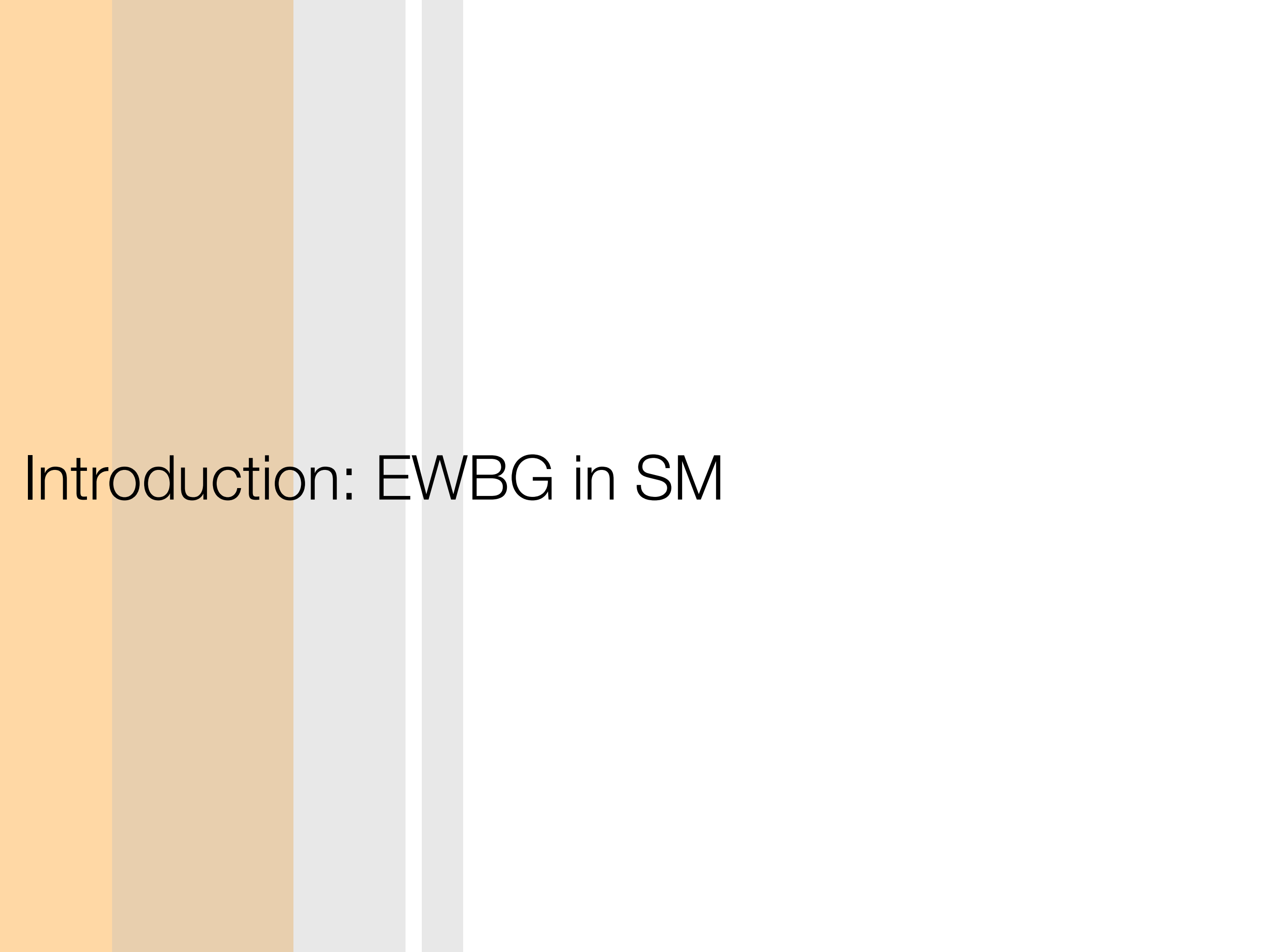


ν EWBG (Nu electroweak baryogenesis)

Fernandez-Martinez, Lopez-Pavon, Ota, Rosauero-Alcaraz, JHEP 10 (2020) 063

Toshi Ota, IFT Madrid





Introduction: EWBG in SM

Baryon number asymmetry

Why is there something rather than nothing?

Planck Collaboration 1807.06209

$$\eta_B \equiv \frac{n_B}{s} \equiv \frac{\#B - \#\bar{B}}{s} = (8.59 \pm 0.08) \cdot 10^{-11}$$

To let there be baryon number, the Universe must fulfill...

Baryon number asymmetry

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Sakharov conditions

Sakharov (1967)

C&CP violation

1

Weak interaction

CKM phase

B violation

2

EW anomaly

Sphaleron at

$T > T_{EW}$

Out of equilibrium

3

1st order PhT

Decoupling of
sphaleron

Then, what is the possible baryogenesis scenario in the SM?

Baryogenesis in the SM

Kuzmin Rubakov Shaposhnikov
PLB155 (1985) 36

Suppose EWPT is a 1st-order PT...

~~#B~~ out-of-equi.

Sphaleron: ON

~~#B~~ in equi.

~~CP~~

Bubble wall

Sphaleron: OFF

Baryogenesis in the SM

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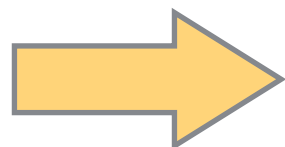
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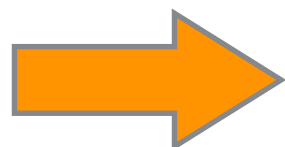
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$\#B$



||

$\#\bar{B}$



net $\#B = 0$

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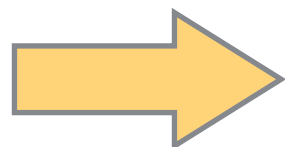
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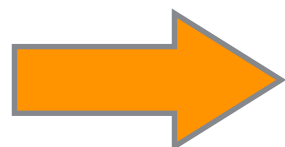
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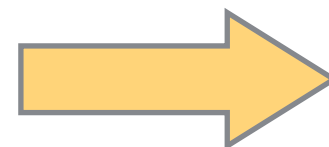


~~CP~~

Bubble wall

Sphaleron: OFF

$\#B$



~~||~~

#B frozen out

$\#\bar{B}$



η_B today

Baryogenesis in the SM

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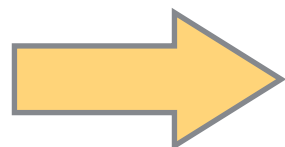
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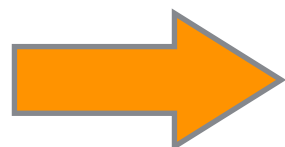
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$\bar{B}$

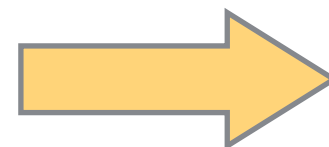


~~CP~~

Bubble wall

Sphaleron: OFF

#B



~~||~~

#B frozen out

$\bar{B}$



η_B today

The SM is the ultimate theory of everything.

$$\begin{aligned}\mathcal{L} = & -\frac{1}{4} F_{\mu\nu} F^{\mu\nu} \\ & + i\bar{\psi} \not{D} \psi + \text{h.c.} \\ & + \bar{\chi}_i g_{ij} \chi_j \phi + \text{h.c.} \\ & + |D_\mu \phi|^2 - V(\phi)\end{aligned}$$

(c) CERN

The End

Baryogenesis in the SM

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PLB155 (1985) 36

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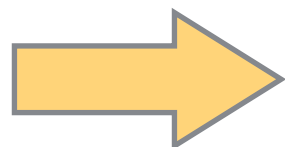
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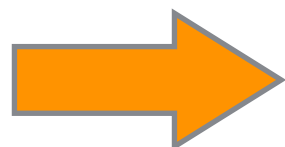
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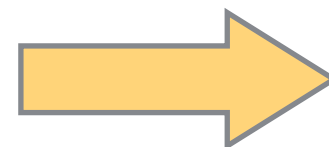
#B̄



net #B = 0

Bubble wall

#B



⊘

#B frozen out

#B̄



η_B today

Sounds so natural that it should work, but...

CPV effect must be proportional to

$$\det \left[M_u M_u^\dagger, M_d M_d^\dagger \right] = 2i F_u F_d J$$

$$F_q \equiv (m_{q_3}^2 - m_{q_2}^2)(m_{q_3}^2 - m_{q_1}^2)(m_{q_2}^2 - m_{q_1}^2)$$

$$J = c_{12} s_{12} c_{23} s_{23} c_{13}^2 s_{13} s_\delta \quad \text{Jarlskog PRL55 (1985) 1039}$$

Baryogenesis in the SM

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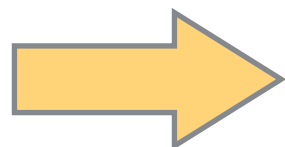
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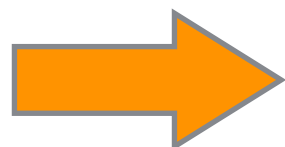
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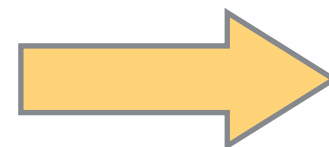
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Far too small

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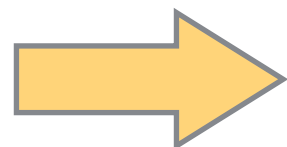
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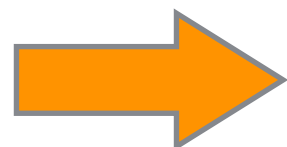
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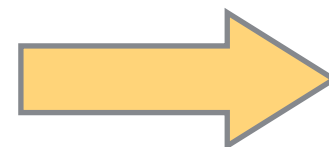
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⊘

