



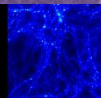
# Signatures of ULTRALIGHT DARK MATTER in **DUNE**

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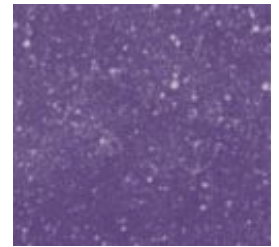
in collaboration with **Abhish Dev**  
and **Pedro A. N. Machado**  
17th MultiDark Consolider Workshop  
Presentation based on arXiv:2007.03590

Original manuscript  
is accepted for  
publication (JHEP)

**MultiDark**  
Multimessenger Approach  
for Dark Matter Detection



**DUNE\*** could detect **ultralight scalars**  
via **signal time modulations** and  
**distorted neutrino oscillations.**



\*Other neutrino oscillation experiments too.

# Neutrino oscillations in a nutshell

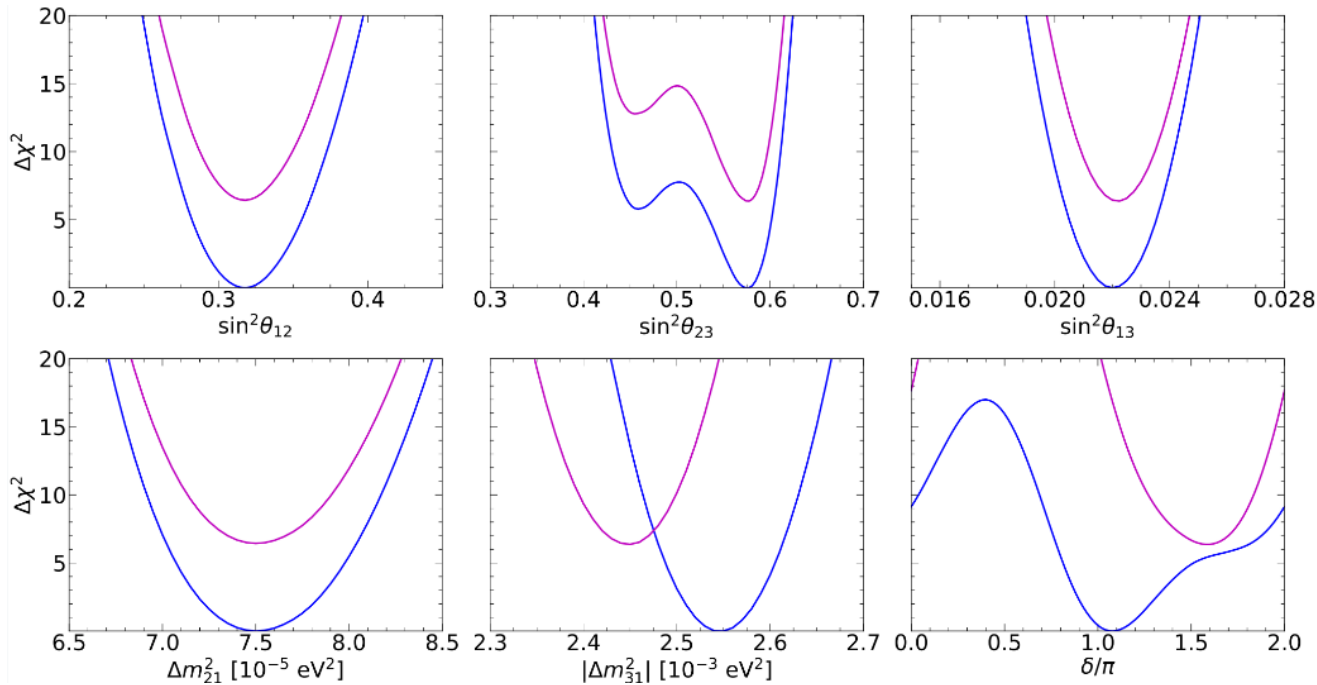
Quantum phenomena with a **L/E** dependence.

Parametrised in terms of **3 angles**, **1 phase**  
and **2 mass splittings**.

Tested against different **sources**, **baselines** and  
**energies** for **neutrinos** and **antineutrinos**.

Neutrino **interactions with matter** can  
significantly alter the picture.

Neutrino oscillation experiments have reached the precision era.



**de Salas *et al.* JHEP XX (2021) XXX (2006.11237)**  
**<https://globalfit.astroparticles.es>**

See also:

Esteban *et al.* JHEP 09 (2020) 178,

Capozzi *et al.* PRD 101 (2020) 11, 116013 (addendum)

# ULTRALIGHT DM\*

Ultralight dark matter seems to offer a solution to three **small-scale cosmological puzzles**:

- Cups-vs-core,
- Missing satellite,
- And too-big-to-fail problem.

\*Ultralight refers to a mass scale much smaller than the eV scale.

# Ultralight scalars and neutrinos

An ultralight scalar field

See **G.Krnjaic et al**  
Phys.Rev.D 97 (2018) 7, 075017

$$\phi(x, t) \simeq \frac{\sqrt{2\rho_\phi}}{m_\phi} \sin [m_\phi(t - \vec{v} \cdot \vec{x})]$$

coupling (effectively) to neutrinos as

$$\mathcal{L}_{\text{eff}} = -m_\nu \left( 1 + y \frac{\phi}{\Lambda} \right) \bar{\nu} \nu + \text{h.c.}$$

induces time dependencies on the mass splittings and also on the mixing angles (depending on the flavour structure of the coupling)

$$\Delta m_{ij}^2(t) \equiv m_i^2(t) - m_j^2(t) \simeq \Delta m_{ij}^2 [1 + 2\eta \sin(m_\phi t)]$$

$$\theta_{ij}(t) = \theta_{ij} + \eta \sin(m_\phi t),$$

The mass of the ultralight scalar is related to the modulation period

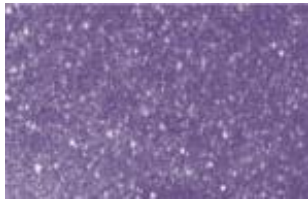
$$\tau_\phi \equiv \frac{2\pi\hbar}{m_\phi} = 0.41 \left( \frac{10^{-14} \text{ eV}}{m_\phi} \right) \text{ seconds.}$$

There are three characteristic time scales in the experimental set up:

- **Time of flight,  $\tau_\nu$ .**
- **Time between two events (inverse of the event rate),  $\tau_{\text{evt}}$ .**
- **Lifetime of the experiment,  $\tau_{\text{exp}}$ .**

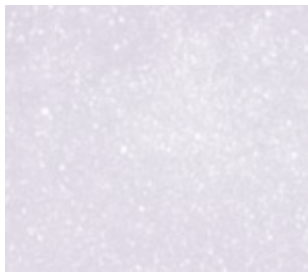
Mass range:  $\sim 10^{-13} - 10^{-23}$  eV

Three regimes can be identified.



