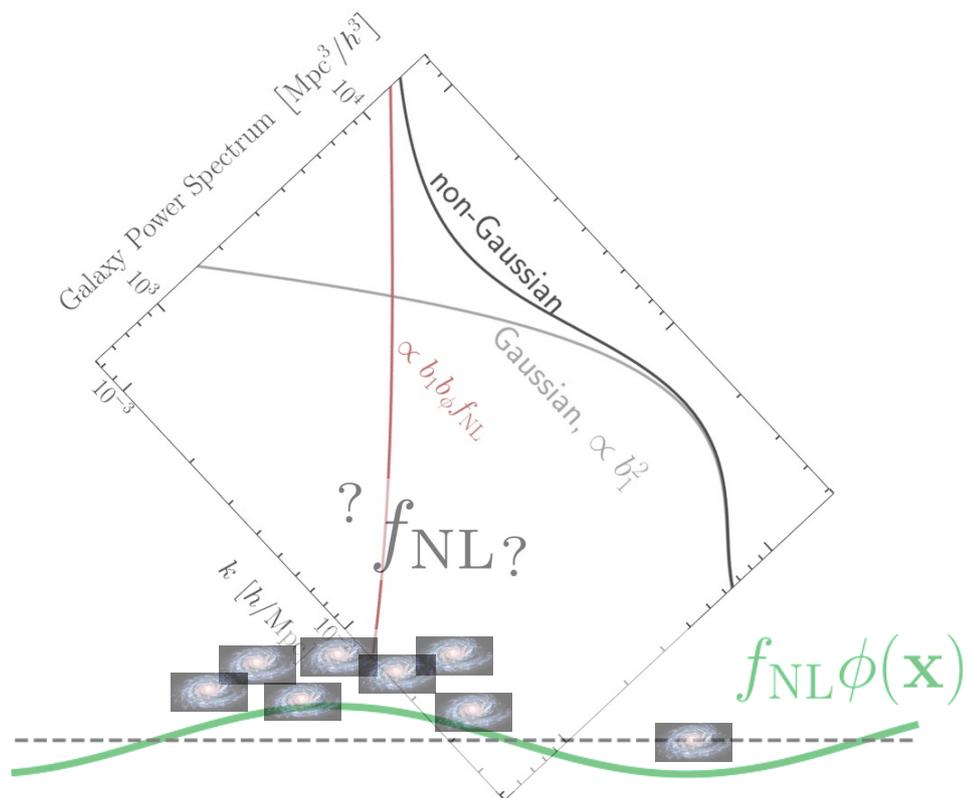


# Can we actually constrain $f_{\text{NL}}$ using the scale-dependent bias effect?

**Alex Barreira**

**ORIGINS Fellow  
LMU - Munich**



**Based on:**

arXiv:2009.06622, arXiv:2107.06887, arXiv:2112.03253, arXiv:2205.05673, arXiv:2209.07251

**In collaboration with:**

Giovanni Cabass, Vincent Desjacques, Titouan Lazeyras, Dylan Nelson, Annalisa Pillepich, Fabian Schmidt

Can we actually constrain  $f_{\text{NL}}$  using the scale-dependent bias effect?

Yes,

but

only if we understand galaxy formation a lot better than we currently do!

# Galaxy bias and **local-type PNG**

**Local PNG leaves a distinct scale-dependent signature on the large-scale galaxy power spectrum.**

(Dalal+ 2007)

# Galaxy bias and **local-type PNG**

**Local PNG leaves a distinct scale-dependent signature on the large-scale galaxy power spectrum.**

(Dalal+ 2007)

$$\delta_g(\boldsymbol{x}, z) \supset b_1(z) \delta_m(\boldsymbol{x}, z) + b_\phi(z) f_{\text{NL}} \phi(\boldsymbol{x})$$

Density contrast

Primordial potential

Slozar+(2008), McDonald(2008), Giannantonio&Porciani(2010), Baldauf+(2011), Assasi+(2015)

# Galaxy bias and local-type PNG

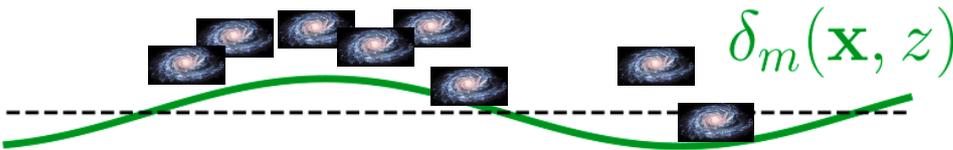
Local PNG leaves a distinct scale-dependent signature on the large-scale galaxy power spectrum.

(Dalal+ 2007)

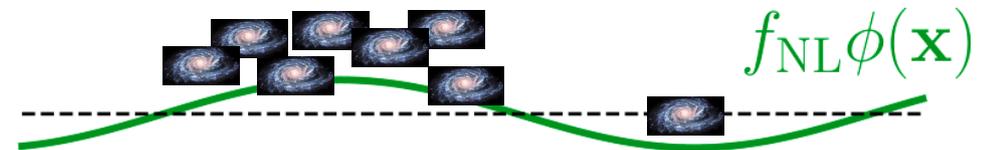
$$\delta_g(\mathbf{x}, z) \supset b_1(z) \delta_m(\mathbf{x}, z) + b_\phi(z) f_{\text{NL}} \phi(\mathbf{x})$$

Slozar+(2008), McDonald(2008), Giannantonio&Porciani(2010), Baldauf+(2011), Assassi+(2015)

How many more galaxies form inside large-scale total mass perturbations?



How many more galaxies form inside large-scale primordial grav. potentials?



- The bias parameters are physical (not nuisance) parameters describing the galaxy-environment connection on large-scales (Desjacques, Jeong & Schmidt 2016).

# Galaxy bias and local-type PNG

Local PNG leaves a distinct scale-dependent signature on the large-scale galaxy power spectrum.

(Dalal+ 2007)

$$\delta_g(\mathbf{x}, z) \supset \underbrace{b_1(z) \delta_m(\mathbf{x}, z) + b_\phi(z) f_{\text{NL}} \phi(\mathbf{x})}_{\text{Density contrast} \quad \text{Primordial potential}}$$

On large scales

$$\left[ b_1(z) + \frac{3\Omega_{m0} H_0^2 f_{\text{NL}}}{2k^2} b_\phi(z) \right] \delta_m(\mathbf{x}, z)$$

k-dependent coefficient, **not bias**.

There are two bias parameters here.

# Galaxy bias and **local-type PNG**

**Local PNG leaves a distinct scale-dependent signature on the large-scale galaxy power spectrum.**

(Dalal+ 2007)

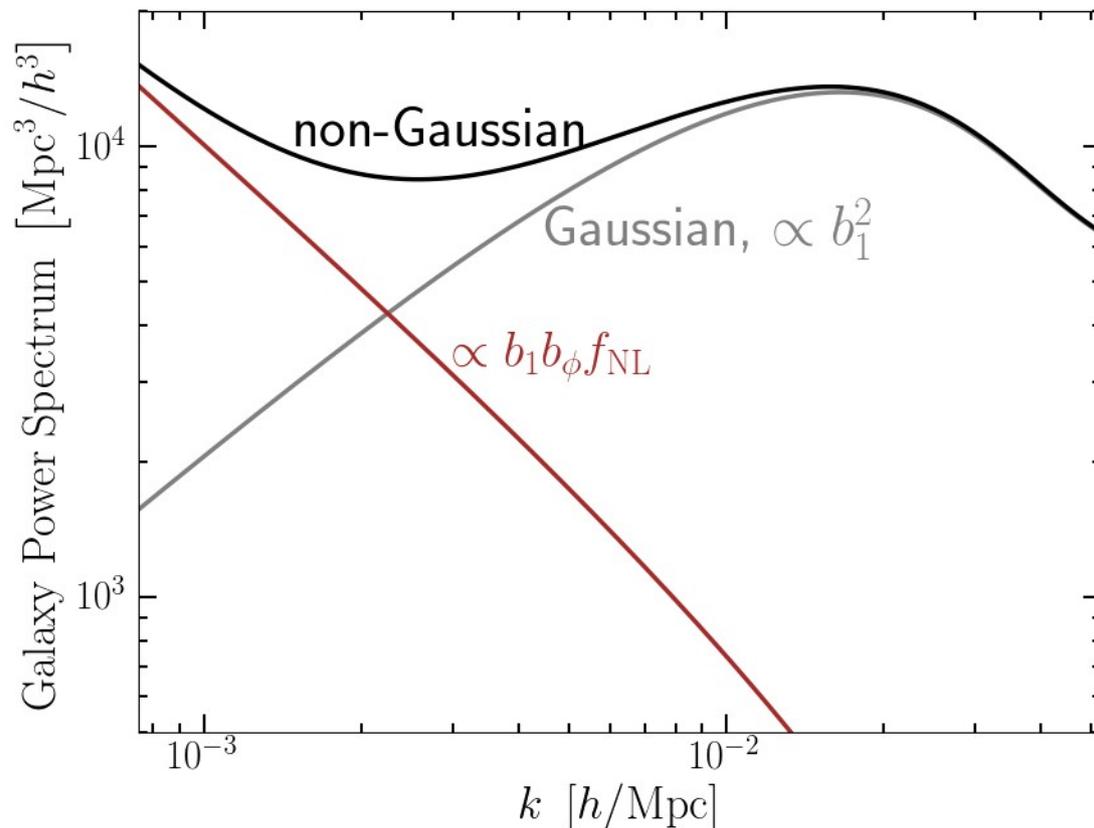
$$\delta_g(\mathbf{x}, z) \supset \overbrace{b_1(z) \delta_m(\mathbf{x}, z) + b_\phi(z) f_{\text{NL}} \phi(\mathbf{x})}^{\substack{\text{Density contrast} \\ \text{Primordial potential}}}$$

On large scales

$$\left[ b_1(z) + \frac{3\Omega_{m0} H_0^2 f_{\text{NL}}}{2k^2} b_\phi(z) \right] \delta_m(\mathbf{x}, z)$$

k-dependent coefficient, **not bias.**

There are two bias parameters here.



# Galaxy bias and local-type PNG

Local PNG leaves a distinct scale-dependent signature on the large-scale galaxy power spectrum.

(Dalal+ 2007)

Cosmology

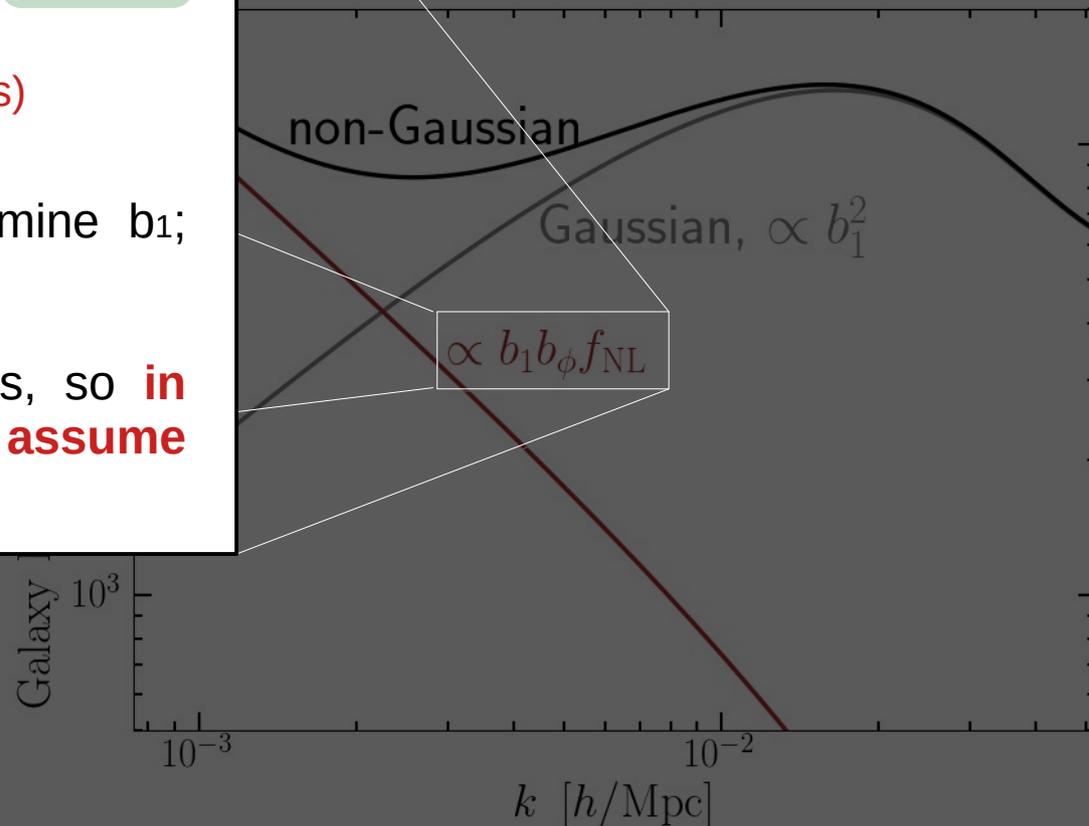
Signature  $\propto b_1 b_\phi f_{\text{NL}}$

Galaxy formation  
(galaxy bias parameters)

- The data on small scales can determine  $b_1$ ;
- A perfect degeneracy with  $b_\phi$  remains, so **in order to constrain  $f_{\text{NL}}$  we need to assume something about galaxy formation.**

