

Semi-Visible Dark Photons and the Muon $g - 2$

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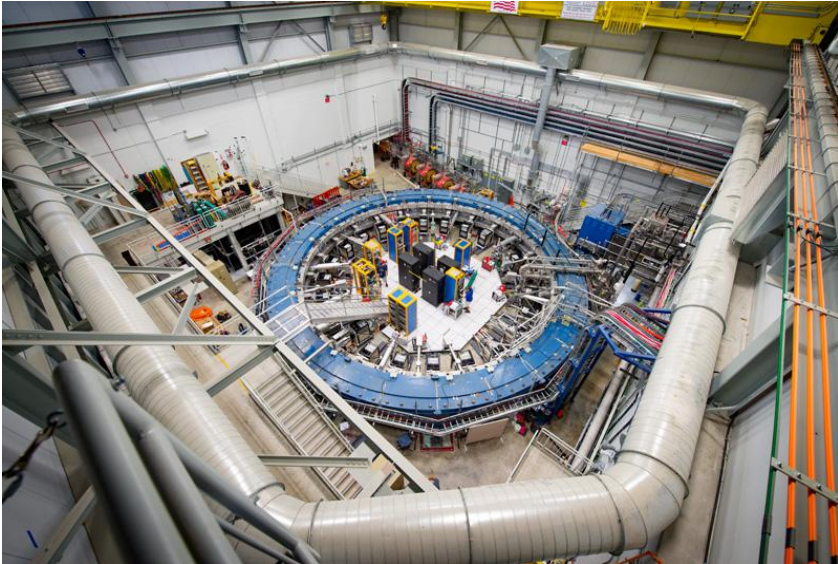


**in collaboration with*

M. Hostert (UMN, PI), D. Massaro (UNIBO, UC Louvain) and S. Pascoli (UNIBO)

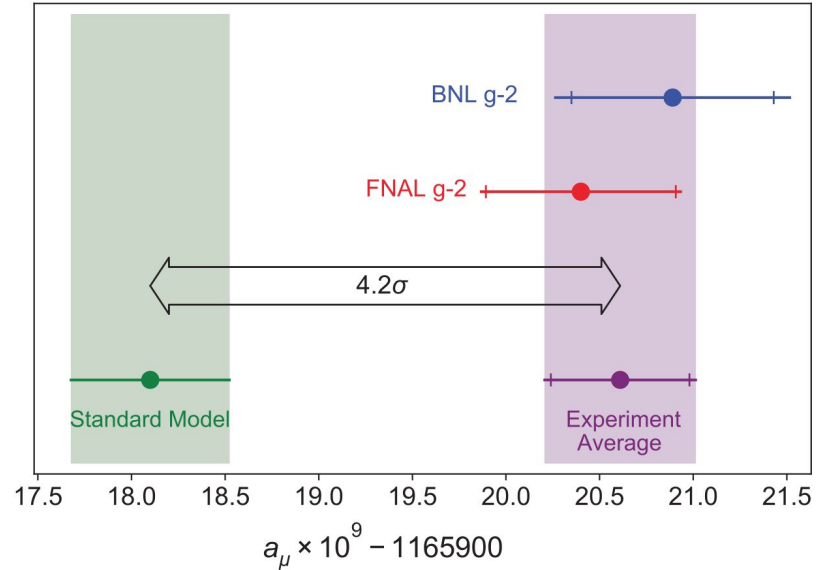
Motivation

Muon g-2 experiment seems to confirm existing tension with SM



<https://mod.fnal.gov/mod/stillphotos/2017/0100/17-0188-19>

B. Abi, et al. Phys. Rev. Lett. 126, 141801 (2021)



Combined BNL and FNAL result at **4.2 σ** deviation from the SM theory prediction

Article

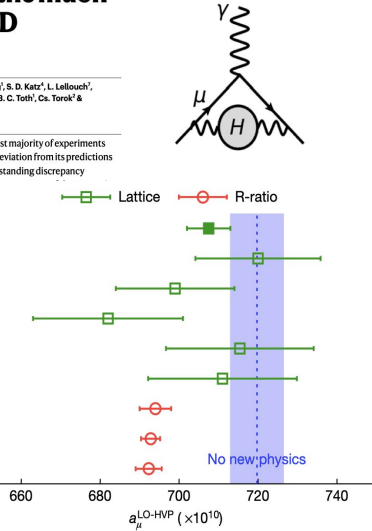
Leading hadronic contribution to the muon magnetic moment from lattice QCD

<https://doi.org/10.1038/s41586-021-03418-1>
 Received: 2 August 2020
 Accepted: 4 March 2021
 Published online: 7 April 2021
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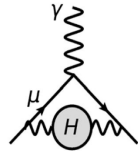
Sz. Borsanyi¹, Z. Fodor^{1,2,3,4,5,6,7}, J. N. Guenther^{4,6,7}, C. Hoelbling¹, S. D. Katz¹, L. Lellouch¹, T. Lippert¹, K. Miura^{1,8,9}, L. Parato¹, K. K. Szabo^{1,8}, F. Stokes¹, B. C. Toth¹, Cs. Torok¹ & L. Vernhorst^{1,10}

The standard model of particle physics describes the vast majority of experiments and observations involving elementary particles. Any deviation from its predictions would be a sign of new, fundamental physics. One long-standing discrepancy concerns the anomalous magnetic moment of the muon, a_μ . The dominant source of the discrepancy is the hadronic vacuum polarization (HVP) contribution, which is the leading-order correction to the muon's magnetic moment. This work provides a new calculation of the HVP contribution using lattice QCD, which is a non-perturbative method for studying the strong interactions of quarks and gluons. The result is in good agreement with the experimental value and the SM prediction, suggesting that the discrepancy is not due to new physics.

This work
 Gérardin et al.³²
 Davies et al.³³
 Giusti et al.³⁴
 Blum et al.¹⁹
 Borsanyi et al.¹⁴
 Davier et al.³
 Keshavarzi et al.⁴
 Colangelo et al.⁵
 Hoferichter et al.⁶



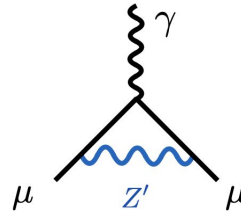
DOI: 10.1038/s41586-021-03418-1



Among the possibilities is the existence of a **dark photon (DP)**

$$\mathcal{L}_{\text{SM}} = \frac{\varepsilon}{2c_W} F_{\mu\nu} X^{\mu\nu} - \frac{1}{4} X_{\mu\nu} X^{\mu\nu} + \frac{m_X^2}{2} X_\mu X^\mu$$

DP provides a positive contribution to Δa_μ



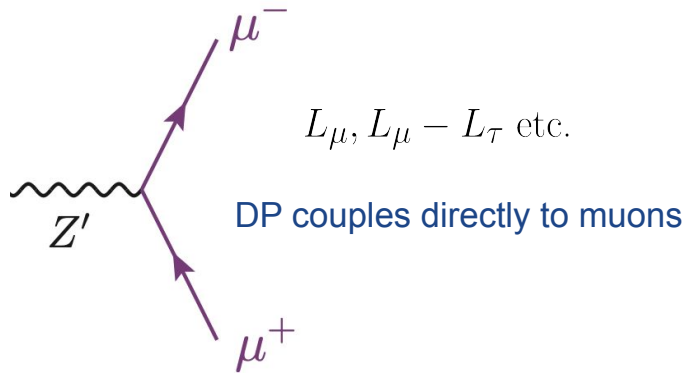
$$\Delta a_\mu \propto \int_0^1 dz \frac{2zm_\mu^2(1-z)^2}{m_\mu^2(1-z)^2 + zm_{Z'}^2}$$

M. Pospelov, Phys. Rev. D80, 095002

Possible that the discrepancy is purely SM but exciting to consider otherwise!

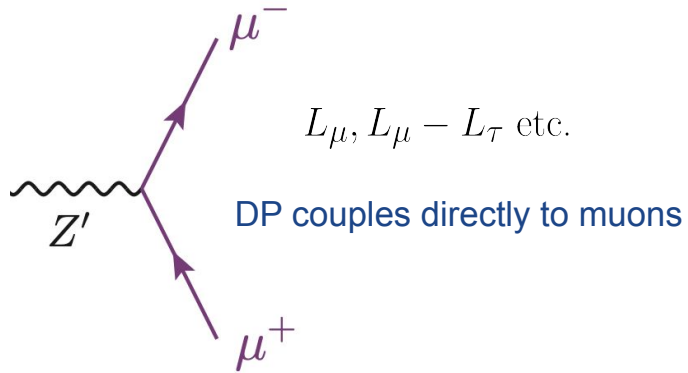
Motivation

New interactions from gauging accidental U(1) symmetries of SM, e.g.

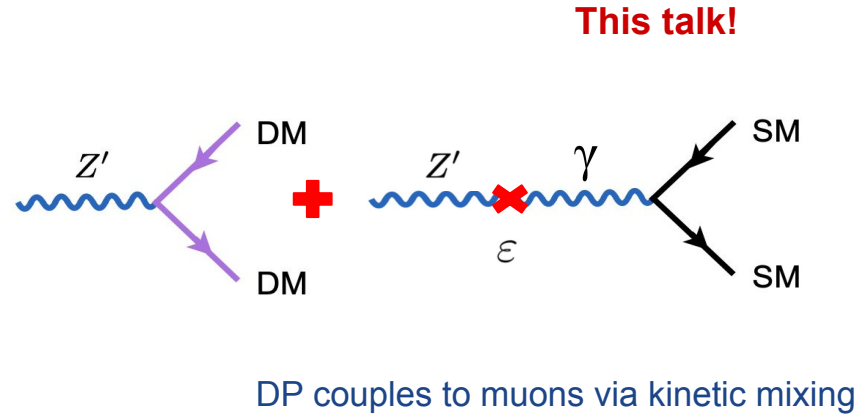


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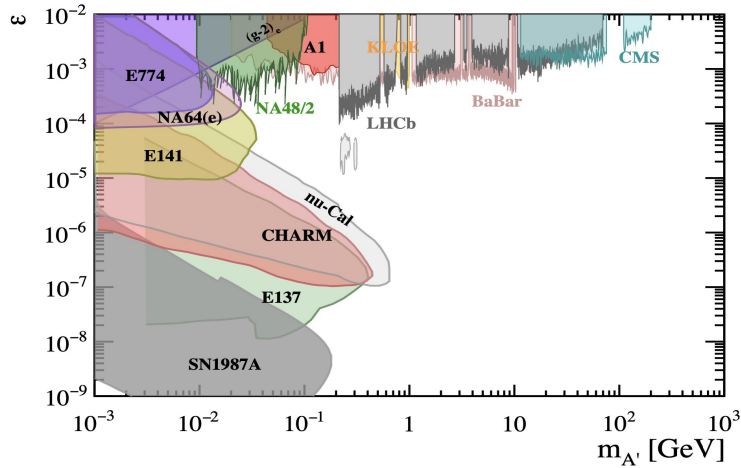
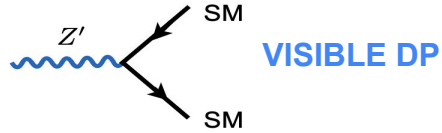