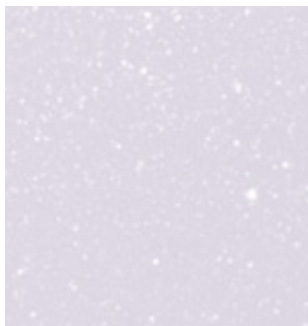
**Signal time modulation** ( $\tau_{\text{evt}} \lesssim \tau_{\phi} \ll \tau_{\text{exp}}$ ).

A temporal variation could be measured in experiments with large statistics and high event rates.



**Averaged Distorted Neutrino Oscillations (DiNOs)** ( $\tau_{\nu} \ll \tau_{\phi} \ll \tau_{\text{evt}}$ ).

Modulation is too fast but its averaging leads to deviations from the standard picture.

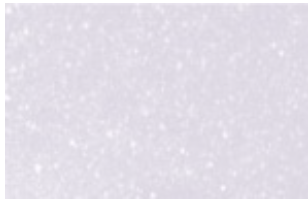


**Dynamical Distorted Neutrino Oscillations**  
( $\tau_{\phi} \sim \tau_{\nu}$ ).

Propagation modelled by a modified (time-dependent) matter potential. If matter variations are too fast, one recovers standard oscillations.

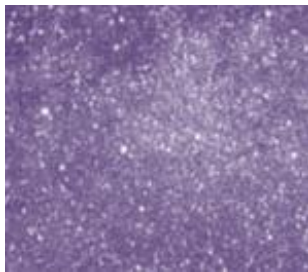


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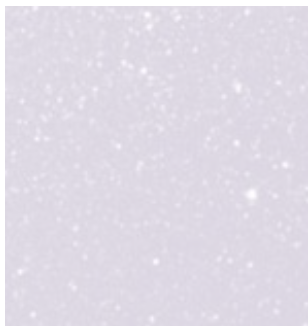
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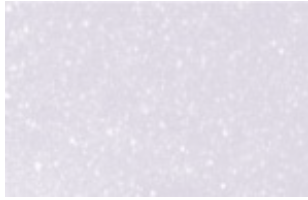
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**Dynamical Distorted Neutrino Oscillations**  
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## Three regimes can be identified.



**Signal time modulation** ( $\tau_{\text{evt}} \lesssim \tau_{\phi} \ll \tau_{\text{exp}}$ ).

A temporal variation could be measured in experiments with large statistics and high event rates.



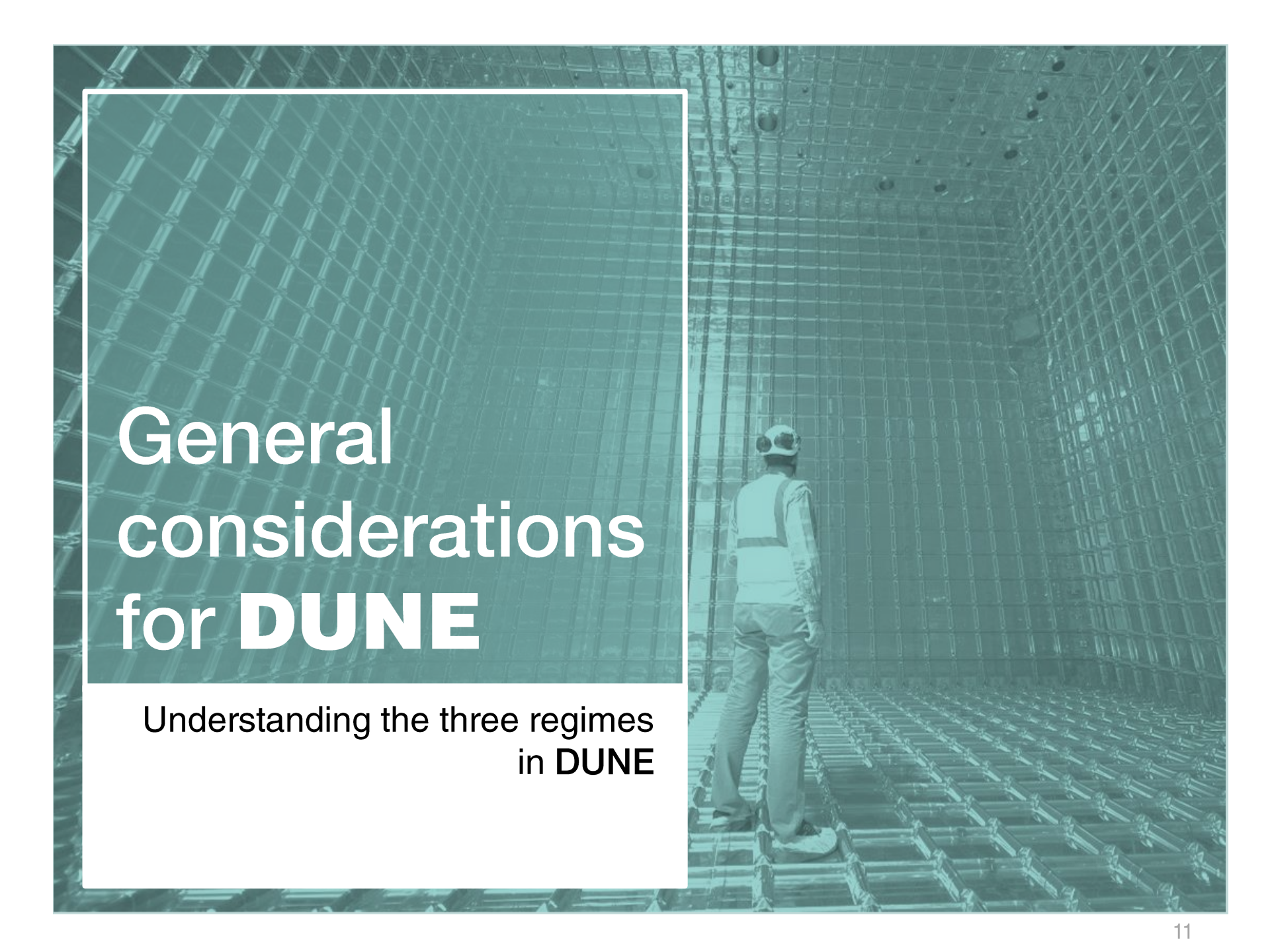
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Propagation modelled by a modified (time-dependent) matter potential. If matter variations are too fast, one recovers standard oscillations.