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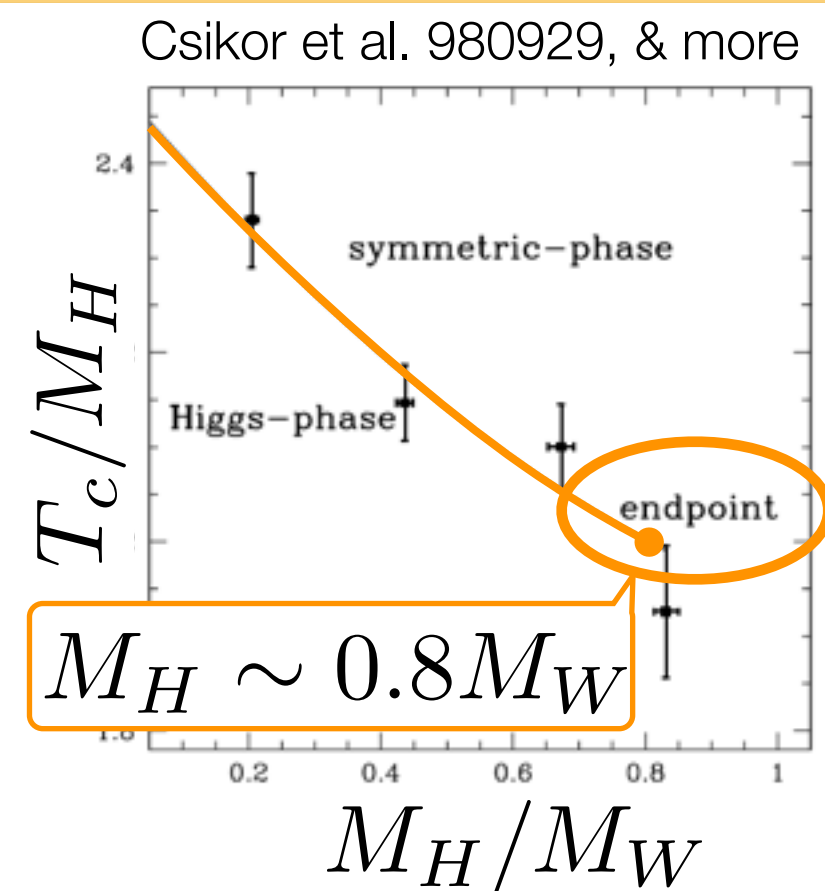
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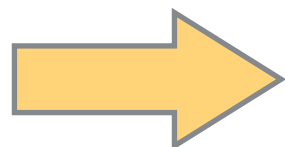
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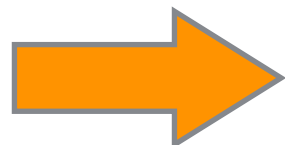
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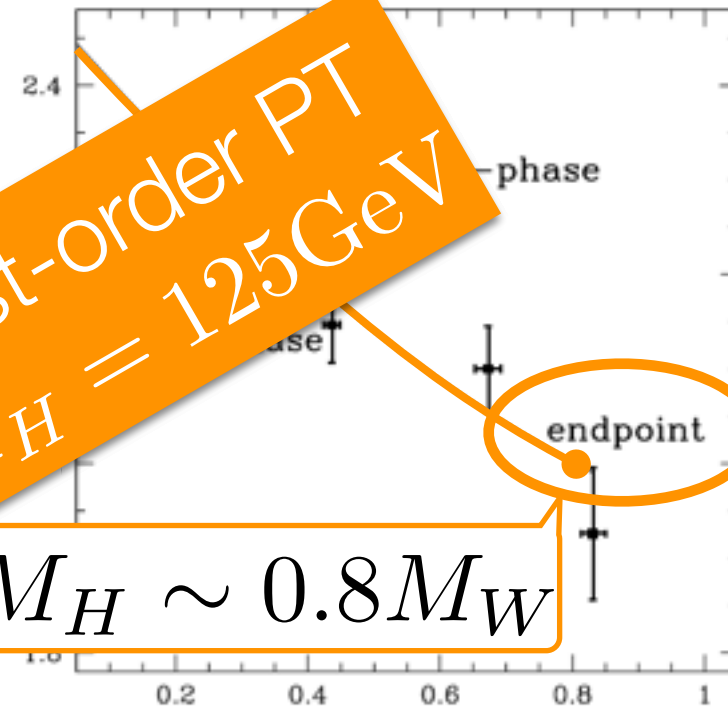
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$$J = c_{12} s_{12} c_{23} s_{23} c_{13}^2 s_{13} s_\delta \quad \text{Jarlskog PRL55 (1985) 1039}$$

Far too small

NO 1st-order PT
w. $M_H = 125\text{GeV}$

Csikor et al. 980929, & more



$M_H \sim 0.8 M_W$

M_H/M_W

We need to go beyond SM for our being

To fix SM's shortcomings, we need*

A trick to make EWPT strong 1st-order (3)

New source of CPV (1)