Or comprise a new and secluded dark sector, e.g. a U(1)_X



Motivation

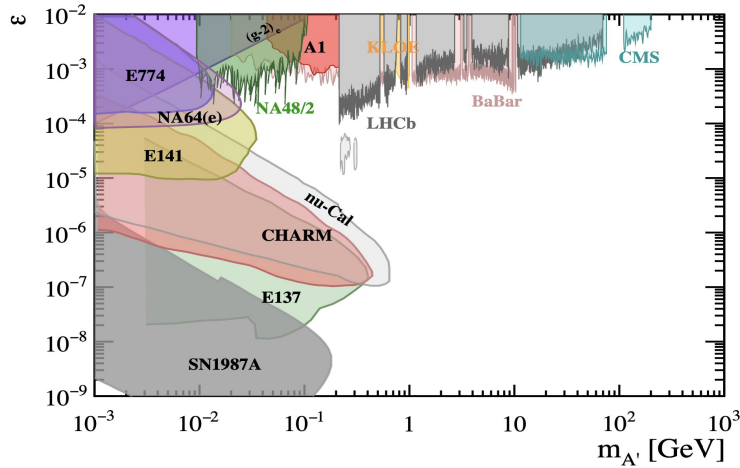
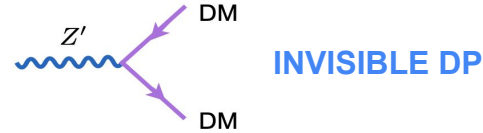
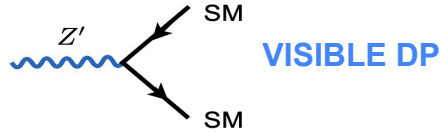
Minimal models of kinetically mixed DPs have already been studied by numerous experiments



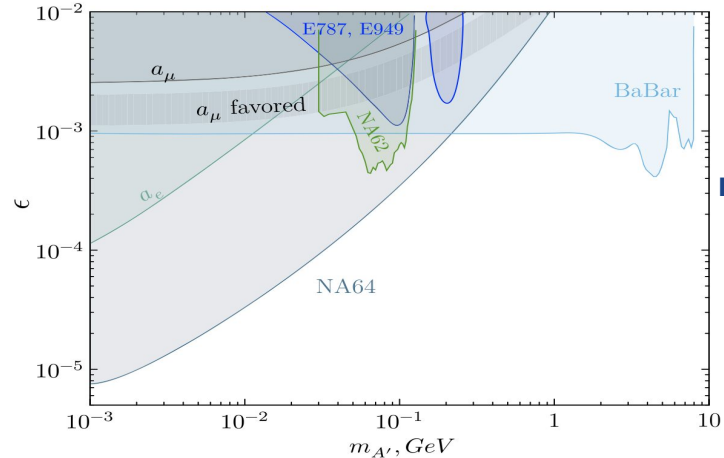
Fabbrichesi, et al. 10.1007/978-3-030-62519-1

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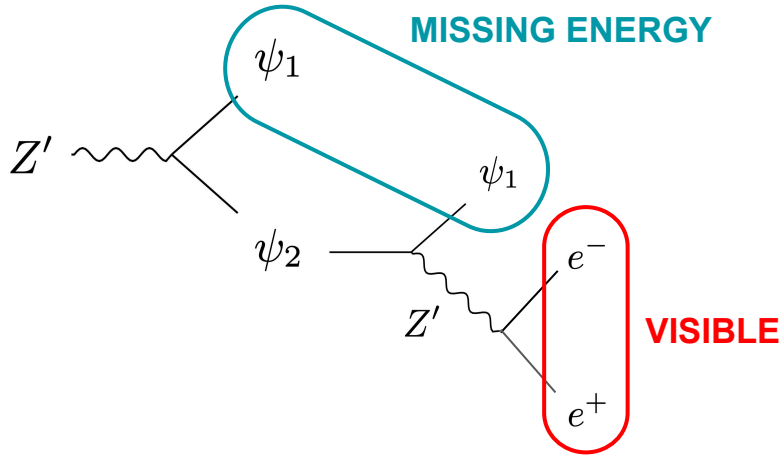


D. Banerjee et al, PRL 123, 121801 (2019)

A g-2 solution is excluded in the minimal scenarios

Motivation

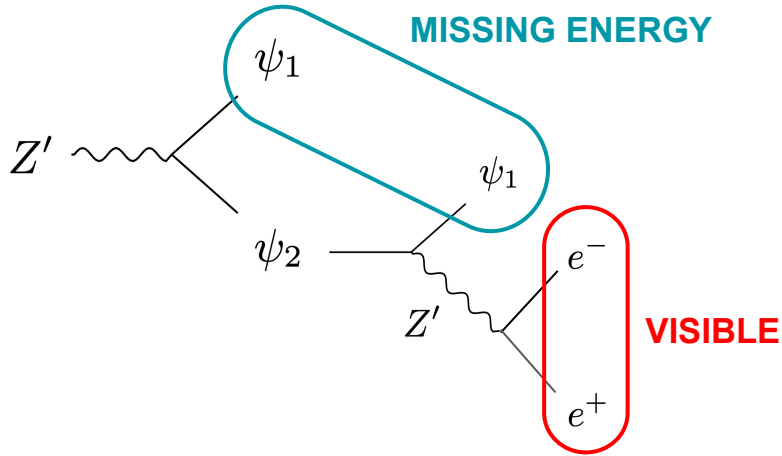
Recently, **SEMI-VISIBLE DPs** have been invoked as a potential solution



G.Mohlabeng, *10.1103/PhysRevD.99.115001*

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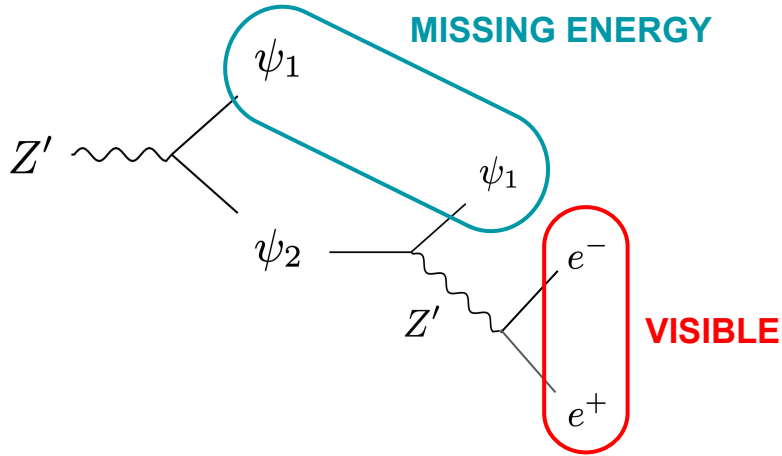


✓ Evades visible DP searches with **missing energy**

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Motivation

Recently, **SEMI-VISIBLE DPs** have been invoked as a potential solution



- ✓ Evades visible DP searches with **missing energy**
- ✓ Evades invisible DP searches with **visible final states**

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- 2) Which models does it point us toward?

Rest of this talk

- **Semi-visible DP models**

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 - Inelastic DM (iDM)
 - Dirac iDM (i2DM)
 - Heavy Neutral Leptons

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- **Future searches + Conclusions**

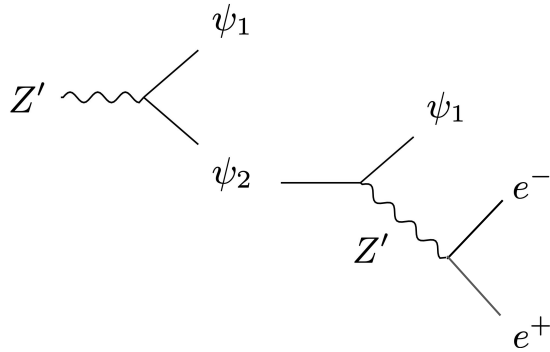
Vector Portal Inelastic Dark Matter

Inelastic Dark Matter (iDM)

- Introduced as a solution to DAMA anomaly *D.Smith, N. Wiener, Phys. Rev. D 64, 043502*

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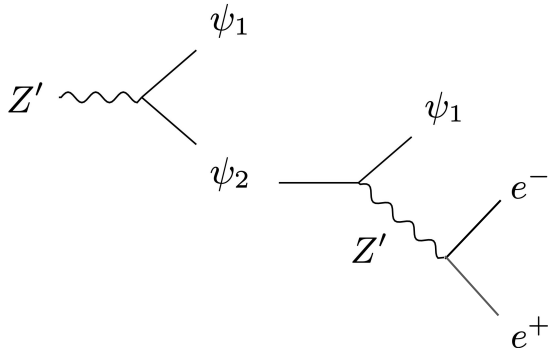
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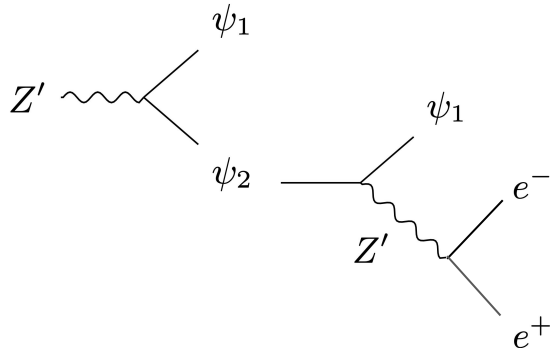
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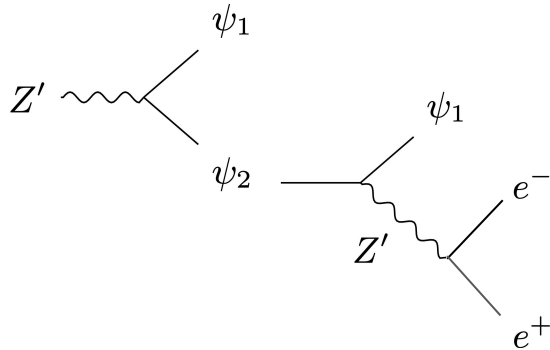