# General considerations for **DUNE**

Understanding the three regimes  
in **DUNE**

# DUNE

## Deep Underground Neutrino Experiment

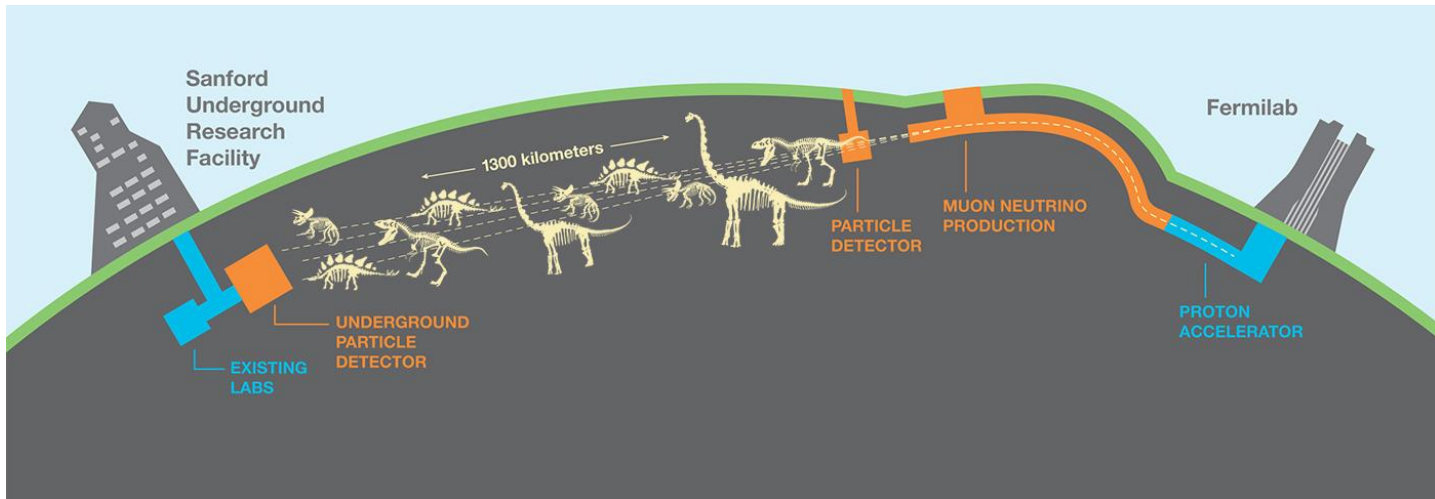
Next-generation neutrino experiment.

**High-energy** neutrino beam.

Far detector 1300km away from source.

**Large statistics** expected.

**Good energy reconstruction.**

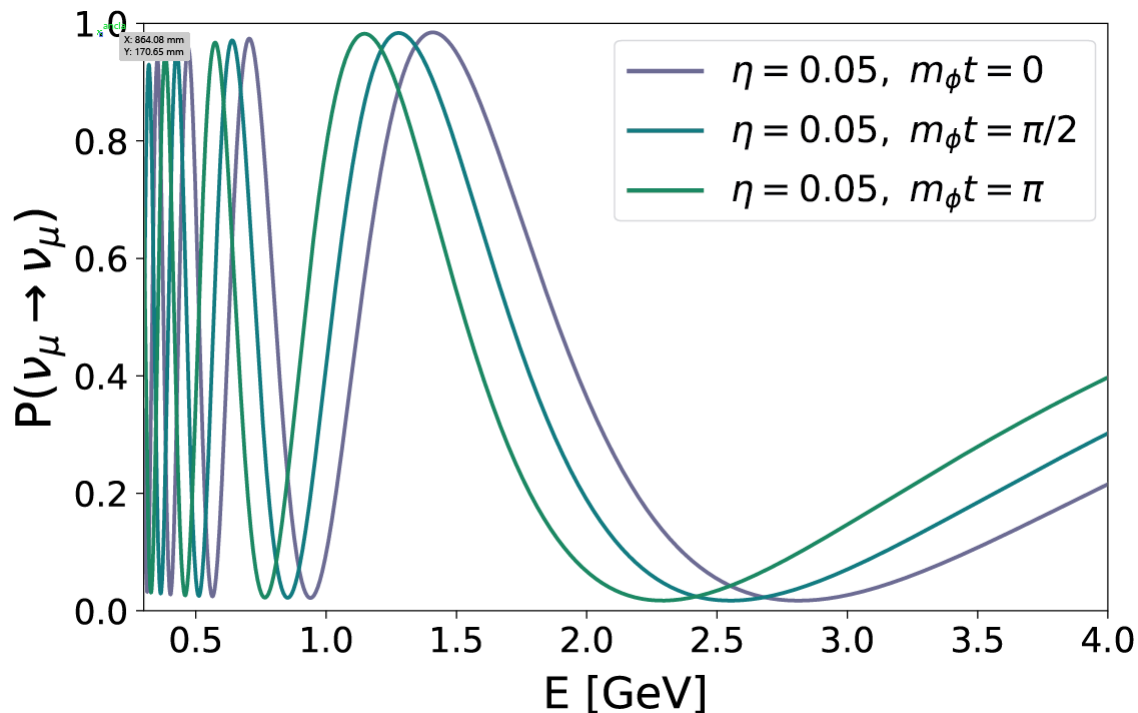


**For**  $\Delta m_{31}^2(t)$

## Signal time modulation

Maxima and minima shift with time, leading to changes in the average disappearance probability.

$$P_{\mu\mu}^{\text{mass}} \simeq 1 - \sin^2(2\theta) \sin^2 \left\{ \left( \frac{\Delta m^2 L}{4E} \right) [1 + 2\eta \sin(m_\phi t)] \right\}$$

