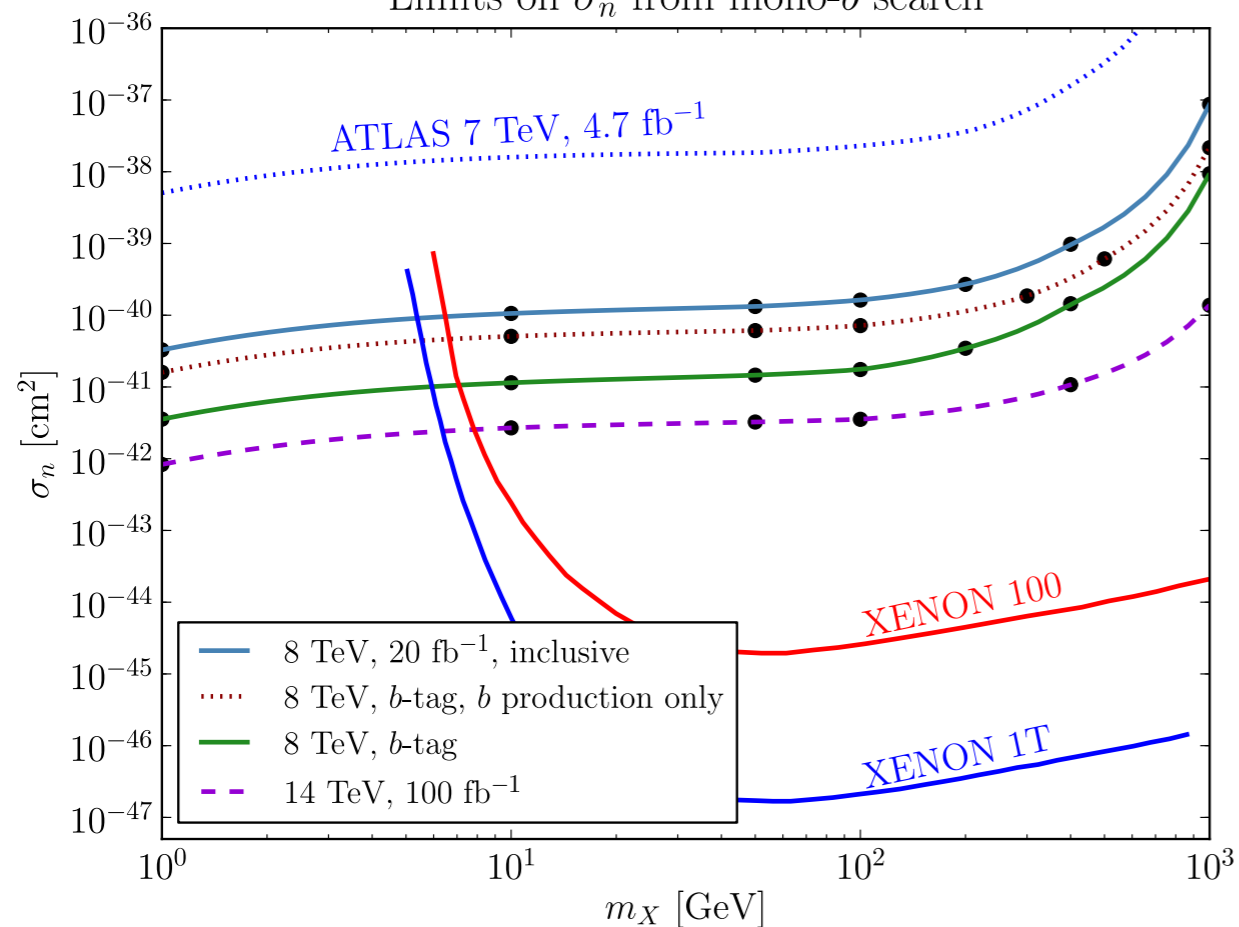
[Kamenik, Zupan, 1107.0623]

Look at heavy flavour in the final state: mono- b , stop searches

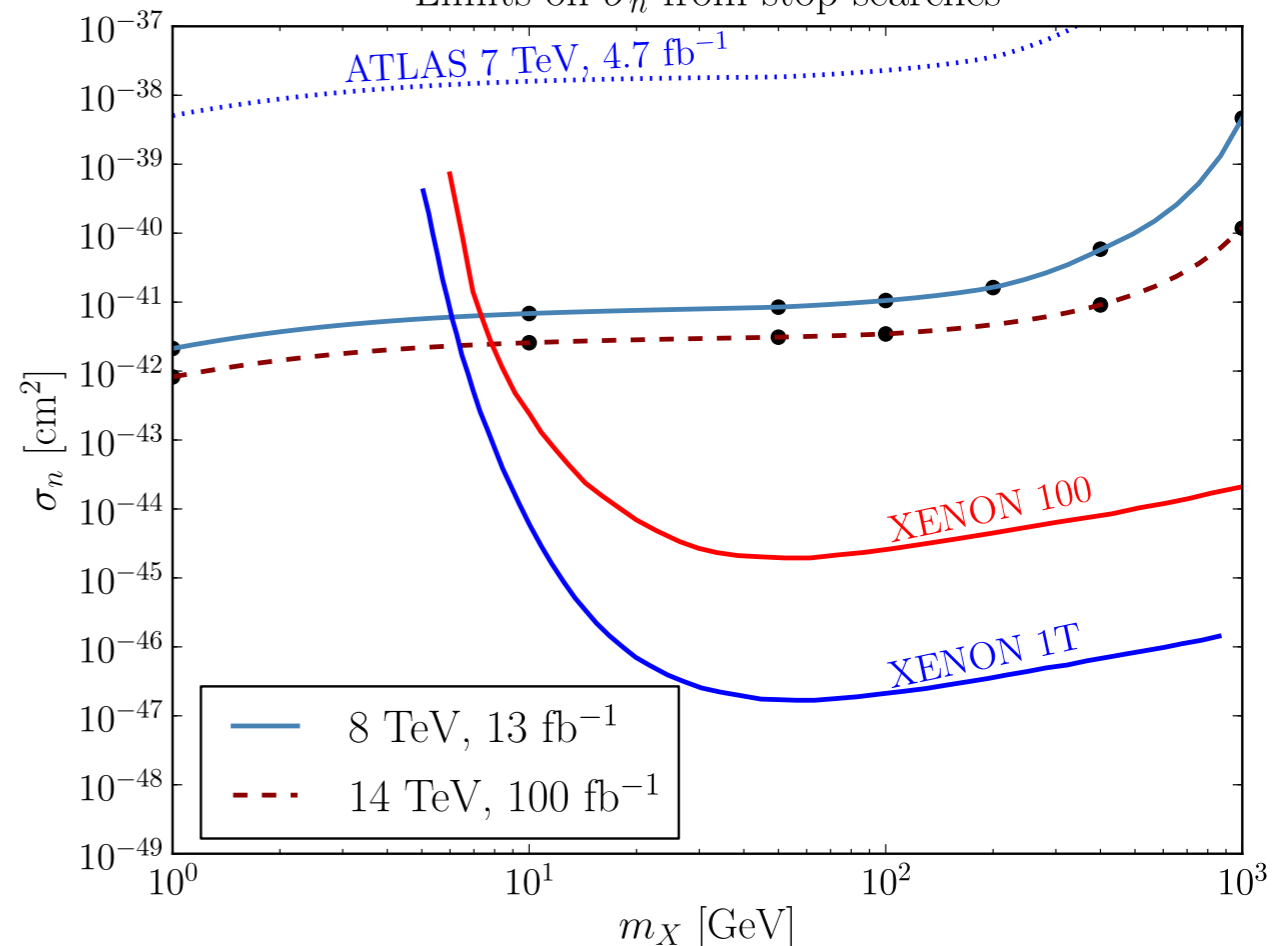
[Lin, Kolb, Wang, 1303.6638]



Limits on σ_n from mono- b search



Limits on σ_n from stop searches

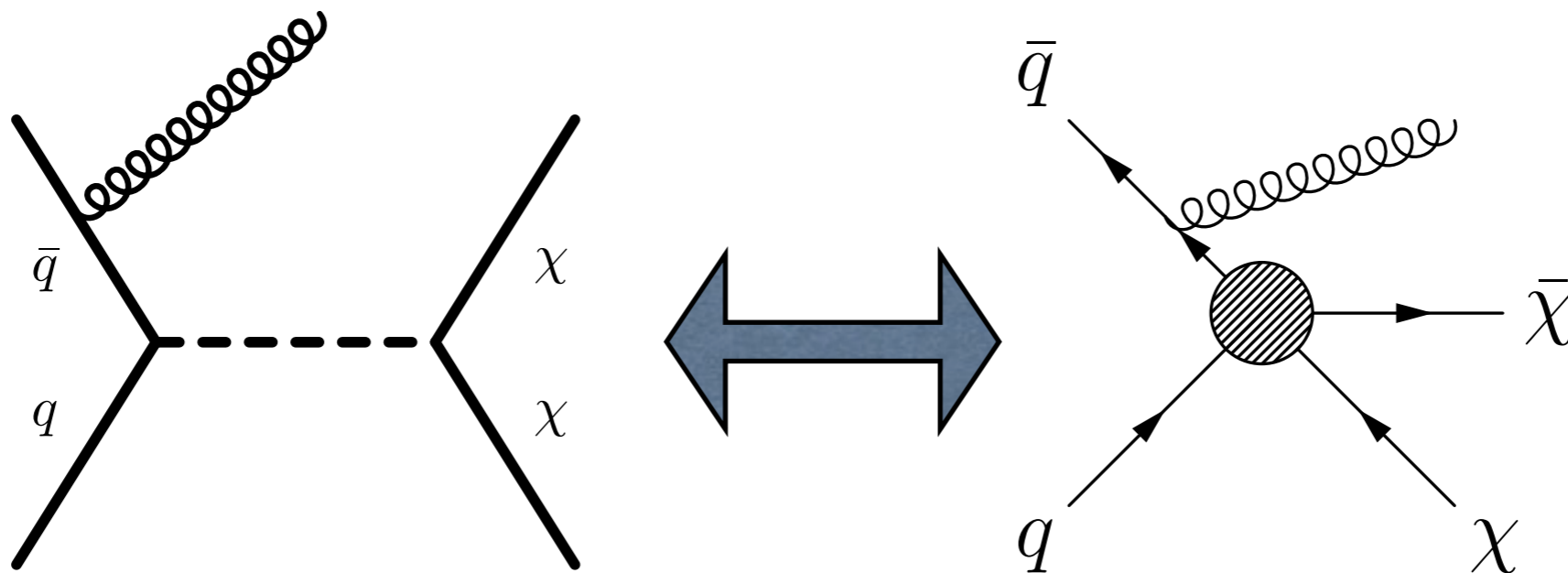


Light Mediators

For all but the lightest mediators EFT is good for direct detection

$$\sigma(\chi N \rightarrow \chi N) \sim \frac{g_q^2 g_\chi^2}{M^4} \mu_{\chi N}^2$$

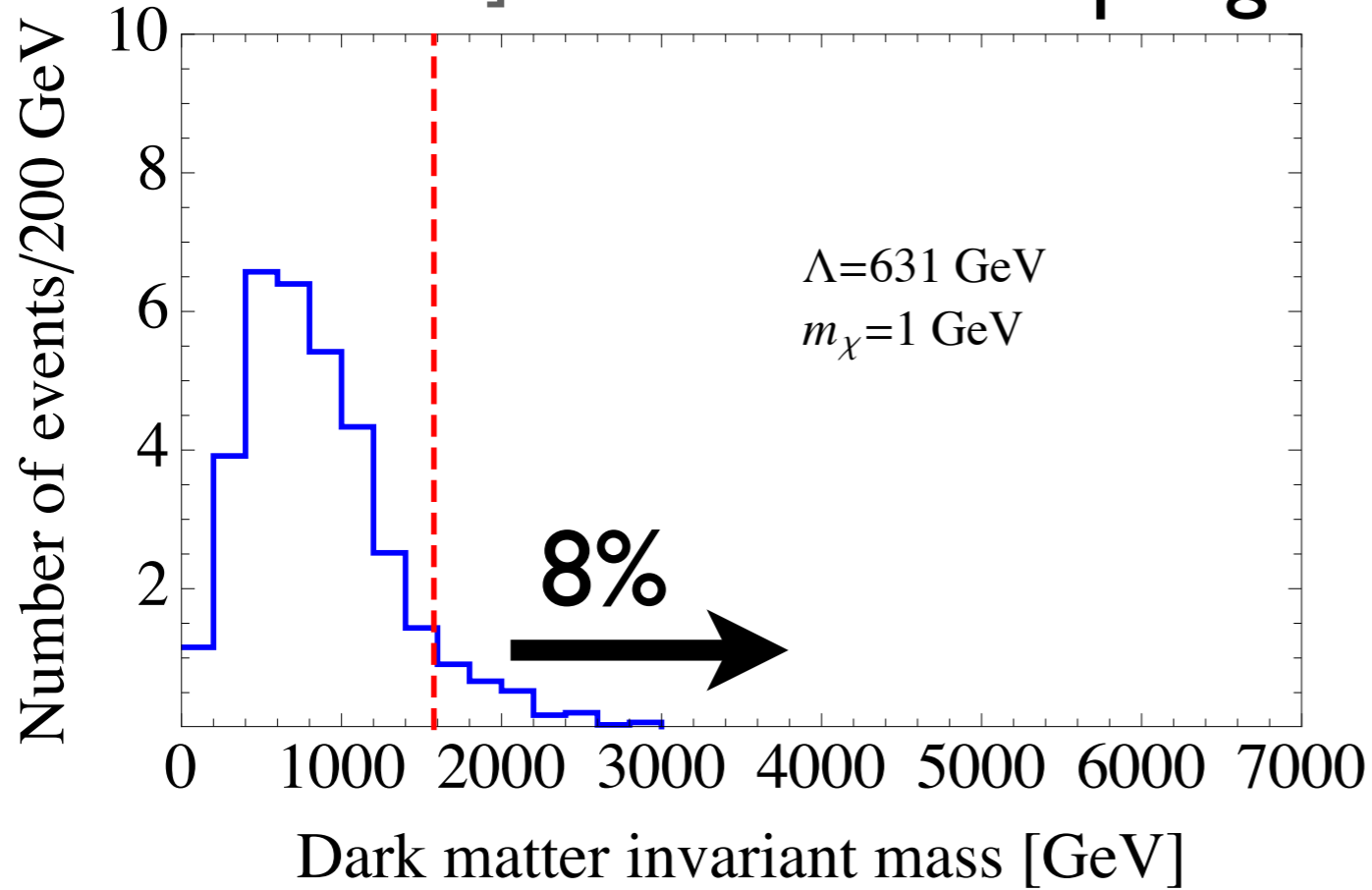
What fraction of collider events have momentum transfers sufficient to probe the UV completion?