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G. Mohlabeng, Phys. Rev. D99, 115001
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Y.D. Tsai et. al Phys. Rev. Lett. 126 (2021) 181801
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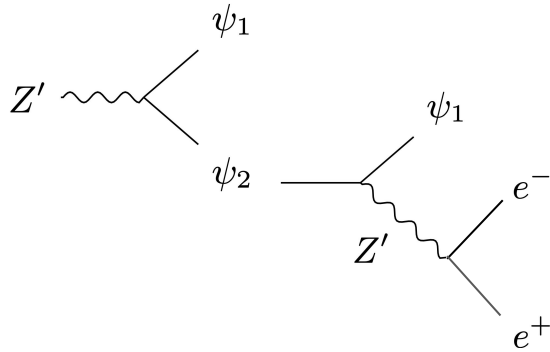
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... and many many more

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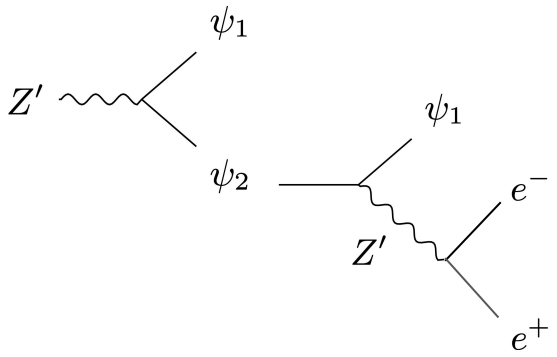
In addition to DP Lagrangian $\mathcal{L} = \mathcal{L}_{\text{SM}} - \frac{\varepsilon}{2c_W} F_{\mu\nu} X^{\mu\nu} - \frac{1}{4} X_{\mu\nu} X^{\mu\nu} + g_X X_\mu \mathcal{J}_X^\mu + \frac{m_X^2}{2} X_\mu X^\mu$



introduce a pair of Weyl fermions,

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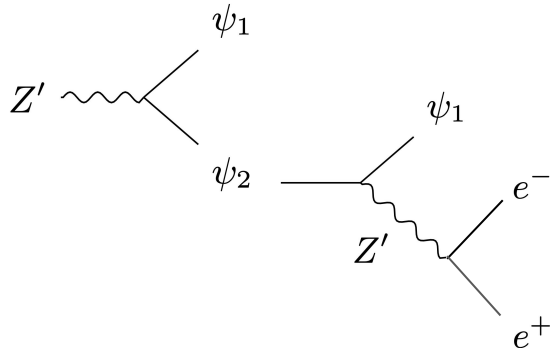


introduce a pair of Weyl fermions,

$$\mathcal{L} \supset \bar{\chi}_L (i\not{\partial} - g_X Q_L \not{X}) \chi_L + \bar{\chi}_R (i\not{\partial} - g_X Q_R \not{X}) \chi_R + \mathcal{L}_{\text{mass}}$$

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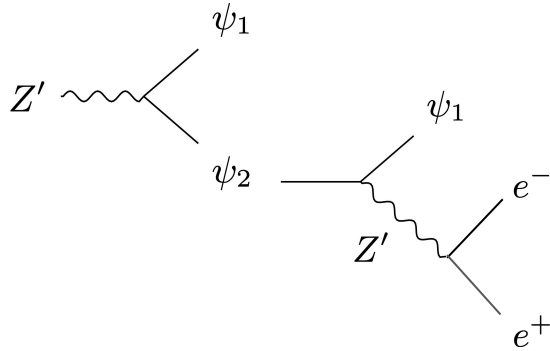
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After SSB of U(1)', generate Majorana masses

$$\mathcal{L}_{\text{mass}} = -\frac{1}{2} \begin{pmatrix} \overline{\chi}_L & \overline{\chi}_R^c \end{pmatrix} \begin{pmatrix} \mu_L & m_D \\ m_D & \mu_R \end{pmatrix} \begin{pmatrix} \chi_L^c \\ \chi_R \end{pmatrix} + \text{h.c.}$$

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In the mass basis,

$$\mathcal{L}_{\text{mass}} = \frac{m_1}{2} \bar{\psi}_1 \psi_1 + \frac{m_2}{2} \bar{\psi}_2 \psi_2 + \text{h.c.}$$

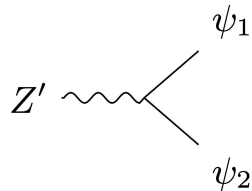
$$m_{1,2} = \frac{\mu_L + \mu_R}{2} \pm \sqrt{M_D^2 + \left(\frac{\mu_R - \mu_L}{2}\right)^2} \quad \text{and} \quad \Delta = \frac{m_2 - m_1}{m_1}$$

Inelastic Dark Matter (iDM)

Dark sector current reads

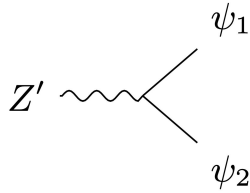
$$\mathcal{J}_X^\mu = \frac{Q_L c_\theta^2 - Q_R s_\theta^2}{2} \bar{\psi}_2 \gamma^\mu \gamma^5 \psi_2 + \frac{Q_L s_\theta^2 - Q_R c_\theta^2}{2} \bar{\psi}_1 \gamma^\mu \gamma^5 \psi_1 \\ + i \frac{Q_L + Q_R}{2} \sin 2\theta \cos \delta \bar{\psi}_2 \gamma^\mu \psi_1 + \frac{Q_L + Q_R}{2} \sin 2\theta \sin \delta \bar{\psi}_2 \gamma^\mu \gamma^5 \psi_1, \quad \text{with } \tan 2\theta = m_D / (\mu_L - \mu_R).$$

In the vector-like limit, $Q_L = Q_R$, and for pseudo-Dirac states



Dark photon couples **purely off-diagonally**,
with diagonal couplings suppressed by a factor $\mu_L - \mu_R$

Inelastic Dark Matter (iDM)



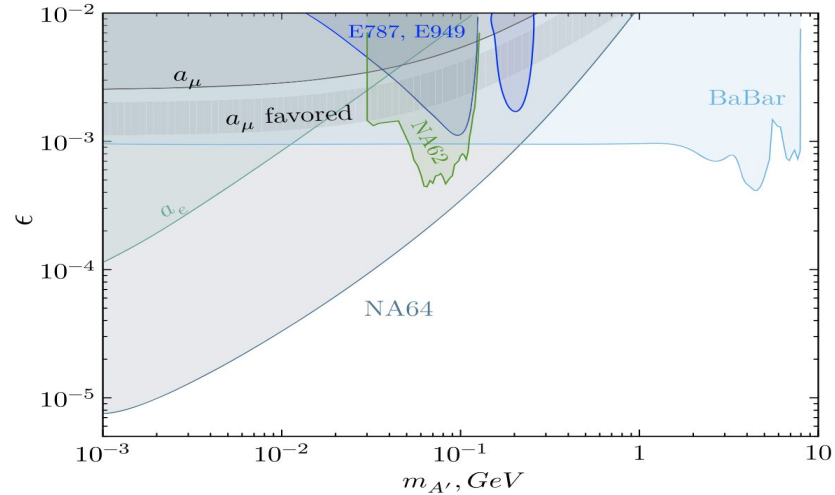
Dark photon couples **purely off-diagonally**,
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- Light state constitute the DM → **relic abundance sourced by co-annihilations**
- Heavy state decays to DM and light SM fermions

**Main constraints
+
Selections for recast**

Constraints on iDM

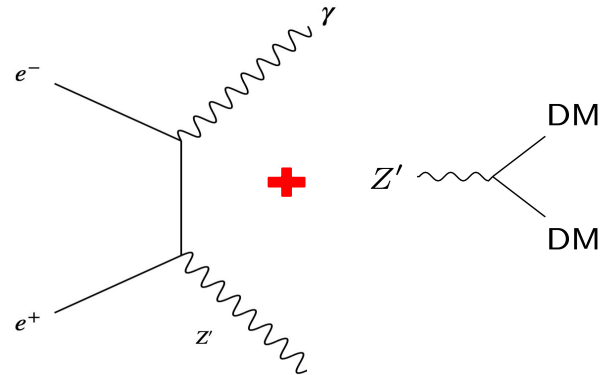
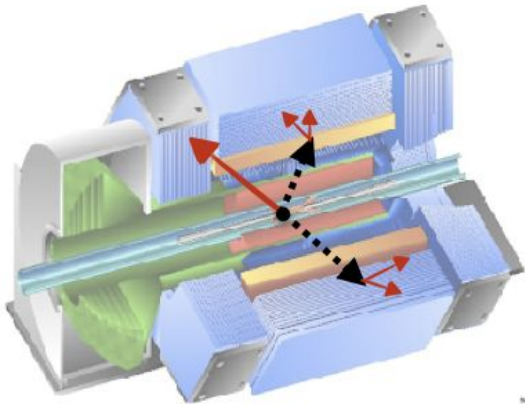
In the $g-2$ preferred region, strongest constraints come from NA64 and BaBar searches for invisible dark photon decays



D. Banerjee et al, PRL 123, 121801 (2019)

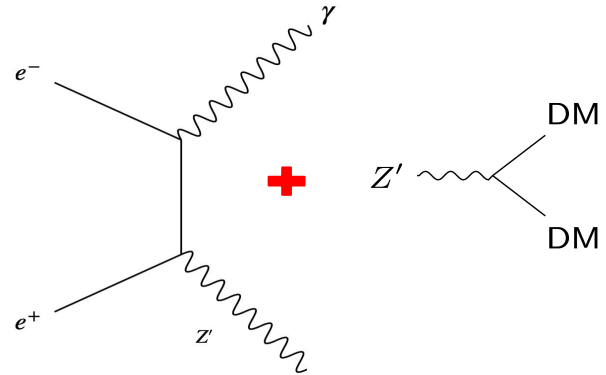
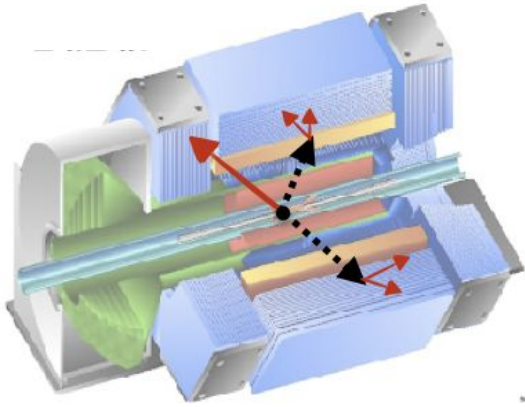
BaBar monophoton search

BaBar search for initial state radiation (ISR) in the process $e^+e^- \rightarrow \gamma Z'$, accompanied by missing energy