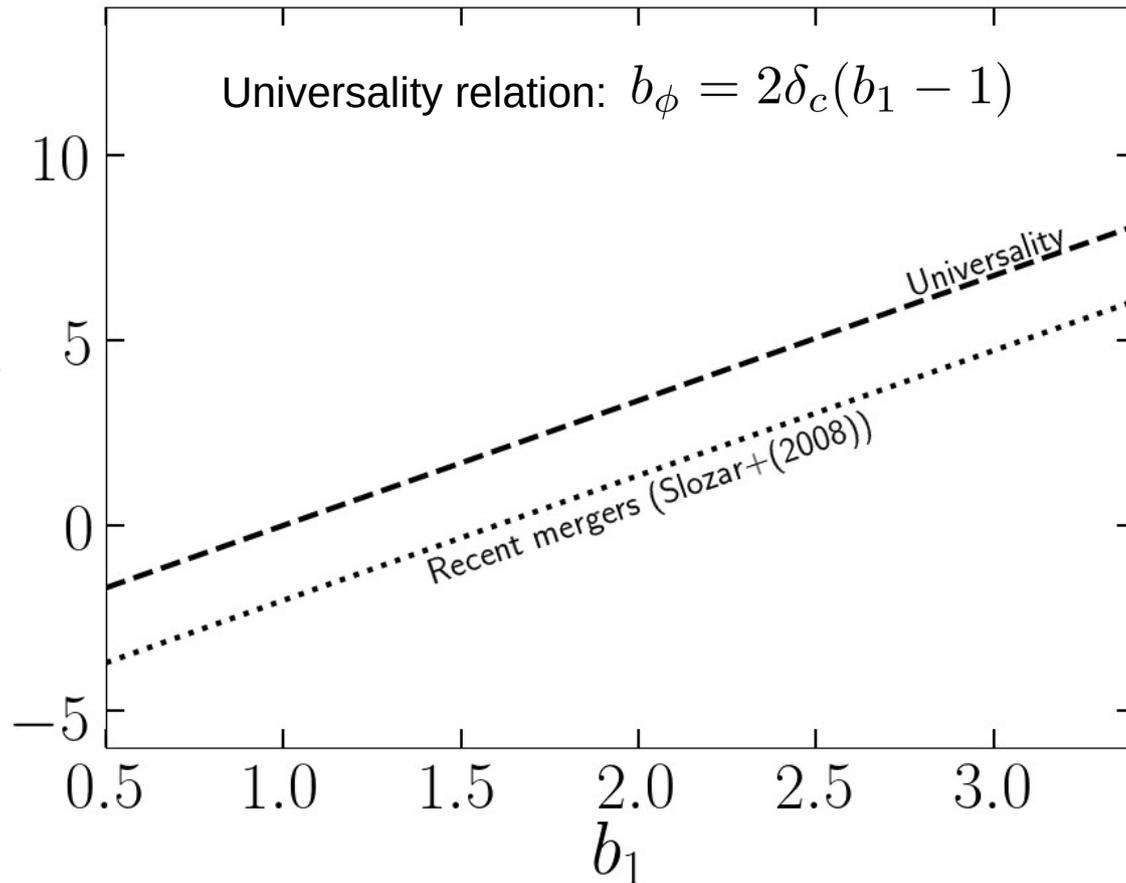
$k$ -dependent coefficient, **not bias.**

There are two bias parameters here.



# What do **current works** do?

Most works assume a tight relation between the bias parameters  $b_\phi$  and  $b_1$ .  
(the idea is to fix  $b_\phi$  in terms of  $b_1$ , which can be fit for on small scales)



However,

despite routinely used, these are very simplified relations and **have really no reason to hold for real tracers.**

So, how well do they perform actually?

# Predictions from **Separate Universe** simulations

- **The bias estimation**

$$b_1(z) = \lim_{k \rightarrow 0} \frac{P_{gm}(z)}{P_{mm}(z)}$$

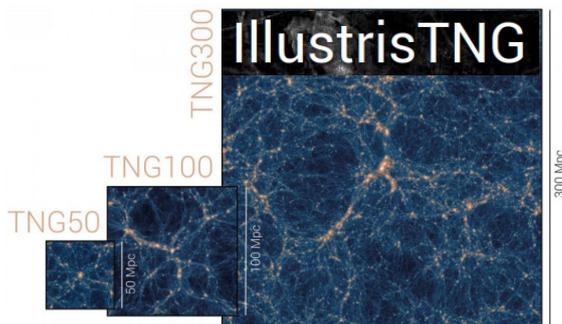
Using the fiducial simulation

$$b_\phi(z) = 4 \frac{d \ln n_g(z)}{d \ln \mathcal{A}_s}$$

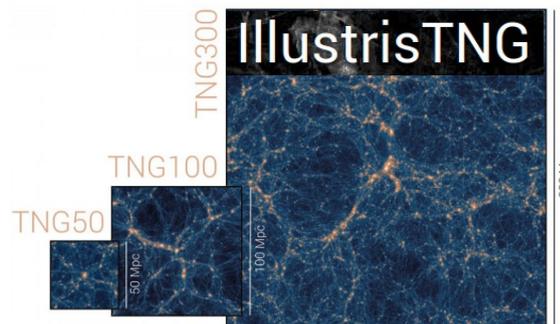
Finite differences using separate universe simulations

- **The simulation set** (Barreira+2020)

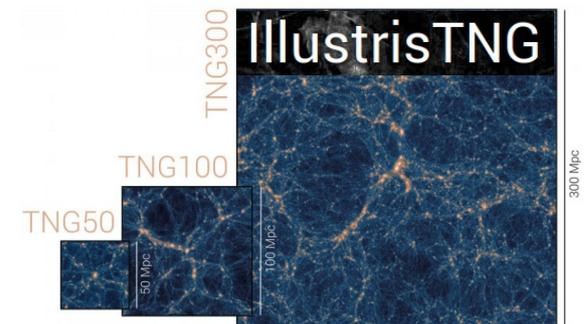
**Separate Universe**  
(5% lower  $A_s$ )



**Fiducial cosmology**  
(Planck 2018)



**Separate Universe**  
(5% larger  $A_s$ )



**Hydro (IllustrisTNG)**

$L = 75 \text{ Mpc}/h$  ,  $N_p = 2 \times 1250^3$

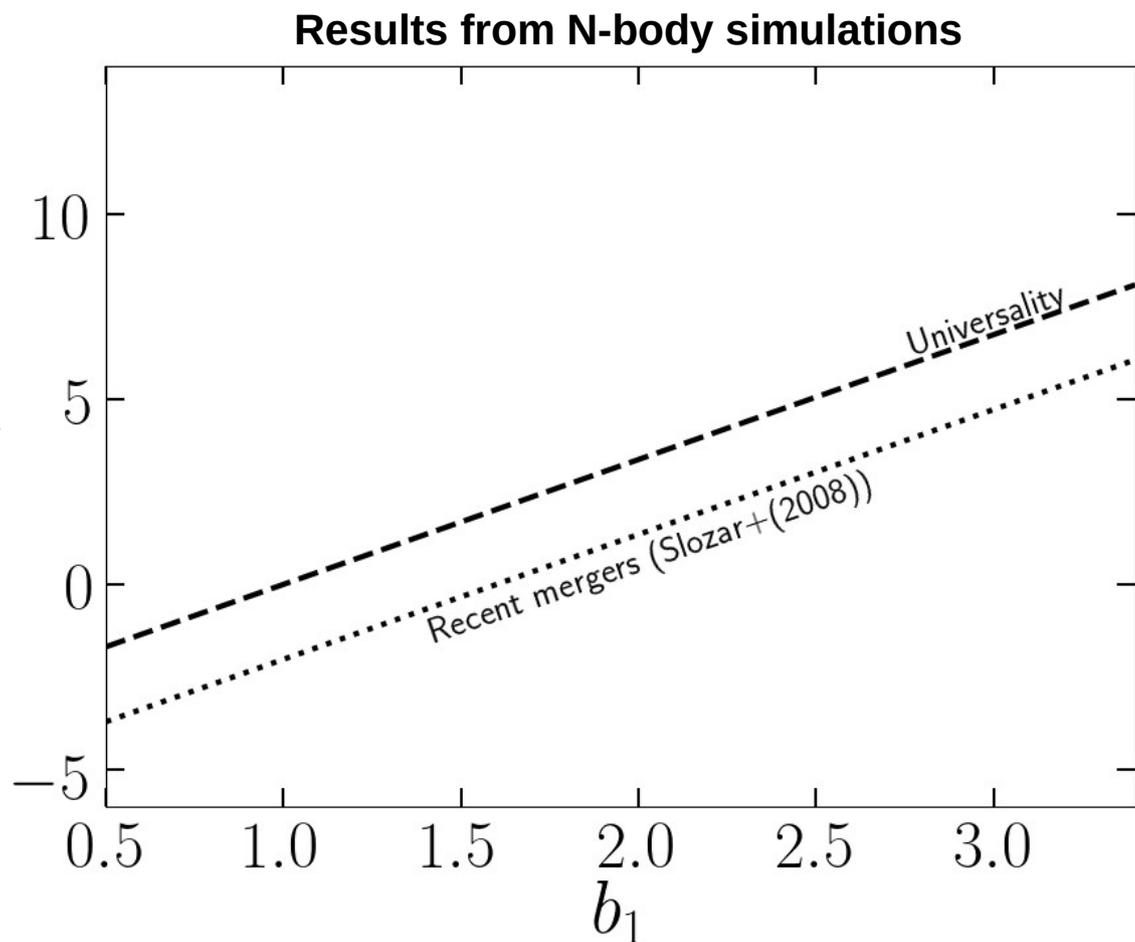
$L = 205 \text{ Mpc}/h$ ,  $N_p = 2 \times 1250^3$

**Gravity-only**

$L = 560 \text{ Mpc}/h$ ,  $N_p = 1250^3$

# Much to learn still about the $b_\phi(b_1)$ relation

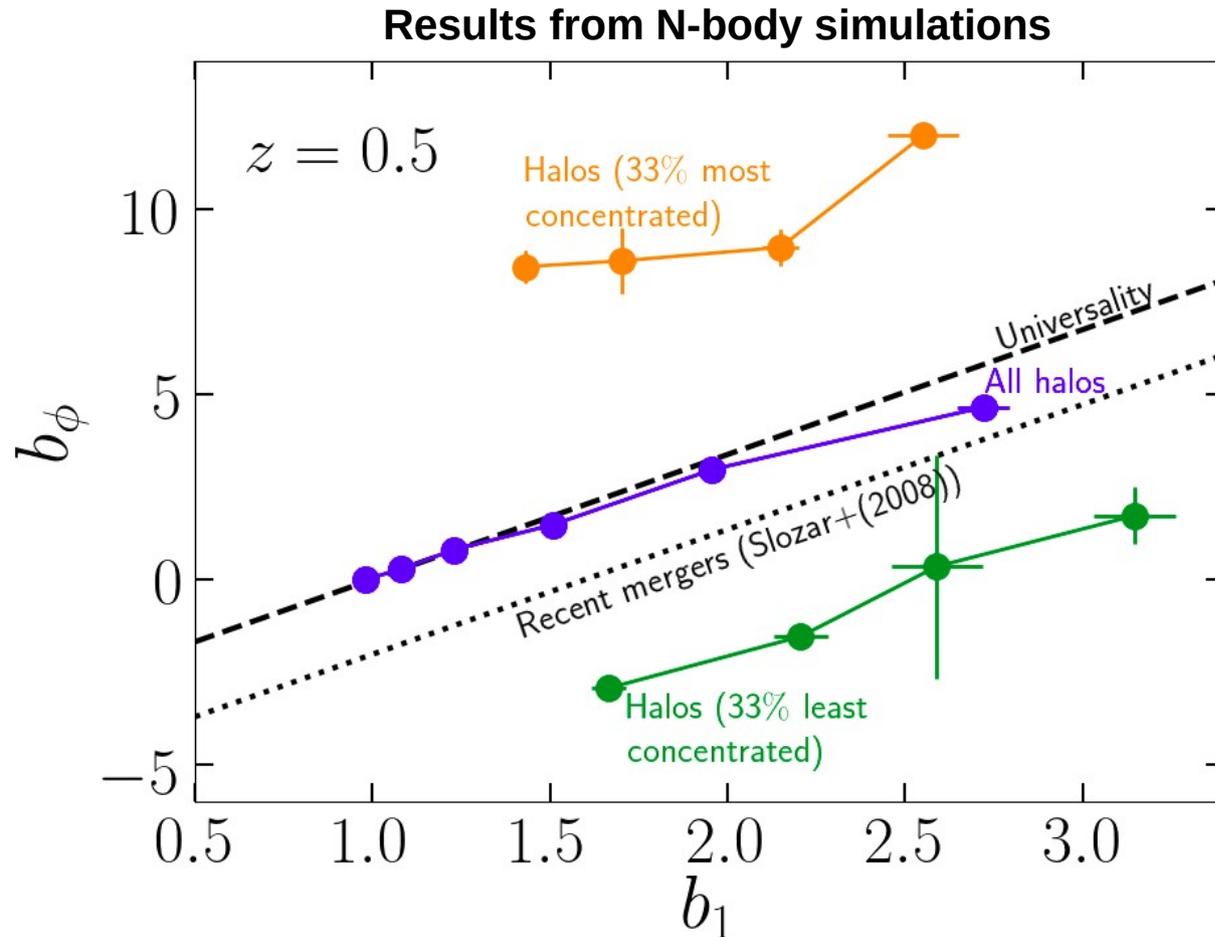
Relations assumed in the literature fail for a variety of tracers in simulations.



- Strong halo assembly bias signal. (Slozar+2008, Reid+2010, Lazeyras+2022)
- Galaxies and H I in IllustrisTNG also not well described by simple relations. (Barreira+2020, Barreira 2021, Barreira 2022)
- Large theory uncertainty on  $b_\phi(b_1)$ :  
Impact of galaxy feedback model?  
Connection to real galaxy samples?