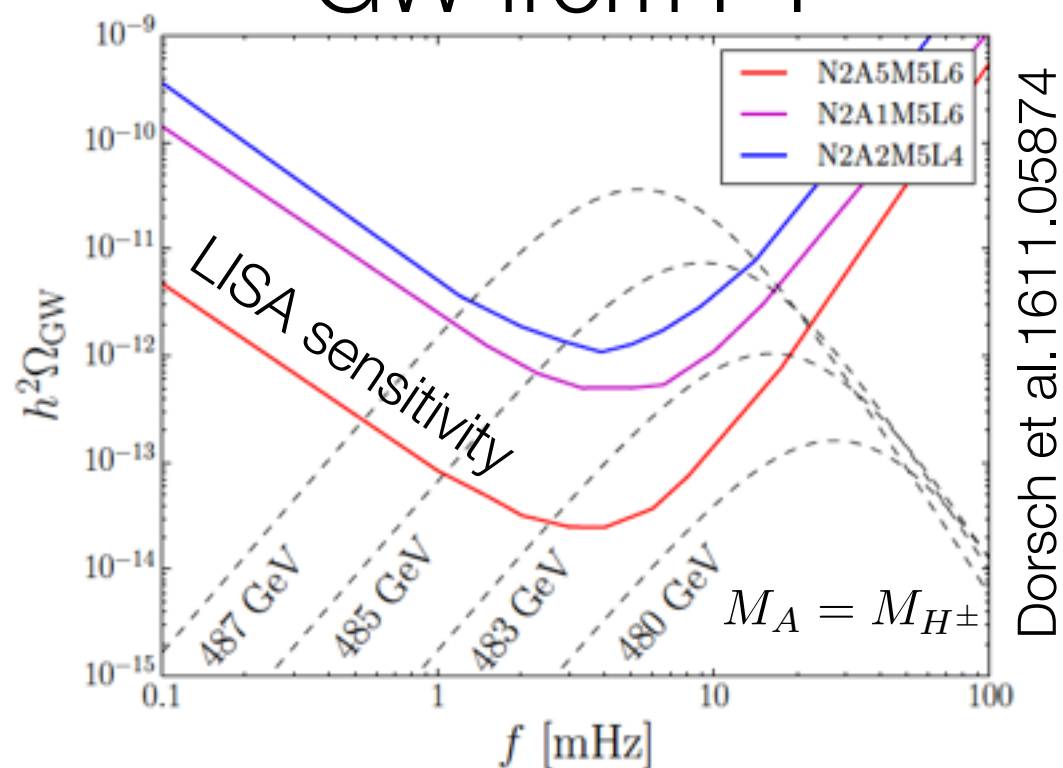
*If we stick to the idea of EWBG

BSM for EWBG

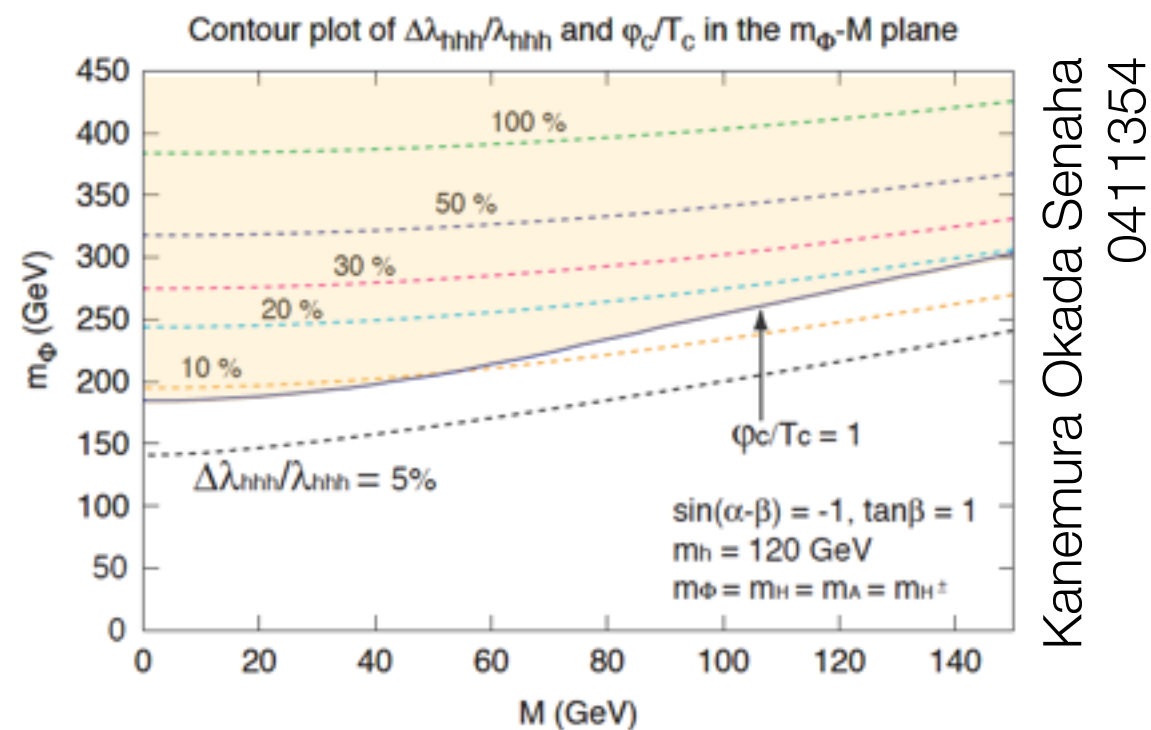
Nelson Kaplan Cohen NPB373 (1992) 453

Extended Higgs sector (2HDM) helps achieve strong 1st-order PT

GW from PT



Collider signature of PT

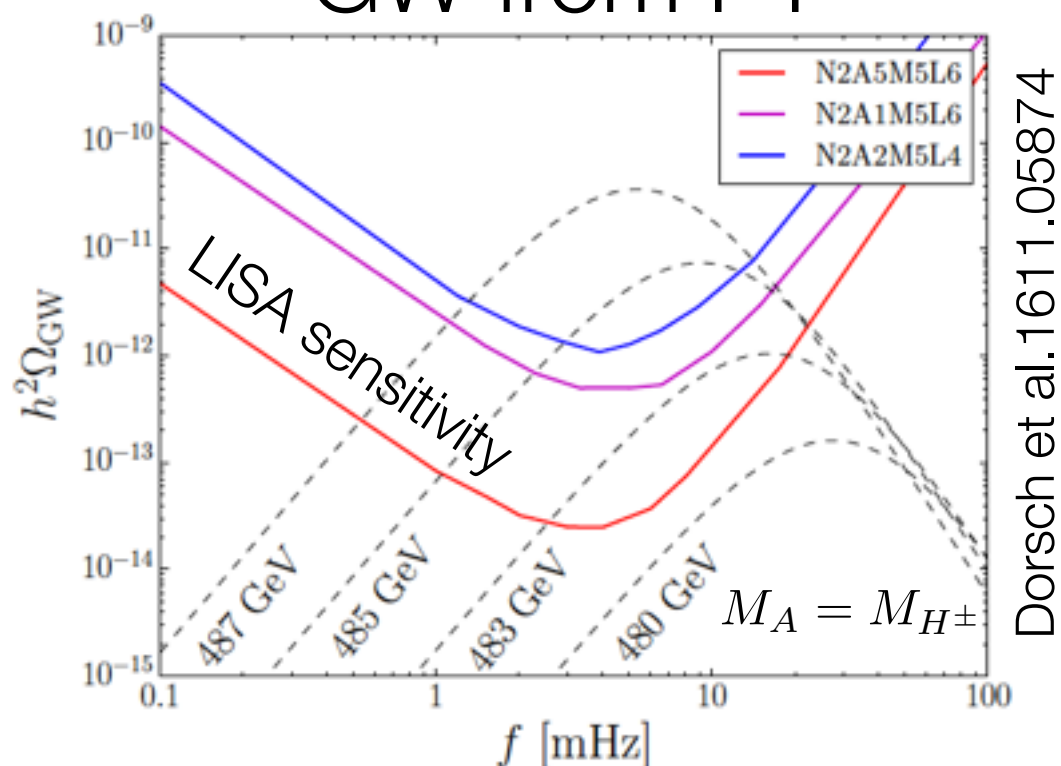


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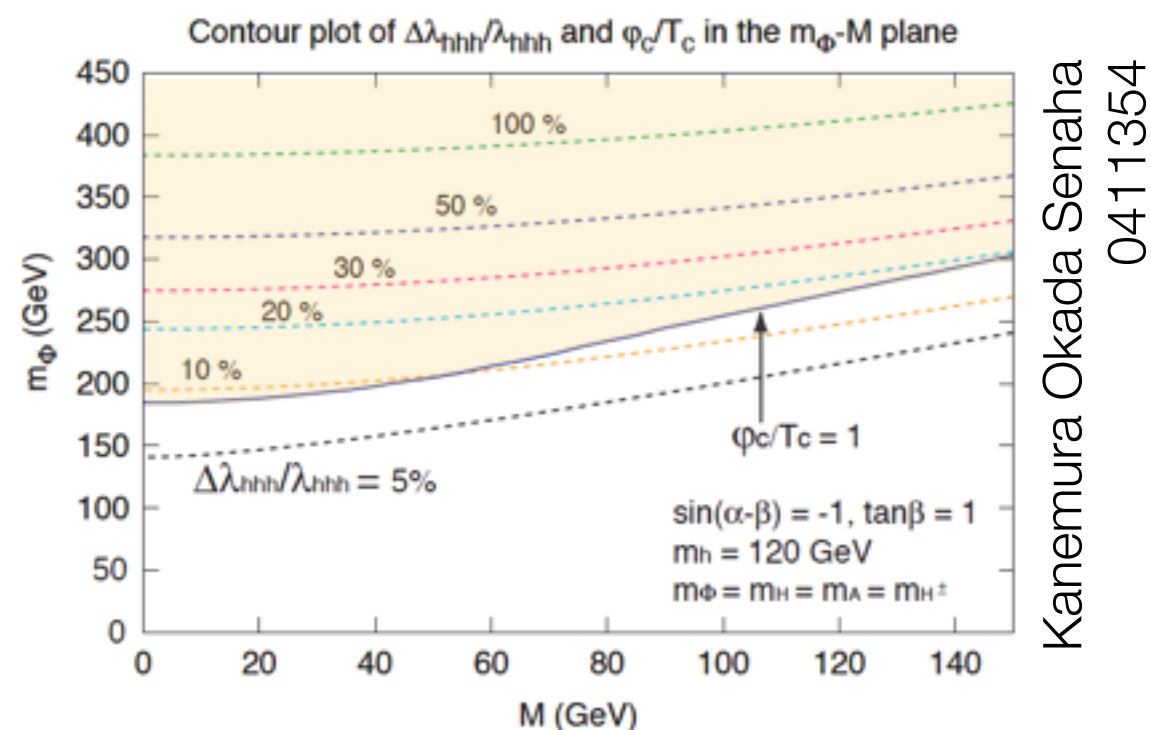
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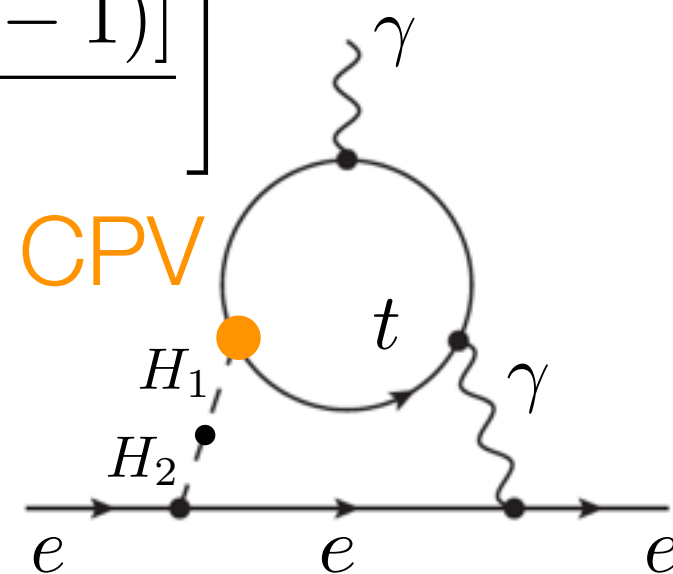
... and brings a new CP phase

$$m_t(z) = \frac{y_t v_1}{\sqrt{2}} \left[\frac{1 + \tanh(z/\delta_w)}{2} \right] \exp \left[-i \frac{\Delta\theta [\tanh(z/\delta_w) - 1]}{2} \right]$$

Baryogenesis requires $\Delta\theta$

$\Delta\theta$ is related to parameters at $T=0$

Strongly constrained from eEDM



Extended neutrino sector for EWBG

ν EWBG

Inspired by low-energy Seesaw models for neutrino masses

$$\mathcal{L} = \frac{1}{2} \overline{\psi^c} \mathcal{M} \psi + \text{H.c.}$$

$$\psi = (\nu_L^c, N_R, N_L^c)^T$$

$$\mathcal{M} = \begin{pmatrix} 0 & m_D & 0 \\ m_D^T & 0 & M_N^T \\ 0 & M_N & \epsilon \end{pmatrix}$$

$$m_D = Y_\nu \langle H \rangle$$

$$M_N = Y_N \langle \phi \rangle$$

$$m_\nu = m_D^* M_N^{-1T} \epsilon^* M_N^{-1} m_D^\dagger \text{ - Inverse seesaw}$$

Mohapatra

PRL 56 (1986) 561

Mohapatra Valle

PRD34 (1986) 1642

Bernabeu et al.

PLB187 (1987) 303

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$$m_\nu = m_D^* M_N^{-1T} \epsilon^* M_N^{-1} m_D^\dagger - \text{Inverse seesaw}$$

1 New source of CPV (w. $\epsilon = O$)

$$d_{\text{CP}} \equiv \frac{1}{2i} \det \left[M_N^\dagger M_N, m_D^\dagger m_D \right] = F_{M_N} F_{m_D} J$$

Branco Rebelo Valle

PLB225 (1989) 385

Santamaria 9302301

$N_{R,L}$ are SM singlets - avoid the EDM diagrams

For eEDM in inverse seesaw

Abada Toma 1605.07643

2 Sphaleron converts CPV in L to B

3 Scalar potential with ϕ is good for 1st-order PhT

cf. e.g., Espinosa Konstandin Riva 1107.5441



vEWBG: How it works

ν EWBG: How it works

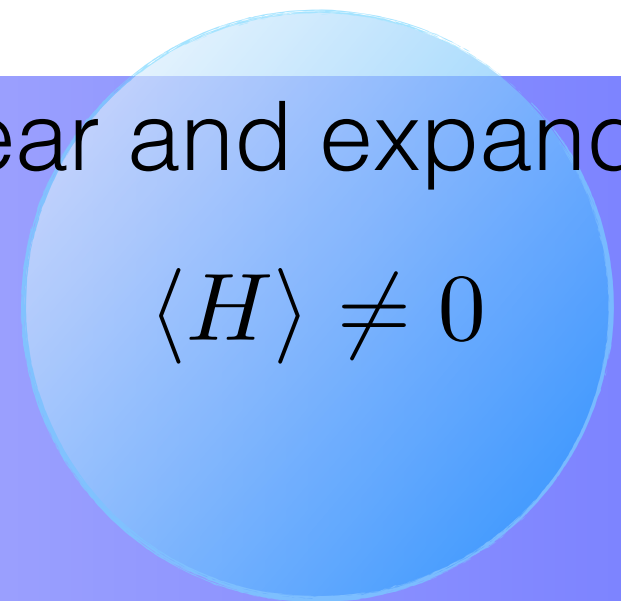
$$\langle H \rangle = 0$$

In the early Universe...