$$\frac{g_q g_\chi}{q^2 - M^2} \xrightarrow{q^2 \ll M^2} \frac{1}{\Lambda^2}$$

$$\Lambda^2 = \frac{M^2}{g_q g_\chi}$$

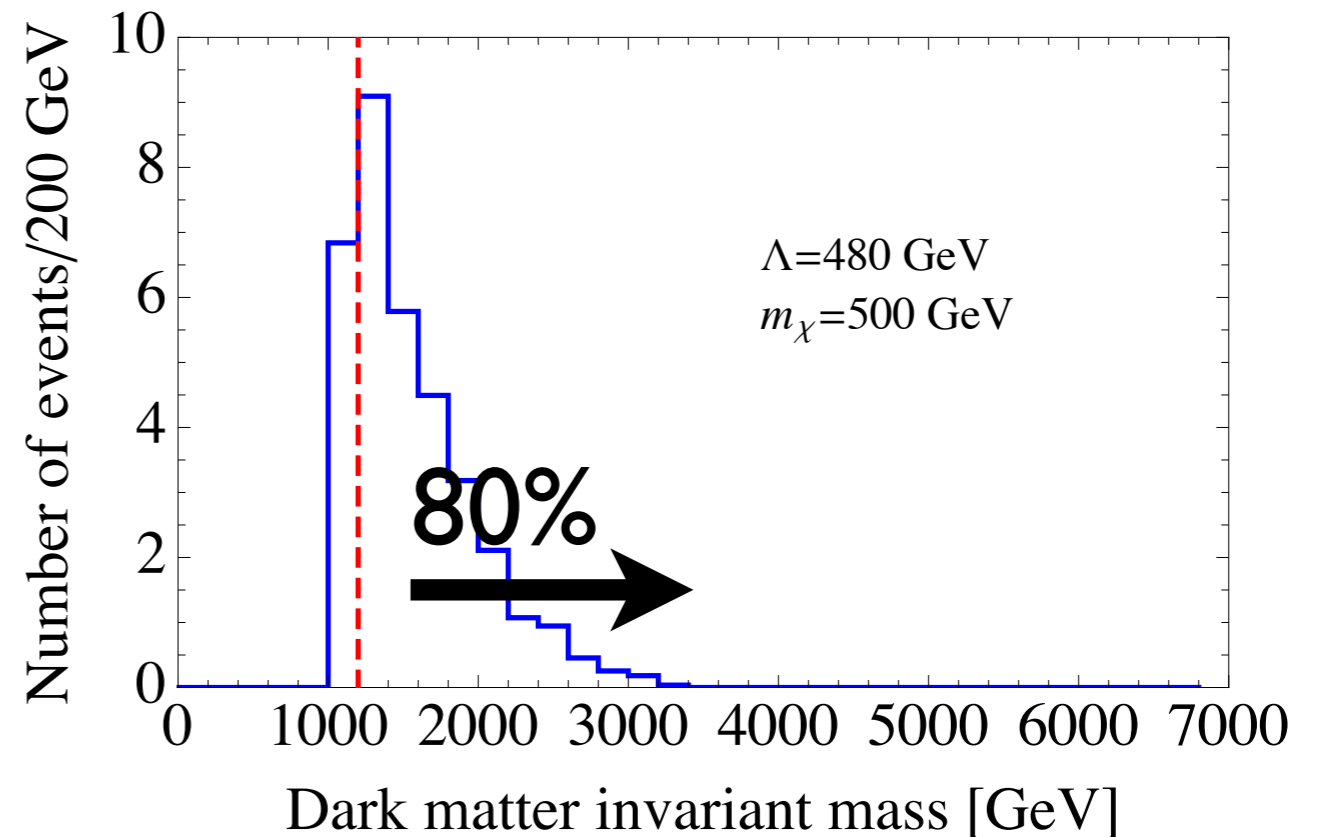
Vector coupling



Unitarity bound $m_{\chi\chi} < \frac{\Lambda}{0.4}$

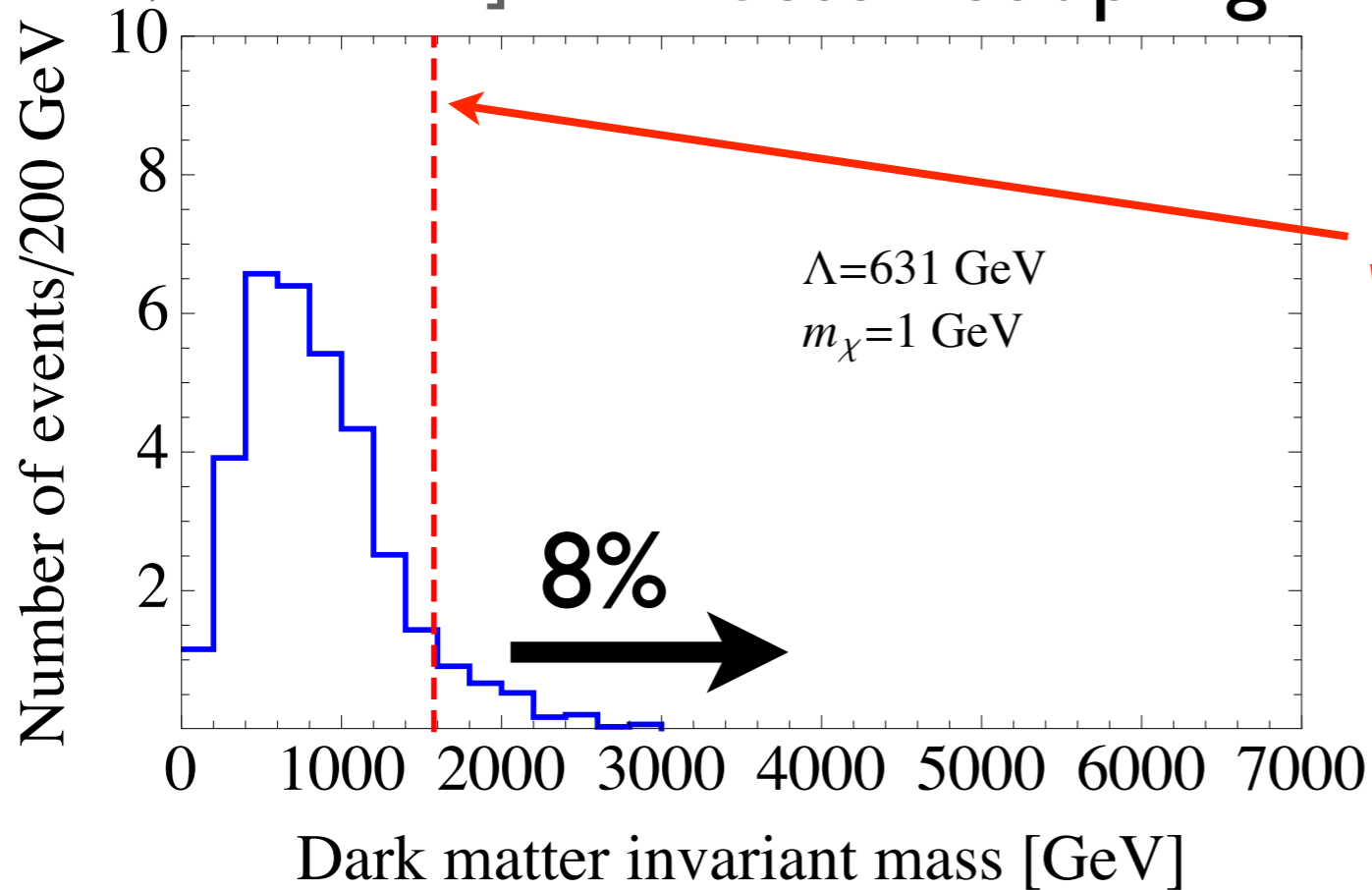
[Shoemaker and Vecchi, I I 2.5457]

Fraction of events where EFT breaks down may be non-negligible
Depends on DM mass



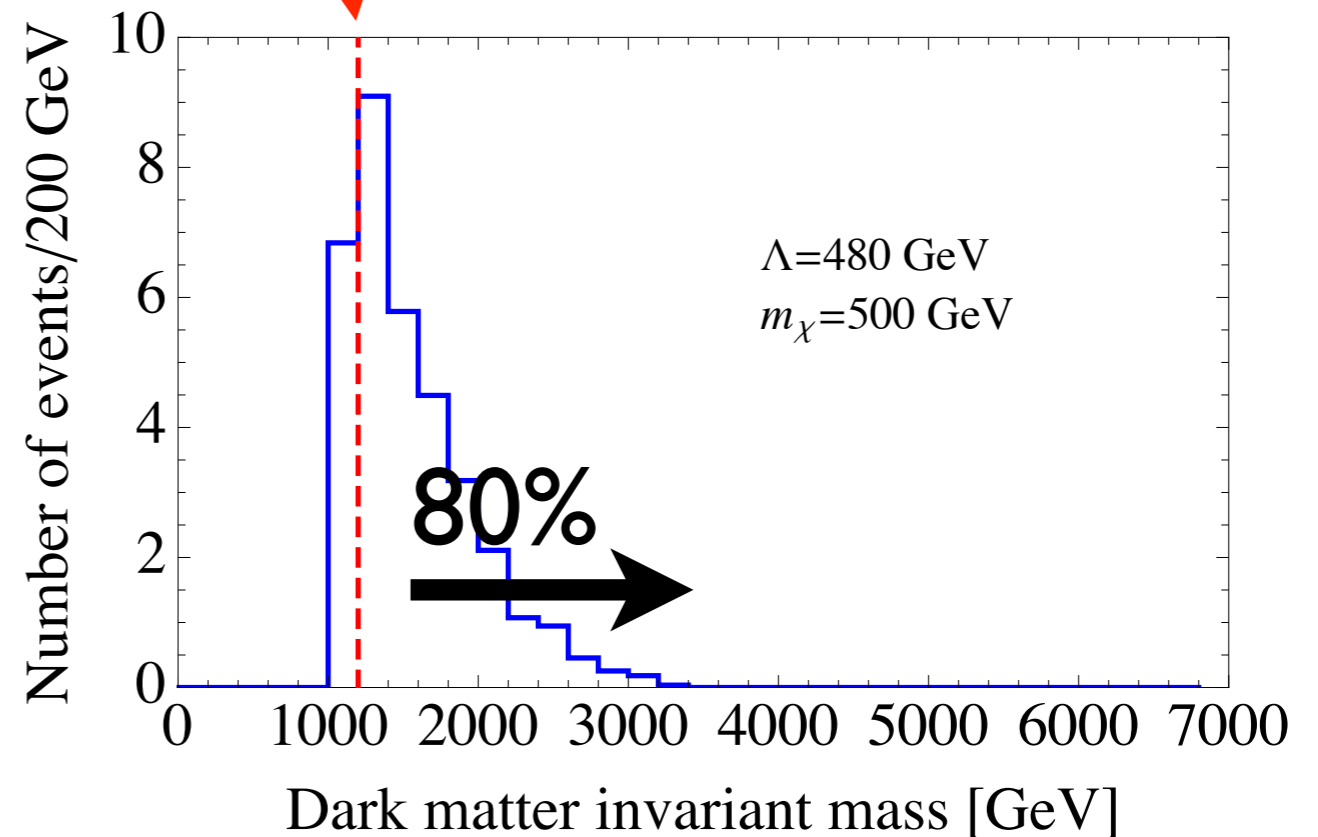
[P]F et al, I 203.1662]

Vector coupling

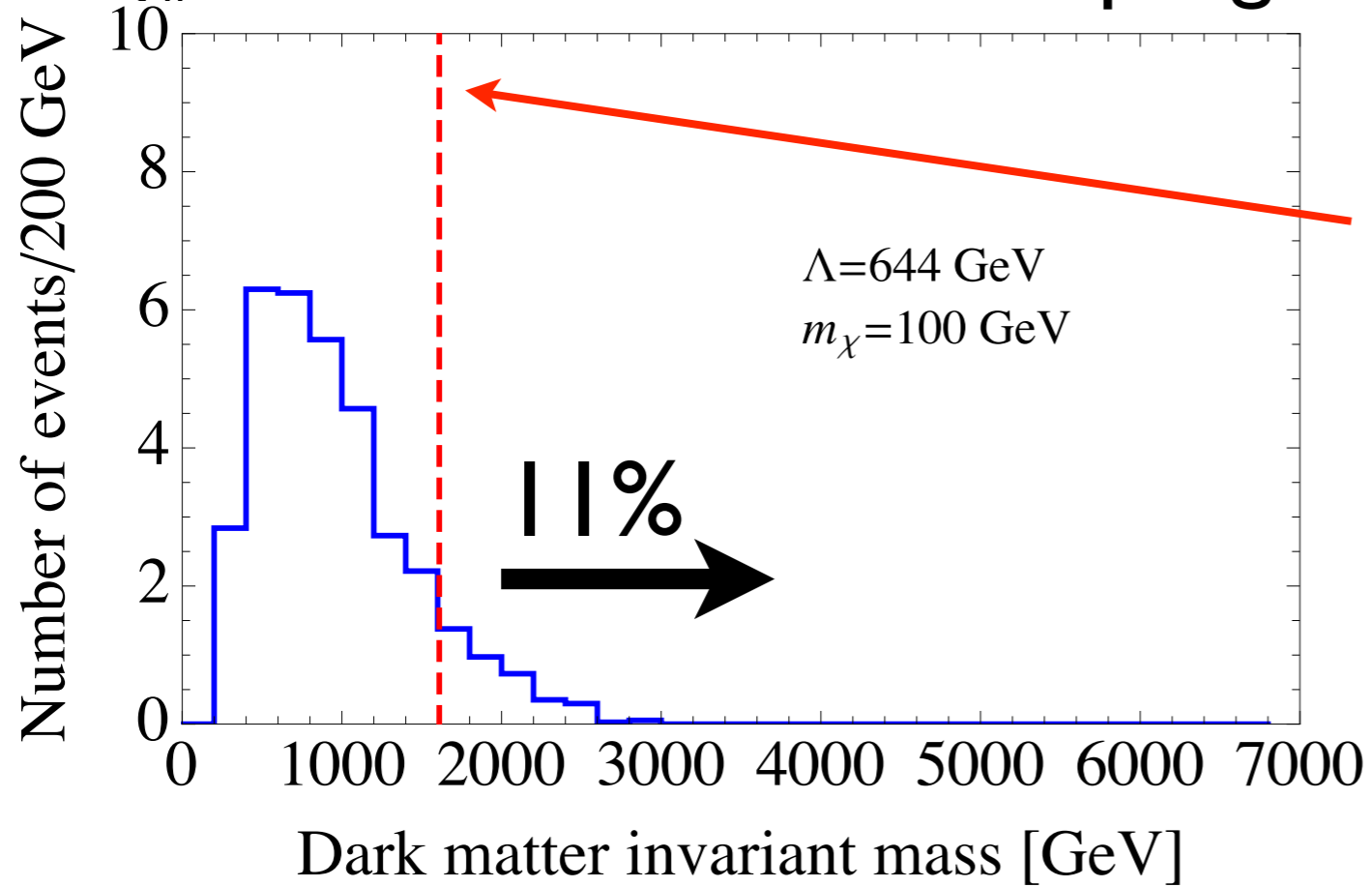


Unitarity bound $m_{\chi\chi} < \frac{\Lambda}{0.4}$
[Shoemaker and Vecchi, I I 2.5457]

Fraction of events where EFT breaks down may be non-negligible
Depends on DM mass