# Much to learn still about the $b_\phi(b_1)$ relation

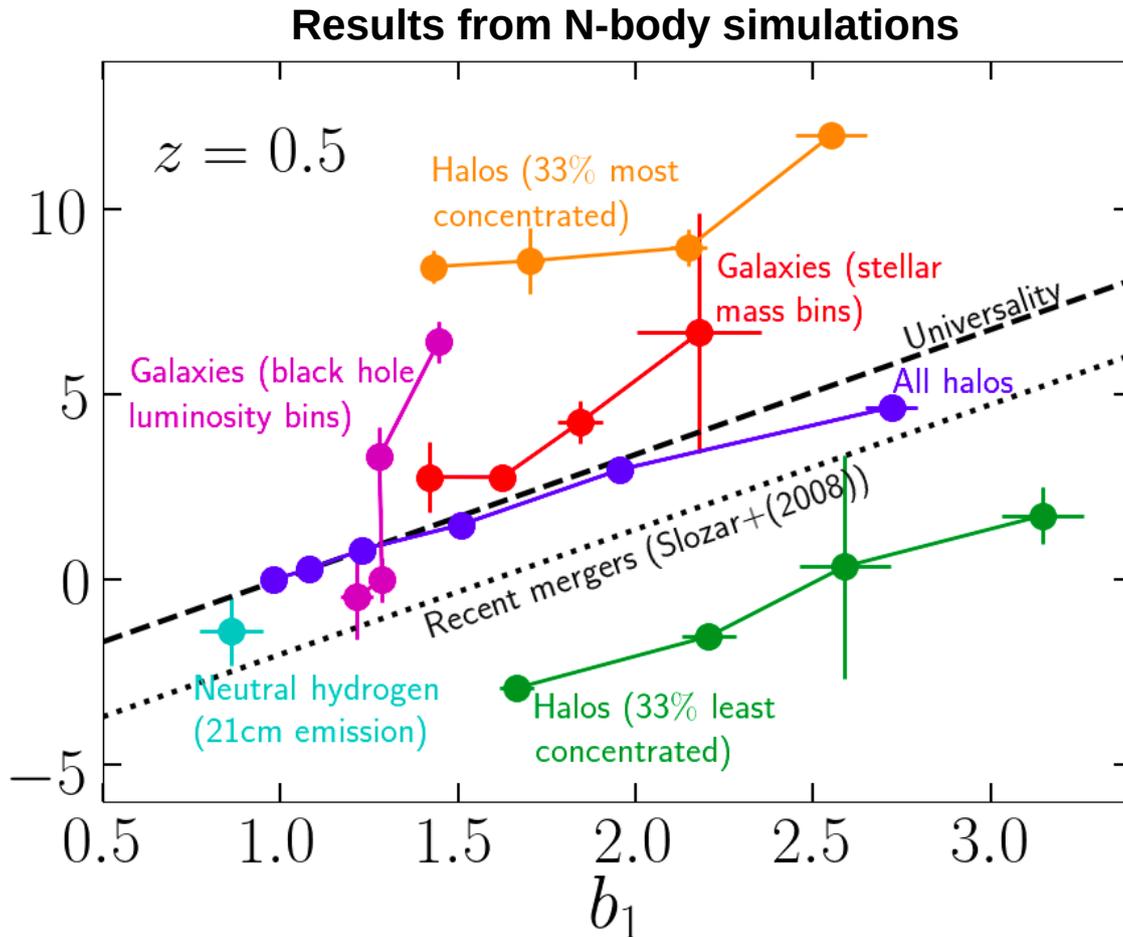
Relations assumed in the literature fail for a variety of tracers in simulations.



- Strong halo assembly bias signal. (Slozar+2008, Reid+2010, Lazeyras+2022)
- Galaxies and H I in IllustrisTNG also not well described by simple relations. (Barreira+2020, Barreira 2021, Barreira 2022)
- Large theory uncertainty on  $b_\phi(b_1)$ :  
Impact of galaxy feedback model?  
Connection to real galaxy samples?

# Much to learn still about the $b_\phi(b_1)$ relation

Relations assumed in the literature fail for a variety of tracers in simulations.

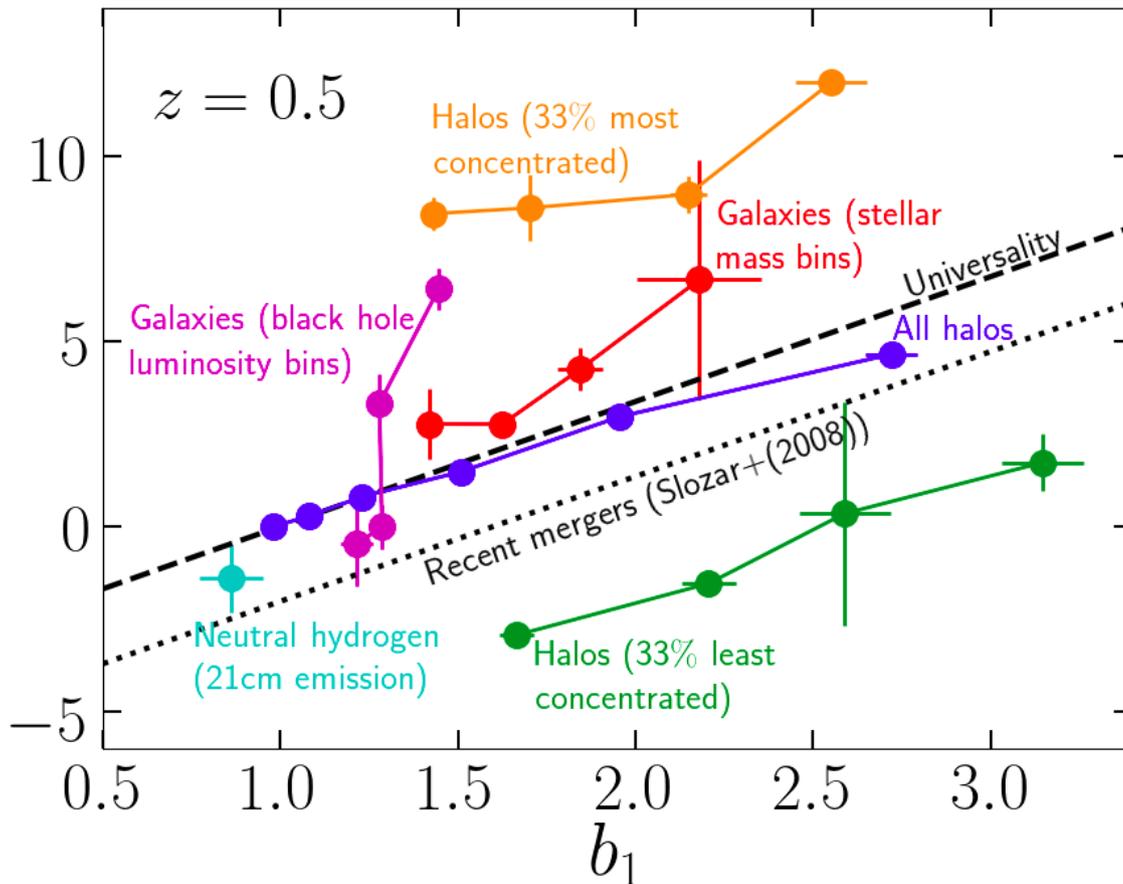


- Strong halo assembly bias signal. (Slozar+2008, Reid+2010, Lazeyras+2022)
- Galaxies and H I in IllustrisTNG also not well described by simple relations. (Barreira+2020, Barreira 2021, Barreira 2022)
- Large theory uncertainty on  $b_\phi(b_1)$ :  
Impact of galaxy feedback model?  
Connection to real galaxy samples?

# Much to learn still about the $b_\phi(b_1)$ relation

Relations assumed in the literature fail for a variety of tracers in simulations.

Results from N-body simulations

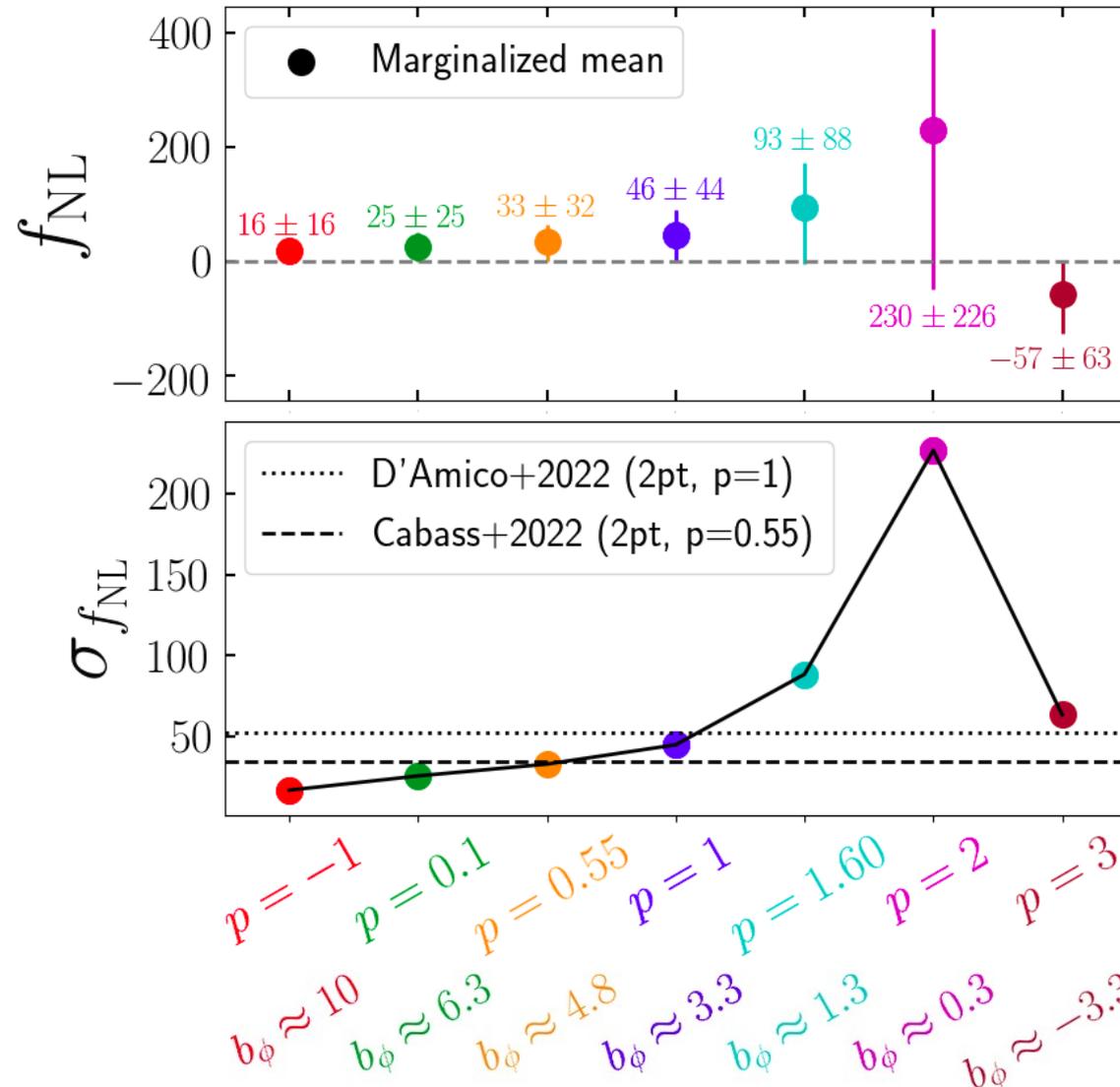


- Strong halo assembly bias signal. (Slozar+2008, Reid+2010, Lazeyras+2022)
- Galaxies and H<sub>I</sub> in IllustrisTNG also not well described by simple relations. (Barreira+2020, Barreira 2021, Barreira 2022)
- Large theory uncertainty on  $b_\phi(b_1)$ :  
Impact of galaxy feedback model?  
Connection to real galaxy samples?

How does this uncertainty affect  $f_{NL}$  constraints?

# Can we actually constrain $f_{NL}$ ?

**BOSS constraints for different  $b_\phi(b_1)$  relations**  
(power spectrum only)



$$b_\phi = 2\delta_c(b_1 - p)$$

- Constraints are completely dominated by the assumed  $b_\phi(b_1)$  relation. This relation is unknown, and so we do not know which constraint is actually correct!
- Inferred precision on  $f_{NL}$  can vary significantly on a range of  $O(1)$  values of  $b_\phi$ . *Be careful with even  $O(1)$  uncertainty on  $b_\phi$ .*
- Significance of detection is not affected, but it is still misleading to quote bounds on  $f_{NL}$ .