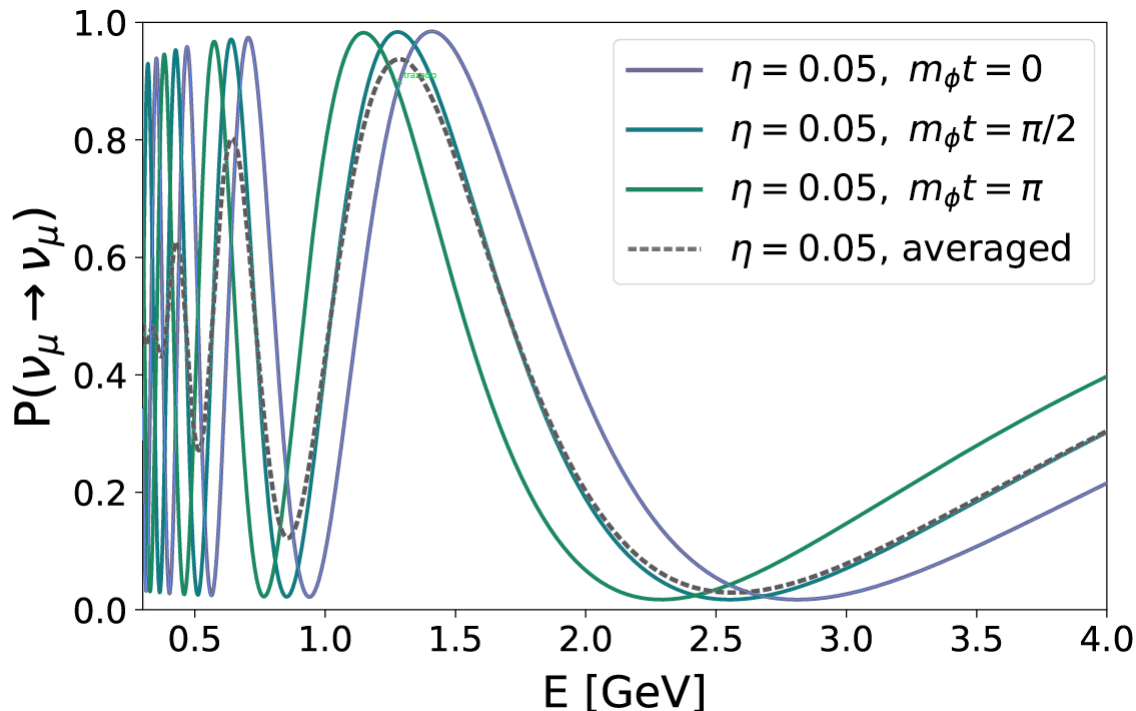


# For $\Delta m_{31}^2(t)$ Average DiNOs

Very fast modulations get averaged and lead to a distortion in the disappearance probability.

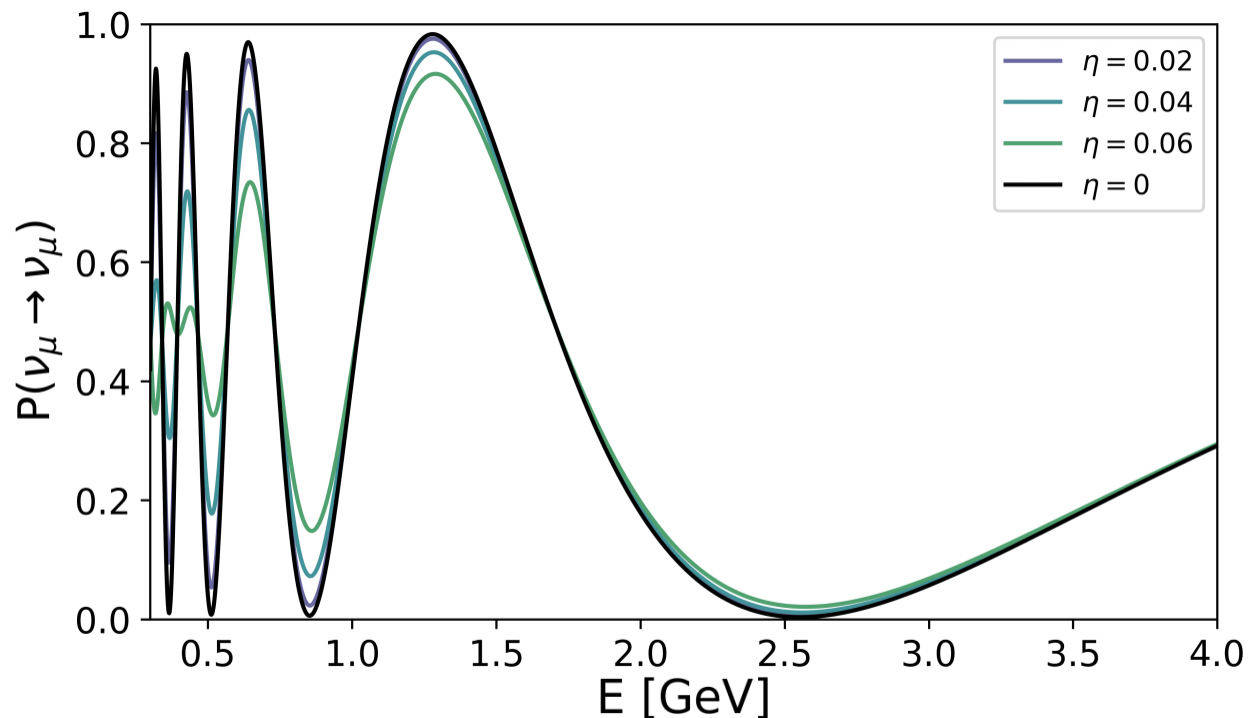
Maxima and minima are not shifted so its determination is not expected to be affected.