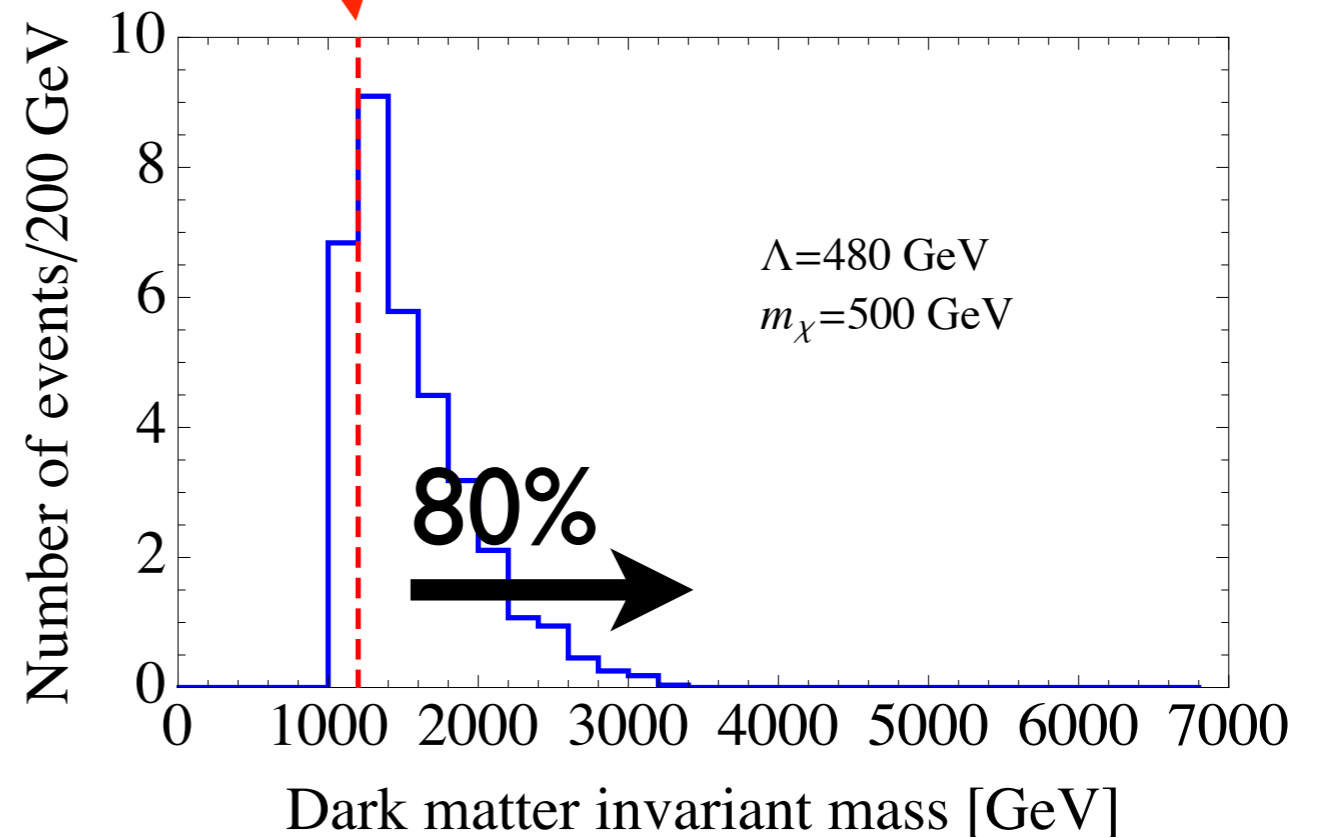


Vector coupling



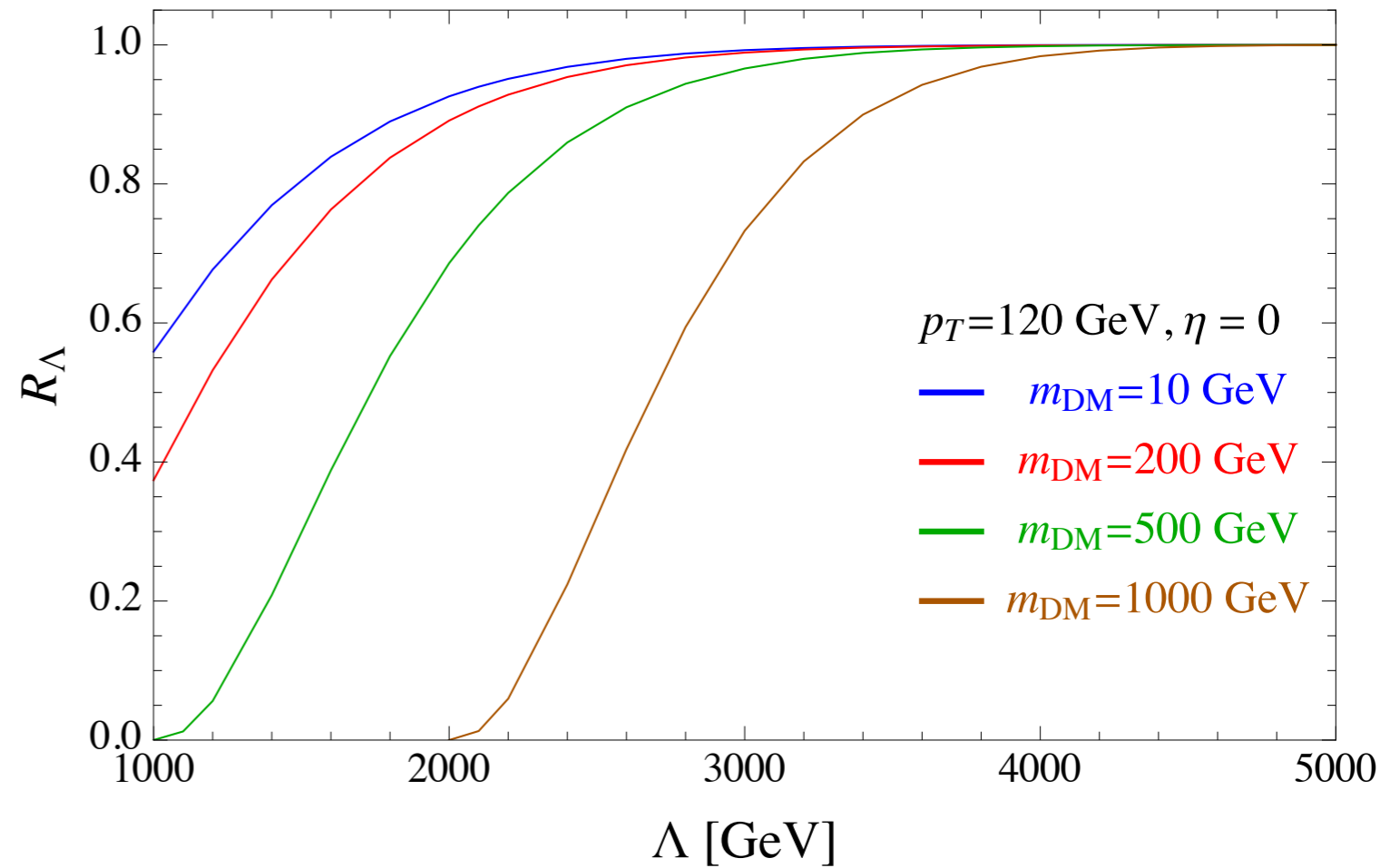
Unitarity bound $m_{\chi\chi} < \frac{\Lambda}{0.4}$
[Shoemaker and Vecchi, 1112.5457]

Fraction of events where EFT breaks down may be non-negligible
Depends on DM mass



What fraction of events have
momentum transfers sufficient to
probe the UV completion?

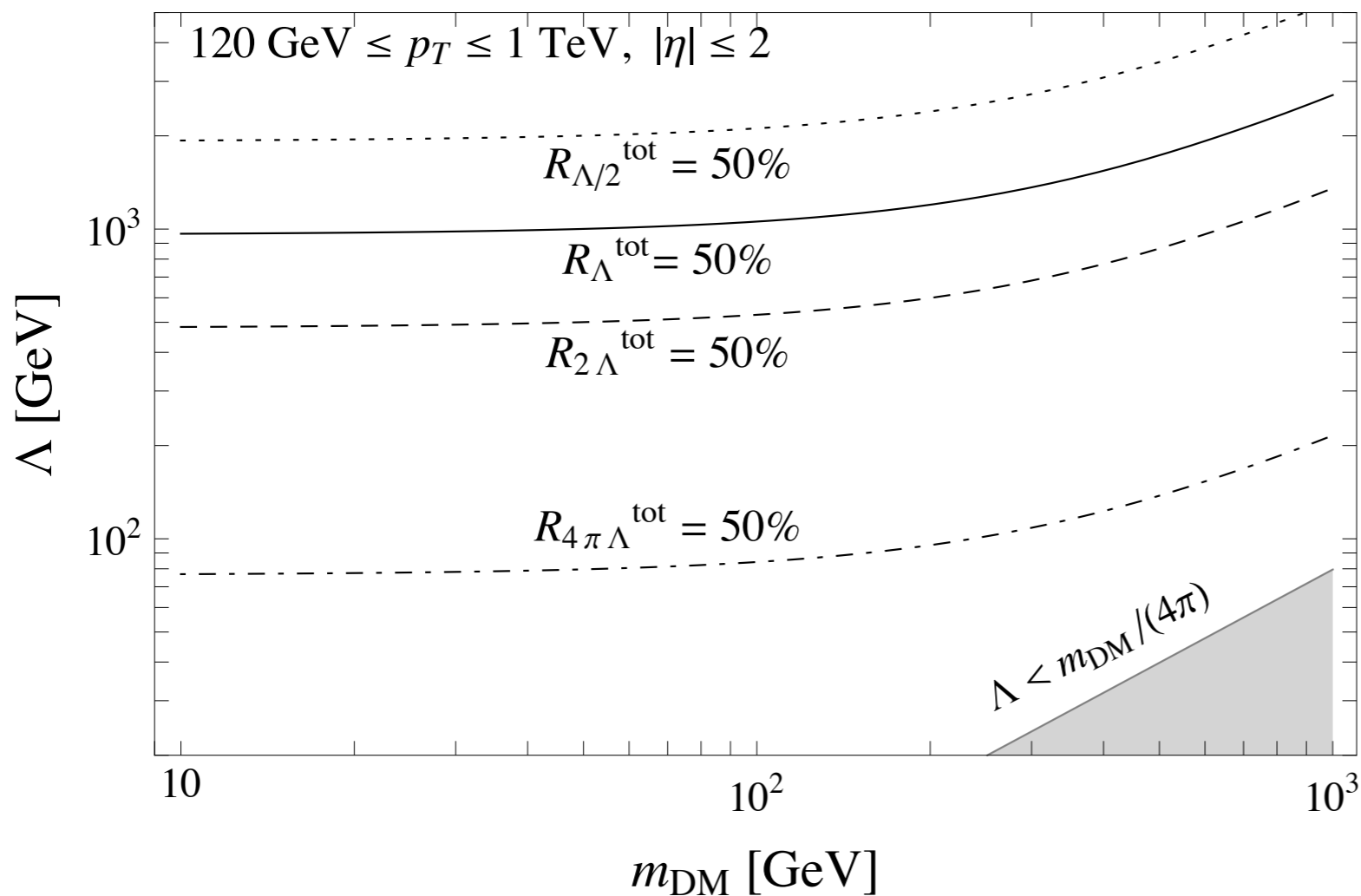
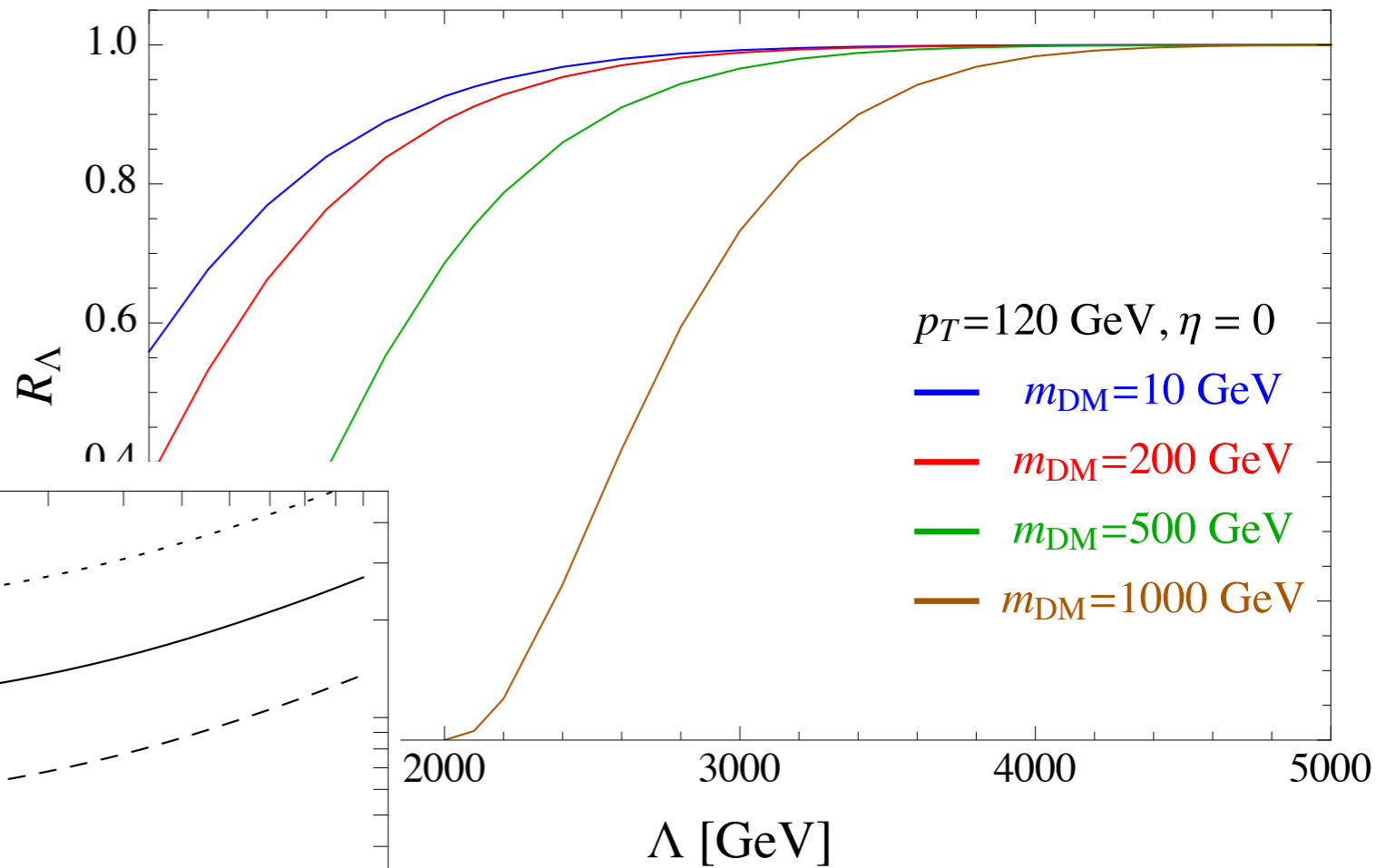
$$R_\Lambda \equiv \frac{\left. \frac{d^2 \sigma_{\text{eff}}}{dp_T d\eta} \right|_{Q_{\text{tr}} < \Lambda}}{\frac{d^2 \sigma_{\text{eff}}}{dp_T d\eta}}$$



What fraction of events have momentum transfers sufficient to probe the UV completion?

[Busoni, De Simone, Morgante, Riotto, 1307.2253, 1402.1275, 1405.3103]

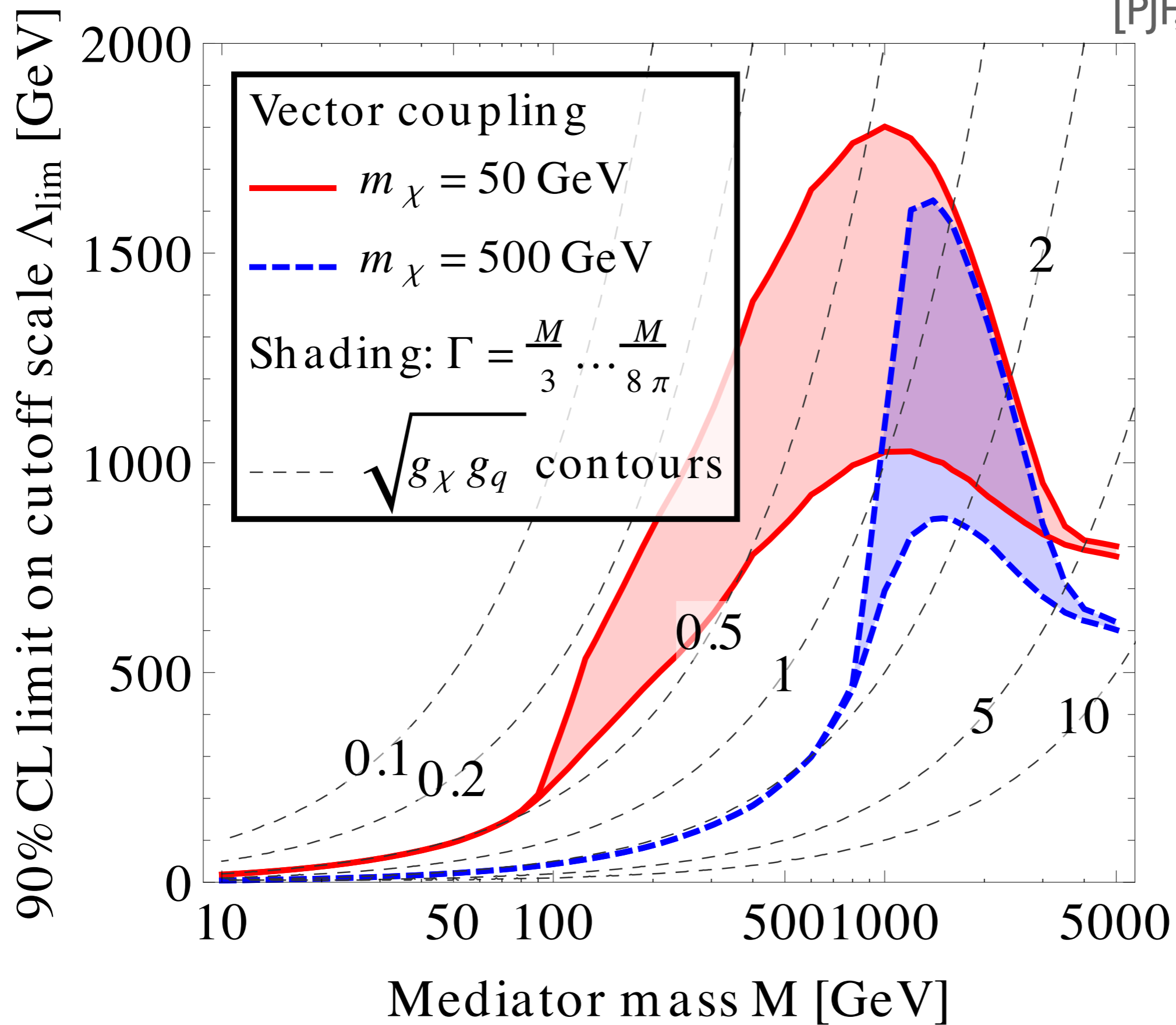
$$R_\Lambda \equiv \frac{\left. \frac{d^2 \sigma_{\text{eff}}}{dp_T d\eta} \right|_{Q_{\text{tr}} < \Lambda}}{\frac{d^2 \sigma_{\text{eff}}}{dp_T d\eta}}$$