For example:

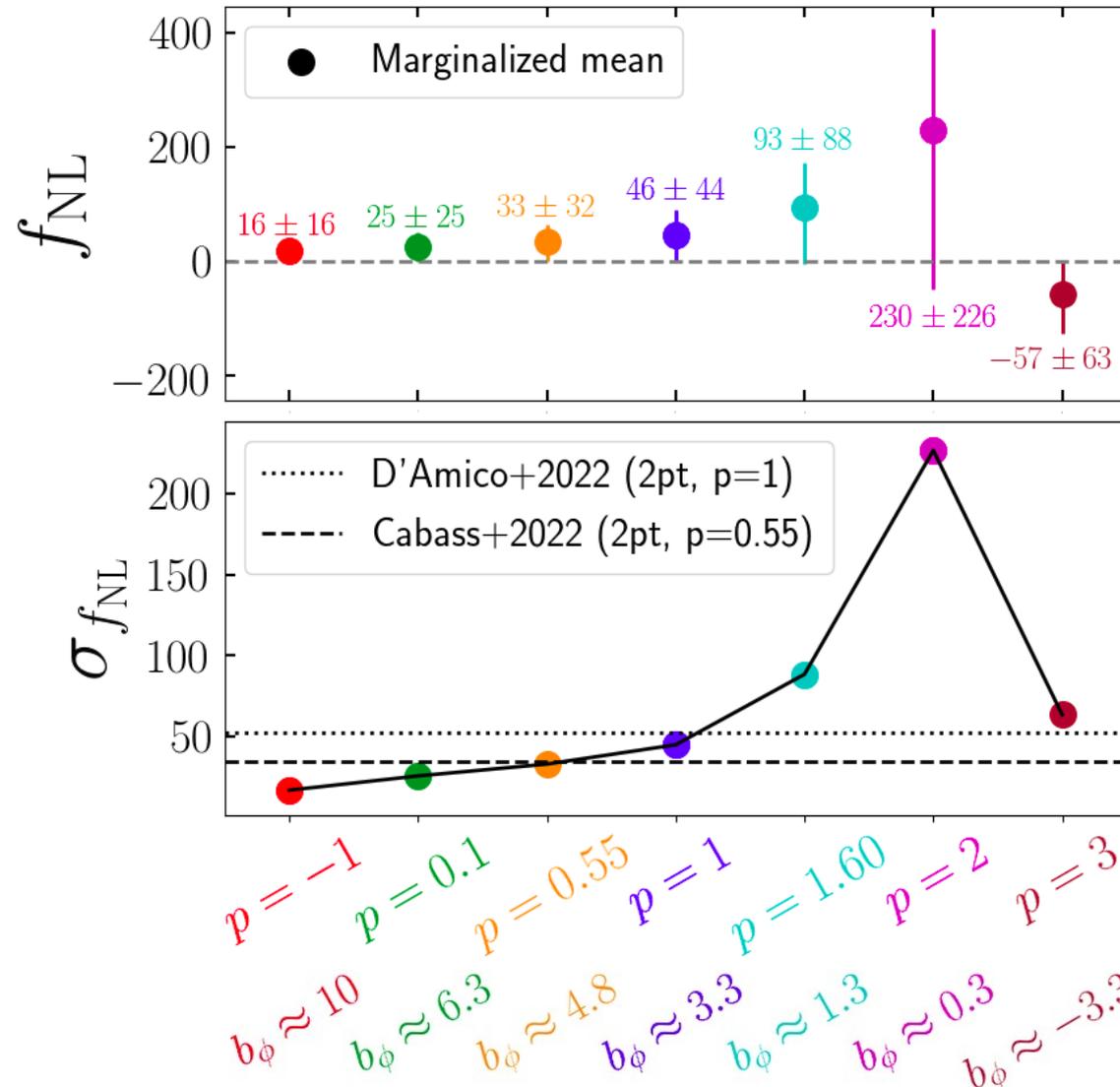
$$f_{NL} = 0.1 \pm 0.02 \quad \text{vs} \quad f_{NL} = 20 \pm 4$$

are both  $5\sigma$ , but have different implications.

Should constrain  $f_{NL}b_\phi$  instead.

# Can we actually constrain $f_{NL}$ ?

**BOSS constraints for different  $b_\phi(b_1)$  relations**  
(power spectrum only)



$$b_\phi = 2\delta_c(b_1 - p)$$

- Constraints are completely dominated by the assumed  $b_\phi(b_1)$  relation.  
*This relation is unknown, and so we do not know which constraint is actually correct!*
- Inferred precision on  $f_{NL}$  can vary significantly on a range of  $O(1)$  values of  $b_\phi$ .  
*Be careful with even  $O(1)$  uncertainty on  $b_\phi$ .*
- Significance of detection is not affected, but it is still misleading to quote bounds on  $f_{NL}$ .

For example:

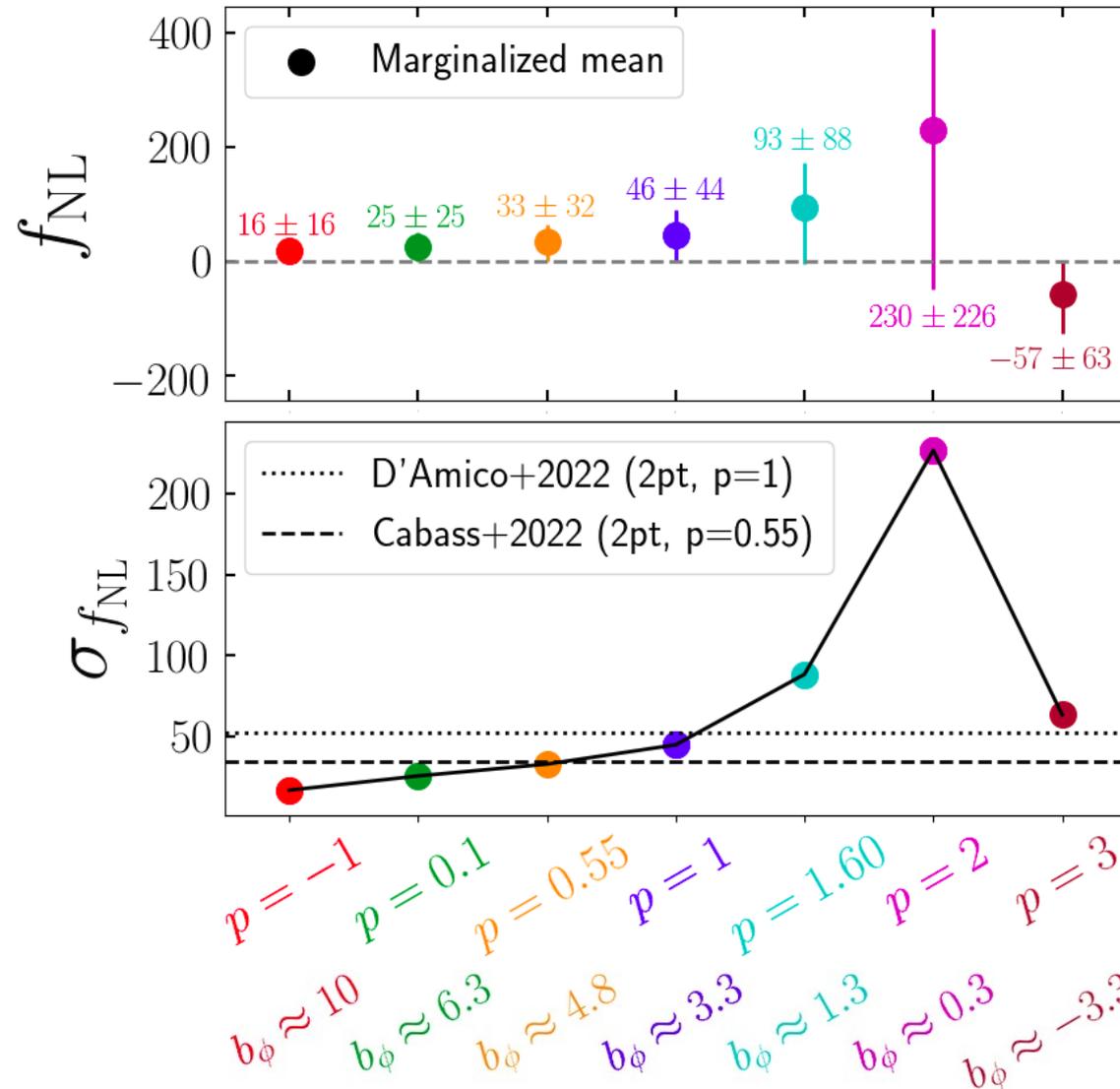
$$f_{NL} = 0.1 \pm 0.02 \quad \text{vs} \quad f_{NL} = 20 \pm 4$$

are both  $5\sigma$ , but have different implications.

Should constrain  $f_{NL}b_\phi$  instead.

# Can we actually constrain $f_{NL}$ ?

**BOSS constraints for different  $b_\phi(b_1)$  relations**  
(power spectrum only)



$$b_\phi = 2\delta_c(b_1 - p)$$

- Constraints are completely dominated by the assumed  $b_\phi(b_1)$  relation.  
*This relation is unknown, and so we do not know which constraint is actually correct!*
- Inferred precision on  $f_{NL}$  can vary significantly on a range of  $O(1)$  values of  $b_\phi$ .  
*Be careful with even  $O(1)$  uncertainty on  $b_\phi$ .*
- Significance of detection is not affected, but it is still misleading to quote bounds on  $f_{NL}$ .

For example:

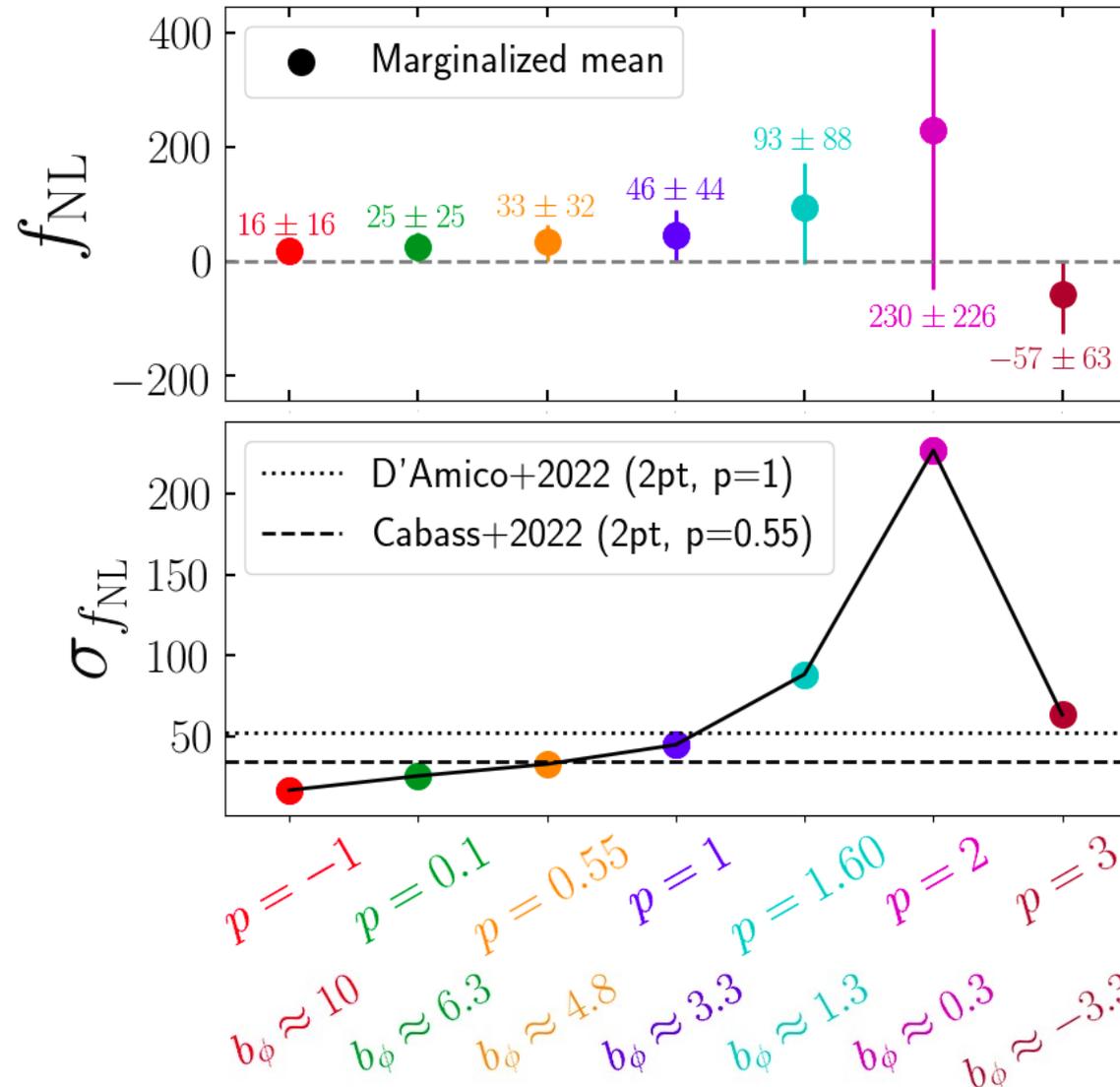
$$f_{NL} = 0.1 \pm 0.02 \quad \text{vs} \quad f_{NL} = 20 \pm 4$$

are both  $5\sigma$ , but have different implications.

Should constrain  $f_{NL}b_\phi$  instead.

# Can we actually constrain $f_{NL}$ ?

**BOSS constraints for different  $b_\phi(b_1)$  relations**  
(power spectrum only)



$$b_\phi = 2\delta_c(b_1 - p)$$

- Constraints are completely dominated by the assumed  $b_\phi(b_1)$  relation.  
*This relation is unknown, and so we do not know which constraint is actually correct!*
- Inferred precision on  $f_{NL}$  can vary significantly on a range of  $O(1)$  values of  $b_\phi$ .  
*Be careful with even  $O(1)$  uncertainty on  $b_\phi$ .*
- Significance of detection is not affected, but it is still misleading to quote bounds on  $f_{NL}$ .

For example:

$$f_{NL} = 0.1 \pm 0.02 \quad \text{vs} \quad f_{NL} = 20 \pm 4$$

are both  $5\sigma$ , but have different implications.

*Should constrain  $f_{NL}b_\phi$  instead.*

# Can we actually constrain $f_{\text{NL}}$ ?

The CMB constrains  $f_{\text{NL}}$  directly, and so can automatically detect it.

To constrain  $f_{\text{NL}}$

$$f_{\text{NL}} = a \pm b$$

To detect  $f_{\text{NL}}$

$$f_{\text{NL}} b_{\phi} \neq 0 ?$$

In LSS, the scale-dep. bias effect can detect, but cannot constrain  $f_{\text{NL}}$ .

$b_{\phi} \approx 10$   
 $b_{\phi} \approx 6.3$   
 $b_{\phi} \approx 4.8$   
 $b_{\phi} \approx 3.3$   
 $b_{\phi} \approx 1.3$   
 $b_{\phi} \approx 0.3$   
 $b_{\phi} \approx -3.3$

Should constrain  $f_{\text{NL}} b_{\phi}$  instead.

# What now?

1) Given our current poor knowledge on  $b_\phi(b_1)$ , we should start quoting bounds on  $f_{NL}b_\phi$ .

Detecting  $f_{NL}b_\phi$  also rules out single-field inflation; we just won't know the  $f_{NL}$  value.