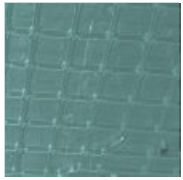
$$\langle P_{\alpha\beta} \rangle = \frac{1}{\tau_\phi} \int_0^{\tau_\phi} dt P_{\alpha\beta}(t)$$



# For $\Delta m_{31}^2(t)$ Average DiNOs

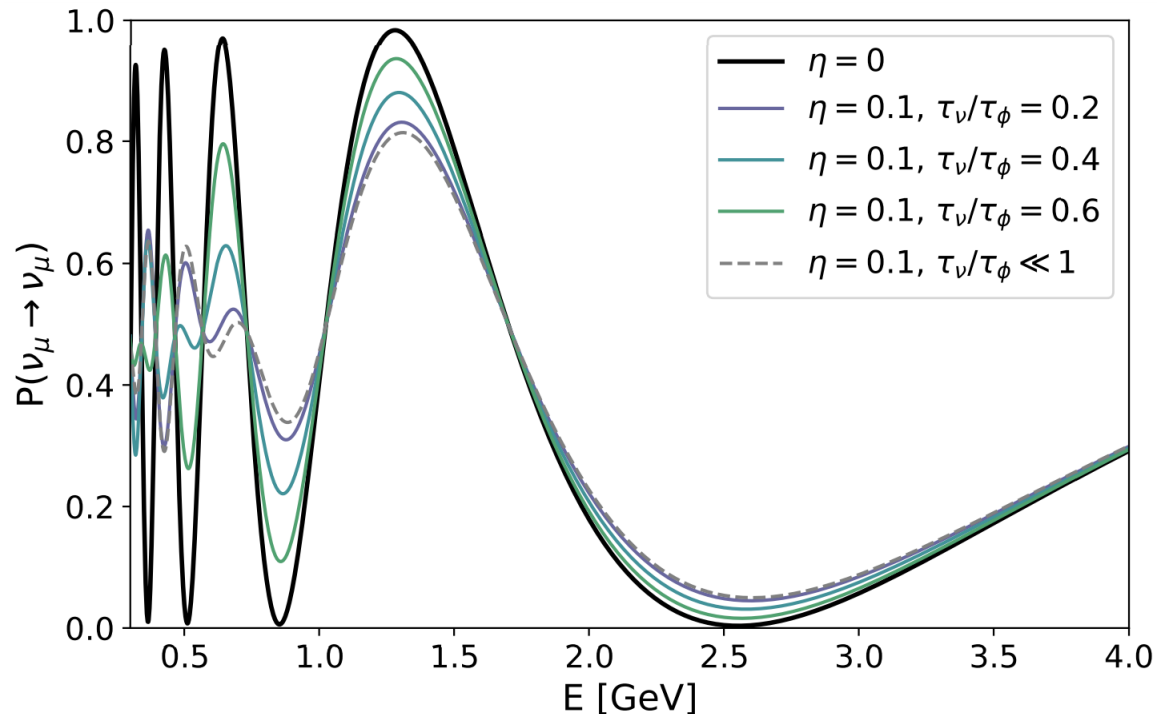
For different values of  $\eta$ , different smearing of the oscillation probability.





## For $\Delta m_{31}^2(t)$ Dynamical DiNOs

- As the value of  $\tau_\nu/\tau_\phi$  gets larger, the effect shrinks.
- As the value of  $\tau_\nu/\tau_\phi$  gets smaller, one recovers the averaged regime.

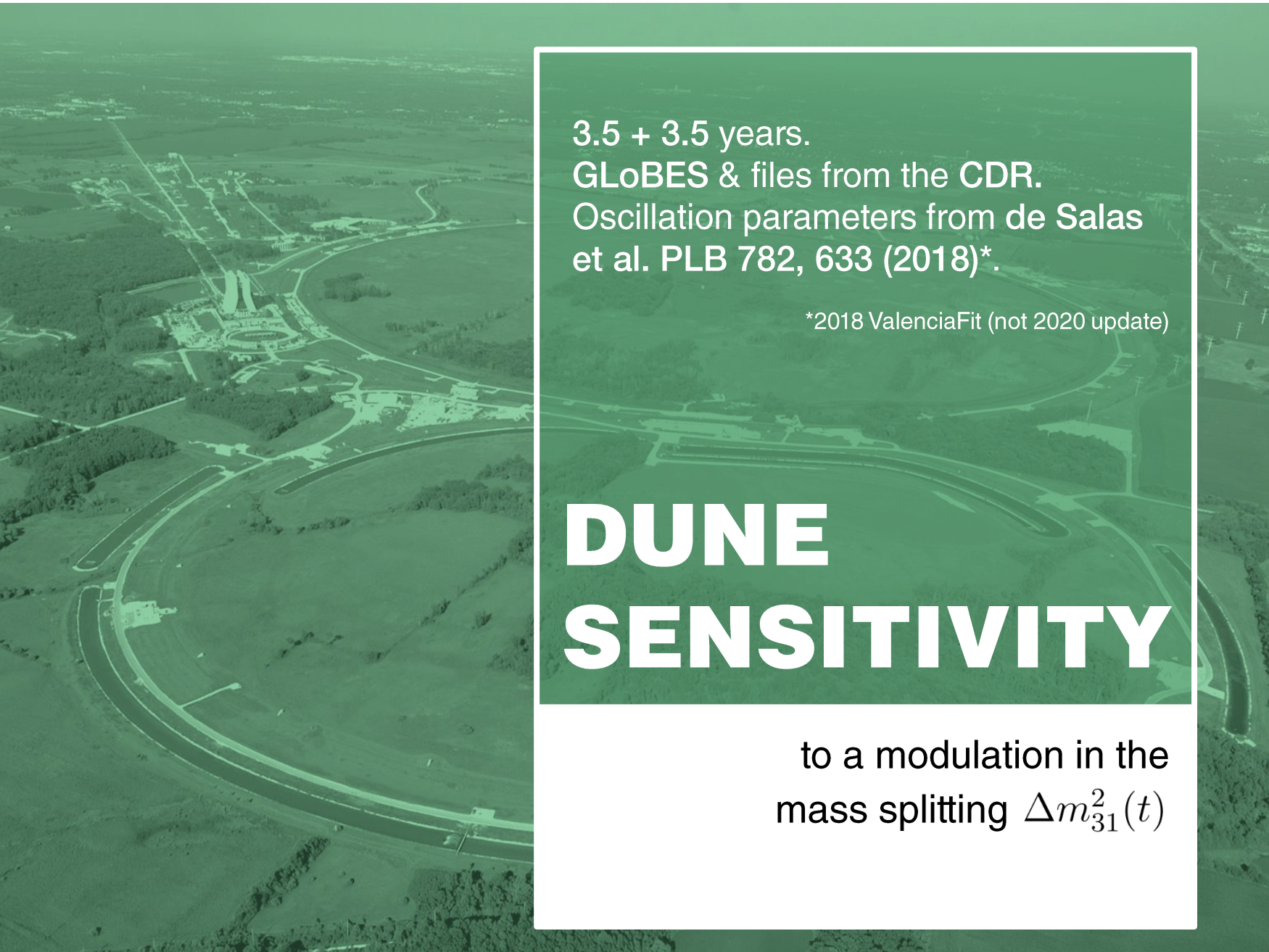






# DUNE SENSITIVITY

to a modulation in the  
mass splitting  $\Delta m_{31}^2(t)$



3.5 + 3.5 years.  
GLoBES & files from the CDR.  
Oscillation parameters from de Salas  
et al. PLB 782, 633 (2018)\*.