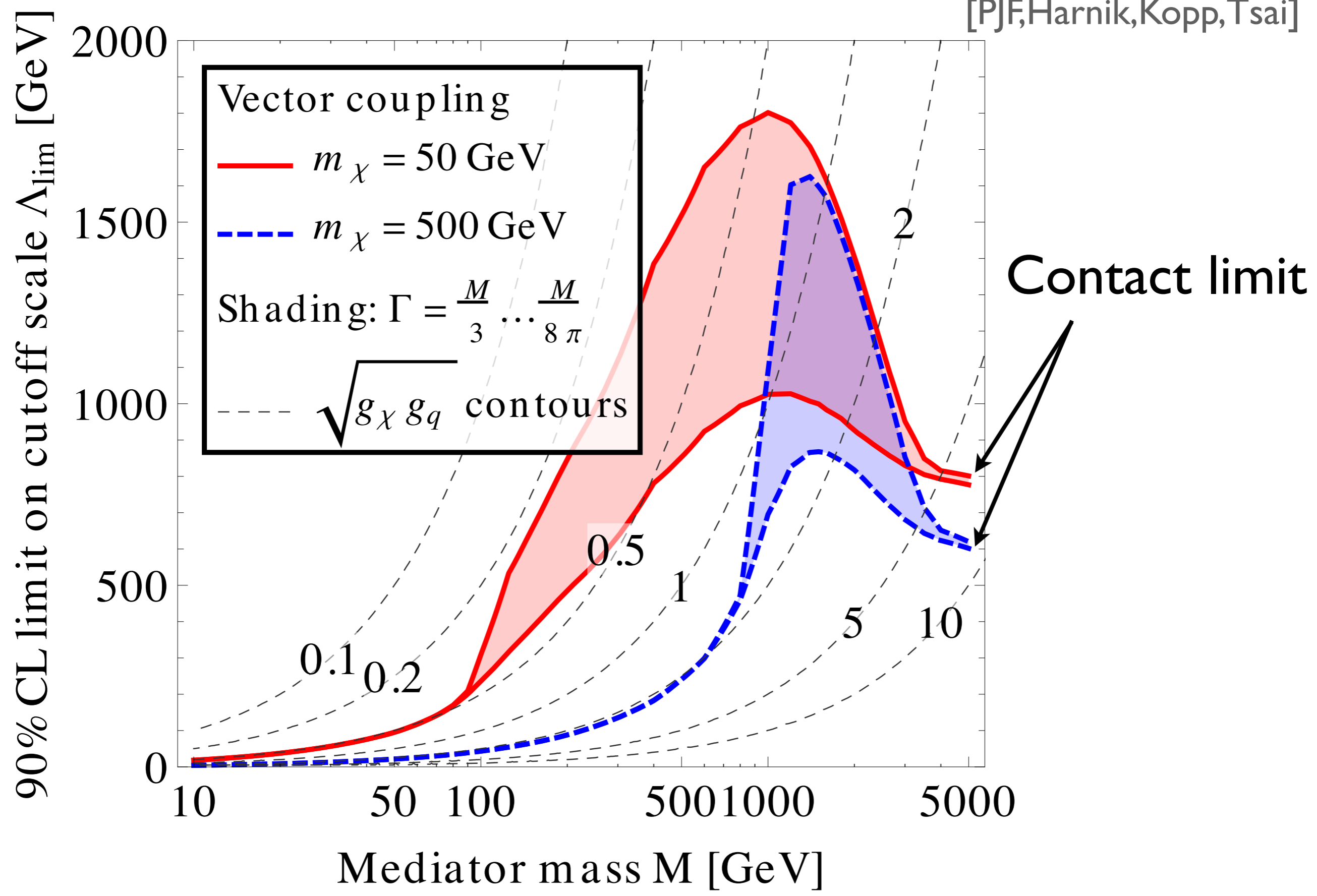


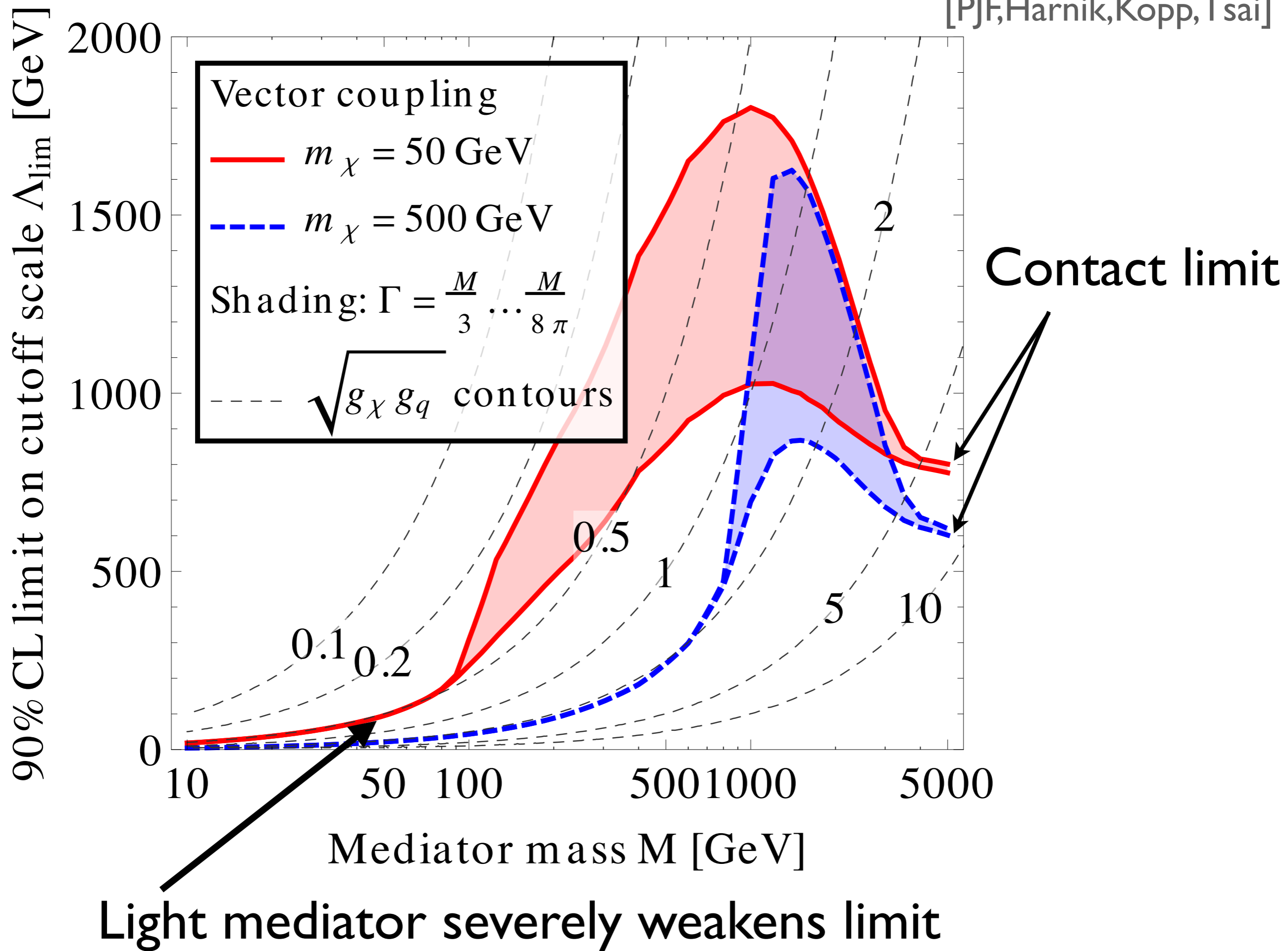
How full is the glass?

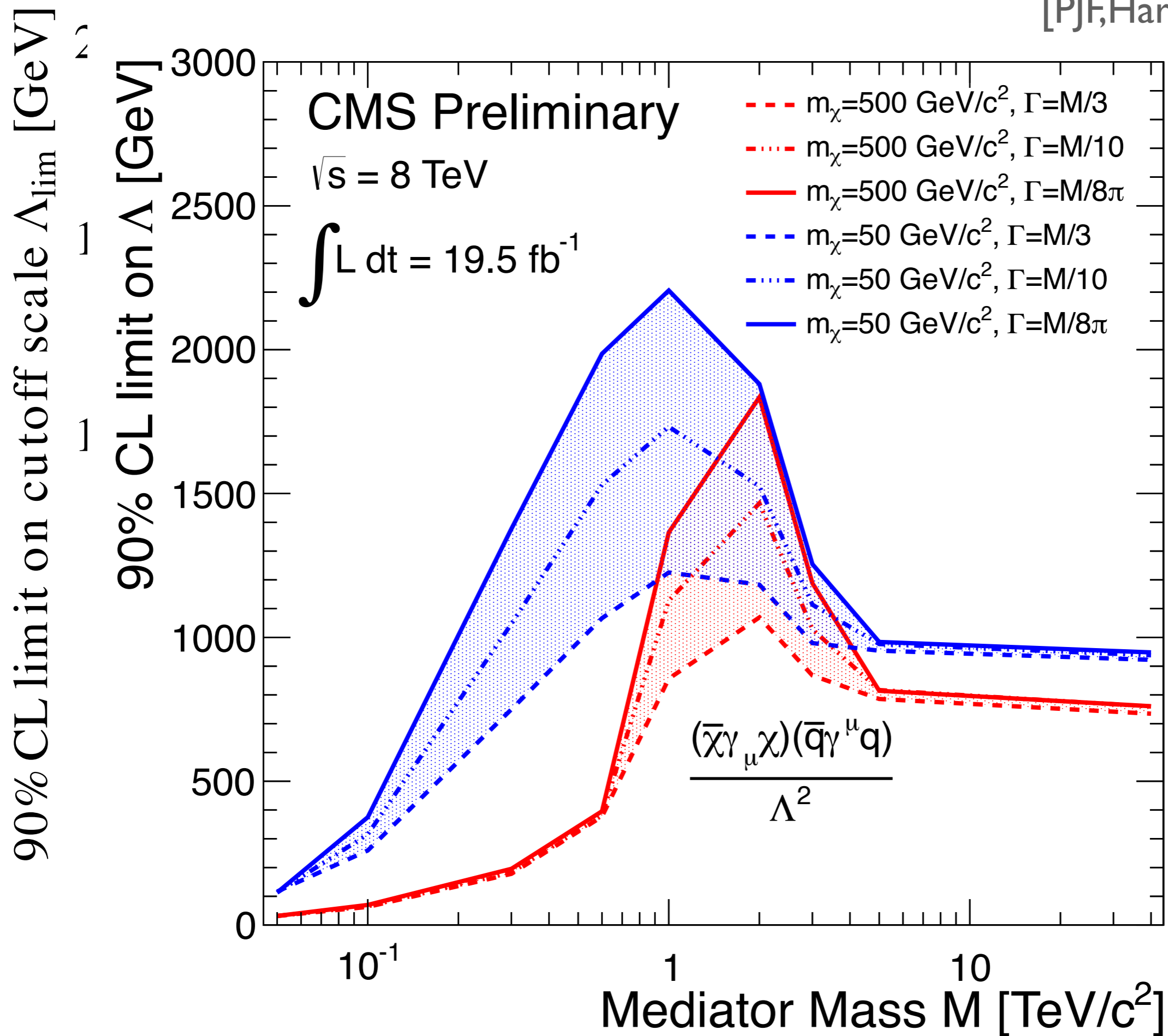
How full is the glass?





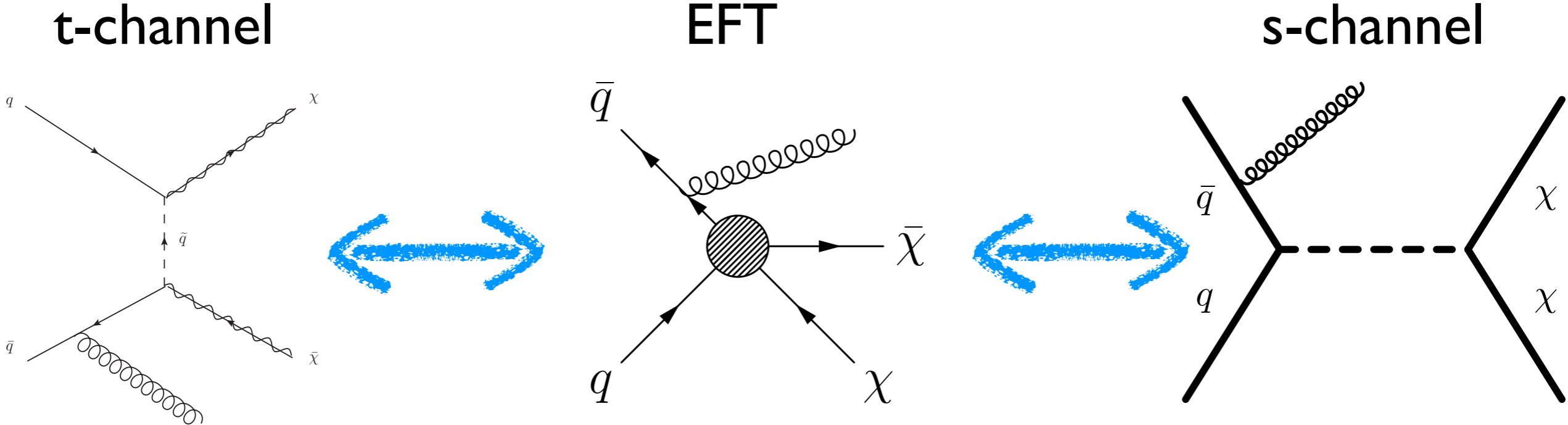






Simplified Models

“Integrate in” the mediator



$$\Lambda, m_\chi$$



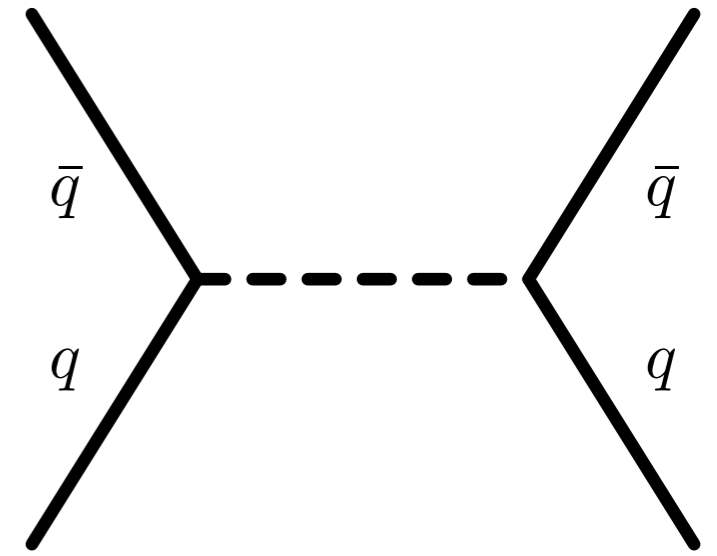
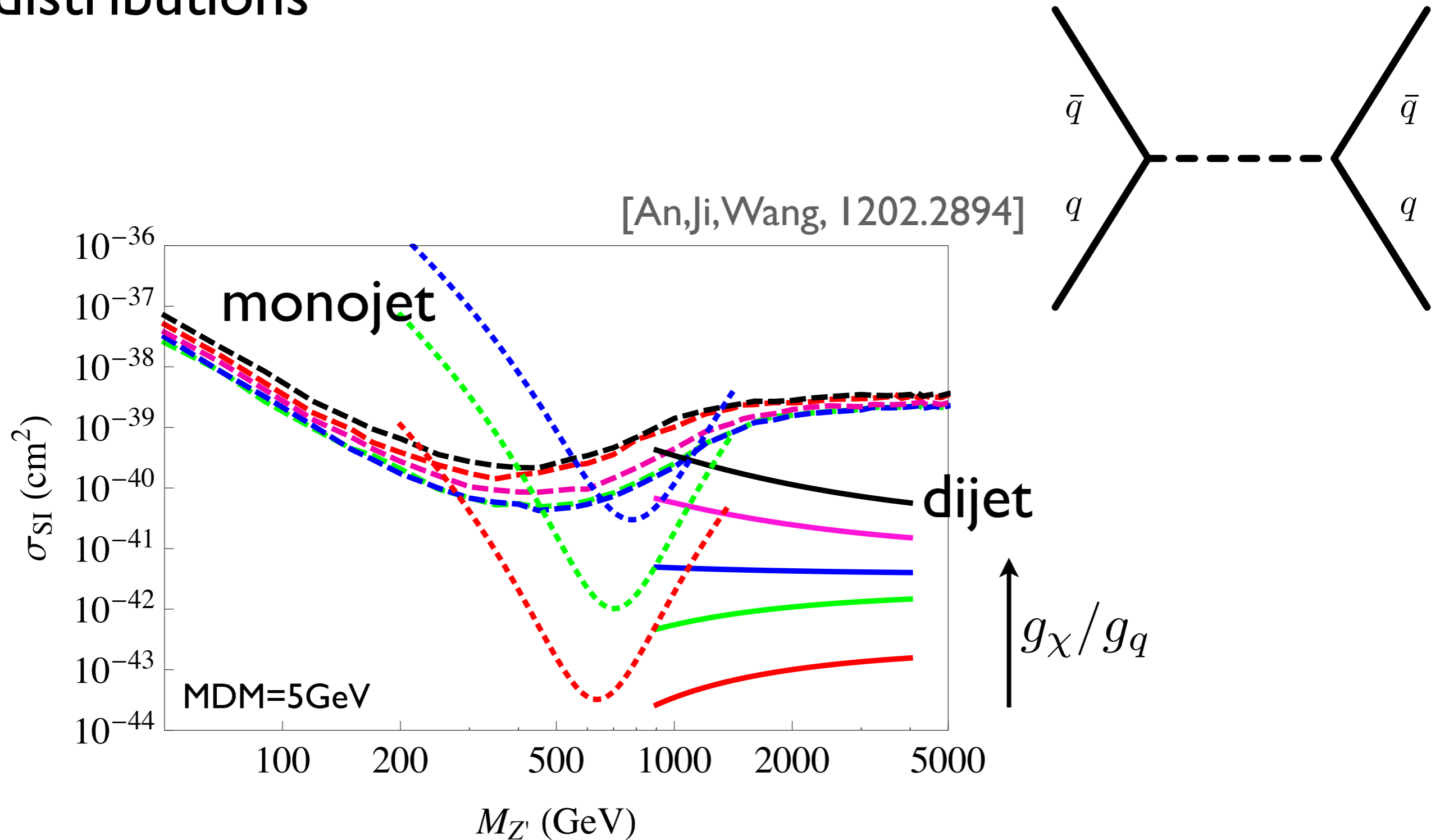
$$m_\chi, M, \Gamma, \sqrt{g_q g_\chi}$$

New channels to search for!