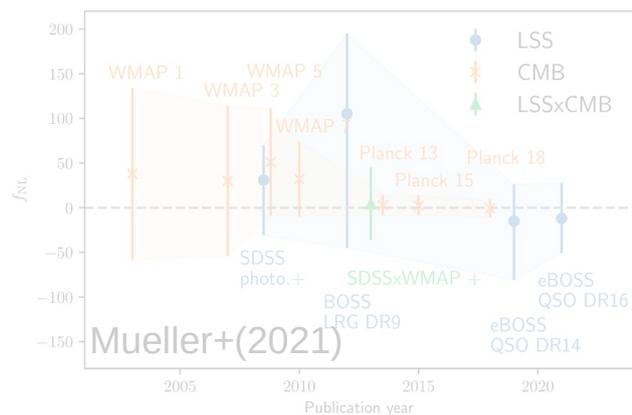
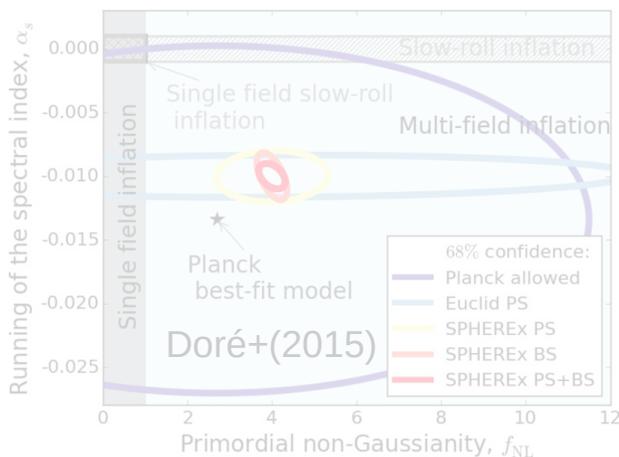
2) Need to develop dedicated research programs for  $b_\phi(b_1)$  in order to constrain  $f_{NL}$ .

**Challenges:** (i) galaxy formation physics and (ii) connection to observations.

**Opportunity:** theory priors on  $b_\phi$  let us optimize galaxy selection strategies to detect local PNG.

3) Assessment of survey performance cannot leave out PNG bias considerations.

For example, plots like these are misleading as they assume the same bias relations for all surveys!



# What now?

1) Given our current poor knowledge on  $b_\phi(b_1)$ , we should start quoting bounds on  $f_{NL}b_\phi$ .

Detecting  $f_{NL}b_\phi$  also rules out single-field inflation; we just won't know the  $f_{NL}$  value.

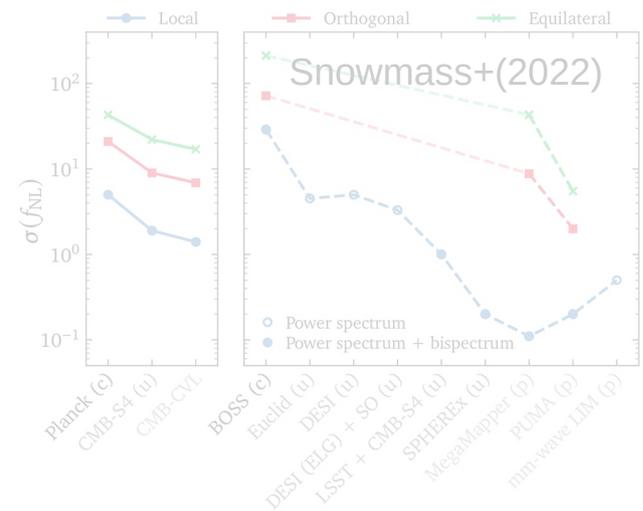
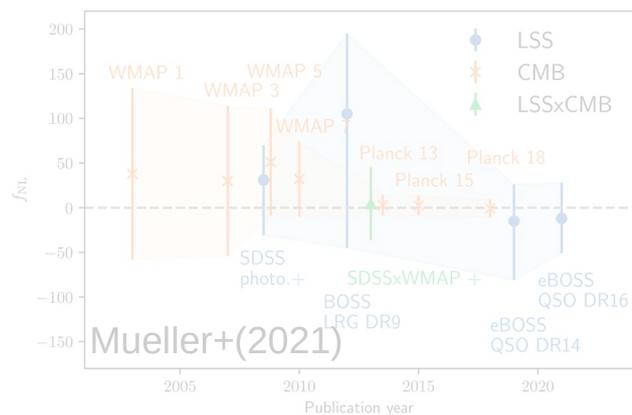
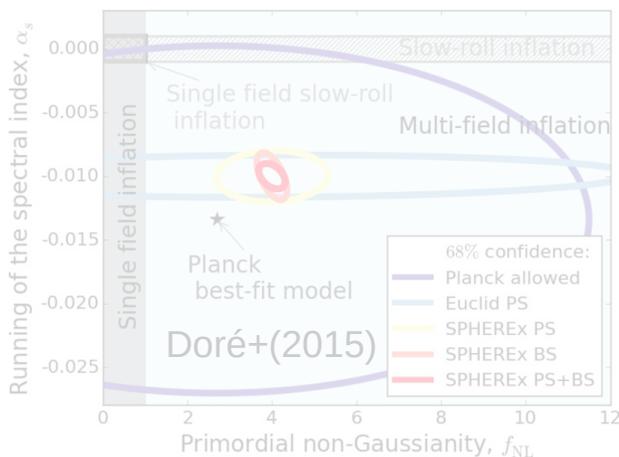
2) Need to develop dedicated research programs for  $b_\phi(b_1)$  in order to constrain  $f_{NL}$ .

Challenges: (i) galaxy formation physics and (ii) connection to observations.

Opportunity: theory priors on  $b_\phi$  let us optimize galaxy selection strategies to detect local PNG.

3) Assessment of survey performance cannot leave out PNG bias considerations.

For example, plots like these are misleading as they assume the same bias relations for all surveys!



# What now?

1) Given our current poor knowledge on  $b_\phi(b_1)$ , we should start quoting bounds on  $f_{NL}b_\phi$ .

Detecting  $f_{NL}b_\phi$  also rules out single-field inflation; we just won't know the  $f_{NL}$  value.

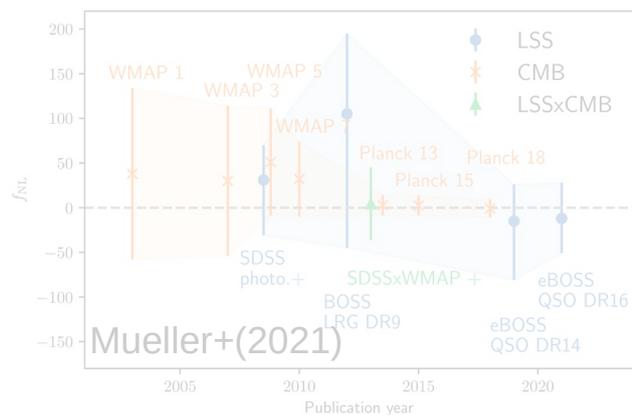
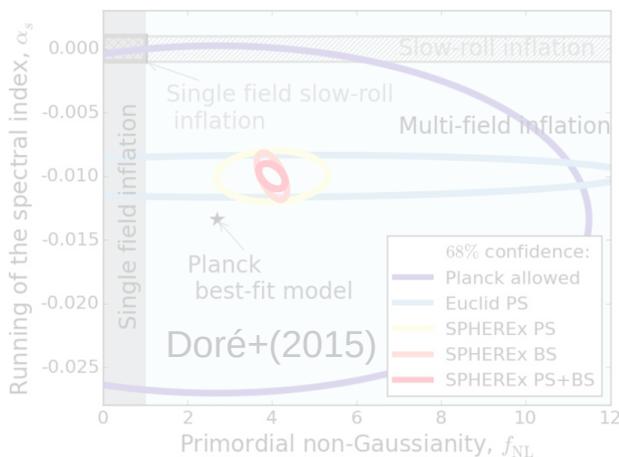
2) Need to develop dedicated research programs for  $b_\phi(b_1)$  in order to constrain  $f_{NL}$ .

**Challenges:** (i) galaxy formation physics and (ii) connection to observations.

**Opportunity:** theory priors on  $b_\phi$  let us optimize galaxy selection strategies to detect local PNG.

3) Assessment of survey performance cannot leave out PNG bias considerations.

For example, plots like these are misleading as they assume the same bias relations for all surveys!



# What now?

1) Given our current poor knowledge on  $b_\phi(b_1)$ , we should start quoting bounds on  $f_{NL}b_\phi$ .

Detecting  $f_{NL}b_\phi$  also rules out single-field inflation; we just won't know the  $f_{NL}$  value.

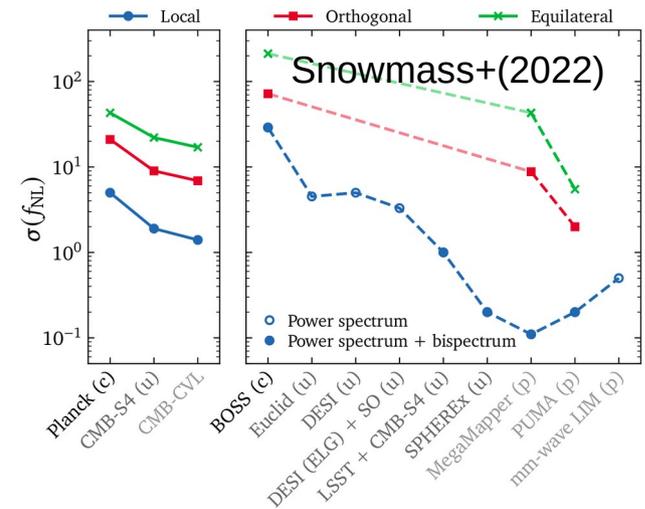
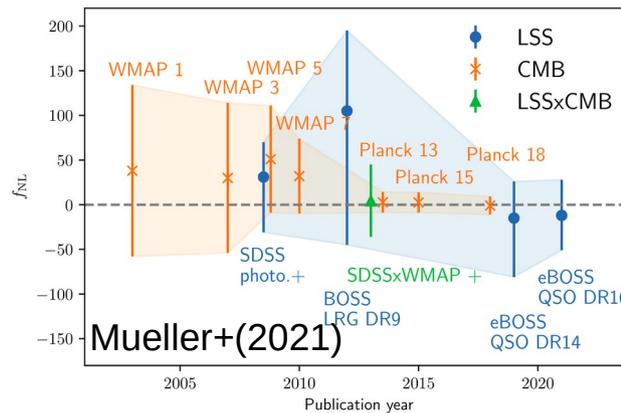
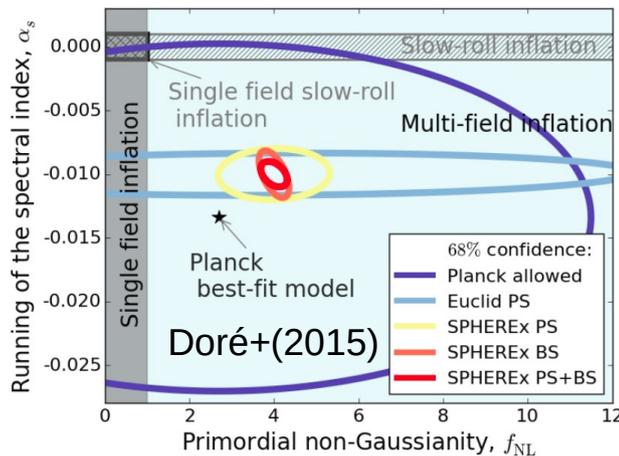
2) Need to develop dedicated research programs for  $b_\phi(b_1)$  in order to constrain  $f_{NL}$ .

**Challenges:** (i) galaxy formation physics and (ii) connection to observations.

**Opportunity:** theory priors on  $b_\phi$  let us optimize galaxy selection strategies to detect local PNG.

3) Assessment of survey performance cannot leave out PNG bias considerations.

For example, plots like these are misleading as they assume the same bias relations for all surveys!

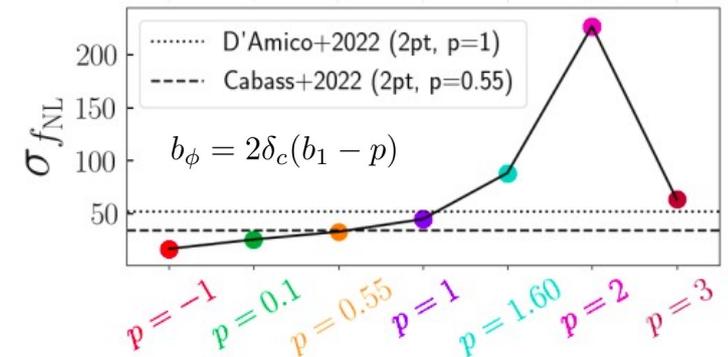
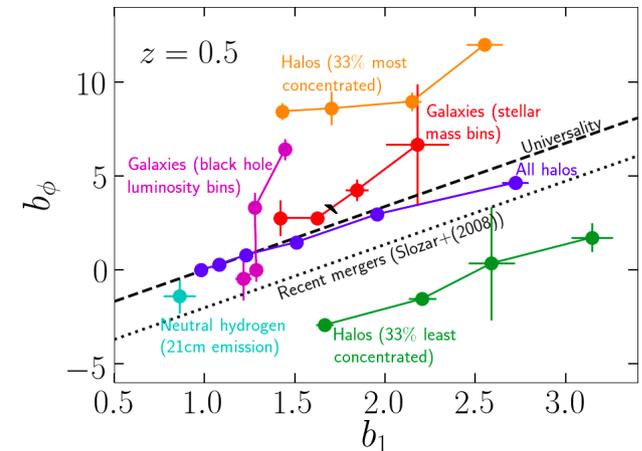


# Summary

Cosmology

Signature  $\propto b_1 b_\phi f_{\text{NL}}$

Galaxy formation  
(galaxy bias parameters)



- Can we actually constrain  $f_{\text{NL}}$ ?