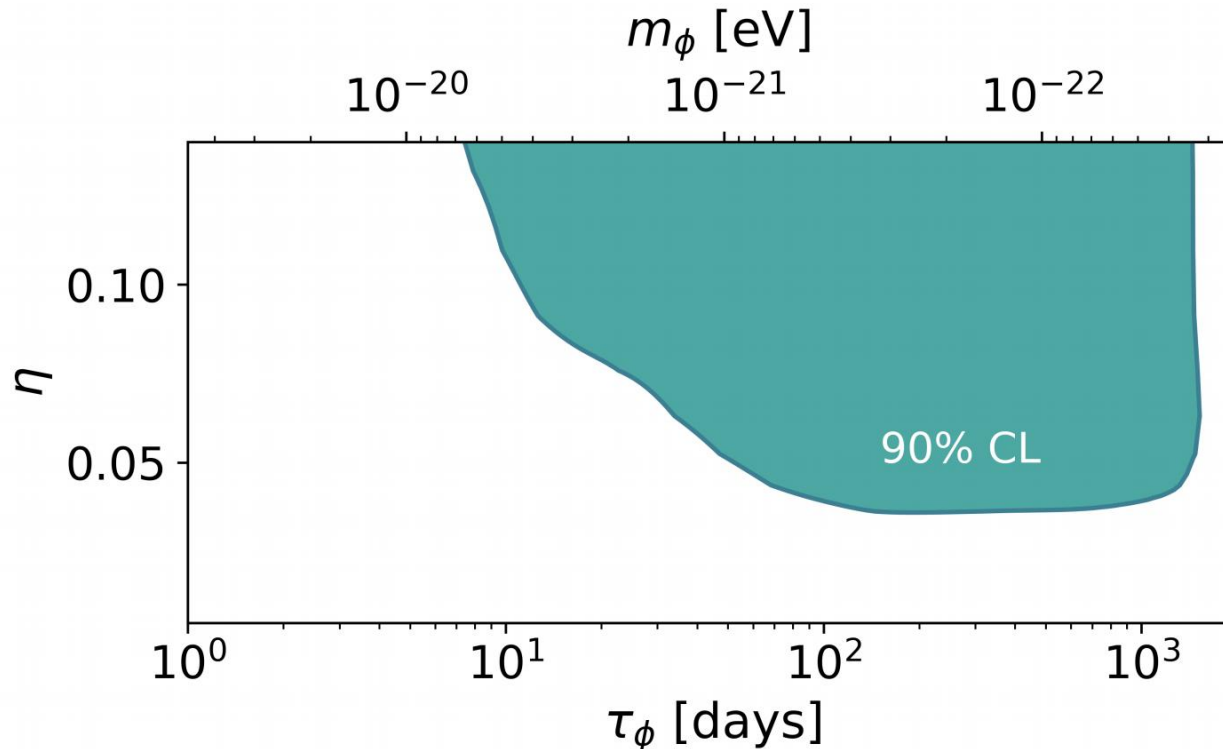
\*2018 ValenciaFit (not 2020 update)

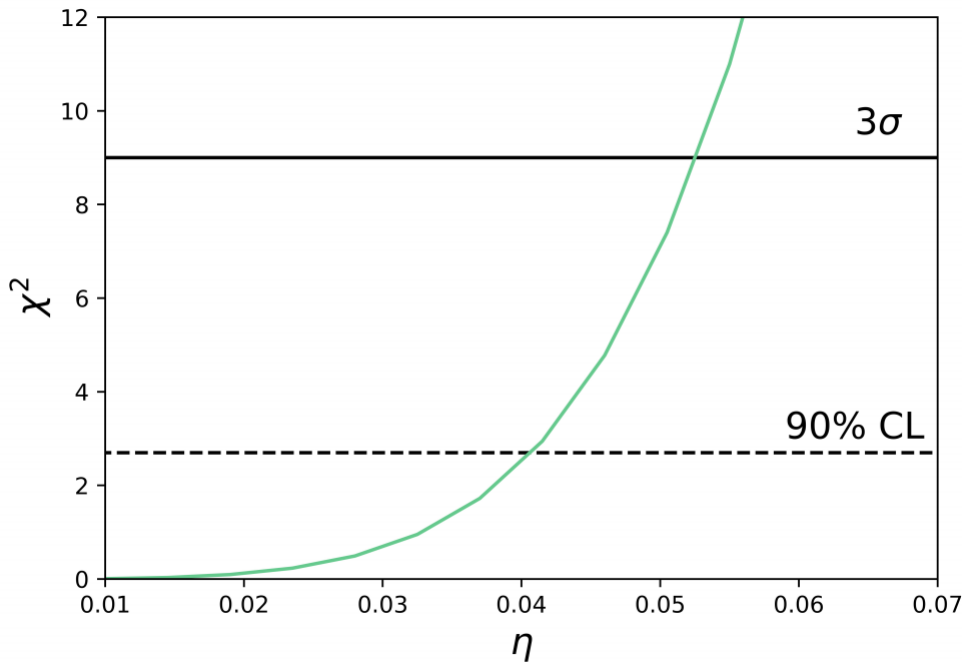
# DUNE SENSITIVITY

to a modulation in the  
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# Lomb Scargle periodogram and signal time modulation

Lomb Scargle (LS) analysis using different binning in time allows to cover a wide range of modulation periods (from  $\sim 3$  years to  $\sim$  week).