Light Mediators

[An, Ji, Wang: I 202.2894; March-Russell, Unwin, West: I 203.4854]

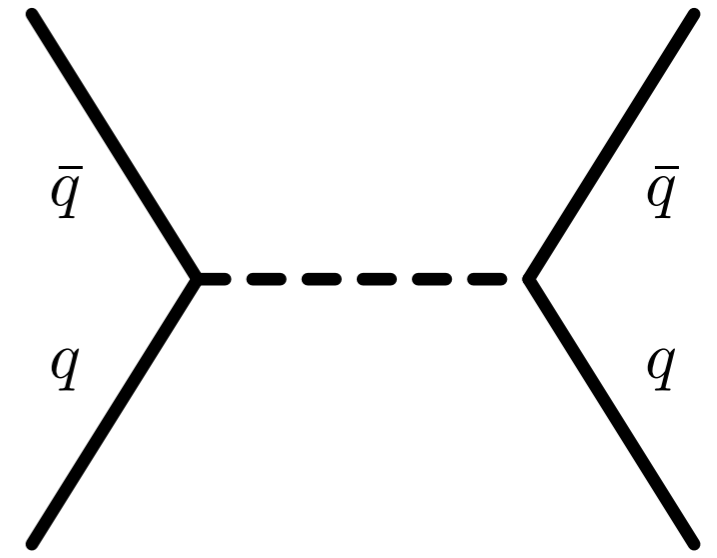
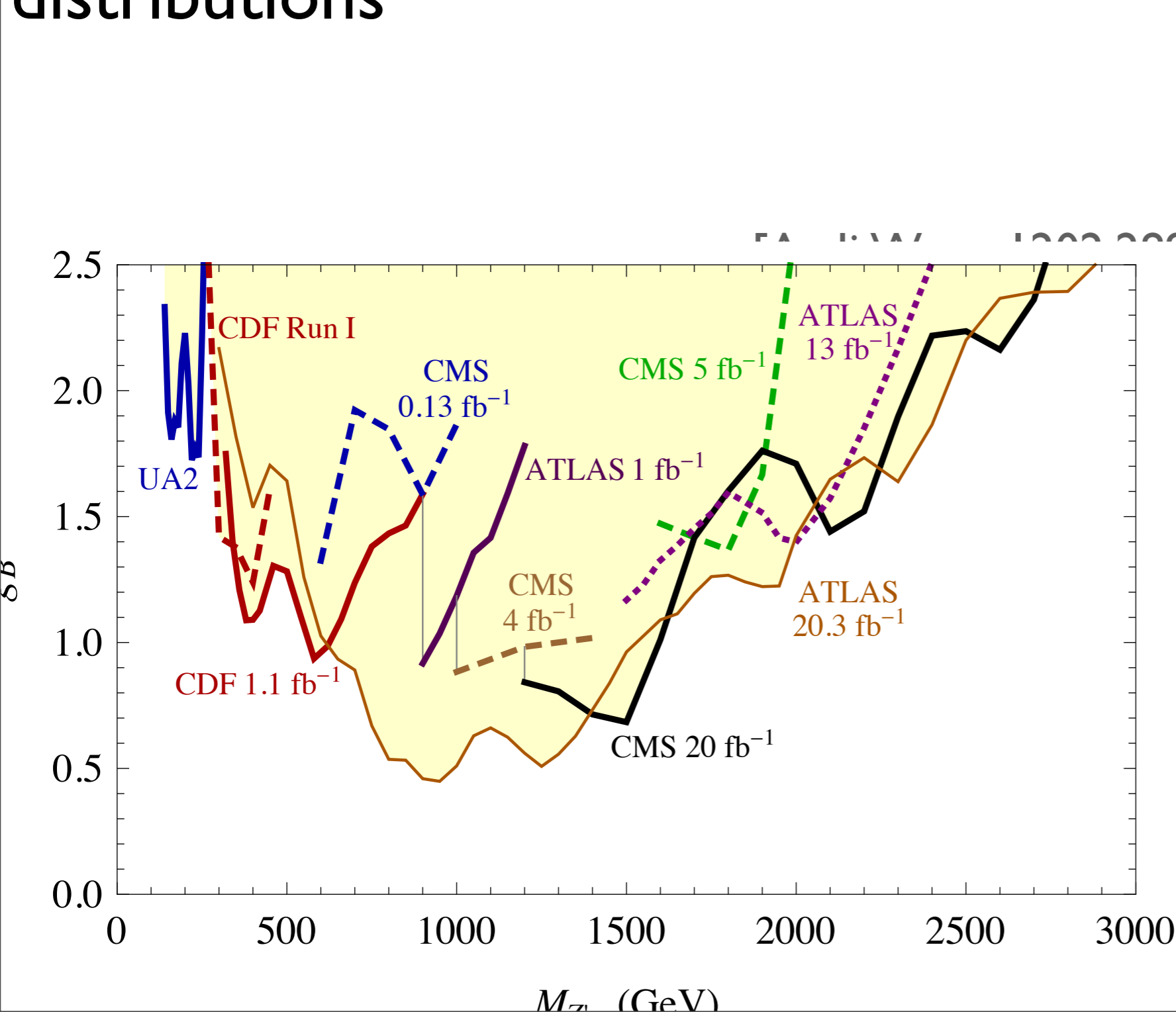
Look for the light mediator directly-dijet resonance/angular distributions



Light Mediators

[An, Ji, Wang: I 202.2894; March-Russell, Unwin, West: I 203.4854]

Look for the light mediator directly-dijet resonance/angular distributions

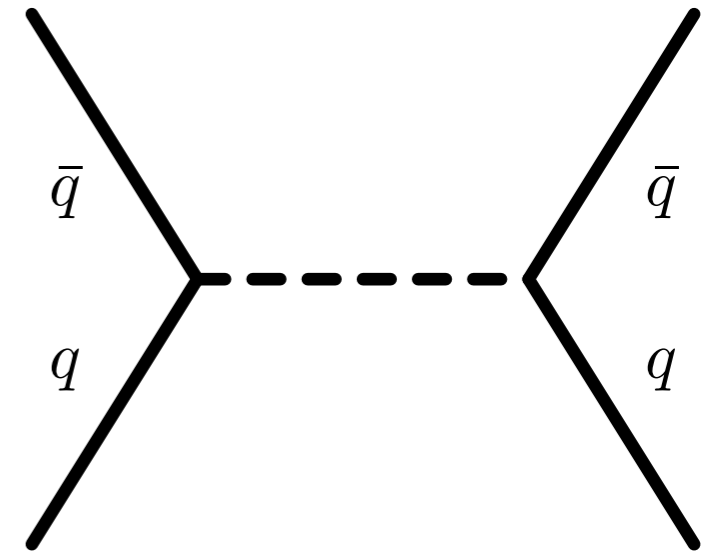
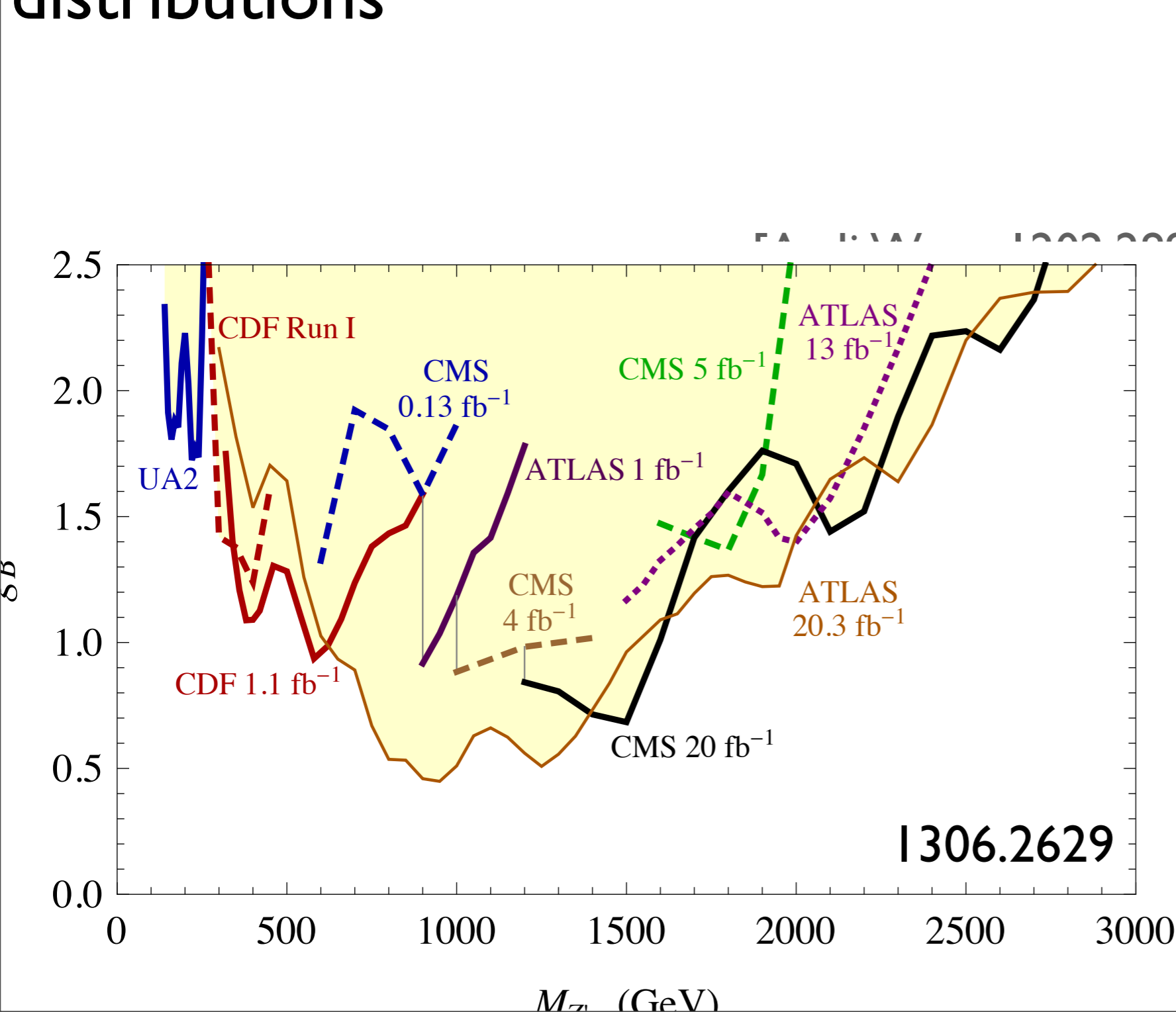


et
 \uparrow
 g_χ/g_q

Light Mediators

[An, Ji, Wang: I 202.2894; March-Russell, Unwin, West: I 203.4854]

Look for the light mediator directly-dijet resonance/angular distributions



- The Higgs exists. DM exists.
- The Higgs is a motivated candidate for mediator of DM interaction. a.k.a. the **Higgs Portal**.
- Assuming Standard Higgs production:

Limit on invisible Higgs.

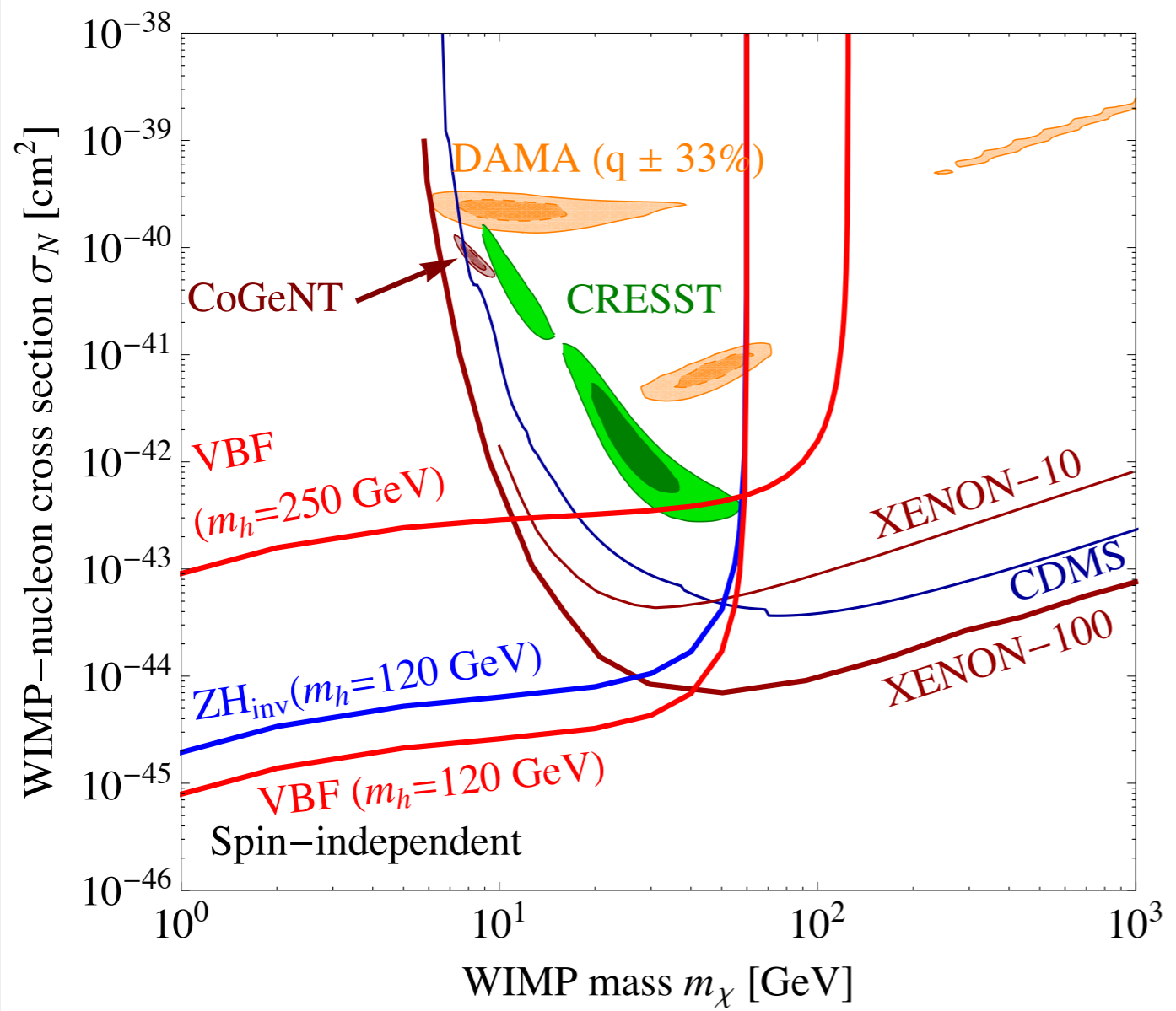


Limit on Higgs-DM coupling.



Limit on direct detection.

ATLAS 30 fb⁻¹ upper bound (projected)



or mediator of DM

:

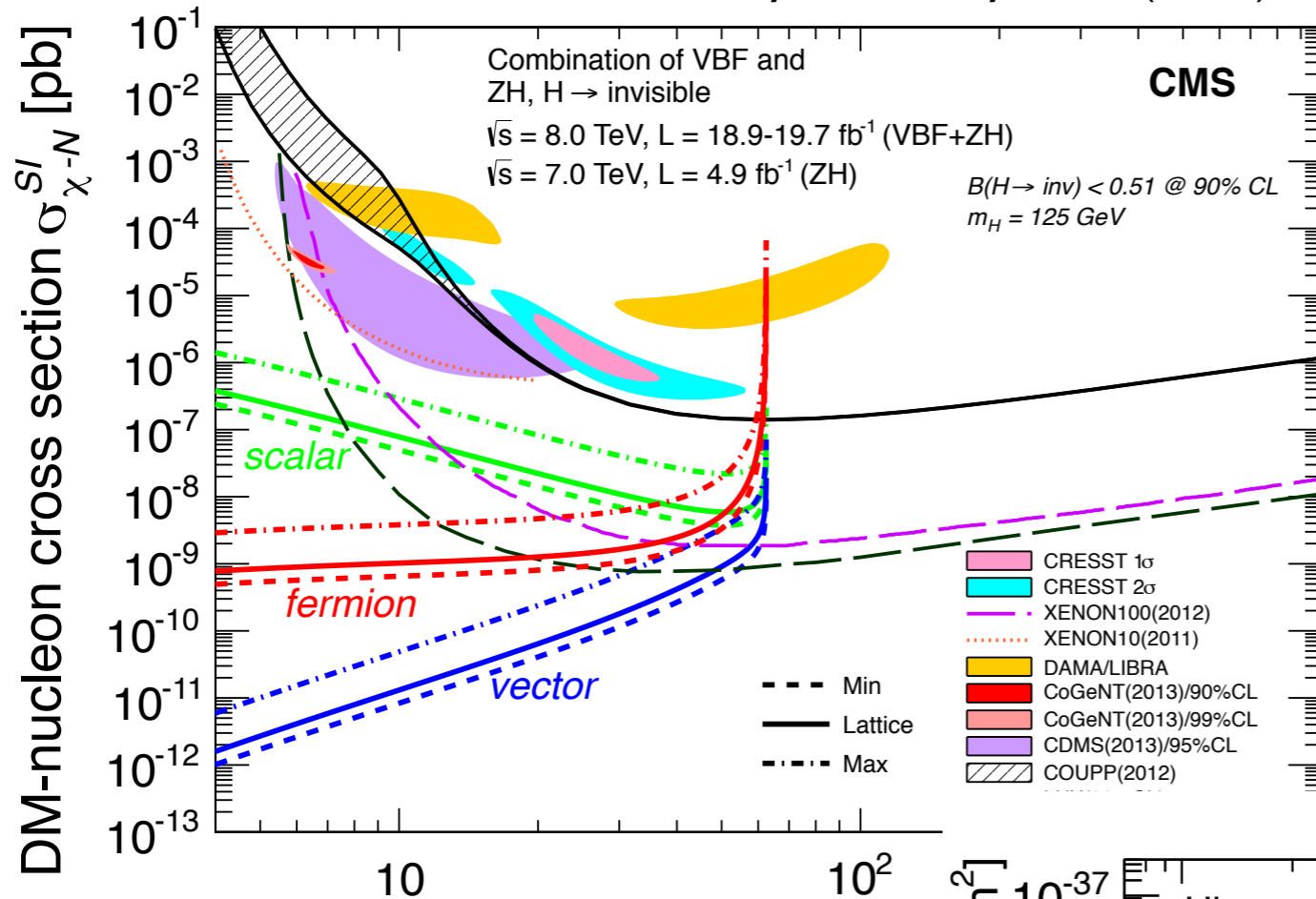
Higgs.