Galaxy data does not primarily constrain  $f_{\text{NL}}$ , but its product with uncertain bias parameters ( $f_{\text{NL}} b_\phi$ ).

- Existing  $f_{\text{NL}}$  constraints/forecasts are dominated by poor galaxy bias assumptions.

Current large theory uncertainty on  $b_\phi(b_1)$ , implies a serious systematic error on  $f_{\text{NL}}$  bounds.

- Need to revisit our approach to  $f_{\text{NL}}$  constraints

Dedicated research programs to determine  $b_\phi(b_1)$  for real galaxy samples.

Survey planning/performance needs to take PNG bias into account.

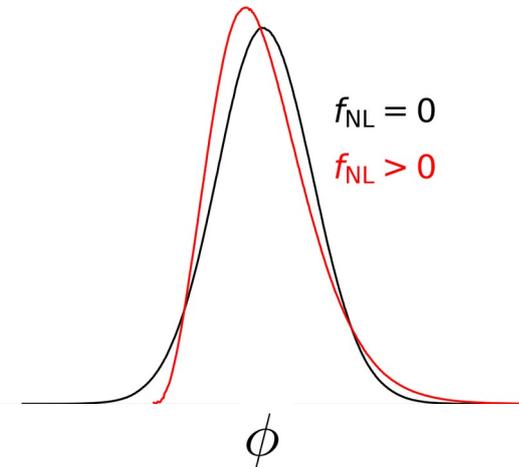
What if our future surveys are targeting the wrong galaxies, i.e., with  $b_\phi \ll 1$ ?

**Extra slides**

# Local-type primordial non-Gaussianity (PNG)

$$\phi = \phi_G + f_{\text{NL}} [\phi_G^2 - \langle \phi_G^2 \rangle]$$

Komatsu&Spergel(2001)



**Detecting  $f_{\text{NL}}$  would be immensely profound: it rules out single-field inflation!**

The early universe was not as simple as it could have been!

(Creminelli&Zaldarriaga 2004, Creminelli+ 2011, Tanaka&Urakawa 2011, Pajer+ 2013)

## Current tightest bound

Planck collaboration (2018)

$$f_{\text{NL}} = -0.9 \pm 5.1 \text{ (68\%)}$$

## The latest from LSS

Mueller+2021 (eBOSS QSO, 2pt)

$$f_{\text{NL}} = -12 \pm 21 \text{ (1}\sigma\text{)}$$

D'Amico+2022 (BOSS, 2pt+3pt)

$$f_{\text{NL}} = -30 \pm 29 \text{ (1}\sigma\text{)}$$

Cabass+2022 (BOSS, 2pt+3pt)

$$f_{\text{NL}} = -33 \pm 28 \text{ (1}\sigma\text{)}$$

## The milestone

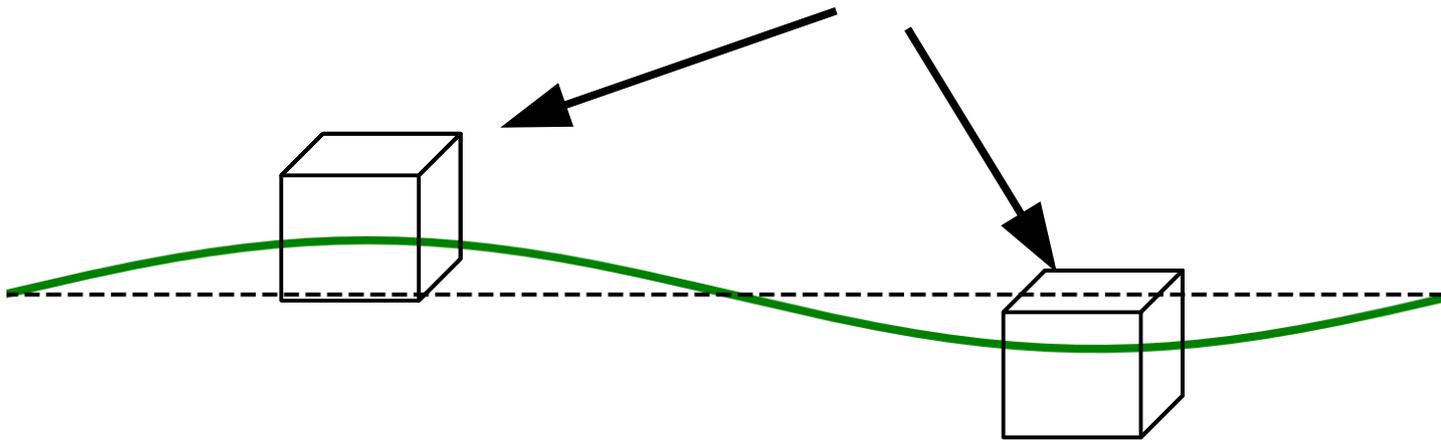
Expected from future LSS  
(SphereX, Euclid, Rubin, DESI, SKA)

$$\sigma f_{\text{NL}} \lesssim 1$$

# Predictions from **Separate Universe** simulations

**Separate Universe theorem**: local structure formation inside long-wavelength perturbations is equivalent to global structure formation in a modified cosmology.

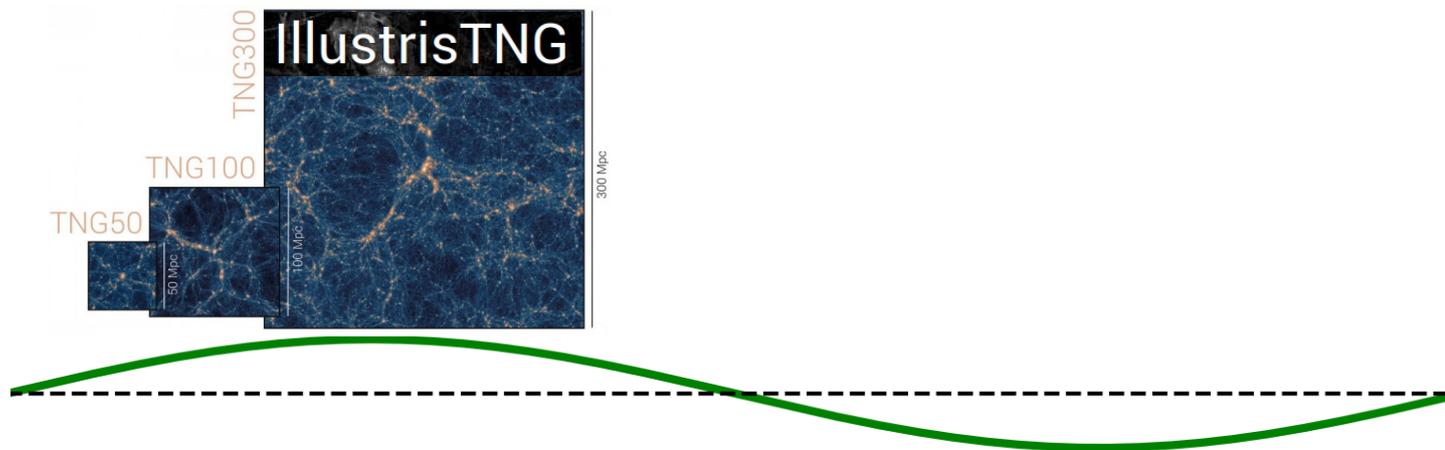
These regions behave as  
**separate universes**



# Predictions from **Separate Universe** simulations

**Separate Universe theorem:** local structure formation inside long-wavelength perturbations is equivalent to global structure formation in a modified cosmology.

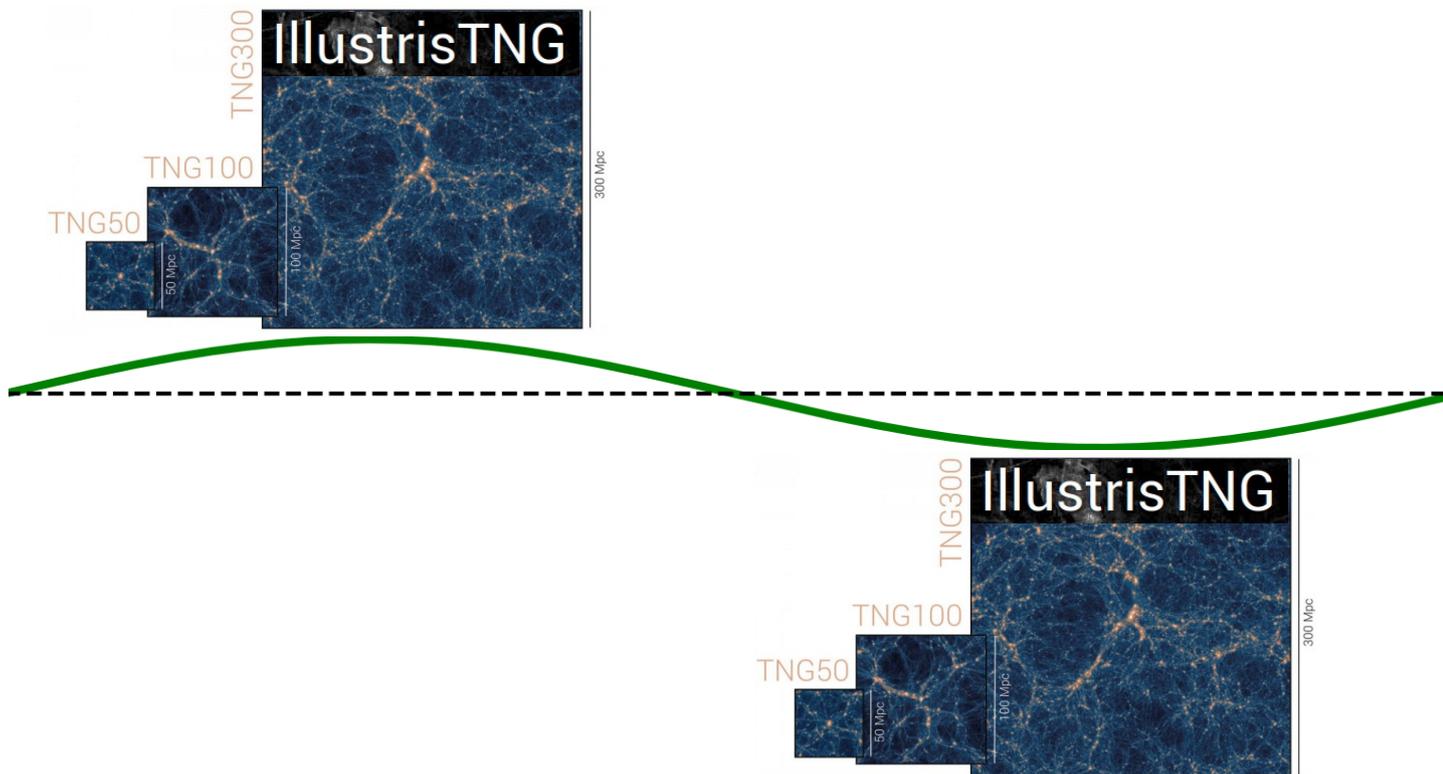
## Simulation of **one cosmology (A)**



# Predictions from **Separate Universe** simulations

**Separate Universe theorem:** local structure formation inside long-wavelength perturbations is equivalent to global structure formation in a modified cosmology.

## Simulation of **one cosmology (A)**

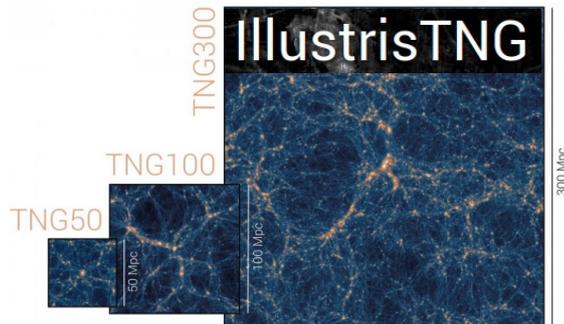


## Simulation of **another cosmology (B)**

# Predictions from **Separate Universe** simulations

**Separate Universe theorem:** local structure formation inside long-wavelength perturbations is equivalent to global structure formation in a modified cosmology.

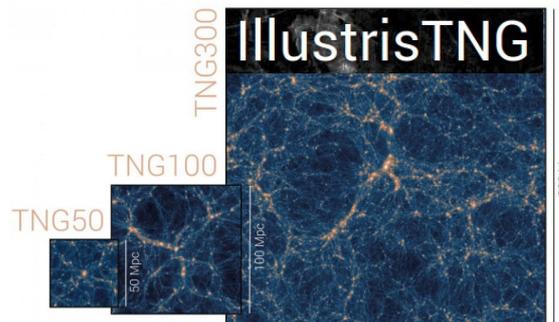
## Simulation of **one cosmology (A)**



$$\text{bias} = \frac{1}{A - B} \left[ \frac{n^A}{n^B} - 1 \right]$$

Bias as the **response** of the galaxy abundance to changes in the **cosmological parameters**.

**Big advantage for  $b_\phi$  studies:** simulation does not have to be large volume to resolve the large-scale signature.



## Simulation of **another cosmology (B)**

# A few FAQs

- **Can we marginalize over the  $b_\phi$  parameter?**

**No, this is ill defined.** The perfect degeneracy makes any prior invariably informative. In particular, wide priors introduce spurious projection effects.

Barreira (2022), 2205.05673

- **Can multitracer or lensing cross-correlations help?**

**Also no.** The additional information is unable to break this degeneracy.

- **Can the bispectrum help?**

The galaxy bispectrum can probe  $f_{\text{NL}}$  directly via the primordial signal, but marginalizing over the scale-dep. bias terms yields uncompetitive bounds.