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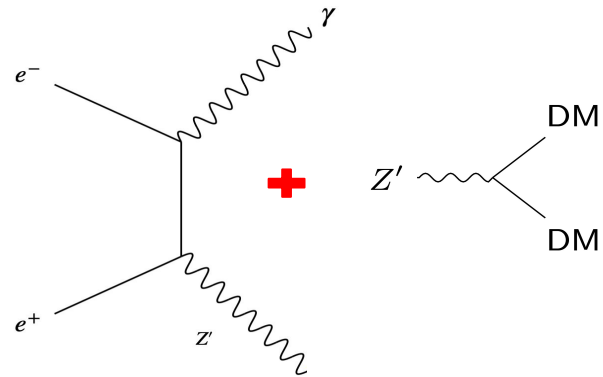
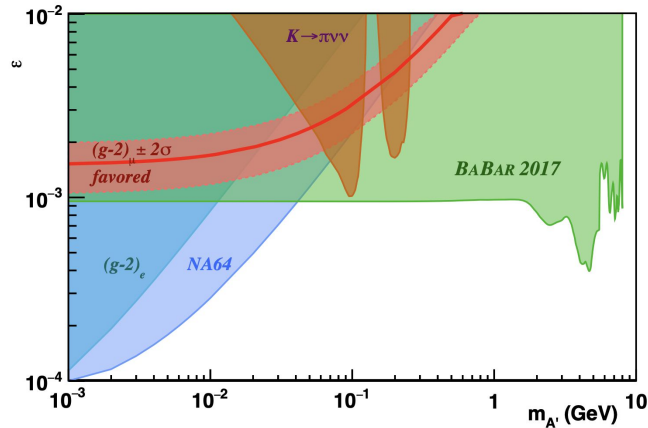
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DP assumed to have 100% invisible branching ratio

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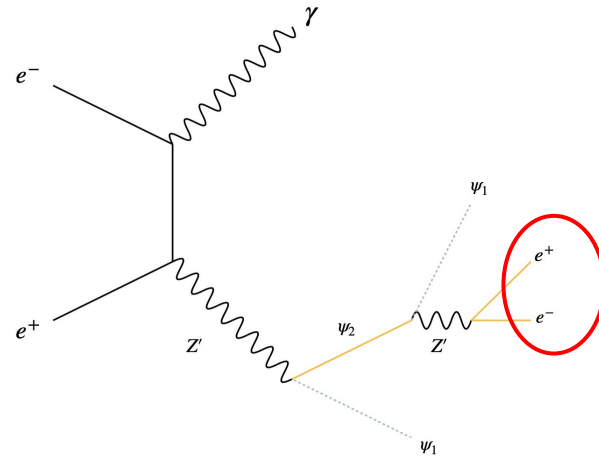
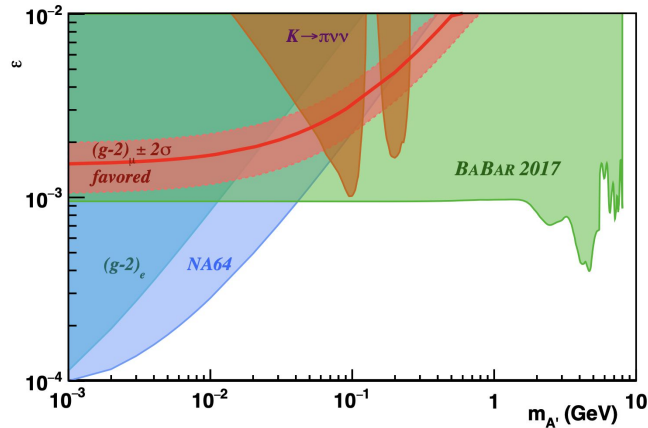
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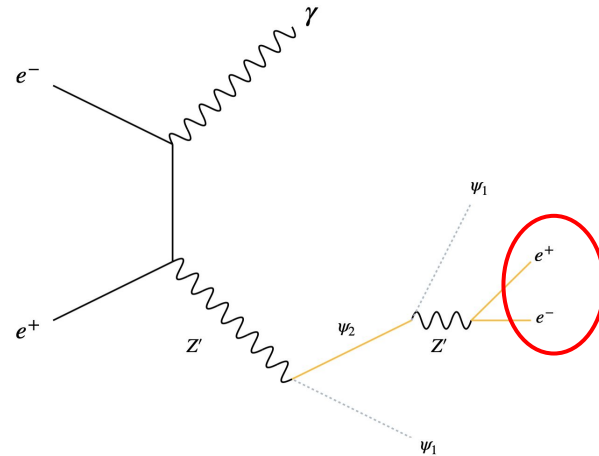
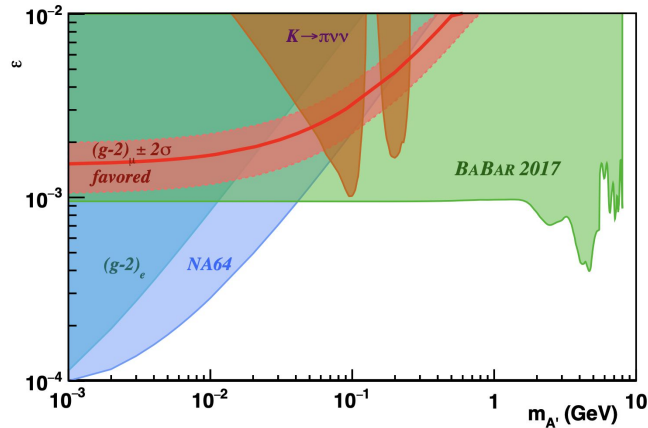
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In the case of a semi-visible DP (e.g. in iDM), photon accompanied by **displaced, visible lepton tracks**



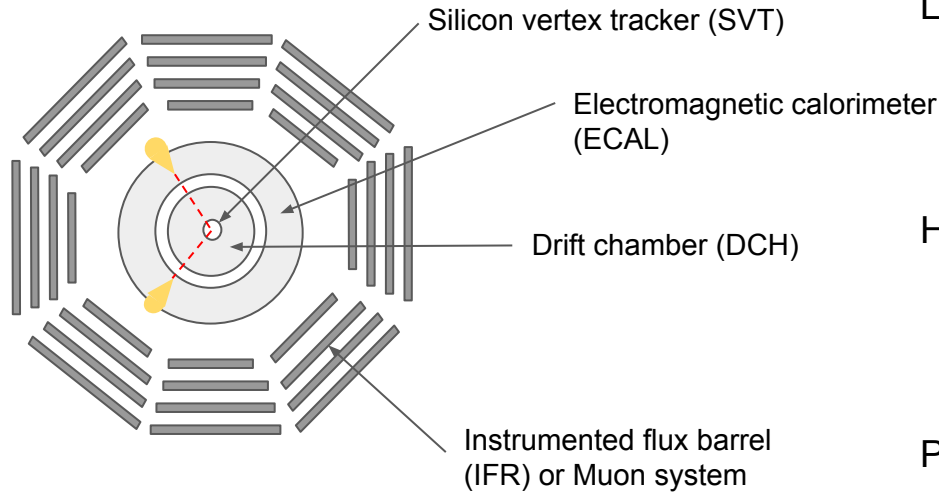
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If leptons sufficiently energetic, events are **vetoed** leading to **significant relaxation** of the bound

BaBar monophoton search



Dedicated monophoton trigger lines:

Low-mass DP (high-energy monophoton):

- One cluster in ECAL with $E \geq 2$ GeV
- **NO** e+e- tracks in DCH

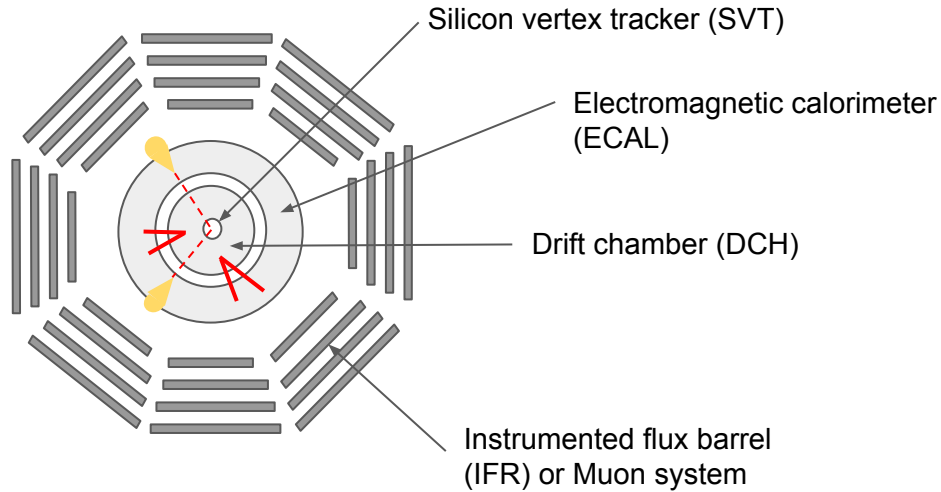
High-mass DP (low-energy monophoton):

- One cluster in ECAL with $E \geq 1$ GeV
- **NO** e+e- tracks in DCH

Photons accepted in polar angle range, $|\cos \theta_\gamma^*| < 0.6$

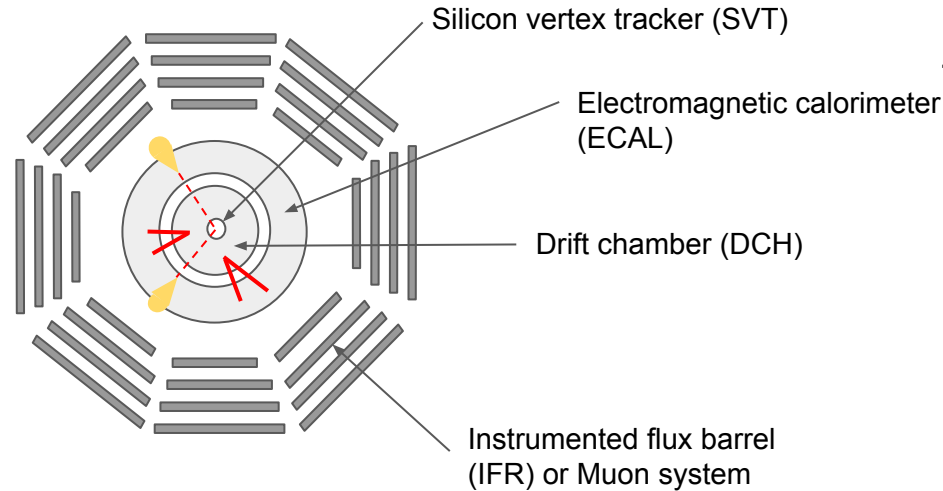
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Veto criteria: For decays that occur in instrumented regions of the detector (SVT, DCH, ECAL, IFR)