vEWBG: How it works

$$\langle H \rangle = 0$$

Bubbles of the broken phase appear and expand



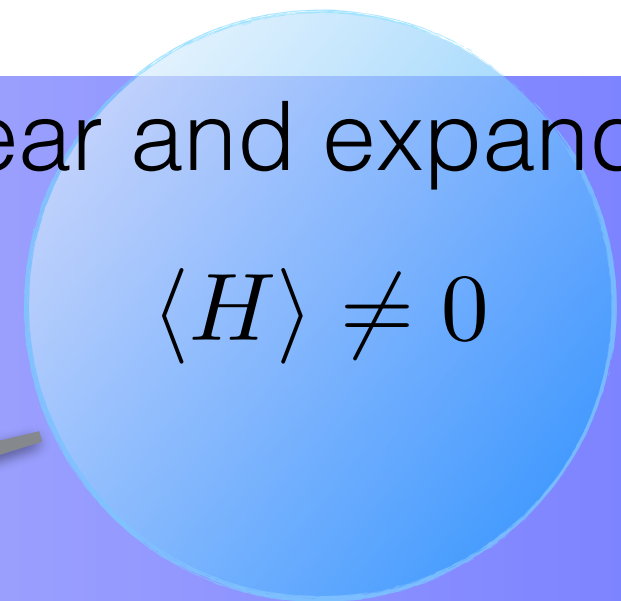
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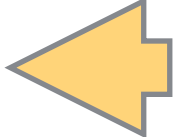


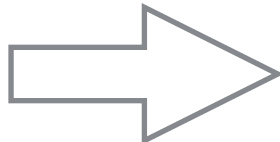
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In the early Universe...

symmetric
phase

expanding ←

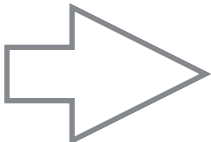
$\#\nu_L$ 

$\#N_R$ 

bubble wall

broken
phase

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 $\#N_R$

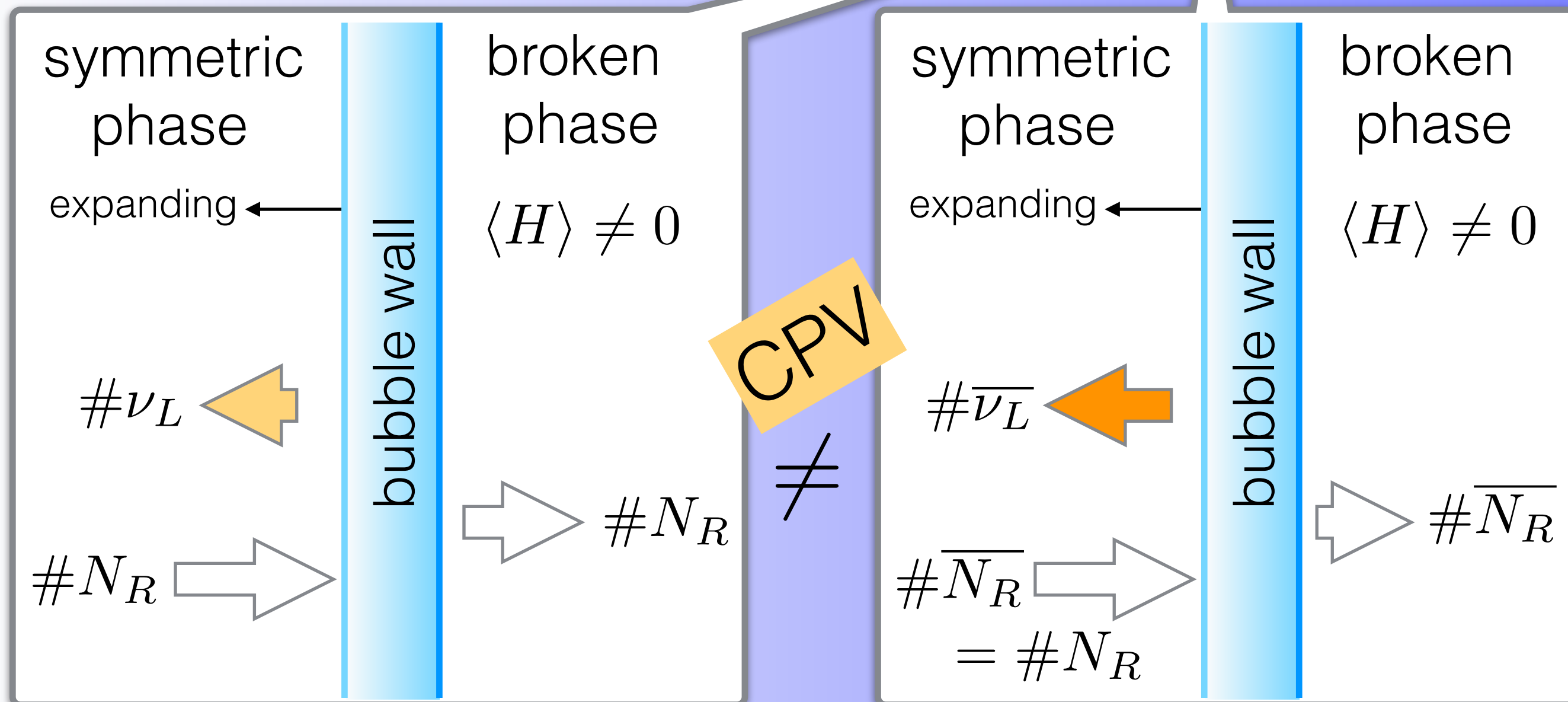
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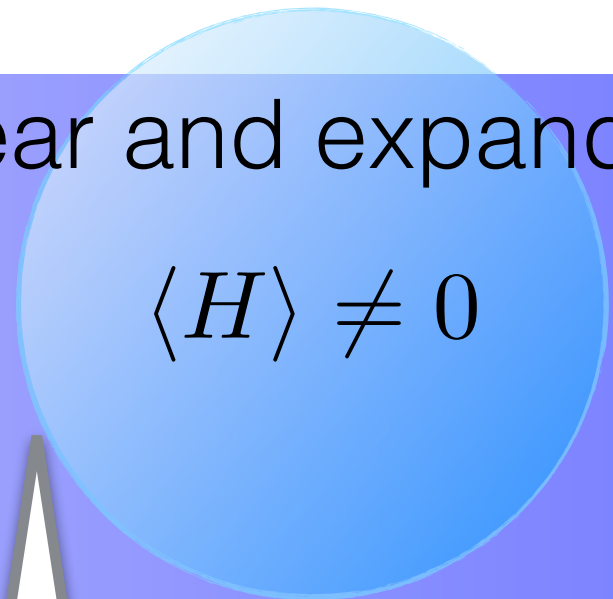
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Bubbles of the broken phase appear and expand



$$\langle H \rangle \neq 0$$

In the early Universe...

symmetric
phase

$$\langle H \rangle = 0$$

$\langle H \rangle \neq 0$ broken
phase

expanding ←

$\# \nu_L$

$\# \overline{\nu}_L$

bubble wall

ν EWBG: How it works

$$\langle H \rangle = 0$$

Bubbles of the broken phase appear and expand

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In the early Universe...

symmetric
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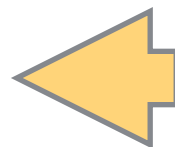
$\langle H \rangle \neq 0$ broken
phase

$$n_{\nu_L} \neq 0$$

expanding ←

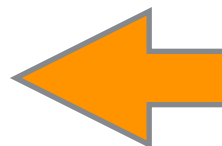
bubble wall

$$\#\nu_L$$



$\neq$

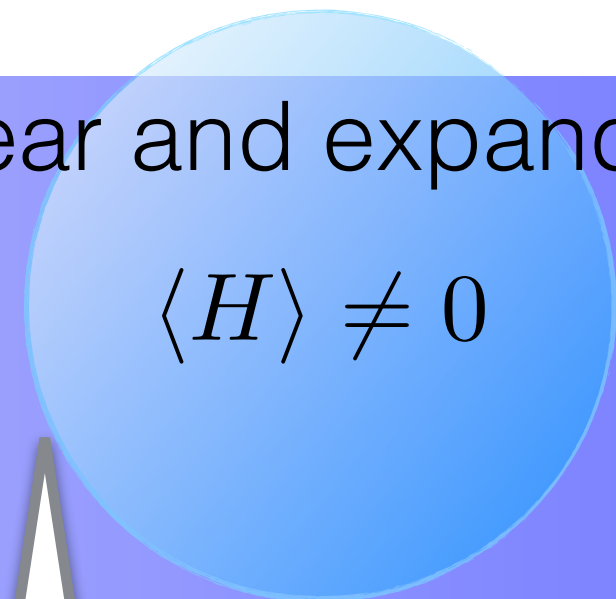
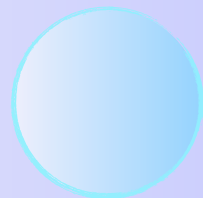
$$\#\bar{\nu}_L$$



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$$\langle H \rangle \neq 0$$

In the early Universe...

symmetric
phase

$$\langle H \rangle = 0$$

$\langle H \rangle \neq 0$ broken
phase

$$n_{\nu_L} \neq 0$$

Sphaleron

$$n_B \neq 0$$

e.g., in 1 generation

$$\overline{\nu_{Le}} \rightarrow u_L d_L d_L$$

$$\Delta B = 1$$

$$\Delta L = 1$$

$$\Delta(B - L) = 0$$

expanding ←

bubble wall

vEWBG: How it works

$$\langle H \rangle = 0$$

Bubbles of the broken phase appear and expand

$$\langle H \rangle \neq 0$$

In the early Universe...

symmetric
phase

$$\langle H \rangle = 0$$

$\langle H \rangle \neq 0$ broken
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bubble wall

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$$\langle H \rangle = 0$$

Bubbles of the broken phase appear and expand

$$\langle H \rangle \neq 0$$

In the early Universe...