Barreira (2020), 2009.06622  
Moradinezhad+ (2020), 2010.14523  
Barreira (2021), 2107.06887  
Cabass+ (2022), 2204.01781

# Ways to break the $b_\phi f_{\text{NL}}$ degeneracy? #1

- Multitracer analyses cannot break the degeneracy.

$$\langle \delta_g^A \delta_g^A \rangle = [b_1^A]^2 \langle \delta_m \delta_m \rangle + 2b_1^A [b_\phi^A f_{\text{NL}}] \langle \delta_m \phi \rangle + [b_\phi^A f_{\text{NL}}]^2 \langle \phi \phi \rangle$$

$$\langle \delta_g^A \delta_g^B \rangle = b_1^A b_1^B \langle \delta_m \delta_m \rangle + (b_1^A [b_\phi^B f_{\text{NL}}] + b_1^B [b_\phi^A f_{\text{NL}}]) \langle \delta_m \phi \rangle + [b_\phi^A f_{\text{NL}}] [b_\phi^B f_{\text{NL}}] \langle \phi \phi \rangle$$

$$\langle \delta_g^B \delta_g^B \rangle = [b_1^B]^2 \langle \delta_m \delta_m \rangle + 2b_1^B [b_\phi^B f_{\text{NL}}] \langle \delta_m \phi \rangle + [b_\phi^B f_{\text{NL}}]^2 \langle \phi \phi \rangle$$

- Every new sample brings with it an additional  $b_\phi f_{\text{NL}}$  term

# Ways to break the $b_\phi f_{\text{NL}}$ degeneracy? #2

- Cross-correlation with lensing cannot break the degeneracy

$$\langle \delta_g \delta_g \rangle = b_1^2 \langle \delta_m \delta_m \rangle + 2b_1 [b_\phi f_{\text{NL}}] \langle \delta_m \phi \rangle + [b_\phi f_{\text{NL}}]^2 \langle \phi \phi \rangle$$

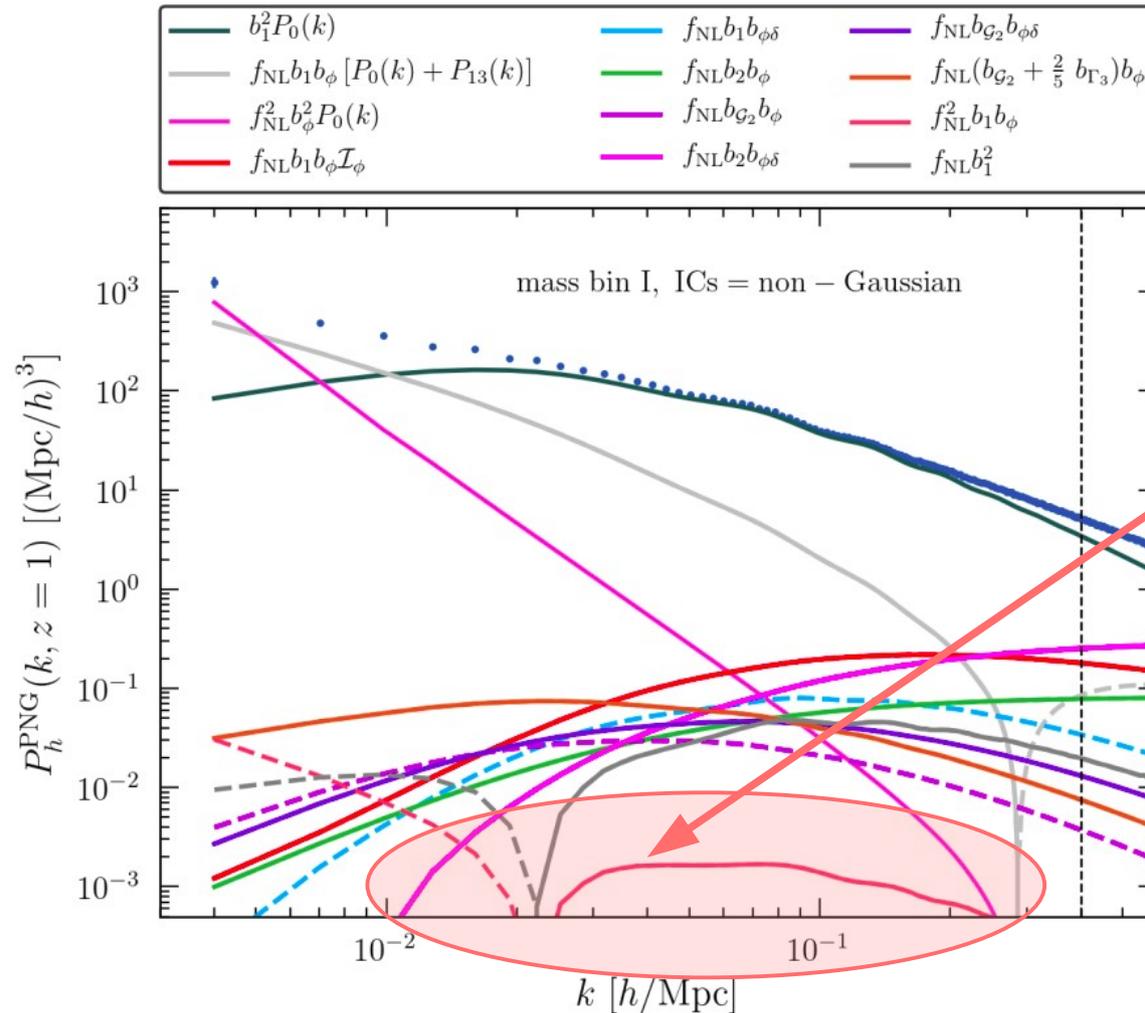
$$\langle \delta_g \delta_m \rangle = b_1 \langle \delta_m \delta_m \rangle + b_1 [b_\phi f_{\text{NL}}] \langle \delta_m \phi \rangle$$

- Lensing does break degeneracies between  $b_1$  and  $\sigma_8$ , but not between  $b_\phi$  and  $f_{\text{NL}}$ .
- Lensing bispectrum is not a sensitive probe of  $f_{\text{NL}}$ .  
(Jeong, Schmidt & Sefusatti 2011)

# Ways to break the $b_\phi f_{\text{NL}}$ degeneracy? #3

- The 1-loop power spectrum breaks the degeneracy, but only negligibly.

Moradinezhad Dizgah+2020



- Term  $\sim b_\phi f_{\text{NL}}^2$  breaks the degeneracy, but is 4 orders of magnitude smaller.
- Only relevant if  $f_{\text{NL}} \sim 1.0e4$ .

# Can we marginalize over the PNG bias ?

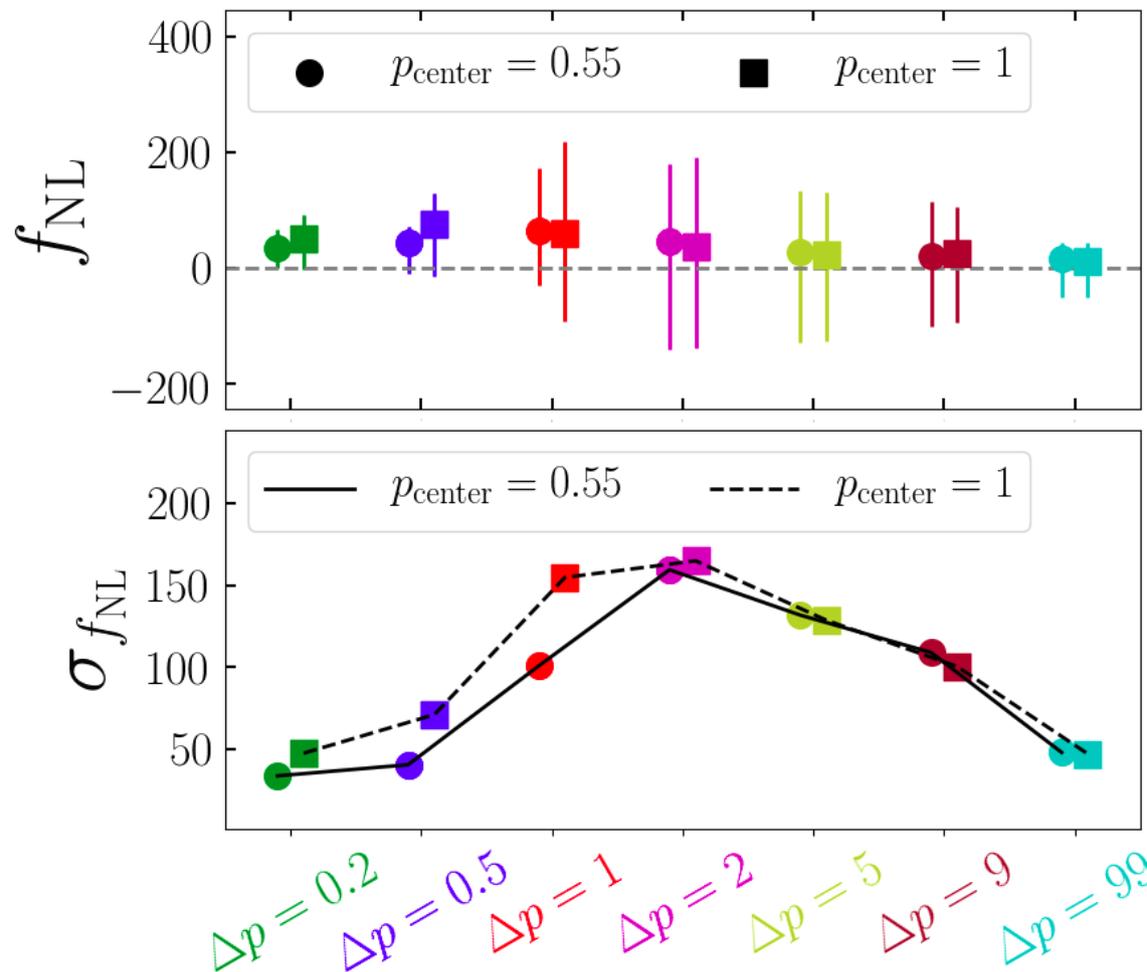
Marginalizing over the local PNG bias parameters is ill-defined.

Impact of marginalizing over the  $b_\phi(b_1)$  relation  
(power spectrum only)

$$b_\phi = 2\delta_c(b_1 - p)$$

- **Narrow priors** bias the result if they are centered at the wrong value.
- **Wide priors** bias the result due projection effects that drive the constraints to zero.

*Be careful with “loose” priors: they still dominate the constraints!*  
(cf. also Moradinezhad+ (2020))



# Can the **bispectrum** help?

Types of contributions to the galaxy bispectrum:

**Leading-order PNG bias**

$$f_{\text{NL}} b_{\phi}$$



Contributes also to the  
power spectrum.

**Primordial bispectrum**

$$f_{\text{NL}} b_1^3$$

**Higher-order PNG bias**

$$f_{\text{NL}} b_{\phi\delta}$$

# Can the bispectrum help?

Types of contributions to the galaxy bispectrum:

Leading-order PNG bias

$$f_{\text{NL}} b_{\phi}$$

Contributes also to the power spectrum.

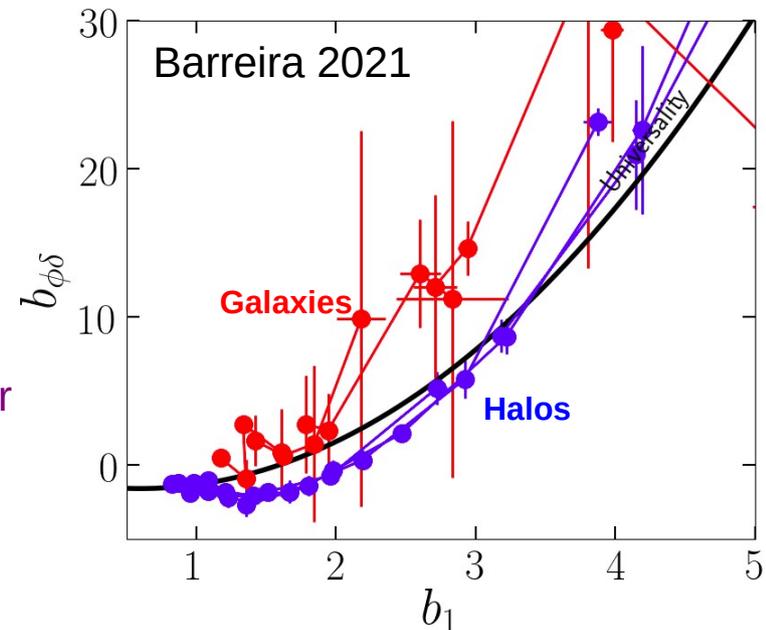
Primordial bispectrum

$$f_{\text{NL}} b_1^3$$

Higher-order PNG bias

$$f_{\text{NL}} b_{\phi\delta}$$

Large uncertainty also on higher-order PNG bias parameters



# Can the **bispectrum** help?

## Types of contributions to the galaxy bispectrum:

### Leading-order PNG bias

$$f_{\text{NL}} b_{\phi}$$

Contributes also to the power spectrum.