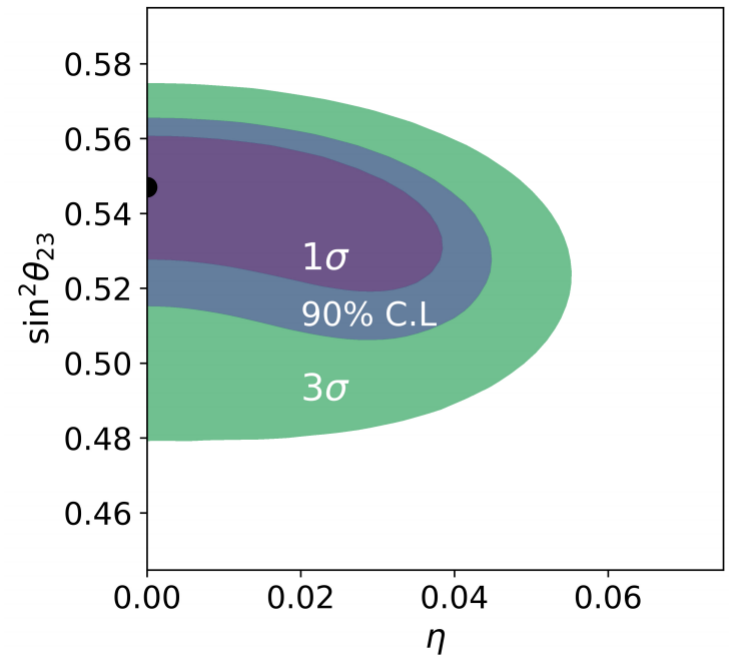
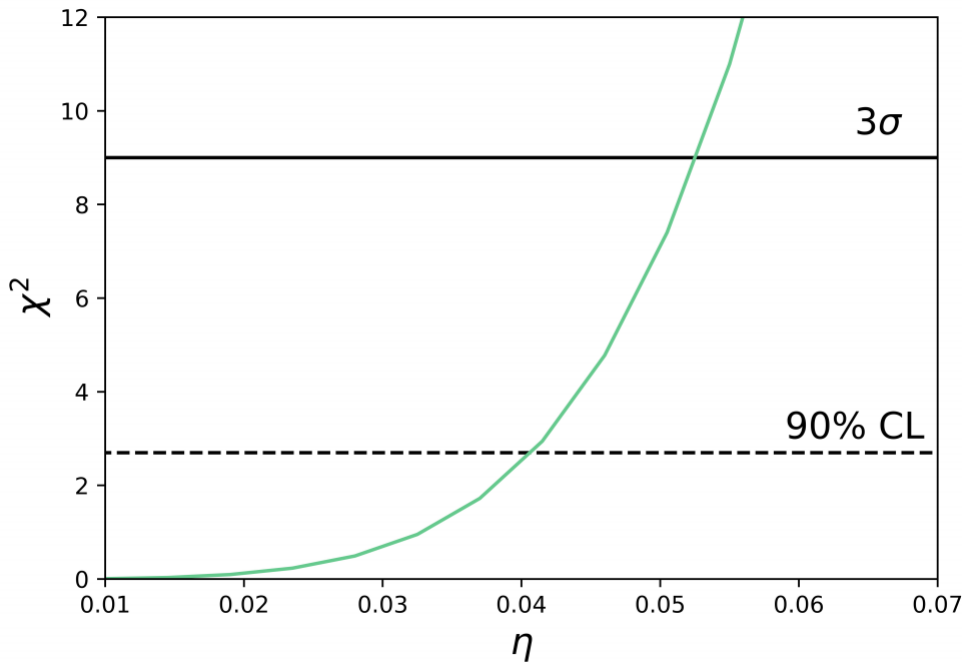




$$\langle P_{\alpha\beta} \rangle = \frac{1}{\tau_\phi} \int_0^{\tau_\phi} dt P_{\alpha\beta}(t)$$

**DUNE** could find evidence for such distortions ( $3\sigma$  for  $2\eta \sim 0.1$ ).

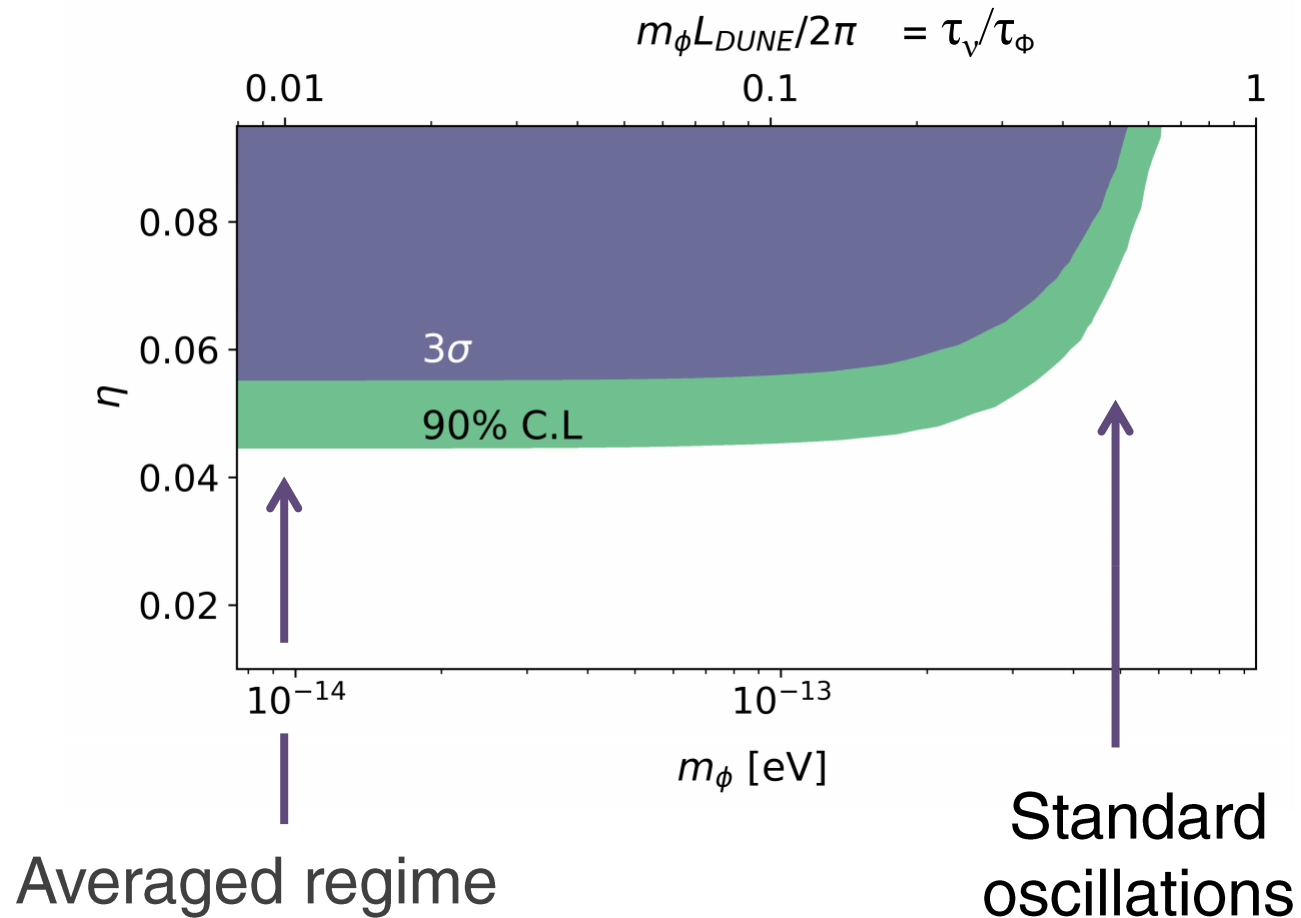
Only a small degeneracy with  $\theta_{23}$  is found.