Sphaleron: OFF

$\langle H \rangle \neq 0$ broken phase

$$\Gamma_{\text{Sph.}} \text{ [/(time}\cdot\text{volume)]} \sim T^4 \exp \left[-\frac{4\pi \langle H \rangle}{gT} \right]$$

To turn it off at T_c $\frac{\langle H \rangle}{T_c} \gtrsim 1$ “Strong” 1st order PhT

bubble wall

$$n_B \neq 0$$

Baryon number
is frozen out

$$\eta_B \text{ today}$$

vEWBG: How it works

3 steps to baryon number...

1 Non-zero n_{ν_L} is generated at the front of a bubble wall

CPV in Yukawa interaction, d_{CP}

Reflection/Transmission rates at the bubble wall

2 n_{ν_L} is converted to n_B

Sphaleron process (B+L violation)

3 n_B is transported into the bubble

Sphaleron off (Out of equil.) = B frozen out

vEWBG: How it works

3 steps to baryon number...

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Wave functions in the wall potential

Nelson Kaplan Cohen NPB373 (1992) 453

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Sphaleron process (B+L violation)

Diffusion equations

Joyce Prokopec Turok 9410281

3 n_B is transported into the bubble

Sphaleron off (Out of equil.) = B frozen out

Step 1: CPV at the front of a bubble wall

Generate $n_{\nu_L} \equiv \#\nu_L - \#\bar{\nu}_L \neq 0$

Leptonic CPV at wall front

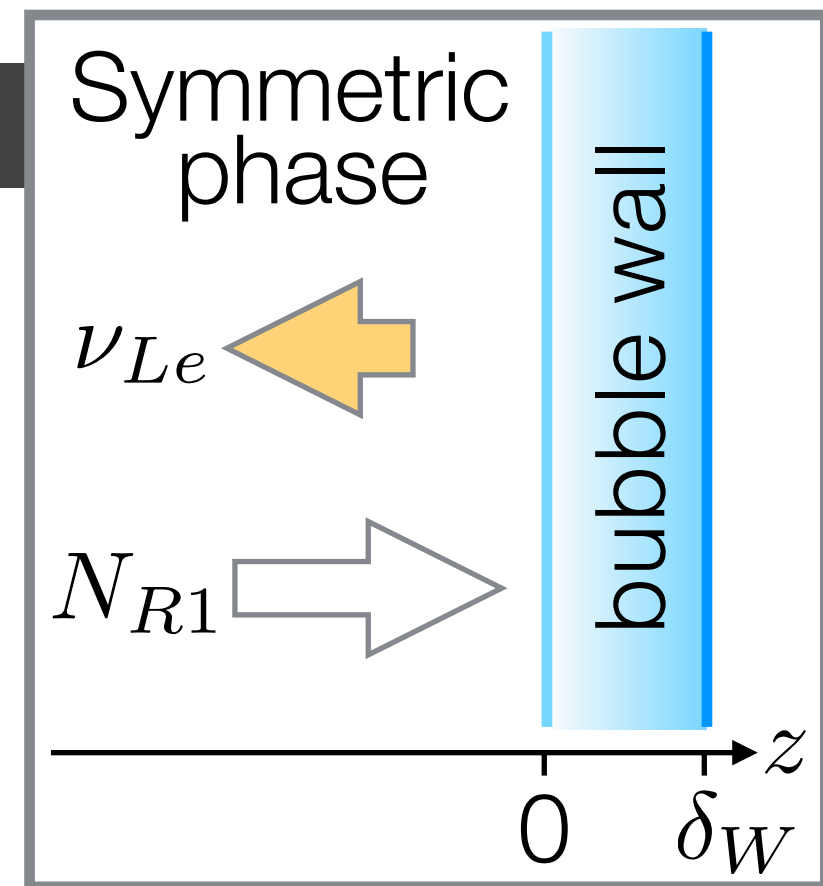
Wave equations with the wall potential

$$[i\partial_z + Q(z)] \psi(z) = 0$$

$$Q(z) = \begin{pmatrix} -E & m_D(z) & 0 \\ -m_D^\dagger(z) & E & -M_N^\dagger(z) \\ 0 & M_N(z) & -E \end{pmatrix}$$

$$\psi(z) = \left(\nu_L(z), N_R(z), N_L(z) \right)^\top$$

$$m_D(z) = \frac{y_D}{\sqrt{2}} v_H(z) \quad M_N(z) = Y_N v_\phi(z) \quad E = |p_z|$$



Reflection rate is calculated as...

e.g.,

$$\mathcal{R}(N_{R1} \rightarrow \nu_{Le}) = |\nu_{Le}(0)|^2 \text{ with } N_R(0) = (1, 0, 0) \text{ \& } \psi_{\leftarrow}(\delta_W) = \mathbf{0}$$

* For anti-neutrinos, $m_D(z) \rightarrow -m_D^*(z)$ & $M_N(z) \rightarrow -M_N^*(z)$ in $Q(z)$

To compute CPV, we have to fix Yukawas & the wall properties...

Leptonic CPV at wall front

A “wise choice” of the Yukawa structure is...

$$m_D = U_\ell \hat{m}_D V^\dagger$$

$$U_\ell = \mathbb{1}$$

$$V(\theta = \pi/4, \delta = \pi/2)$$

$$\hat{m}_D = \hat{m}_{D\tau} \begin{pmatrix} \frac{1}{\sqrt{2}} & 0 & 1 \end{pmatrix}$$