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Require

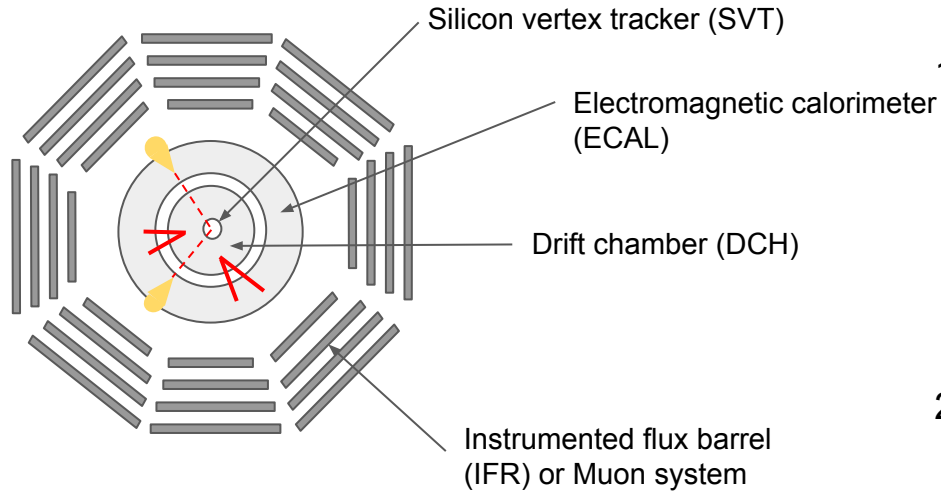
1. Energy of lepton tracks must exceed BaBar detection threshold for charged lepton tracks

If $\theta_{\text{sep}} > 10^\circ$, then cut: $E_{\pm} > 100 \text{ MeV}$

If $\theta_{\text{sep}} < 10^\circ$, then cut: $E_+ + E_- > 100 \text{ MeV}$

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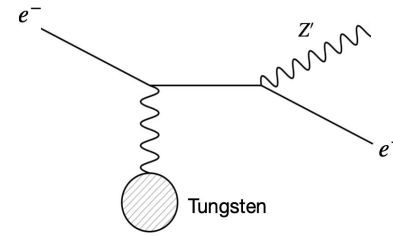
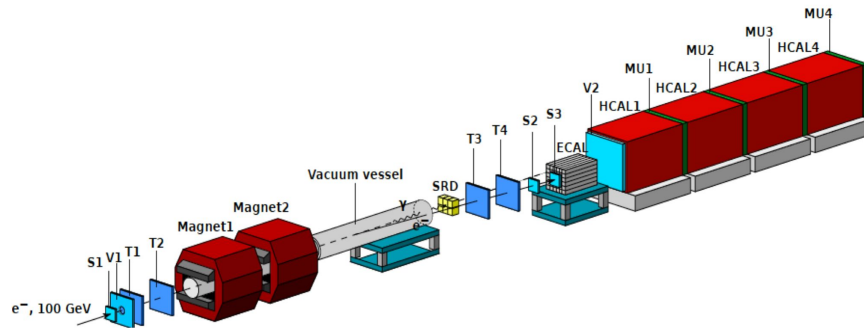
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2. The polar angles are sufficiently wide that the electrons do not escape along the beam pipeline
cut: $17^\circ < \theta_{\text{pol.}} < 142^\circ$

NA64 dark photon searches

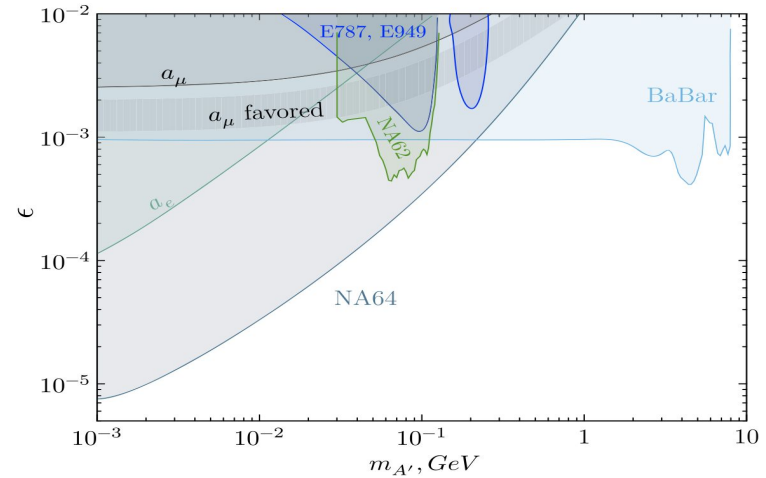
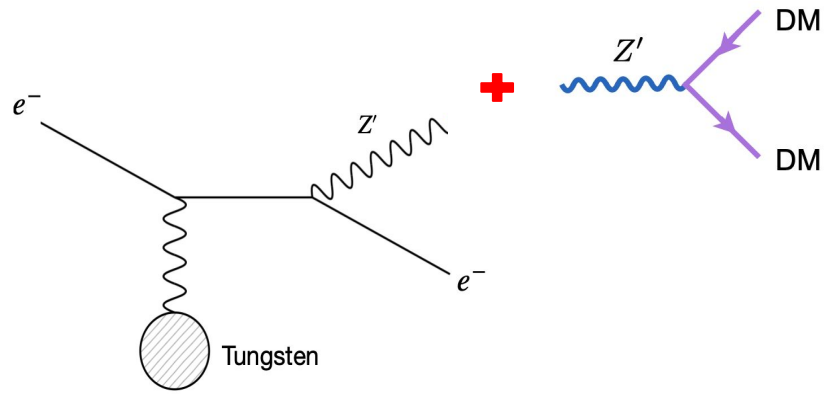
NA64 performed a missing energy search with DP production in **dark bremsstrahlung**, $e^- N \rightarrow e^- N Z'$



...performing two distinct analyses for the DP model

NA64 dark photon searches

1) Invisible DP

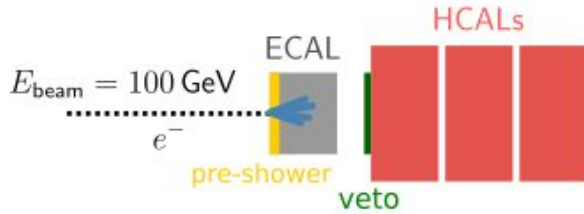


D. Banerjee et al, PRL 123, 121801 (2019)

NA64 dark photon searches

1) invisible search

→ Apply *trigger* conditions on energy deposited in pre-shower ECAL: $E_{\text{tot}} \in [0.2, 80]$ GeV



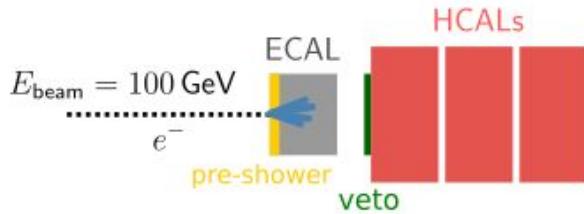
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Selection criteria

1. ECAL: Total energy deposited < 50 GeV, i.e. total missing energy > 50 GeV



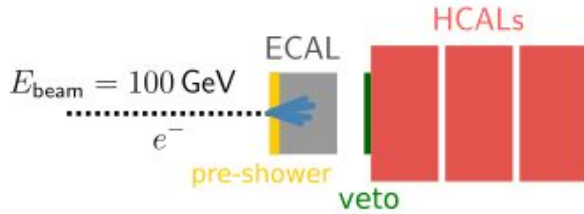
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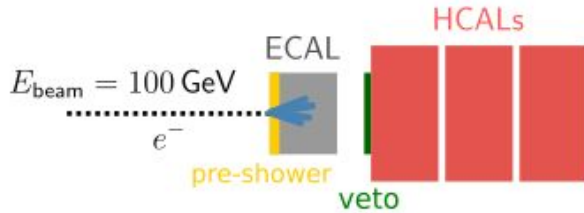
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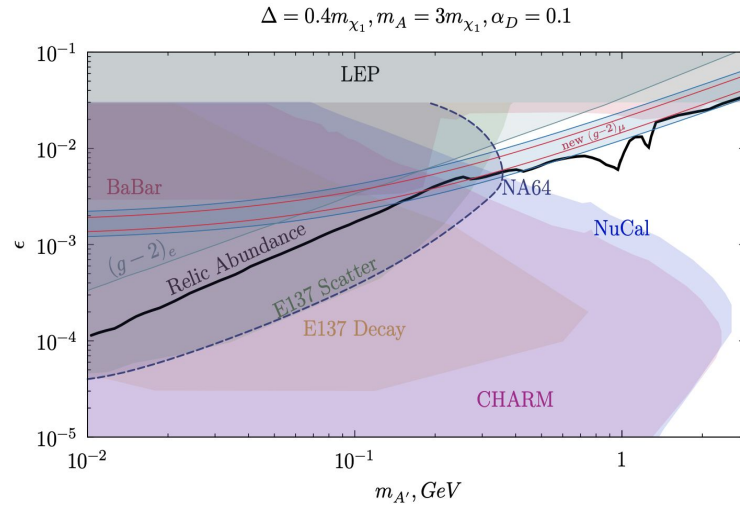
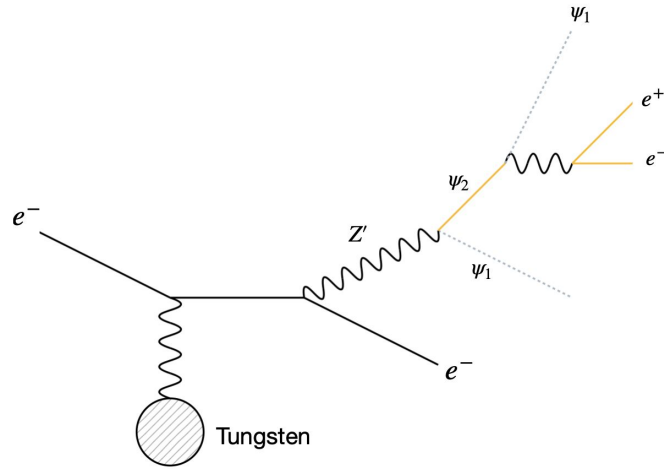
Selection criteria

1. ECAL: Total energy deposited < 50 GeV, i.e. total missing energy > 50 GeV
2. Veto counter: < 10 MeV deposited in veto
3. HCAL: < 1 GeV deposited in HCALs