Limit on Higgs-DM coupling.



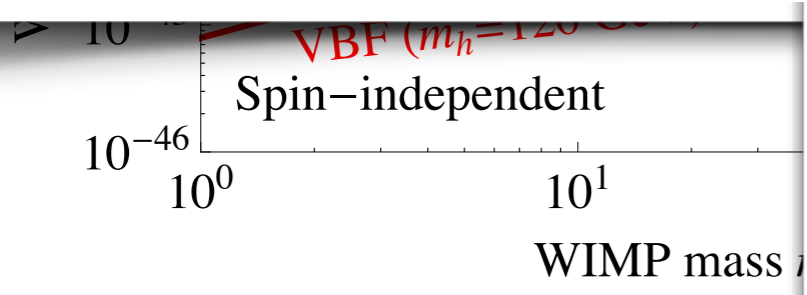
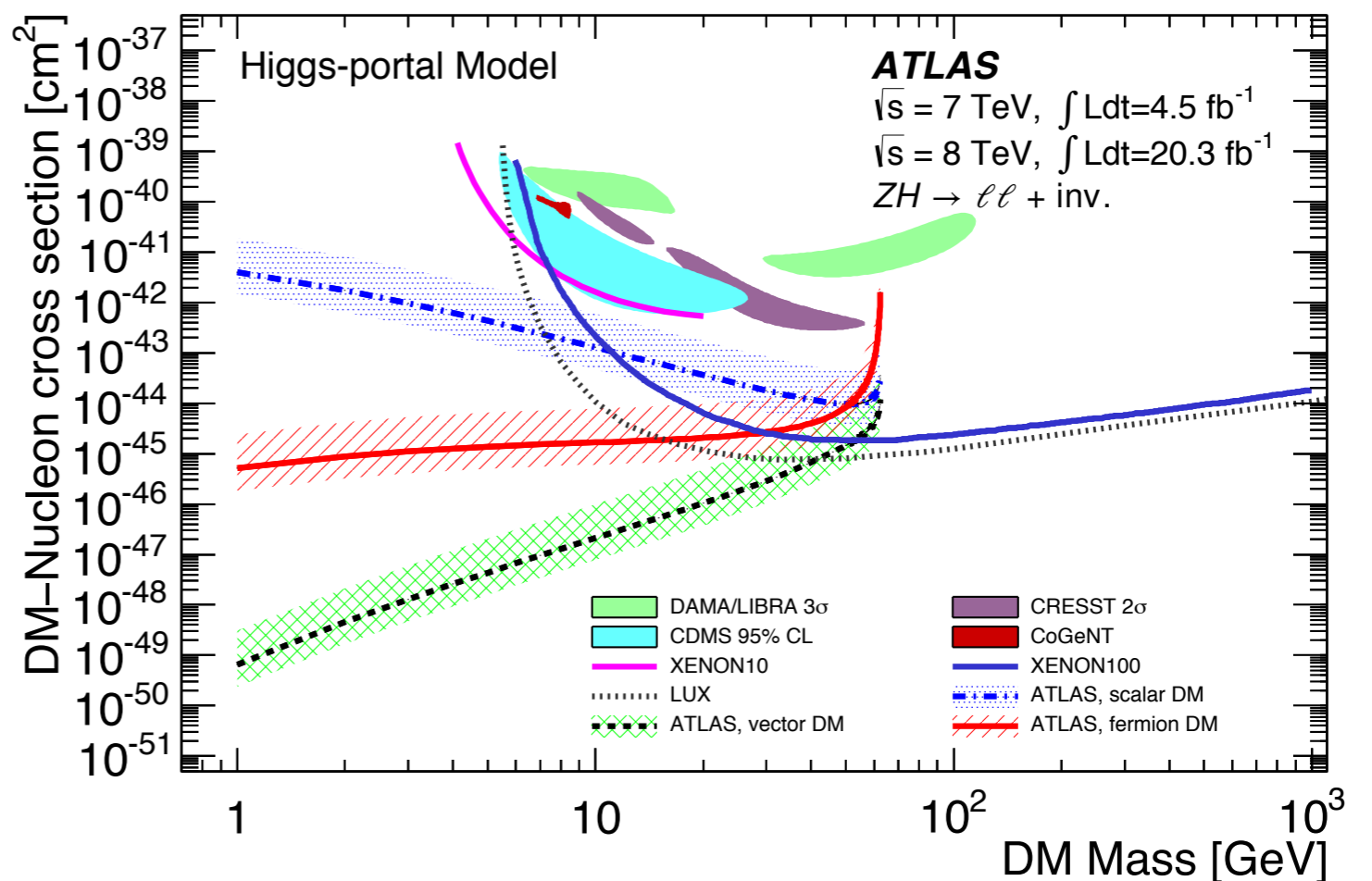
Limit on direct detection.

Invisible decay combo by CMS (2014)



r mediator of DM

PRL on invisible decay by ATLAS (2014)



Limit

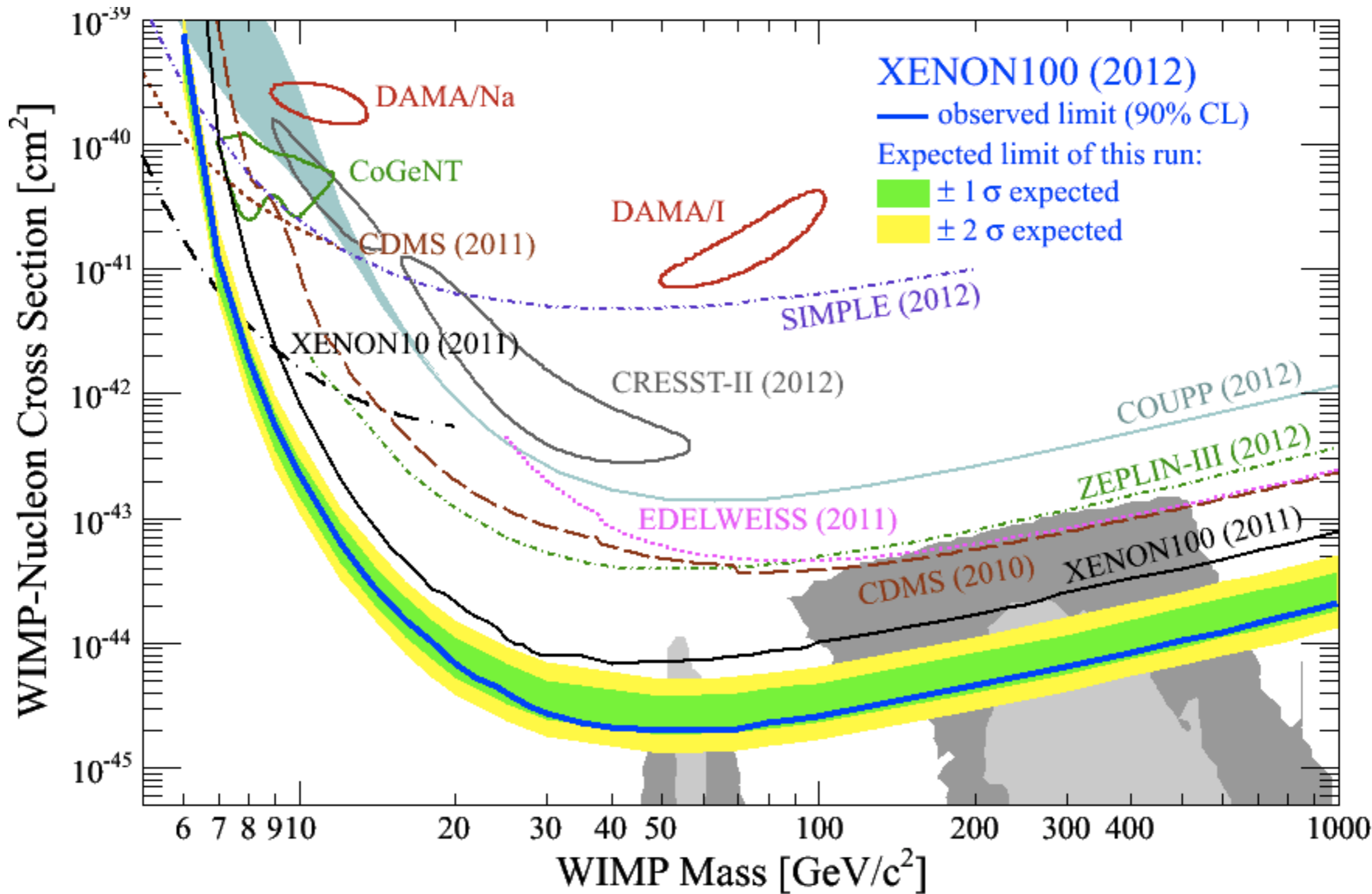
Lim

Conclusions

- Colliders can place strong constraints on dark matter
- Competitive with direct detection searches
 - Light DM
 - Spin dependent
 - *Independent of all astrophysics uncertainties*
- Light mediators alter collider bounds, more parameters
- Simplified models provide a good framework
- Beware of model dependence
- Correlated searches (mono-X, jets+MET, dijets,...)

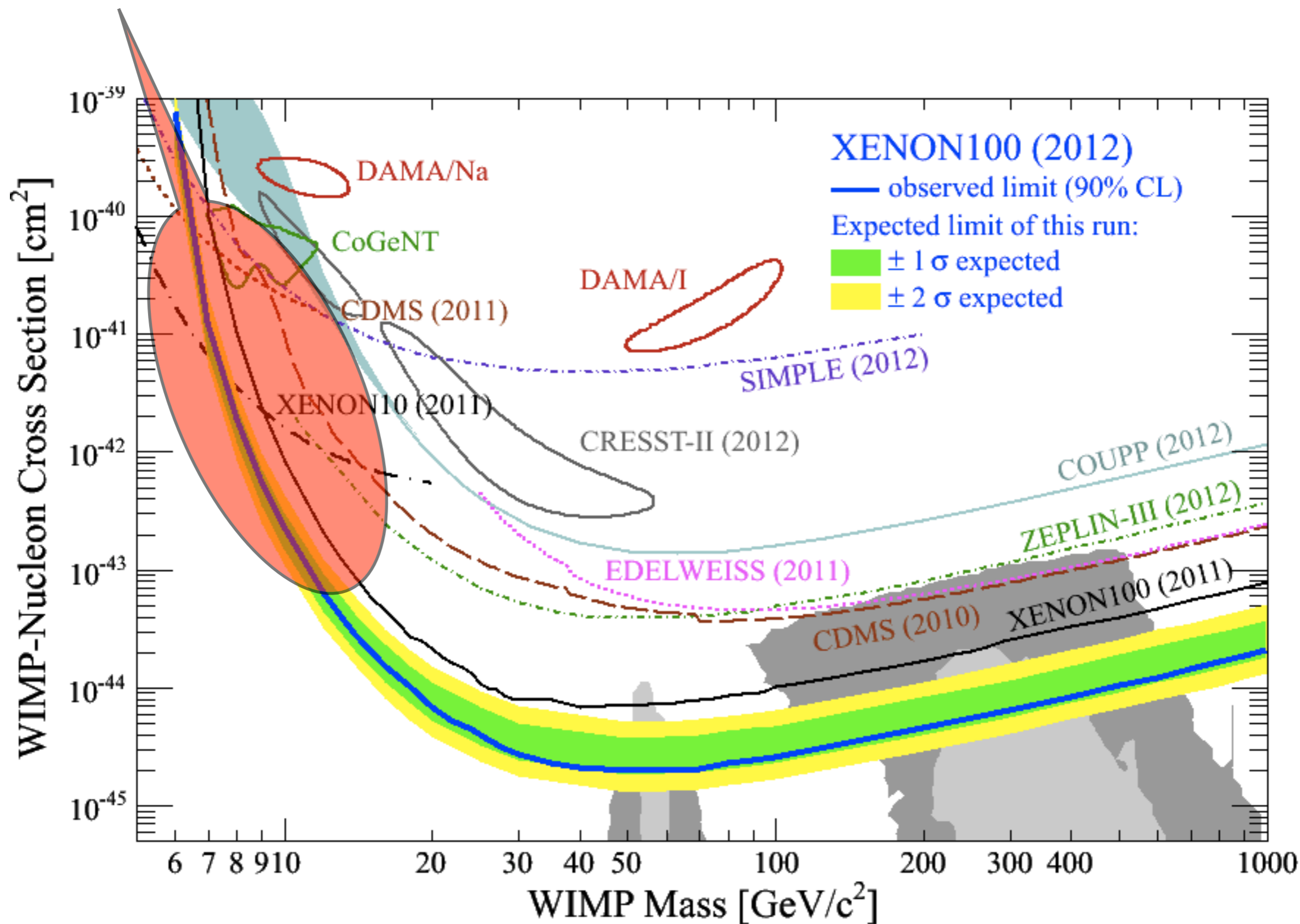
Lots of work to do!

Extra Slides



(Assume local abundance is 0.3 GeV/cm³)