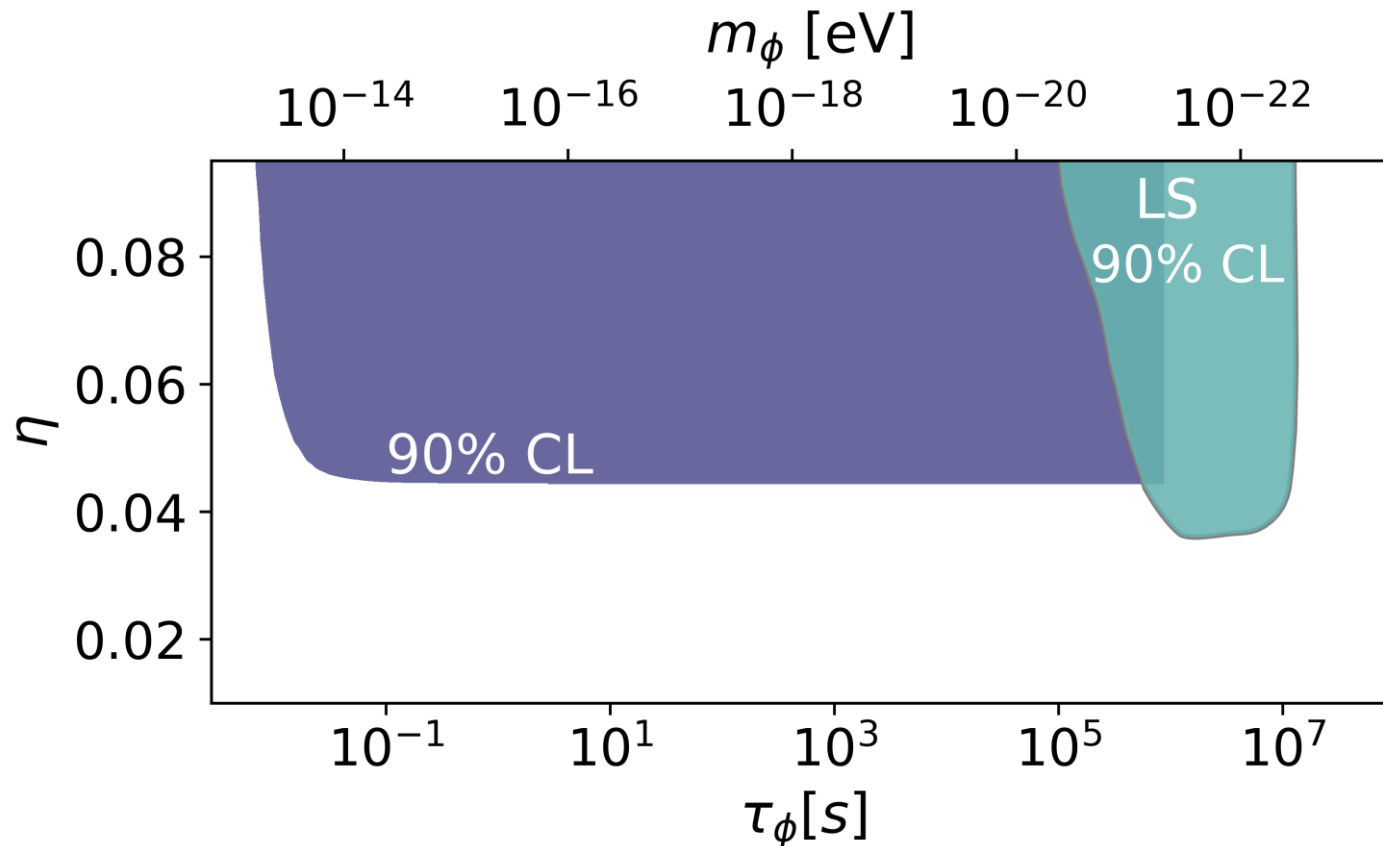
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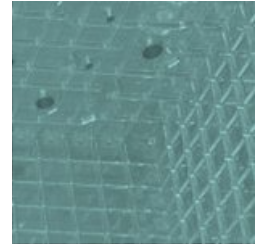
# Dynamical DiNOs



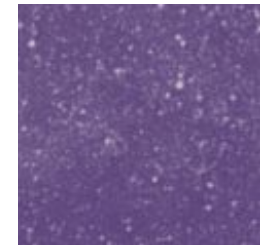
Combining the **Lomb Scargle** approach (LS) with searches for **Distorted Neutrino Oscillations** allows to cover almost ten orders of magnitude in masses and a large range of modulation amplitudes.



**Take-home** message:



**DUNE** could detect **ultralight scalars**  
via **signal time modulations** and  
**distorted neutrino oscillations.**



**Thank you.**