To enhance d_{CP}

{ maximal mixing and phase in V
mass hierarchy in $\hat{m}_D$

To avoid the tight bound to $(\Theta\Theta^\dagger)_{\mu\mu}$

Bubble wall properties

Here we simply **assume**

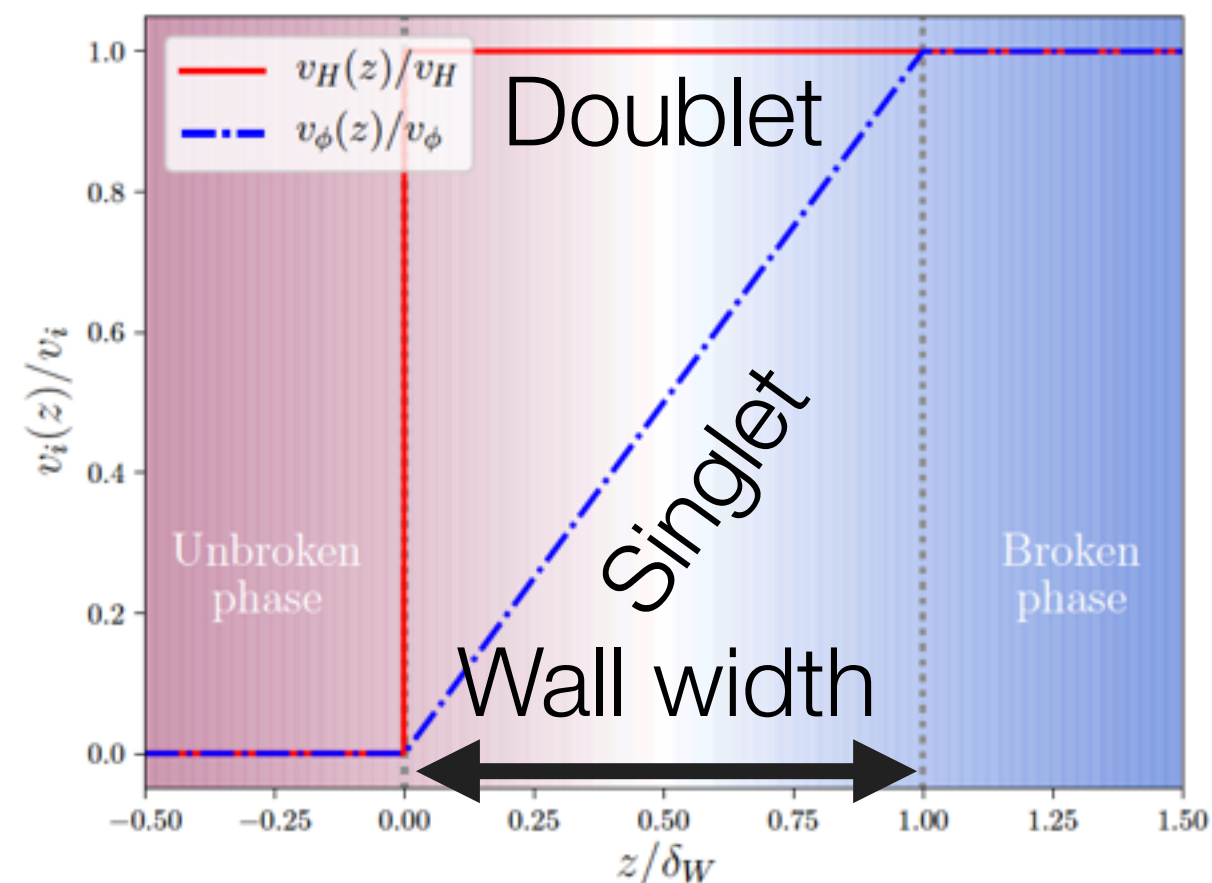
Wall width - thin wall regime

$$\delta_W = \{0.10, 0.15\} \text{GeV}^{-1}$$

Wall speed

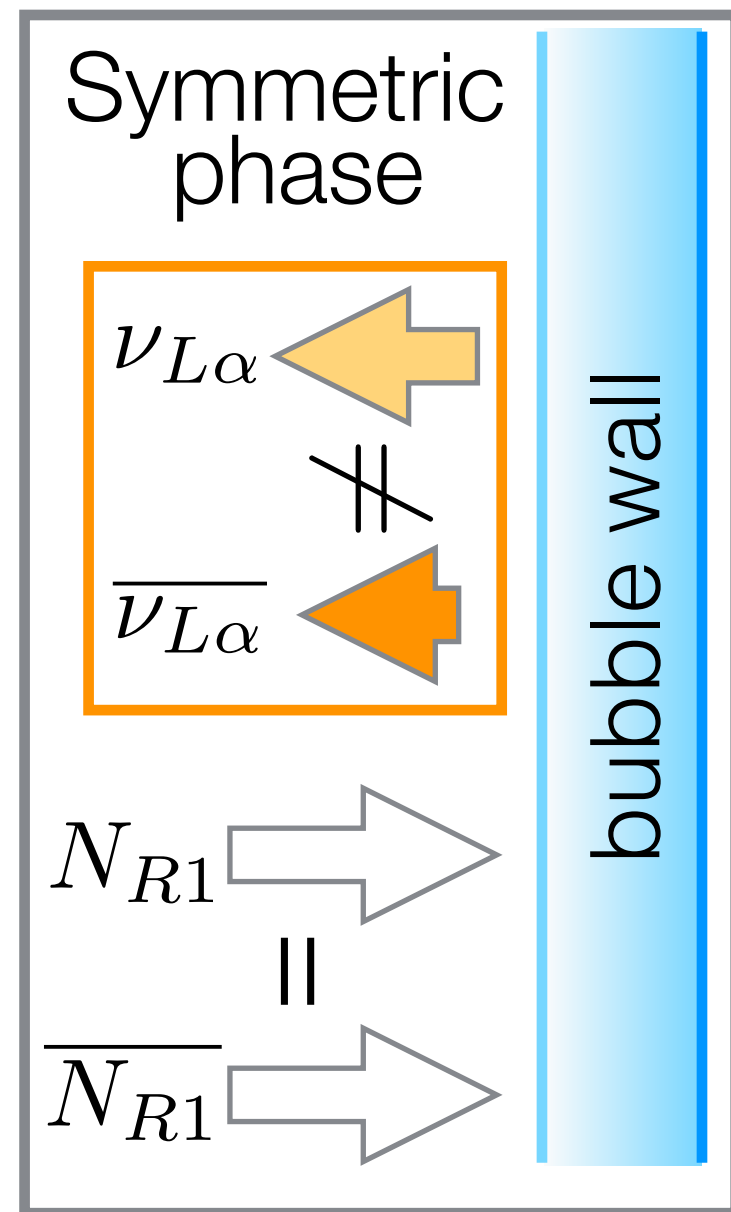
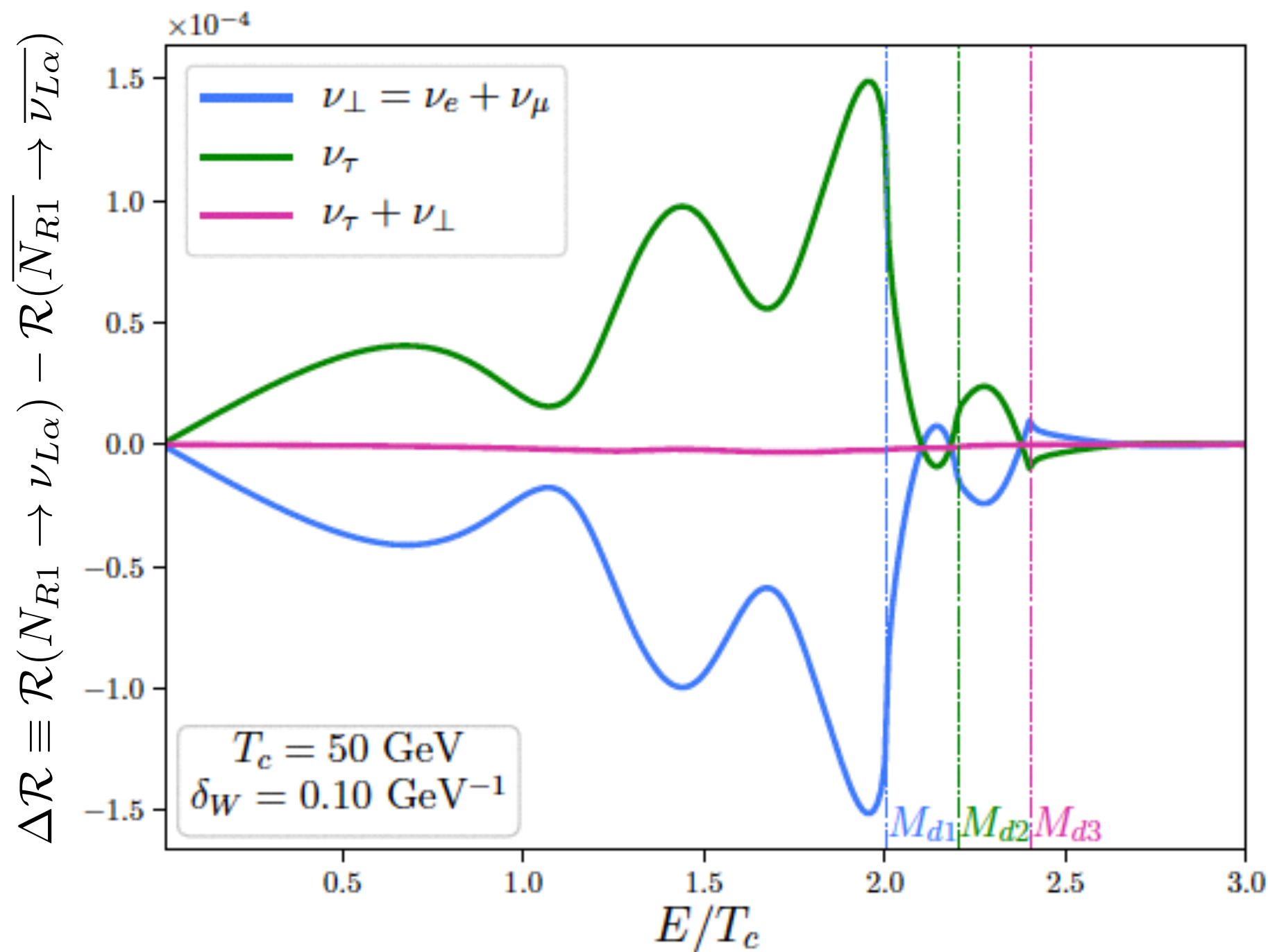
$$v_W = 0.1c$$

* All the properties must be determined from the scalar potential at T_c .



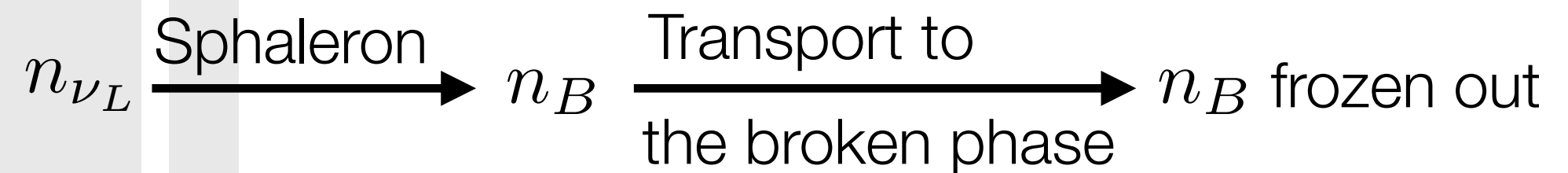
Leptonic CPV at wall front

CPV after reflection



+ Transmission: $\Delta \mathcal{T} \equiv \mathcal{T}(N_L \rightarrow \nu_{L\alpha}) - \mathcal{T}(\overline{N}_L \rightarrow \overline{\nu}_{L\alpha})$

Step 2&3: Diffusion equations



CPV to final baryon number

We've calculated

Total CPV flux at the wall front

$$\dot{j}_{\nu_L} = \sum_{\alpha} \sum_i \int d^3 \mathbf{p}_{N_{Ri}} \Delta \mathcal{R}(N_{Ri} \rightarrow \nu_{L\alpha}) \times (\text{distribution func. of } N_{Ri})$$

+ Contribution from Transmission

CPV to final baryon number

Total CPV flux at the wall front

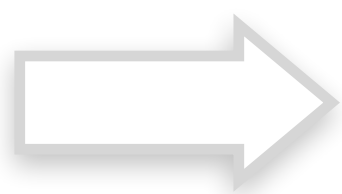
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+ Contribution from Transmission

Diffusion (transportation) equations

Joyce Prokopec Turok 9410281
Hernandez Rius 9611227

$$\begin{cases} D_B \partial_z^2 n_B - v_W \partial_z n_B - 3\Gamma_S \theta(-z) n_B - \Gamma_S \theta(-z) n_L = 0 \\ D_L \partial_z^2 n_L - v_W \partial_z n_L - 3\Gamma_S \theta(-z) n_B - \Gamma_S \theta(-z) n_L = \xi_L \dot{j}_{\nu_L} \partial_z \delta(z) \end{cases}$$



$$B = n_B(z > 0) = \frac{\Gamma_S}{D_L \kappa_1 \kappa_2 \left[\frac{D_B}{v_W} (\kappa_1 + \kappa_2) - 1 \right]} \frac{\xi_L}{D_L} \dot{j}_{\nu_L}$$