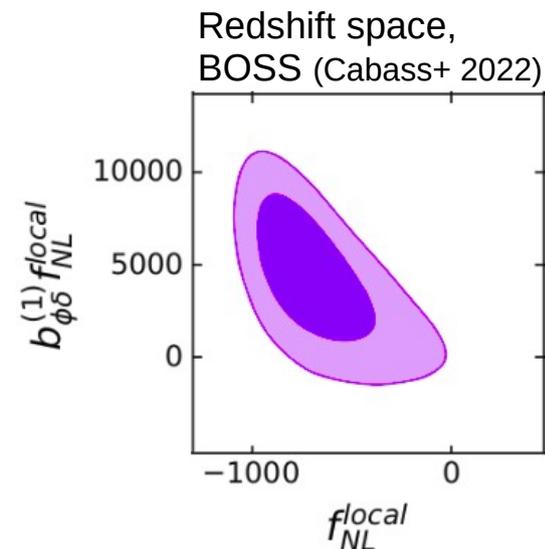
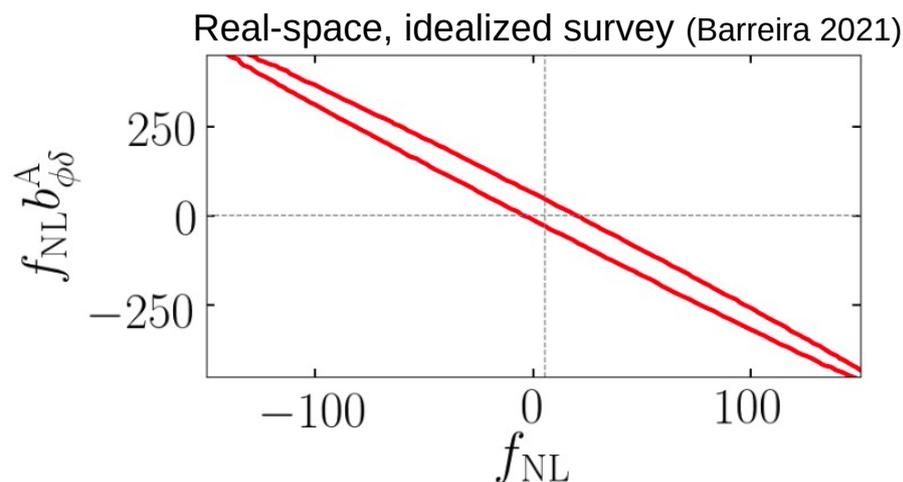
### Primordial bispectrum

$$f_{\text{NL}} b_1^3$$

### Higher-order PNG bias

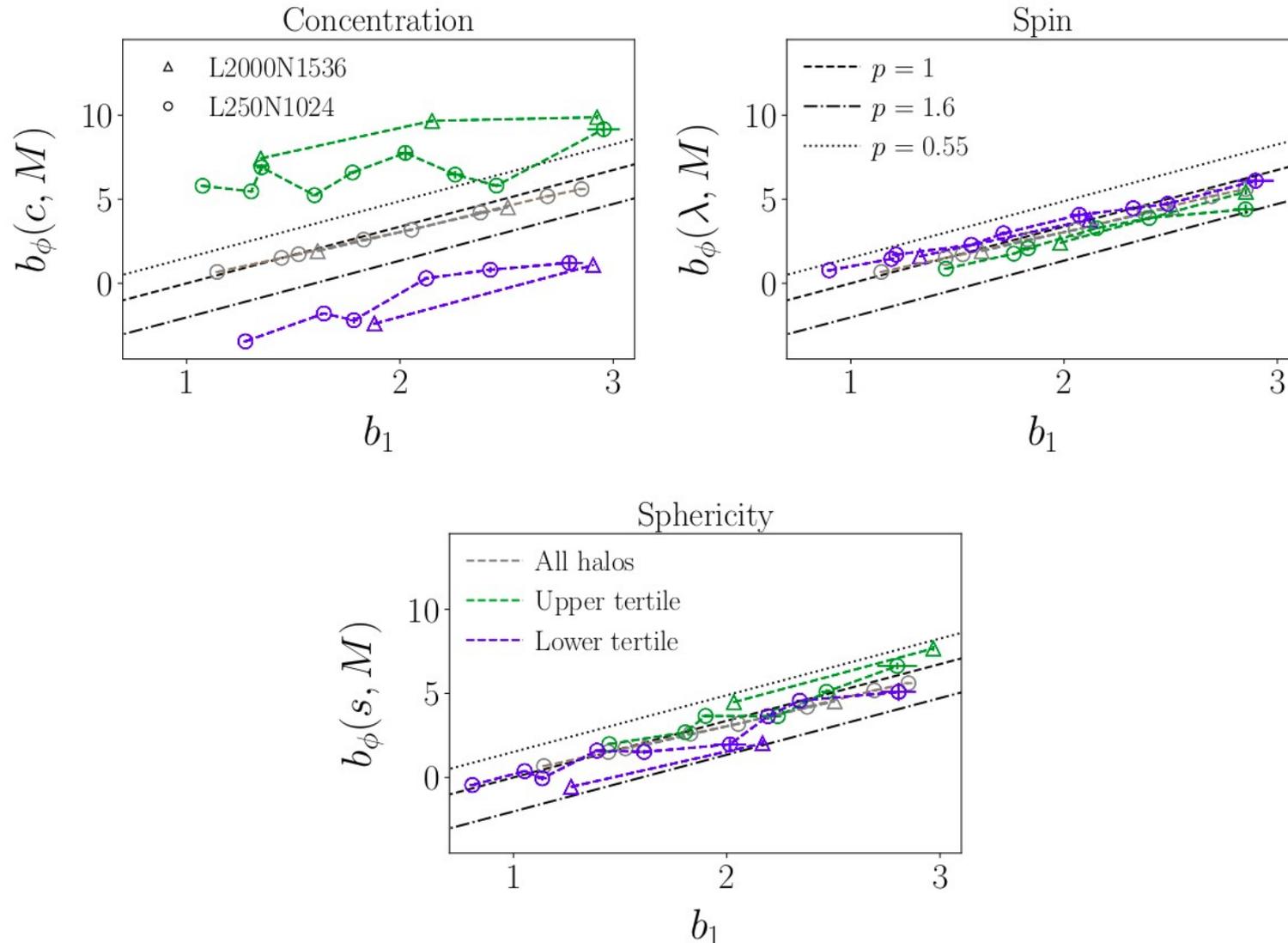
$$f_{\text{NL}} b_{\phi\delta}$$

Have similar scale-dependence in the galaxy bispectrum, i.e. **the higher-order PNG bias washes the primordial signal.**



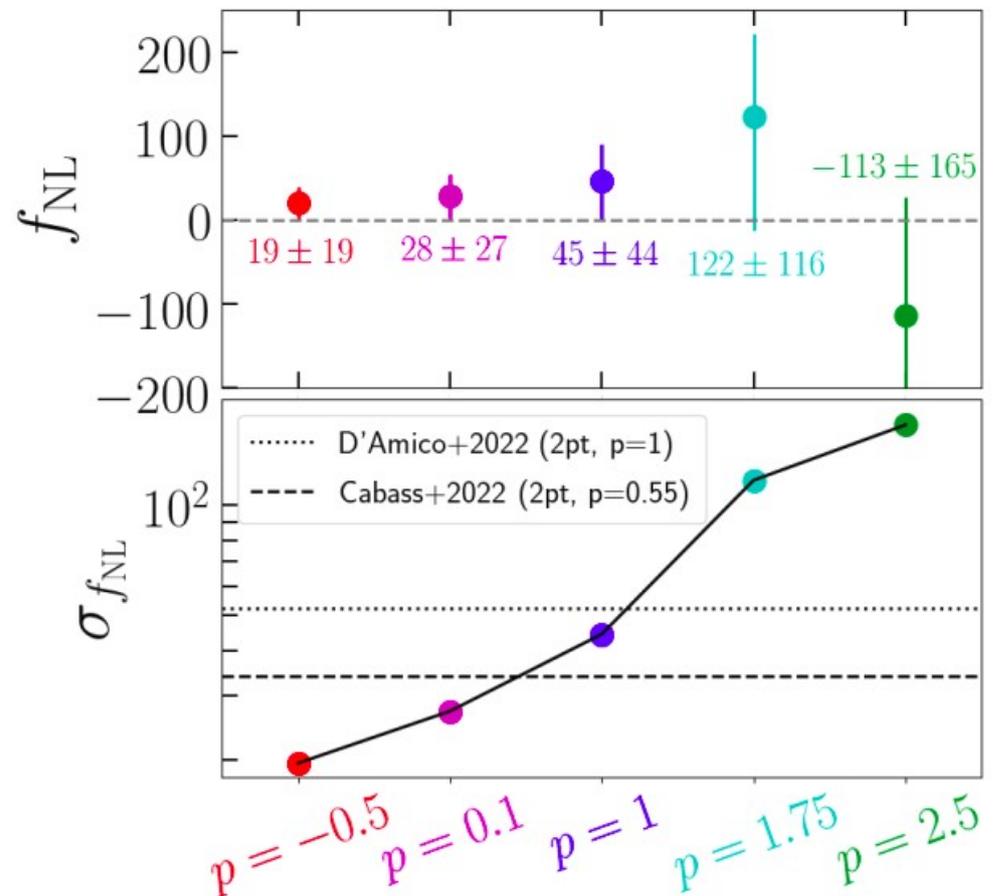
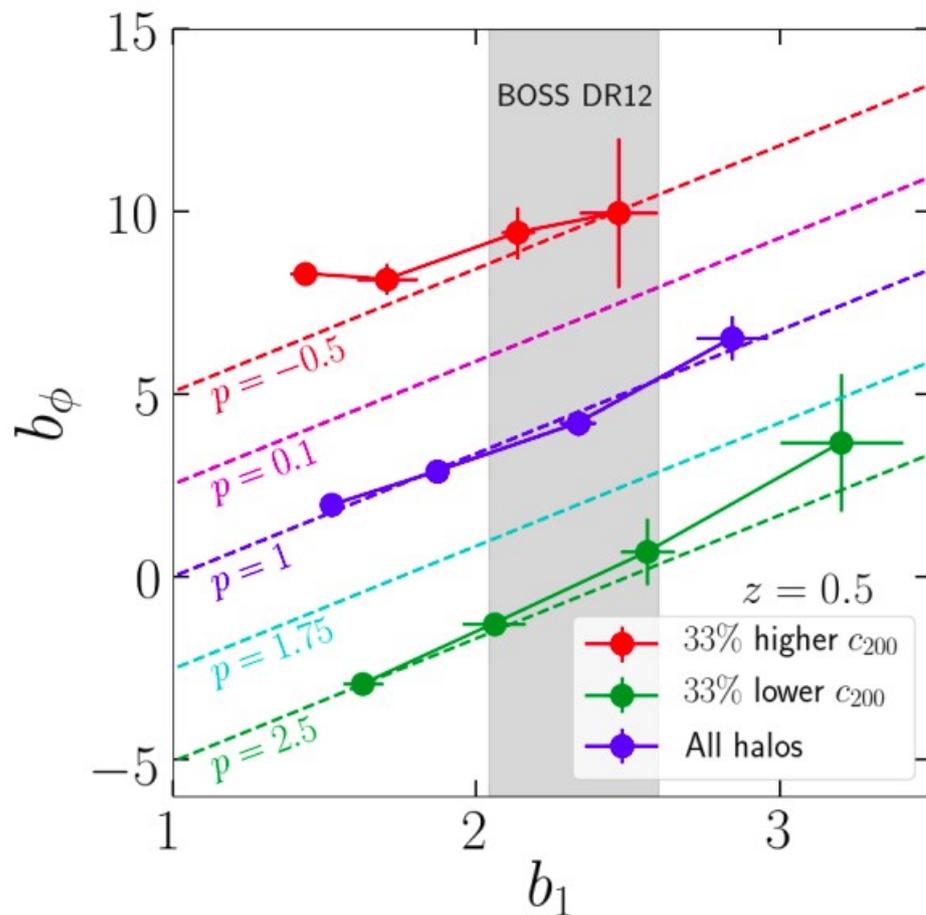
# Assembly bias in the **local PNG halo bias**

- Halo concentration impacts the  $b_\phi(b_1)$  relation very significantly.
- Halo spin and sphericity have a much milder impact on the  $b_\phi(b_1)$  relation.



# Assembly bias in the local PNG halo bias

- The constraints on  $f_{\text{NL}}$  depend strongly on the concentration of the halos that are assumed to host these galaxies.
- A good knowledge of (at least) the host halo concentration distributions of galaxies is necessary in order to robustly constrain  $f_{\text{NL}}$ .



# Significance of detection analyses

Independently of the PNG galaxy bias relations,  
**we can only constrain the product  $f_{NL}b_\phi$ .**

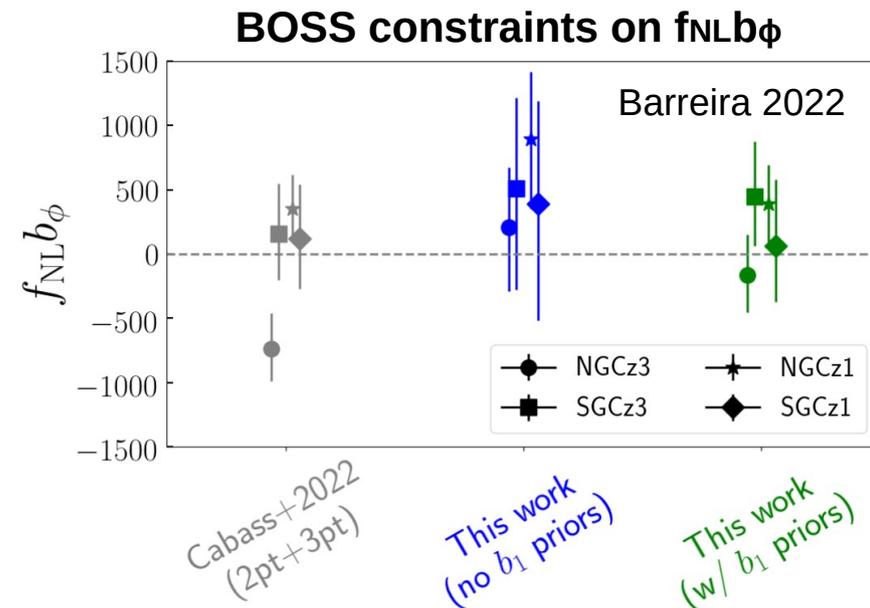
## Pros:

- Can still be used to detect local PNG, and thus rule out single-field inflation!
- Independent of assumptions about galaxy bias;

## Cons:

- The value and error bar on  $f_{NL}$  cannot be known.  
*"When do we stop looking for  $f_{NL}$ ?"*
- Cannot compare/combine constraints with the CMB;
- The bispectrum becomes less useful.

Barreira (2020), 2009.06622  
Barreira (2021), 2107.06887



Barreira (2022)  
2205.05673