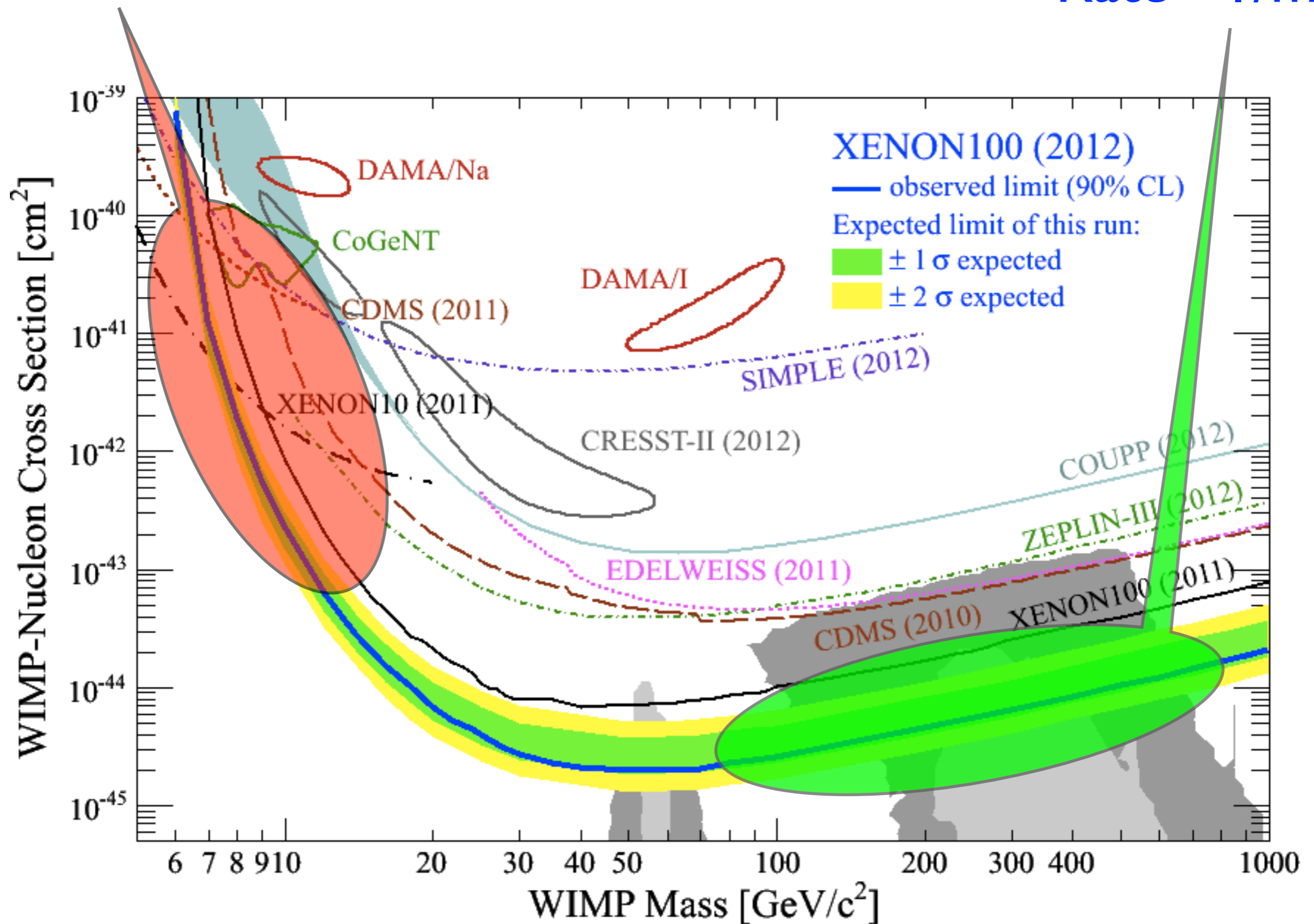
Threshold cuts off



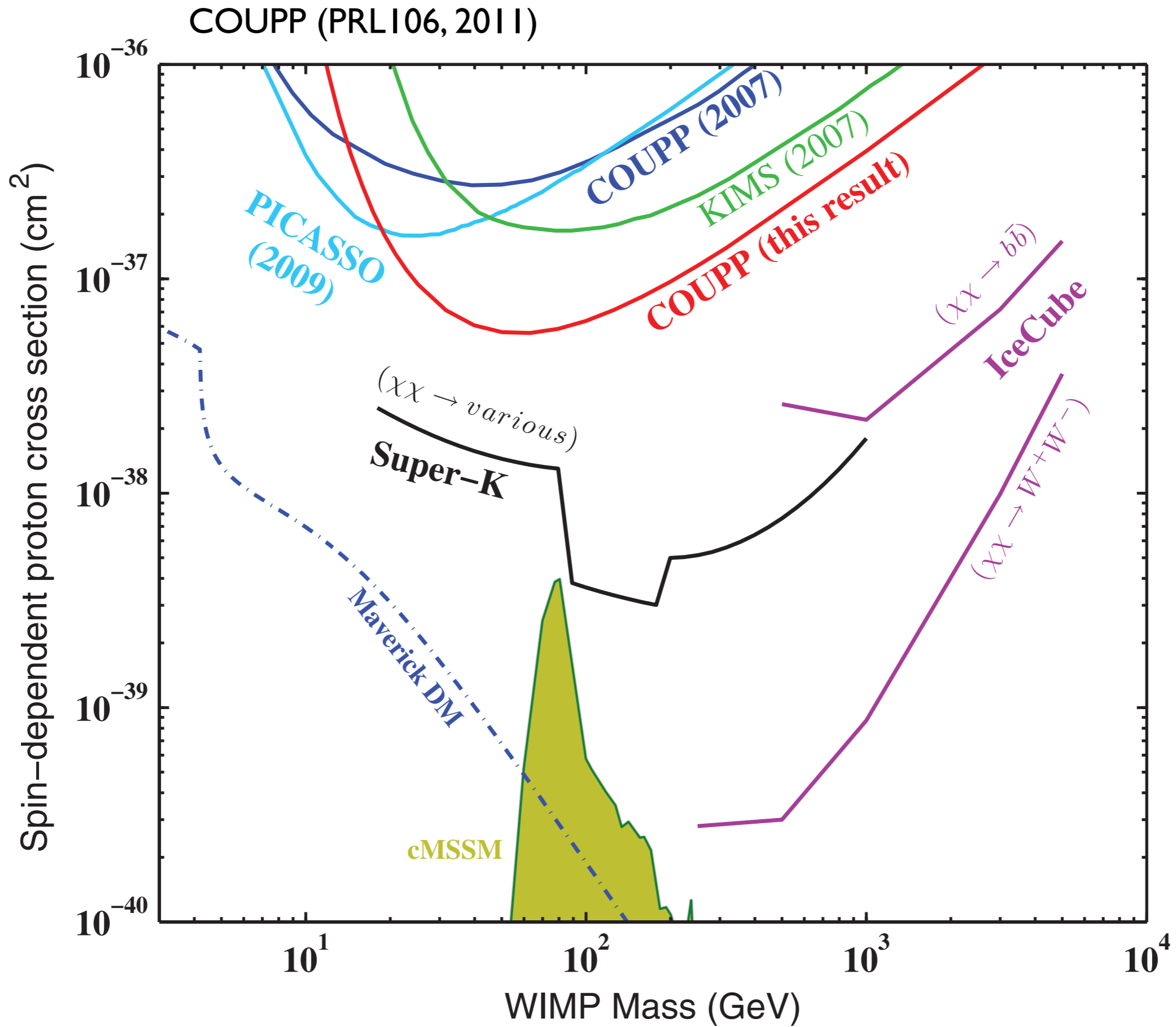
(Assume local abundance is 0.3 GeV/cm³)

Threshold cuts off

Rate $\sim 1/m$



(Assume local abundance is $0.3 \text{ GeV}/\text{cm}^3$)



What next?

“Mono” searches: $\Delta\phi(j_1, j_2) < 2.5$ $N_{jet} \leq 2$

LHC is a jets “factory”, can we do better?

Steal from SUSY jets+MET analyses

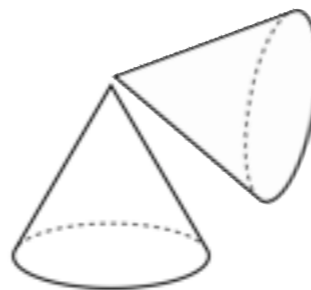
$$M_R = \sqrt{(E_{j_1} + E_{j_2})^2 - (p_z^{j_1} + p_z^{j_2})^2}$$

$$M_R^T = \sqrt{\frac{\cancel{E}_T(p_T^{j_1} + p_T^{j_2}) - \vec{\cancel{E}}_T \cdot (\vec{p}_T^{j_1} + \vec{p}_T^{j_2})}{2}}$$

$$R = \frac{M_R^T}{M_R}$$



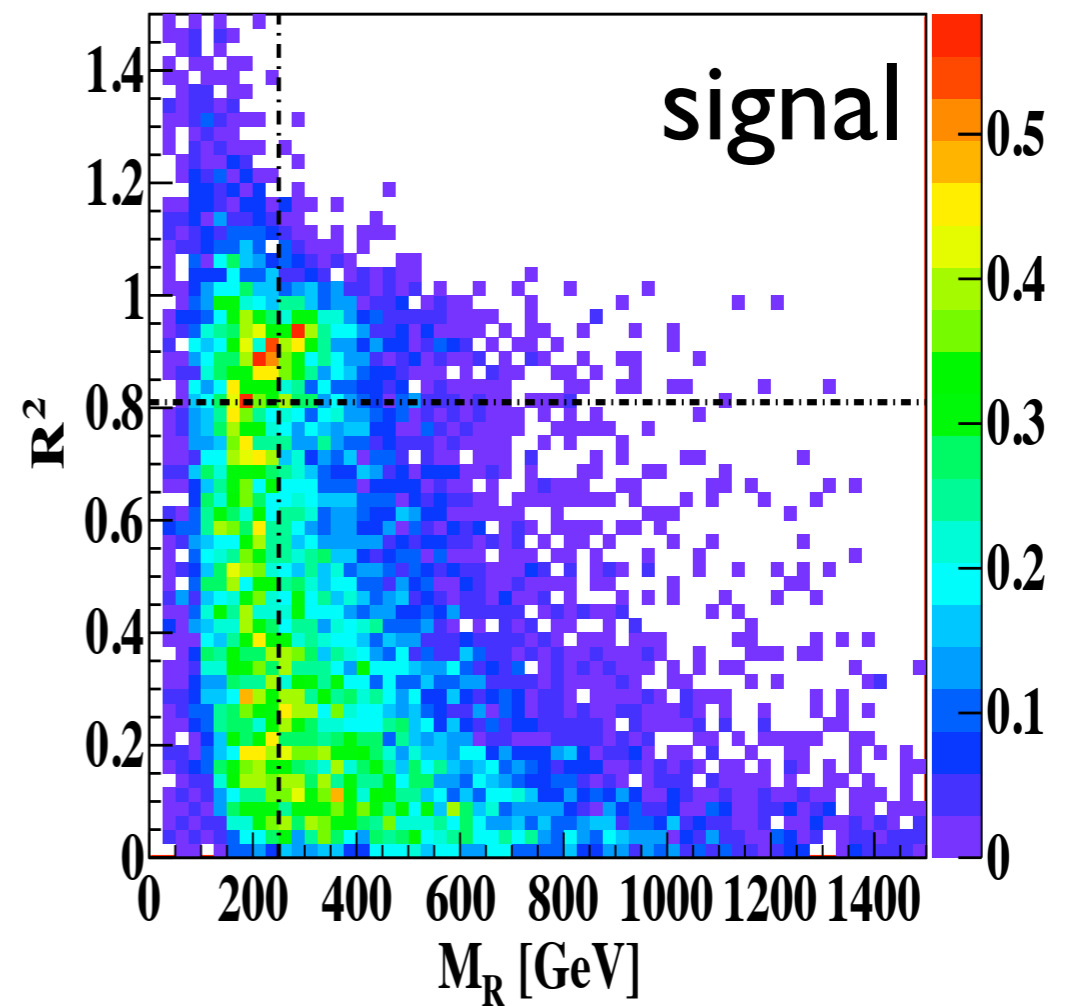
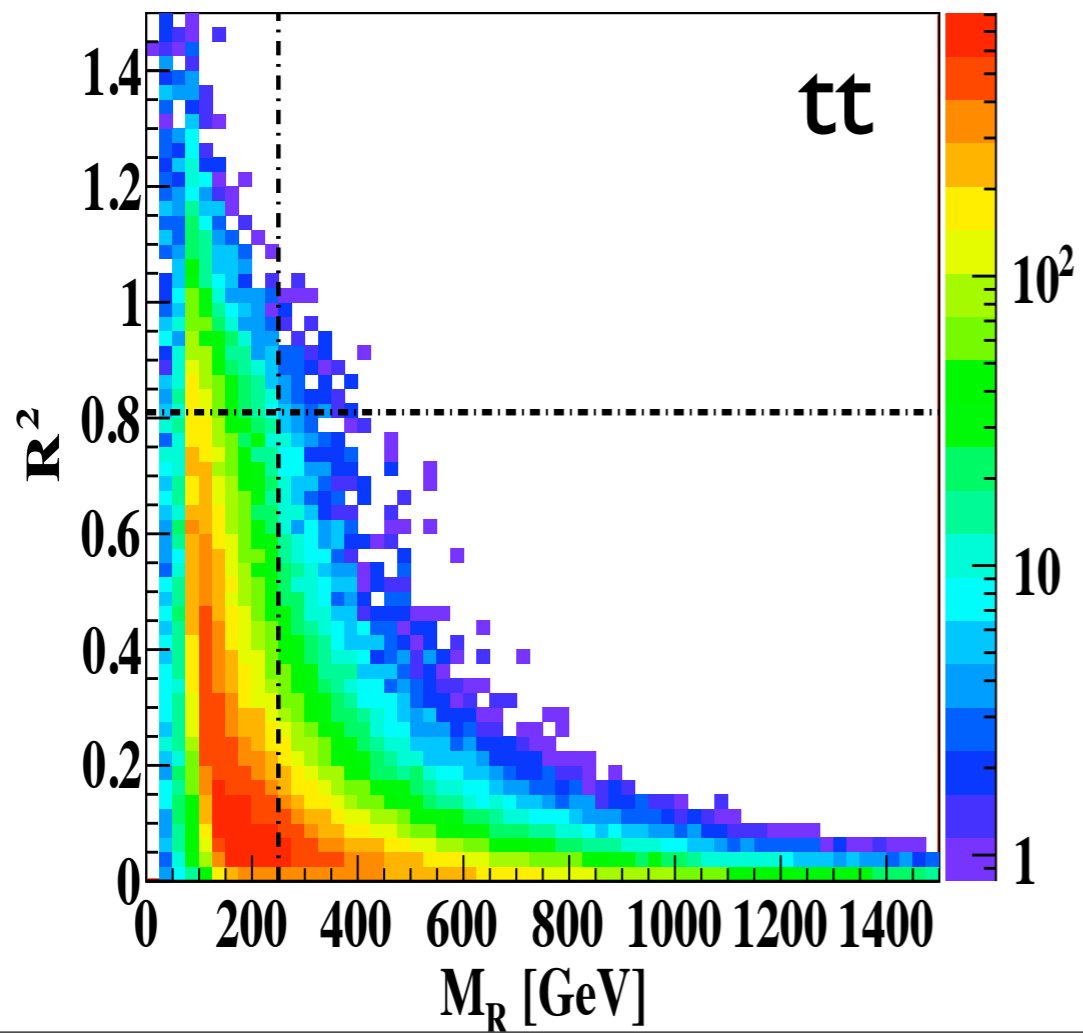
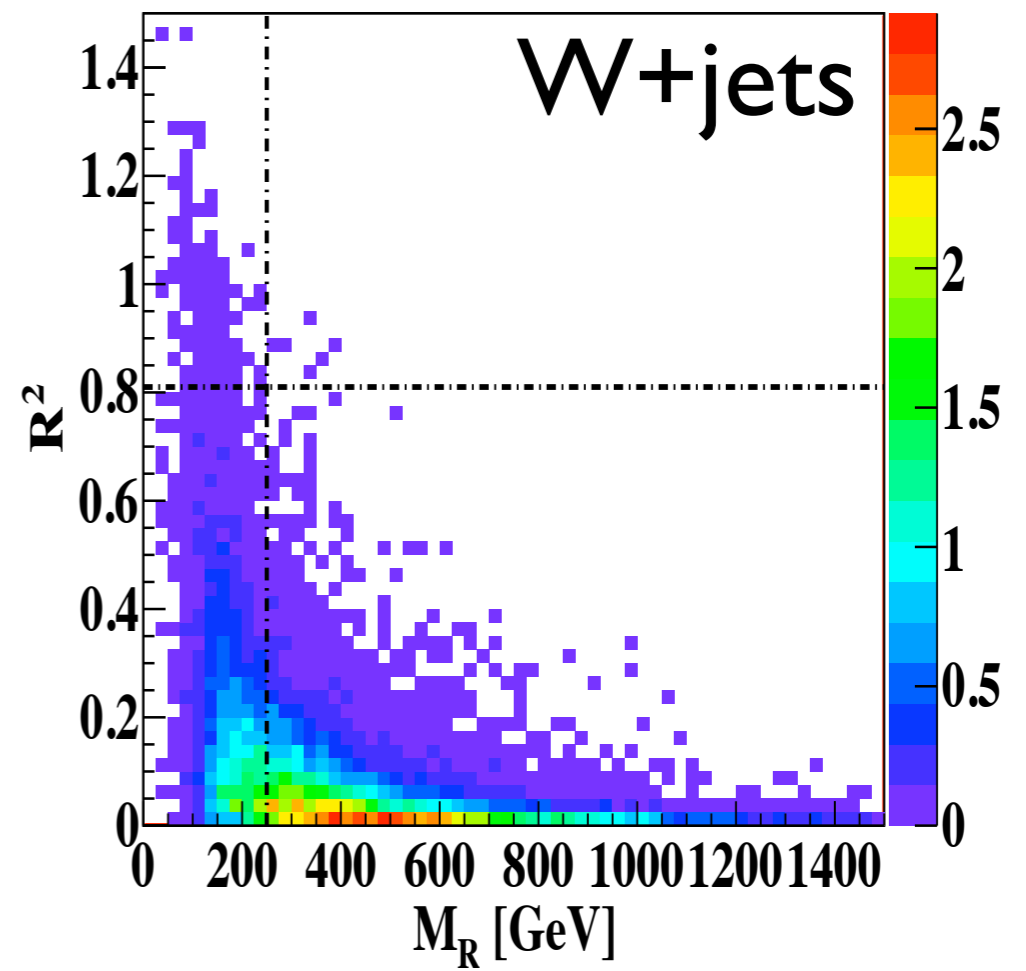
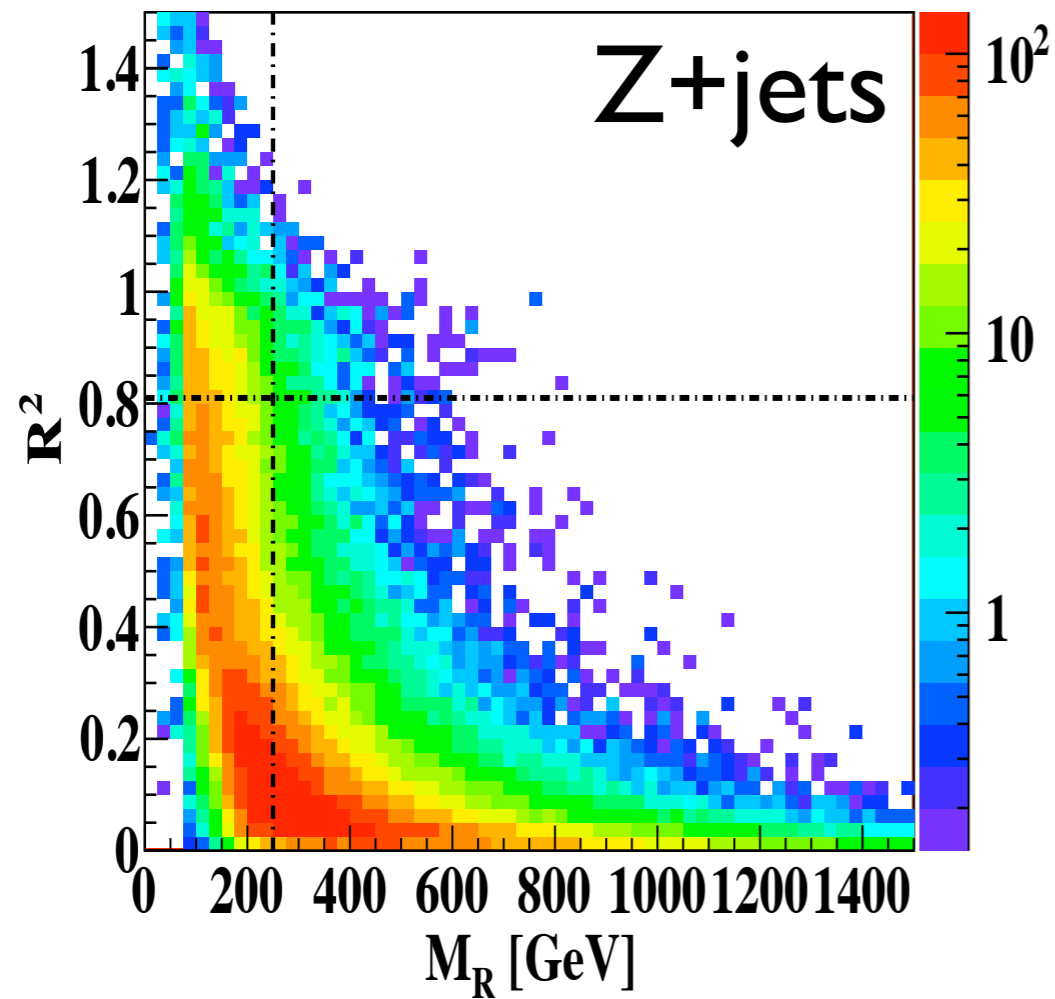
Small R