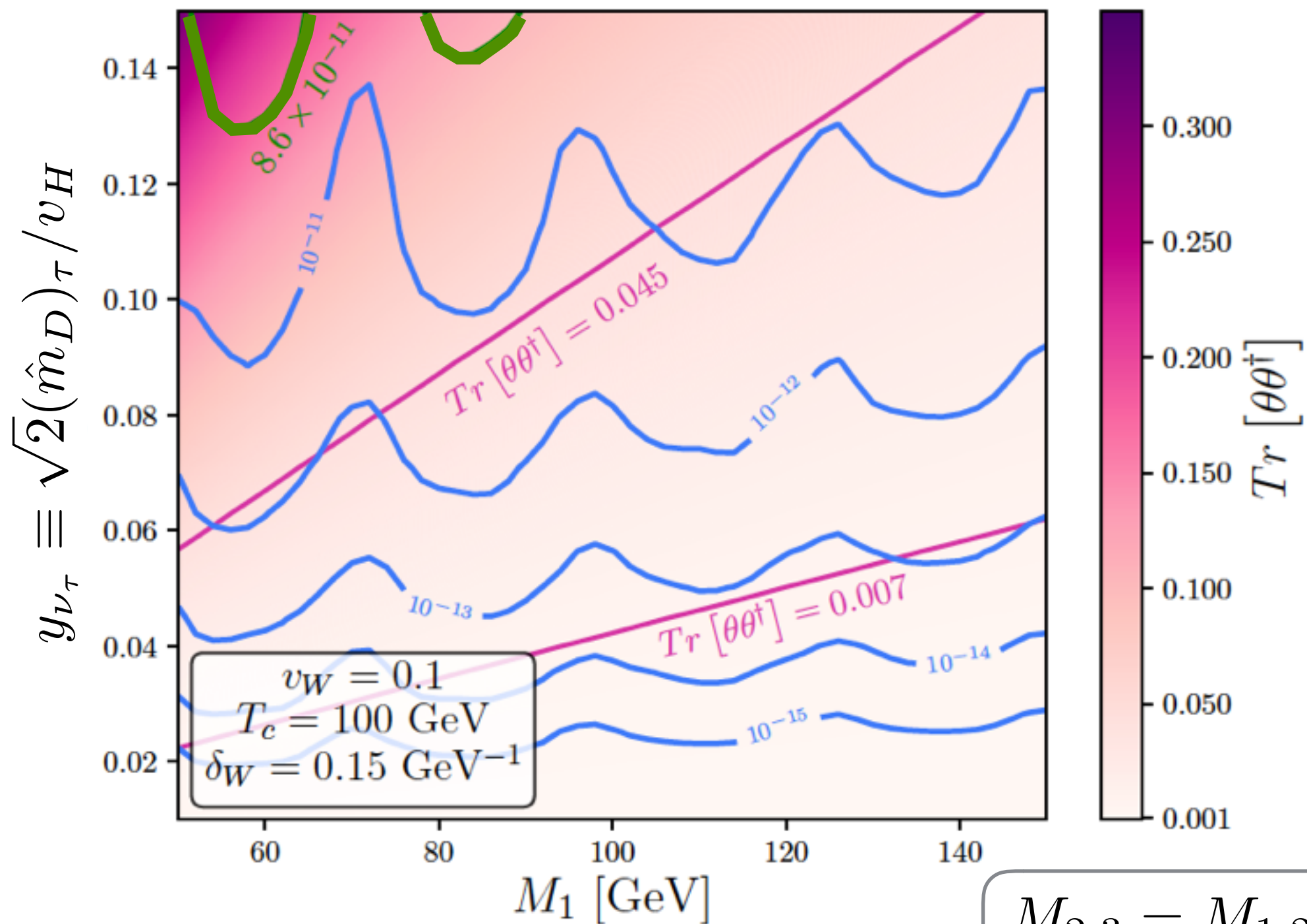
$\kappa_{1,2}$ are given as the two positive solutions of the following cubic eq.

$$D_B D_L \kappa^3 - v_W (D_B + D_L) \kappa^2 + [v_W^2 - \Gamma_S (D_B + 3D_L)] \kappa + 4v_W \Gamma_S = 0$$

Let us calculate $\eta_B = B/s(T_c)$ and compare to the observation...

CPV to final baryon number

Baryon number $\eta_B = B/s(T_c)$



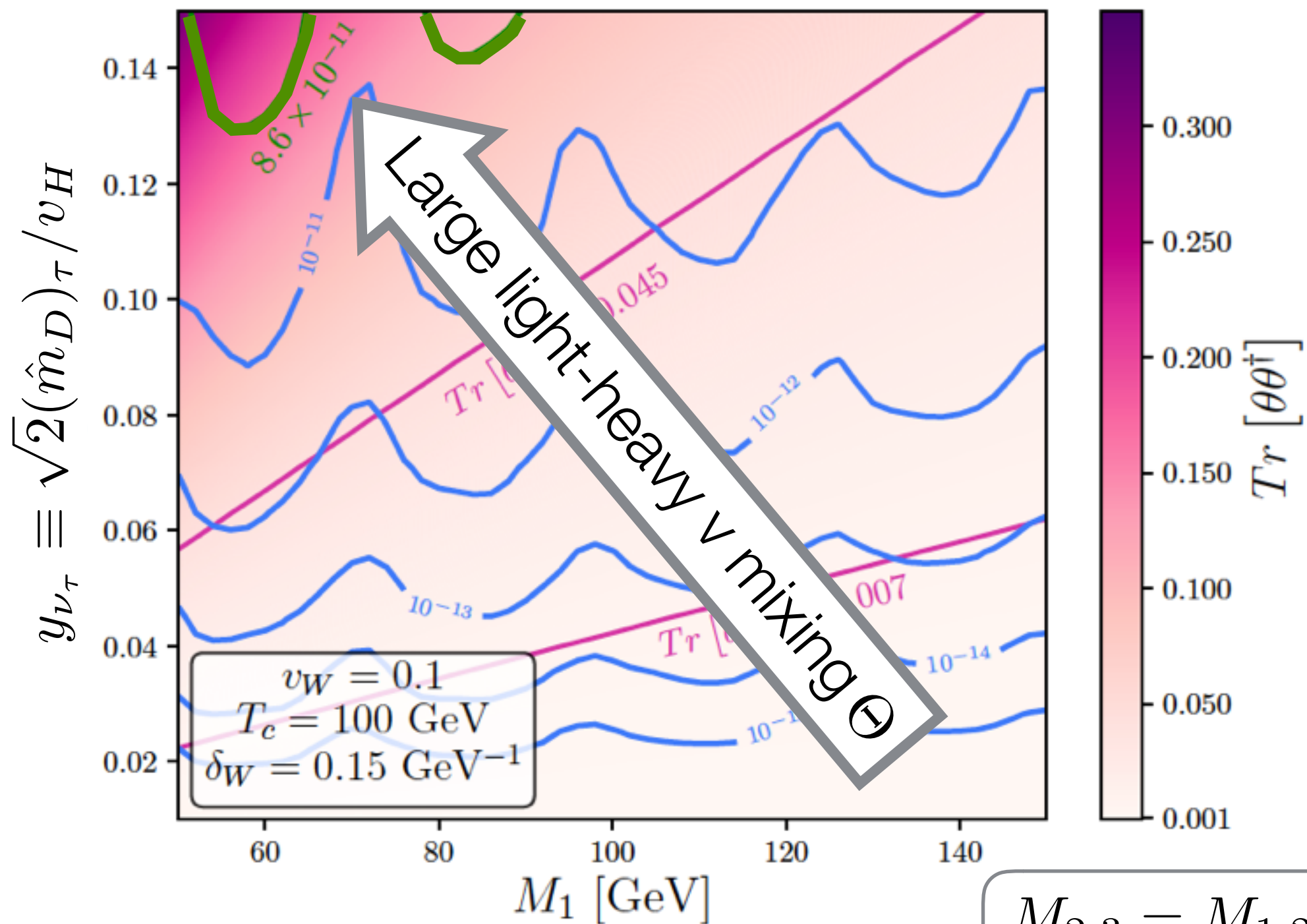
$$M_{2,3} = M_{1,2} + 10\text{GeV}$$

For the bounds from heavy ν mixing,
Fernandez-Martinez Hernandez-Garcia Lopez-Pavon
1605.08774

CPV is too small to reproduce the correct baryon asym today...

CPV to final baryon number

Baryon number $\eta_B = B/s(T_c)$



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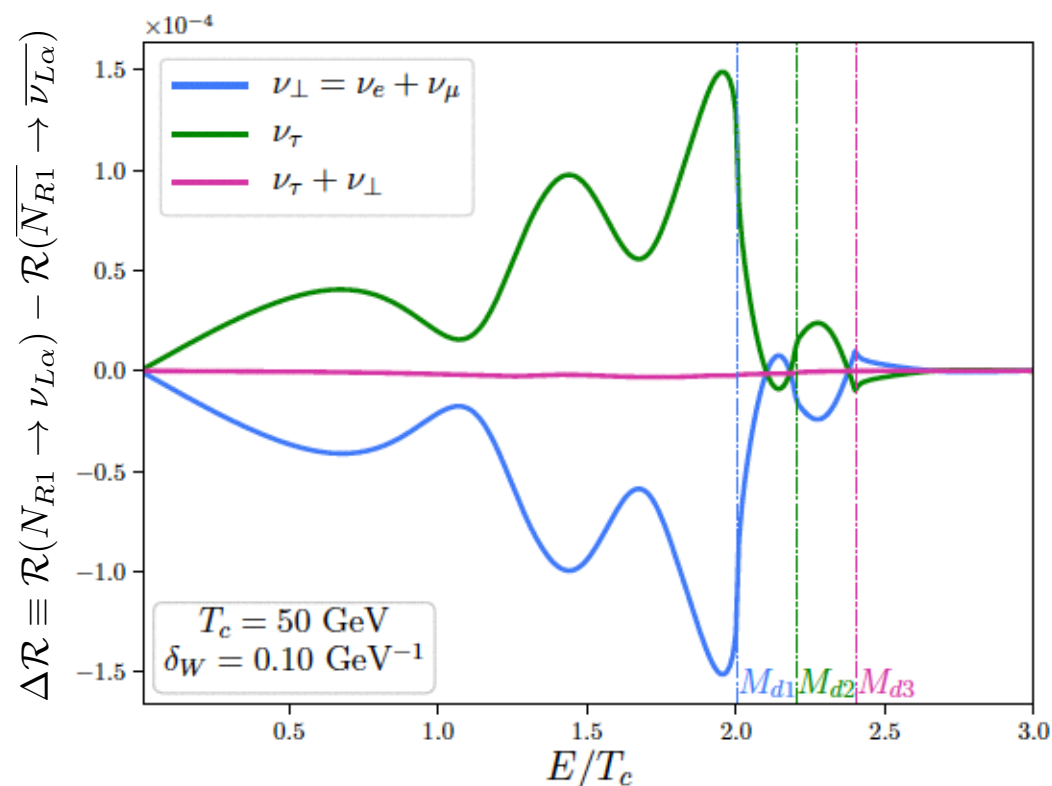
CPV is too small to reproduce the correct baryon asym today...