NA64 dark photon searches

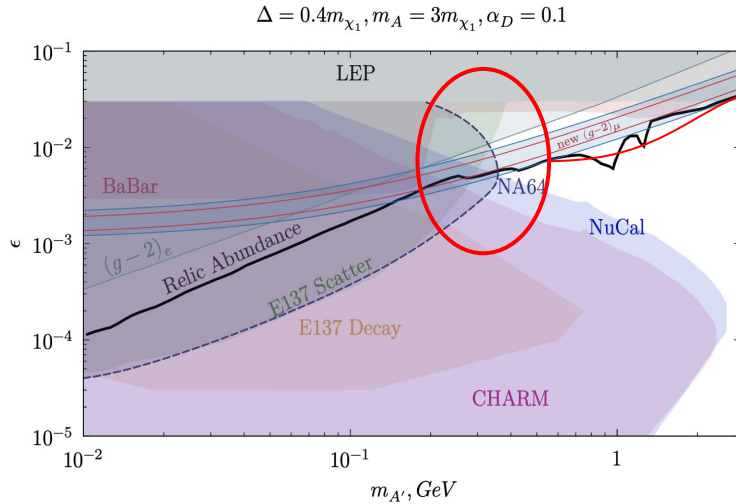
2) semi-visible DP in iDM



Cazzaniga, C. et al, *Eur. Phys. J. C* 81 (2021) 10, 959

NA64 dark photon searches

2) semi-visible DP in iDM

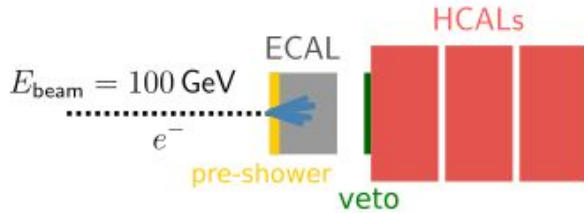


Cazzaniga, C. et al, *Eur. Phys. J. C* 81 (2021) 10, 959

Constraint from semi-visible search **not sensitive to prompt decays**

- Efficiency to distinguish collimated e+e- showers from primary electron beam in ECAL is challenging

2) semi-visible DP in IDM



Selection criteria

1. HCAL: $< 1 \text{ GeV}$ deposited in HCALs
2. All decays beyond HCALs selected (long-lived fermions)

Note: In the semi-visible search, all decays that occur prior to HCAL are vetoed regardless of energy

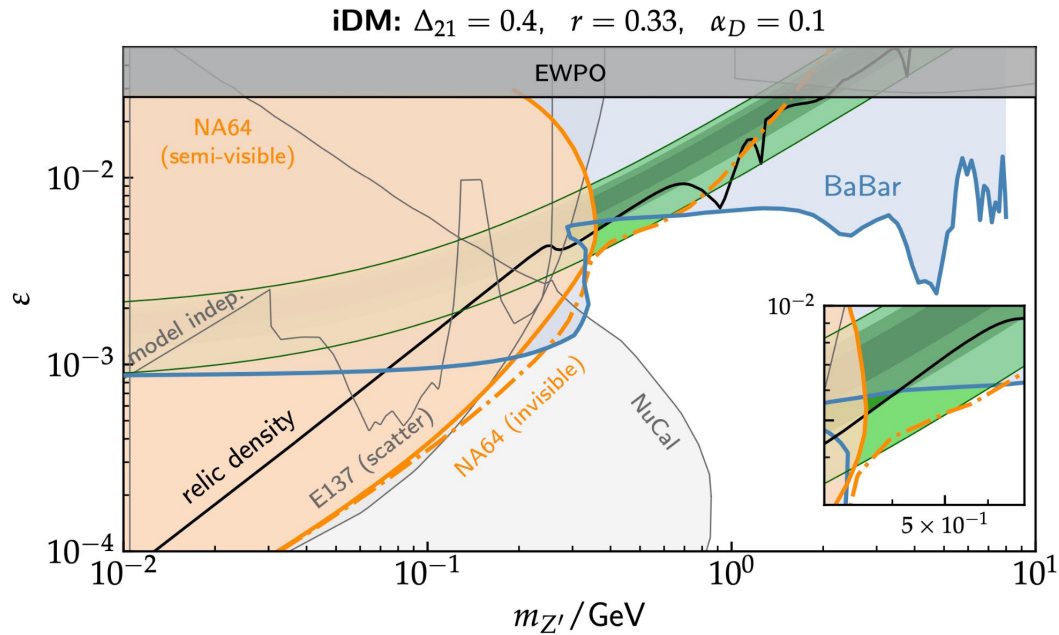
“The largest limitation to probe the missing region comes from the increasingly short decay time of χ_2 , which makes the chance of detection vanishingly small.” - Eur. Phys. J. C 81 (2021) 10, 959

Treat invisible search as “sensitivity” rather than a constraint

iDM Recast

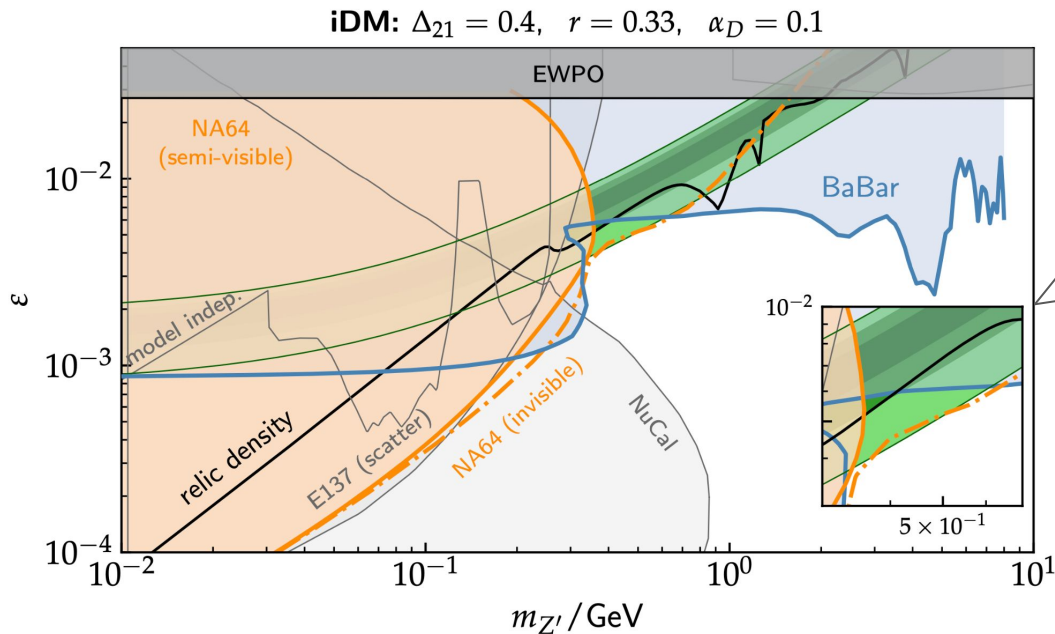
iDM RECAST

We consider a benchmark model of iDM inspired by recent work on this topic in relation to $g-2$

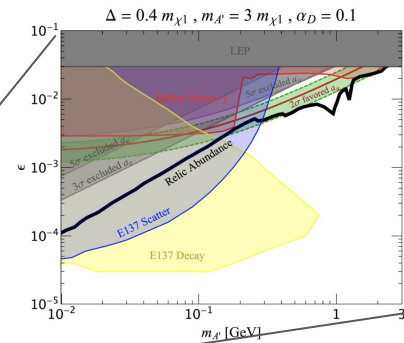


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G. Mohlabeng, *Phys. Rev. D*99, 115001

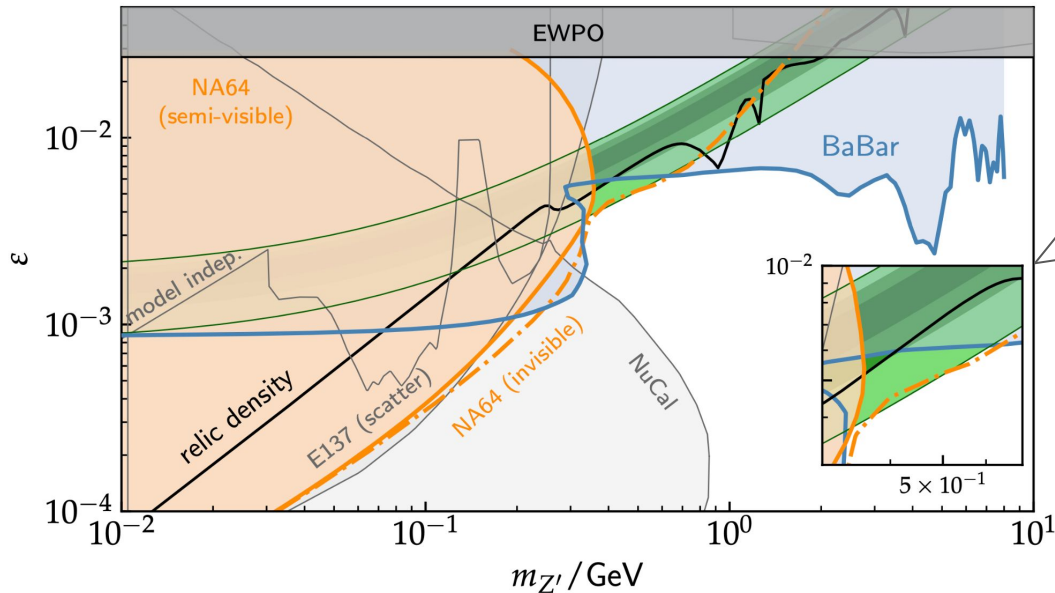


iDM model for $(g-2)$ is **disfavoured at 2σ**

iDM RECAST

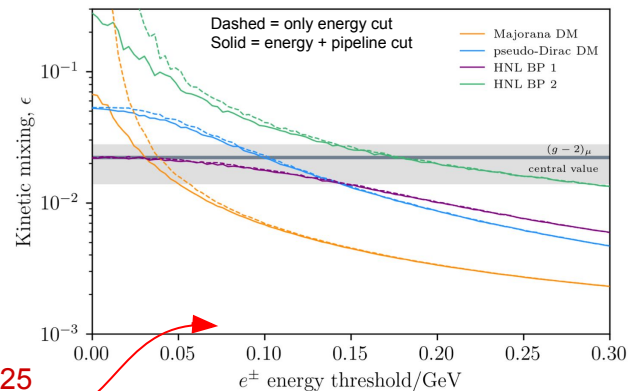
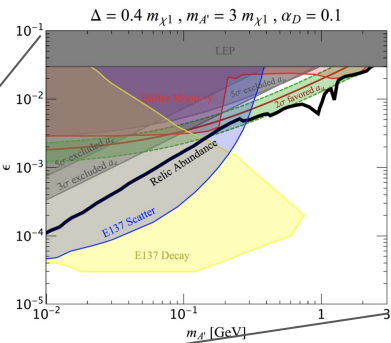
We consider a benchmark model of iDM inspired by recent work on this topic in relation to g-2

iDM: $\Delta_{21} = 0.4$, $r = 0.33$, $\alpha_D = 0.1$



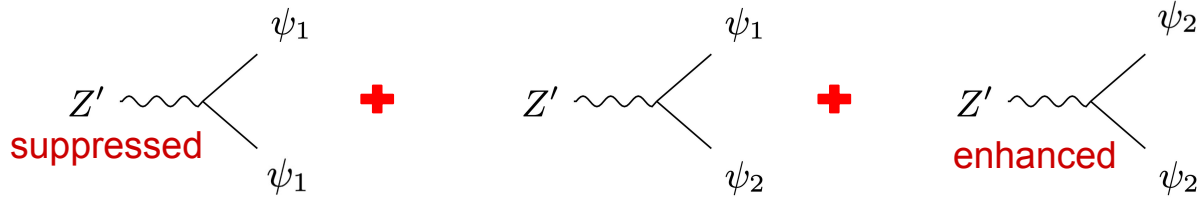
BaBar constraint on kinetic mixing for $M_{Z'} = 1.25$ GeV as function of e^+e^- energy threshold cut

G. Mohlabeng, Phys. Rev. D99, 115001



**Vector Portal *Dirac*
Inelastic Dark Matter**

- We would like to consider a model in which we couple diagonally to the heavy fermion state, while suppressing the diagonal coupling to the DM, e.g.