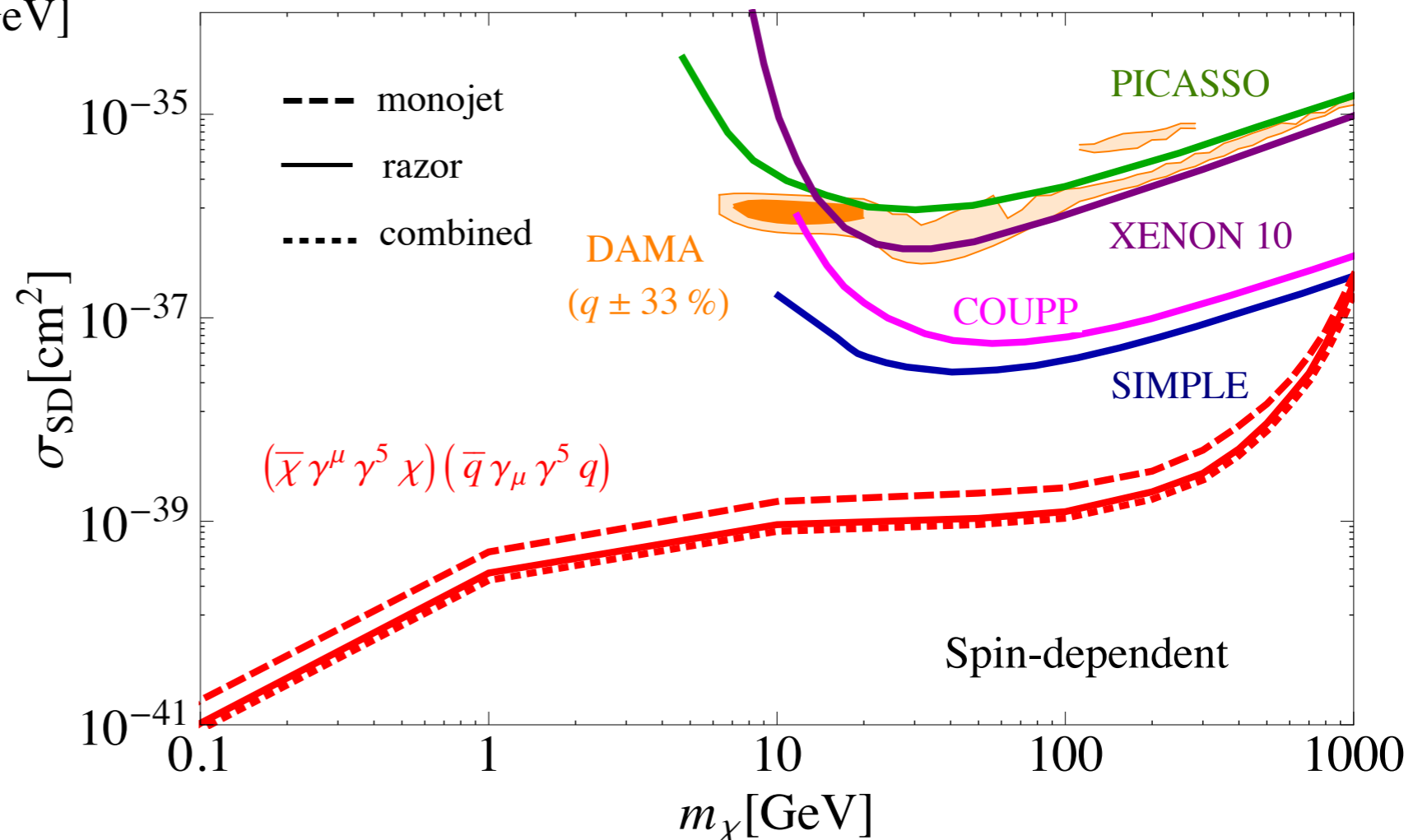
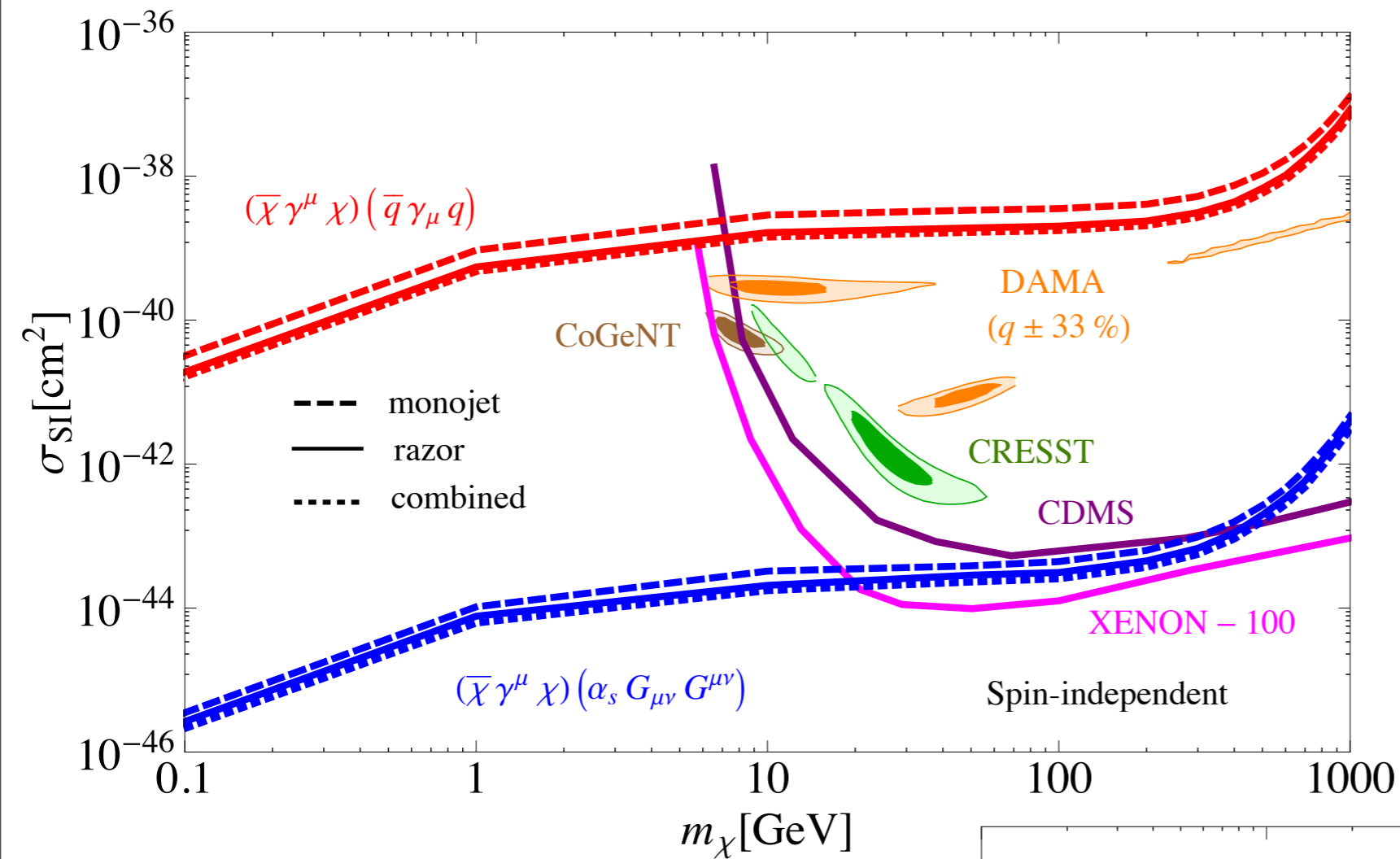
Large R



[Rogan 1006.2727]



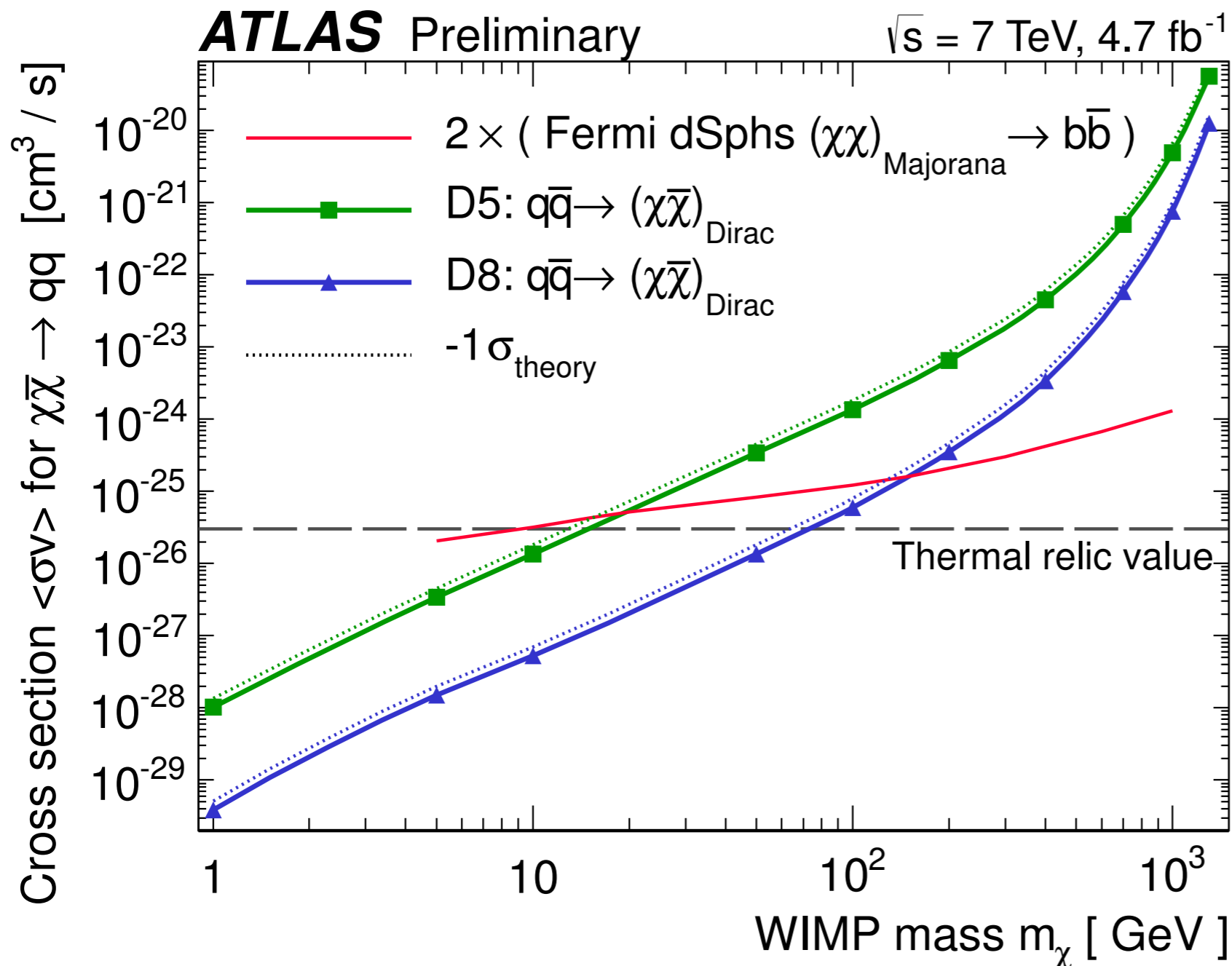
[PJF, Harnik, Primulando,
Yu, 1203.1662]



DM annihilation

$$\sigma_V v_{\text{rel}} = \frac{1}{16\pi\Lambda^4} \sum_q \sqrt{1 - \frac{m_q^2}{m_\chi^2}} \left(24(2m_\chi^2 + m_q^2) + \frac{8m_\chi^4 - 4m_\chi^2 m_q^2 + 5m_q^4}{m_\chi^2 - m_q^2} v_{\text{rel}}^2 \right),$$

$$\sigma_A v_{\text{rel}} = \frac{1}{16\pi\Lambda^4} \sum_q \sqrt{1 - \frac{m_q^2}{m_\chi^2}} \left(24m_q^2 + \frac{8m_\chi^4 - 22m_\chi^2 m_q^2 + 17m_q^4}{m_\chi^2 - m_q^2} v_{\text{rel}}^2 \right).$$



$$D8 = \bar{\chi} \gamma^\mu \gamma_5 \chi \bar{q} \gamma^\mu \gamma_5 q$$

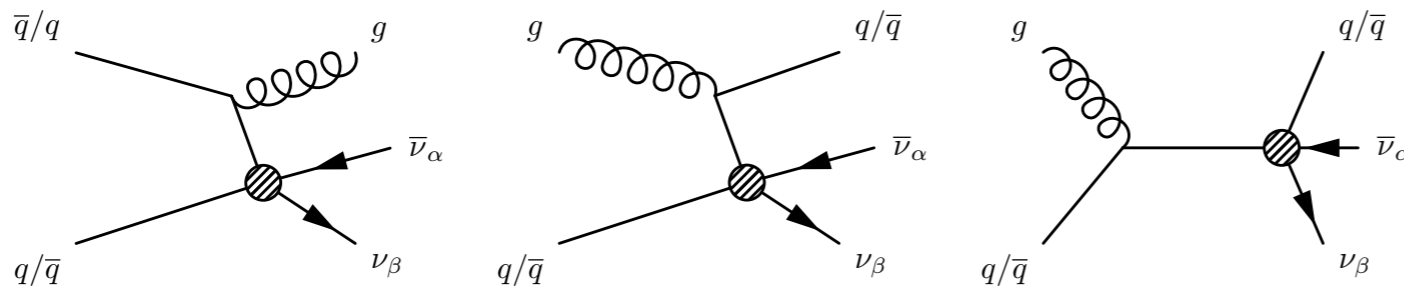
$$D5 = \bar{\chi} \gamma^\mu \chi \bar{q} \gamma^\mu q$$

Monojets and other invisibles

[Friedland et al.,
1111.5331]

Nonstandard neutrino interactions

$$\mathcal{L}_{\text{NSI}} = -2\sqrt{2} G_F \varepsilon_{\alpha\beta}^{fP} (\bar{\nu}_\alpha \gamma_\rho \nu_\beta) (\bar{f} \gamma^\rho P f)$$



	CDF		ATLAS [31]		
	GSNP [32]	ADD [4, 5]	LowPt	HighPt	veryHighPt
$\varepsilon_{\alpha\beta=\alpha}^{uP}$	0.45	0.51	0.40	0.19	0.17
$\varepsilon_{\alpha\beta=\alpha}^{dP}$	1.12	1.43	0.54	0.28	0.26
$\varepsilon_{\alpha\beta\neq\alpha}^{uP}$	0.32	0.36	0.28	0.13	0.12
$\varepsilon_{\alpha\beta\neq\alpha}^{dP}$	0.79	1.00	0.38	0.20	0.18