Introduce the four-component fields $\eta = \eta_L + \eta_R$ (sterile), $\chi = \chi_L + \chi_R$ (charged)

in addition to standard DP Lagrangian, we have

$$\mathcal{L} \supset \overline{\chi_L}(i\cancel{\partial} - g_X Q_L \cancel{X})\chi_L + \overline{\chi_R}(i\cancel{\partial} - g_X Q_R \cancel{X})\chi_R + \overline{\eta}i\cancel{\partial}\eta$$

$$- \left\{ M_1 \overline{\eta}\eta + \frac{1}{2}\mu_L \overline{\eta_L}\eta_L^c + \frac{1}{2}\mu_R \overline{\eta_R}\eta_R^c + M_2 \overline{\chi}\chi + y_L \Phi \overline{\chi_L}\eta_R + y_R \Phi \overline{\chi_R}\eta_L + \text{h.c.} \right\}$$

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If we assume Majorana masses of sterile state are small, we have

$$\mathcal{L}_{\text{mass}} = -\frac{1}{2} \begin{pmatrix} \overline{\eta_L} & \overline{\chi_L} \end{pmatrix} \begin{pmatrix} M_1 & M \\ M & M_2 \end{pmatrix} \begin{pmatrix} \eta_R \\ \chi_R \end{pmatrix} + \text{h.c.}$$

$$\mathcal{L}_{\text{mass}} = -\frac{1}{2} \begin{pmatrix} \overline{\eta}_L & \overline{\chi}_L \end{pmatrix} \begin{pmatrix} M_1 & M \\ M & M_2 \end{pmatrix} \begin{pmatrix} \eta_R \\ \chi_R \end{pmatrix} + \text{h.c.}$$

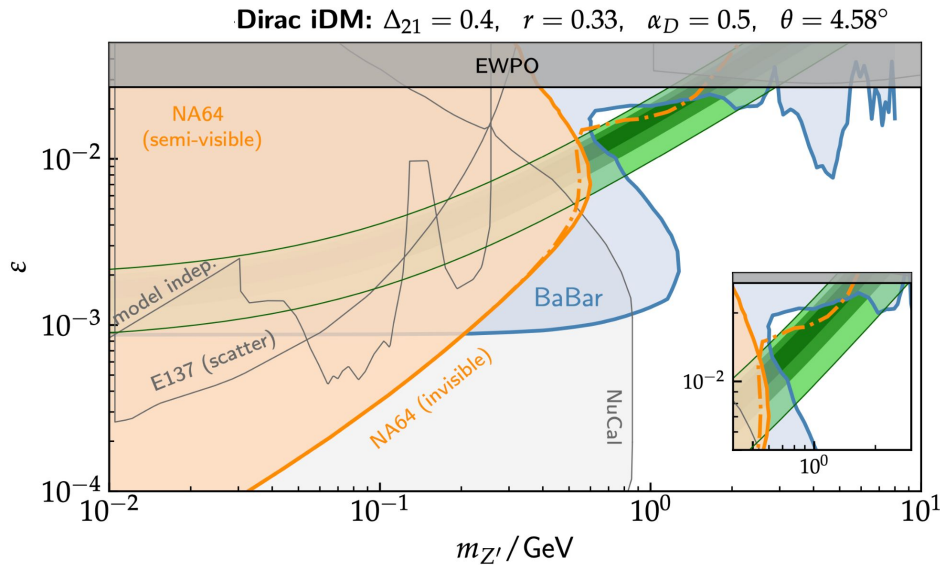
If we also take $M \ll M_{1,2}$, the mass basis is very **nearly aligned** with the flavour basis

Perform a nearly diagonal rotation by $\theta \approx M/(M_2 - M_1)$ to find the mass states

$$\mathcal{J}_X^\mu = Q(s_\theta^2 \overline{\psi}_1 \gamma^\mu \psi_1 - s_\theta c_\theta \overline{\psi}_2 \gamma^\mu \psi_1 + c_\theta^2 \overline{\psi}_2 \psi_2)$$

i2DM RECAST

For comparison, keep most parameters the same as iDM benchmark model



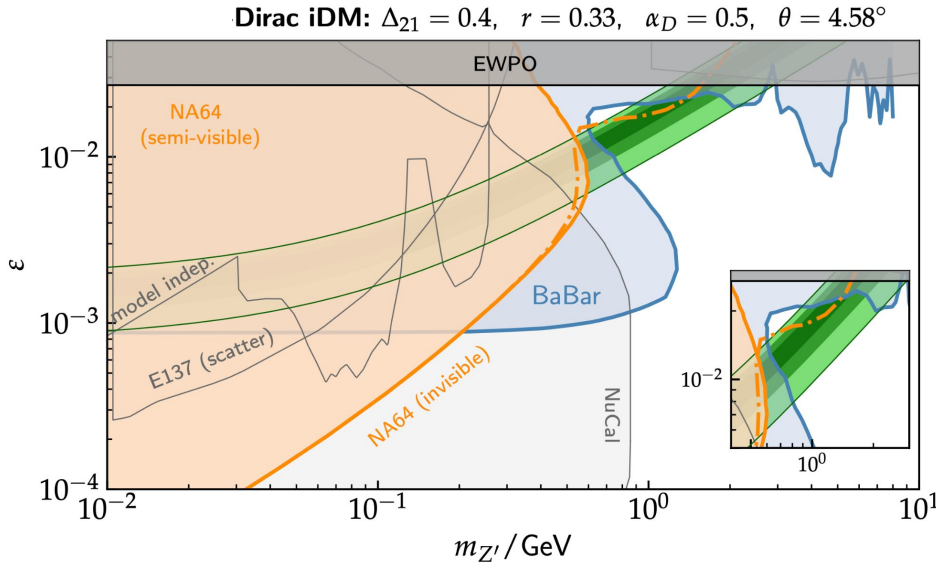
Full 3σ $g-2$ preferred region opens up for DP masses between **600 MeV - 2 GeV**

Main features:

- Relaxation occurs at larger DP masses
- NA64 semi-visible constraint stronger

Dirac iDM RECAST

For comparison, keep most parameters the same as iDM benchmark model



Full 3σ $g-2$ preferred region opens up for DP masses between **600 MeV - 2 GeV**

Main features:

- Relaxation occurs at larger DP masses
- NA64 semi-visible constraint stronger

Important caveat!

- Benchmark model *may not* give the dark matter relic abundance

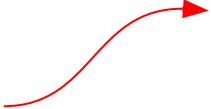
(see arXiv:2201.08409 for more detail about Dirac iDM story)

Heavy Neutral Leptons

- Similar to i2DM scenario, with the sterile state now coupling to SM neutrinos as in the Type 1 seesaw

$$\begin{aligned} \mathcal{L} \supset & \bar{\chi}_L(i\not{\partial} - g_X Q \not{X})\chi_L + \bar{\chi}_R(i\not{\partial} - g_X Q \not{X})\chi_R + \bar{\eta}i\not{\partial}\eta \\ & - \{y_\nu \bar{L} \tilde{H} \eta^c + y_R \bar{\eta} \chi_R \Phi^* + y_L \bar{\eta} \chi_L^c \Phi + \frac{1}{2} M_N \bar{\eta} \eta^c + M_X \bar{\chi} \chi + \text{h.c.}\} \end{aligned}$$

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$$\mathcal{L} \supset \bar{\chi}_L(i\not{\partial} - g_X Q \not{X})\chi_L + \bar{\chi}_R(i\not{\partial} - g_X Q \not{X})\chi_R + \bar{\eta}i\not{\partial}\eta$$

$$-\{y_\nu \bar{L} \tilde{H} \eta^c + y_R \bar{\eta} \chi_R \Phi^* + y_L \bar{\eta} \chi_L^c \Phi\} + \frac{1}{2} M_N \bar{\eta} \eta^c + M_X \bar{\chi} \chi + \text{h.c.}$$

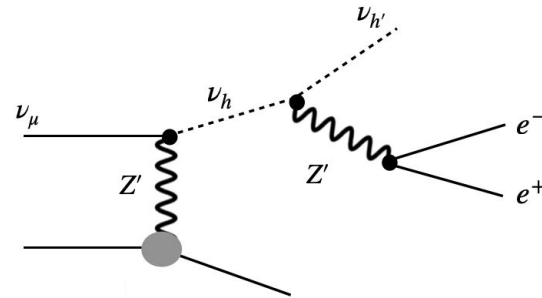
Dark sector Yukawa allows for mass mixing between the dark fermions and SM neutrinos

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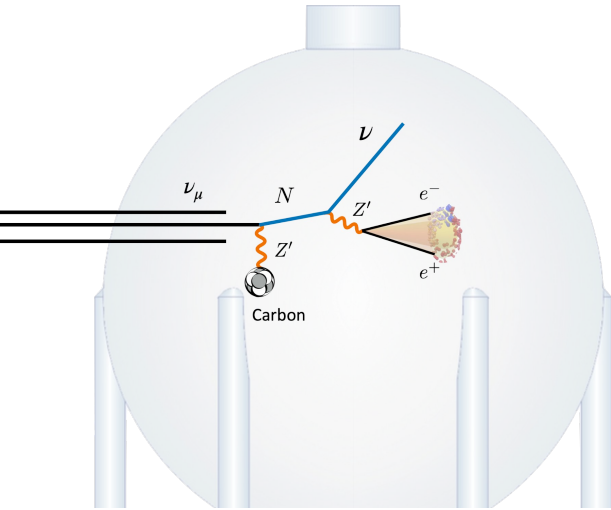
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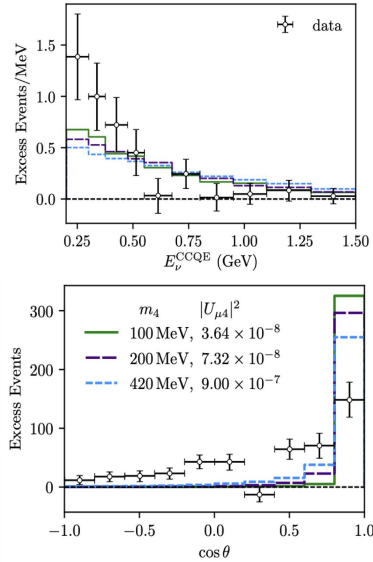
Can have light neutrino upscattering to heavy states

Heavy Neutral Leptons

This phenomenological signature has been extensively studied for MiniBooNE

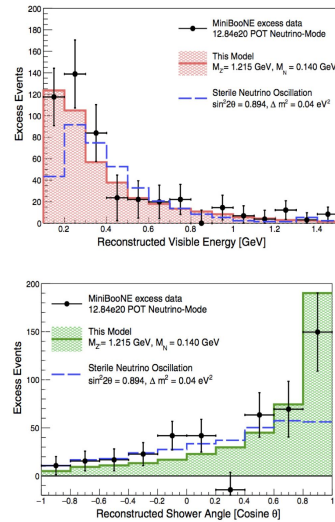


Light mediators (10 - 100s of MeV Z')



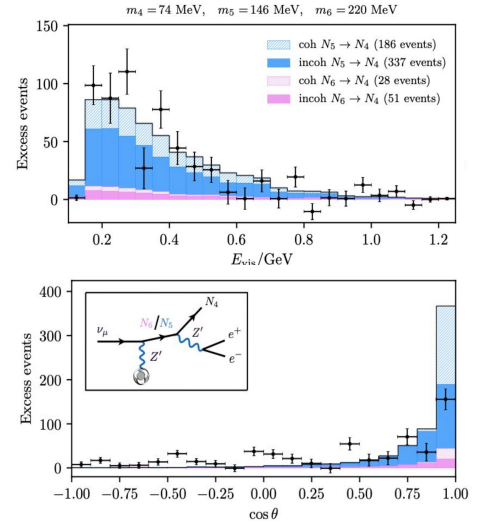
E. Bertuzzo et al., [\[arXiv:1807.09877\]](https://arxiv.org/abs/1807.09877)
C. Argüelles et al., [\[arXiv:1812.08768\]](https://arxiv.org/abs/1812.08768)

Heavy mediators (~GeV scale Z') interference $Z-Z'$



P. Ballett et al. [\[arxiv:1808.02915\]](https://arxiv.org/abs/1808.02915)

Inter-generational decays (~GeV scale Z')

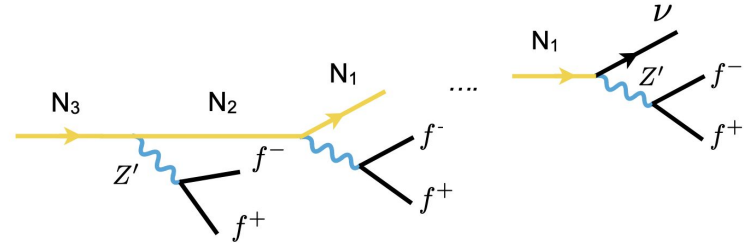


P. Ballett et al. [\[arxiv:1903.07589\]](https://arxiv.org/abs/1903.07589)
A. Abdullahi et al., [\[arXiv:2007.11813\]](https://arxiv.org/abs/2007.11813)

Heavy Neutral Leptons

- Increased particle content allows for rapid, cascade decays in the detector
- multi-lepton final states can vastly increase the visibility of the dark photon decays

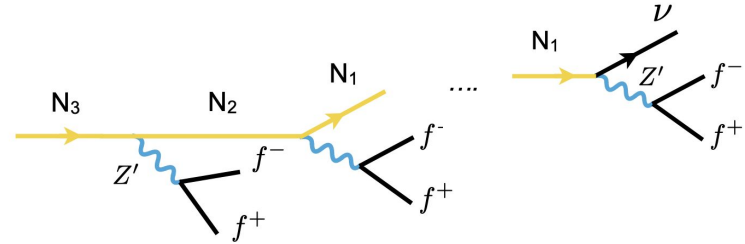
$$\mathcal{J}_X^\mu \approx V_{ij} \bar{\psi}_i \gamma^\mu P_L \psi_j \quad \text{with} \quad V_{ij} \equiv U_{\chi L i}^\dagger U_{\chi L j} - U_{\chi R i}^\dagger U_{\chi R j}$$



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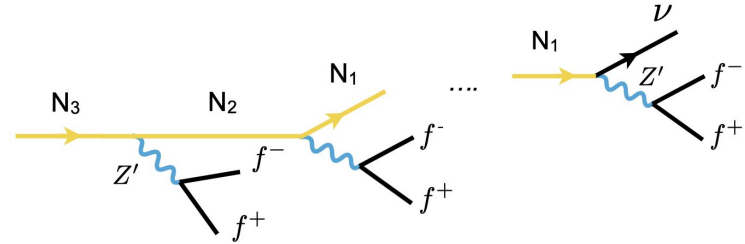
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Parameter space relevant for MiniBooNE predicts semi-visible dark photon states!

Heavy Neutral Leptons

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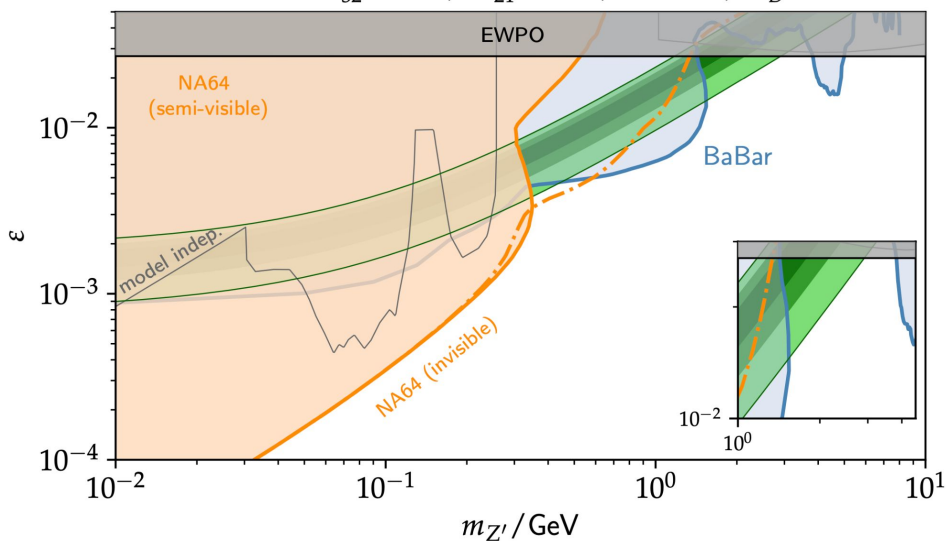
$$\mathcal{J}_X^\mu \approx V_{ij} \bar{\psi}_i \gamma^\mu P_L \psi_j \quad \text{with} \quad V_{ij} \equiv U_{XLi}^\dagger U_{XLj} - U_{XRi}^\dagger U_{XRj}$$

Benchmark models:

- 1) theory parameters consistent with a MB explanation
- 2) generic parameters for $g-2 \rightarrow$ designed to maximise visibility of decay signal

1) MiniBooNE benchmark model

HNL BP 1: $\Delta_{32} = 0.59$, $\Delta_{21} = 0.57$, $r = 0.16$, $\alpha_D = 0.11$



Small opening between **1.2 - 2.8 GeV**

Main features:

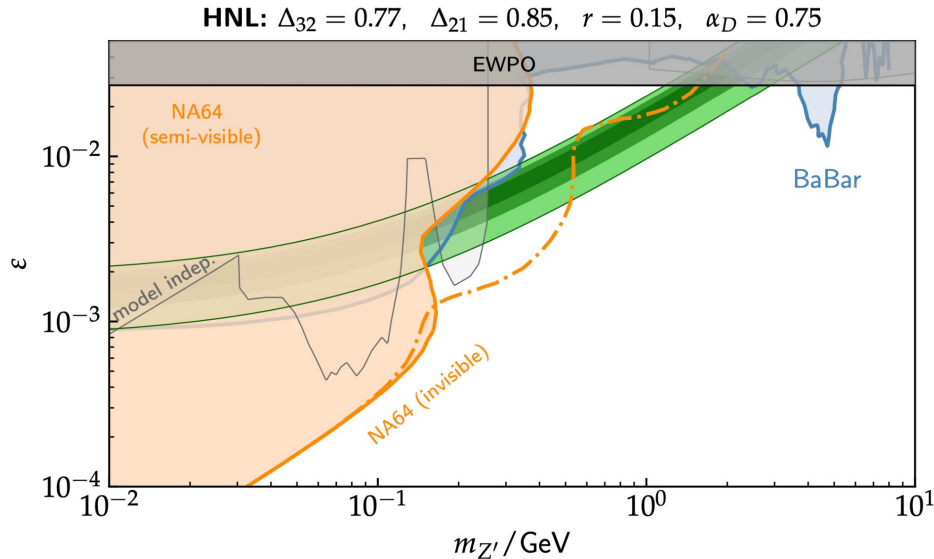
- Double bump feature due to two unstable fermions, **$\text{BR}(Z' \rightarrow 32) \sim 96\%$**

Important!

- Benchmark consistent with constraints on the **light neutrino masses** and the MiniBooNE excess \rightarrow highly constrained parameter space
- Compatibility of g-2 and MiniBooNE requires further study

Heavy Neutral Leptons

2) g-2 benchmark model



Significant relaxation between **150 MeV - 3 GeV**

Main features:

- Double bump feature due to two unstable fermions, $\text{BR}(Z' \rightarrow 32) \sim 99\%$
- A prompt decay search from NA64 may exclude part of this region

Testing the allowed parameter space of the models presented will be an important task for currently running and upcoming experiments

- NA64 prompt regime for semi-visible dark photon search
 - **Work-in-progress** - understanding NA64 sensitivity to multiple showers in the ECAL
- Monophoton searches at Belle II and BES III will provide stronger constraints on the invisible DP and, consequently, the semi-visible DP
- Displaced vertex search at Belle II

Conclusions

- Minimal iDM scenario is **disfavoured at 2σ** . Lepton pairs from decay are too soft and do not pass BaBar's energy threshold

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 - Potential connection to DM

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Thanks for listening!