Is there a way-out?

$$d_{\text{CP}} \propto \det \left[M_N^\dagger M_N, m_D^\dagger m_D \right]$$

$$m_D = U_\ell \hat{m}_D V^\dagger \quad \& \quad M_N = \hat{M}_N$$

The sum of the CPV over the flavour index is very suppressed...



Strong cancelation of CPV among flavors

$$(\nu_e + \nu_\mu + \nu_\tau = \text{magenta} \sim 0),$$

which is not an accident, but caused by the GIM mechanism

$$j_{\nu_L} \propto \sum_{\alpha} \Delta \mathcal{R}(N_{R1} \rightarrow \nu_{L\alpha}) \propto \sum_{\alpha, \beta} \sum_j d_{\text{CP}}(\alpha, \beta, 1, j) f(\alpha, \beta, j)$$

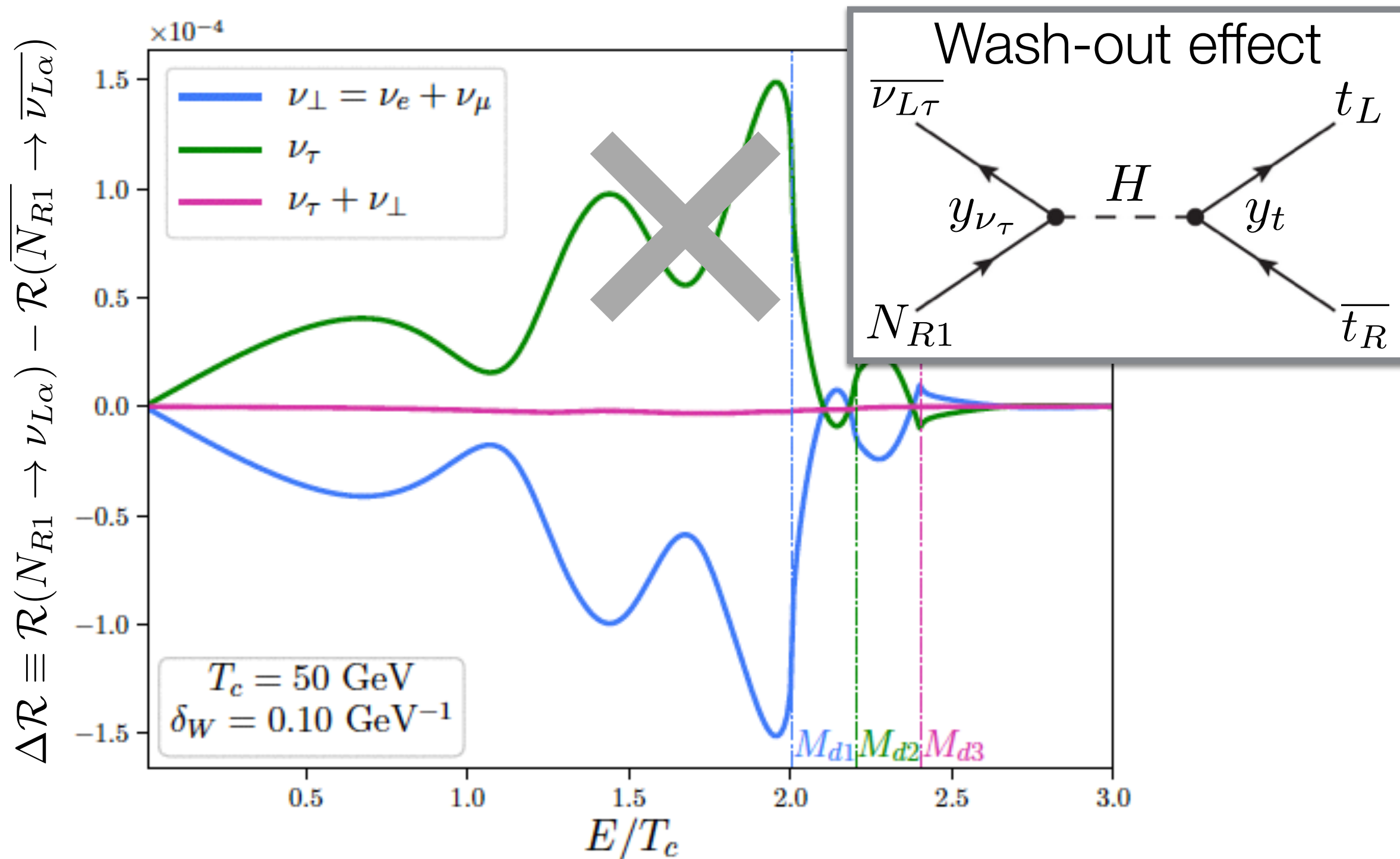
$$\sum_{\alpha, \beta} \text{Im} [V_{\alpha 1} V_{\alpha j}^* V_{\beta 1}^* V_{\beta j}] = 0$$

Only stays the part proportional to the mass difference (as GIM).

Reason of our defeat was the sum over the final neutrino flavour

Is there a way-out?

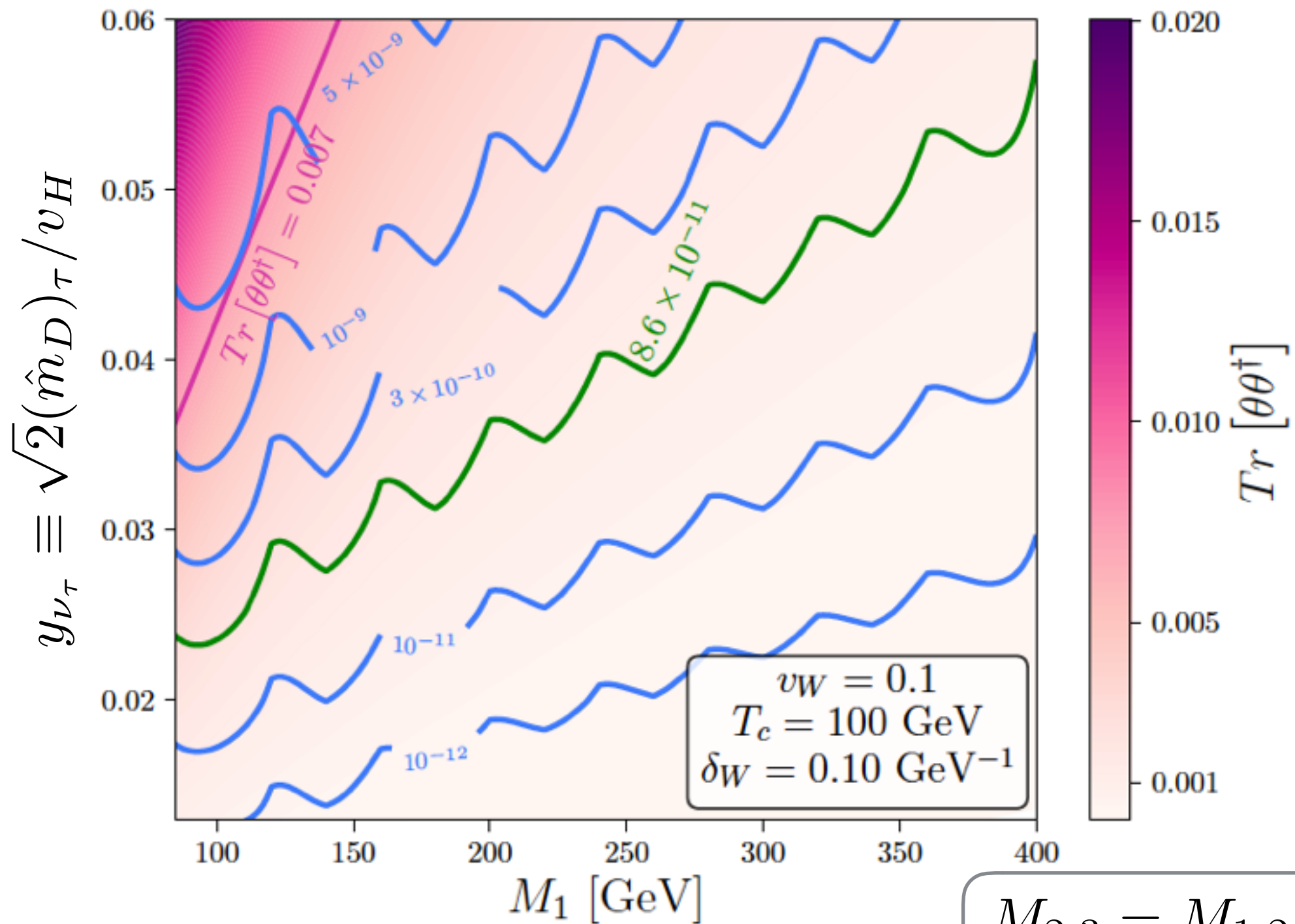
Wash-out allows us to use CPV in each flavour



Solve the diffusion equations with the wash-out effect...

Flavour effect

Baryon number $\eta_B = B/s(T_c)$



$$M_{2,3} = M_{1,2} + 10\text{GeV}$$

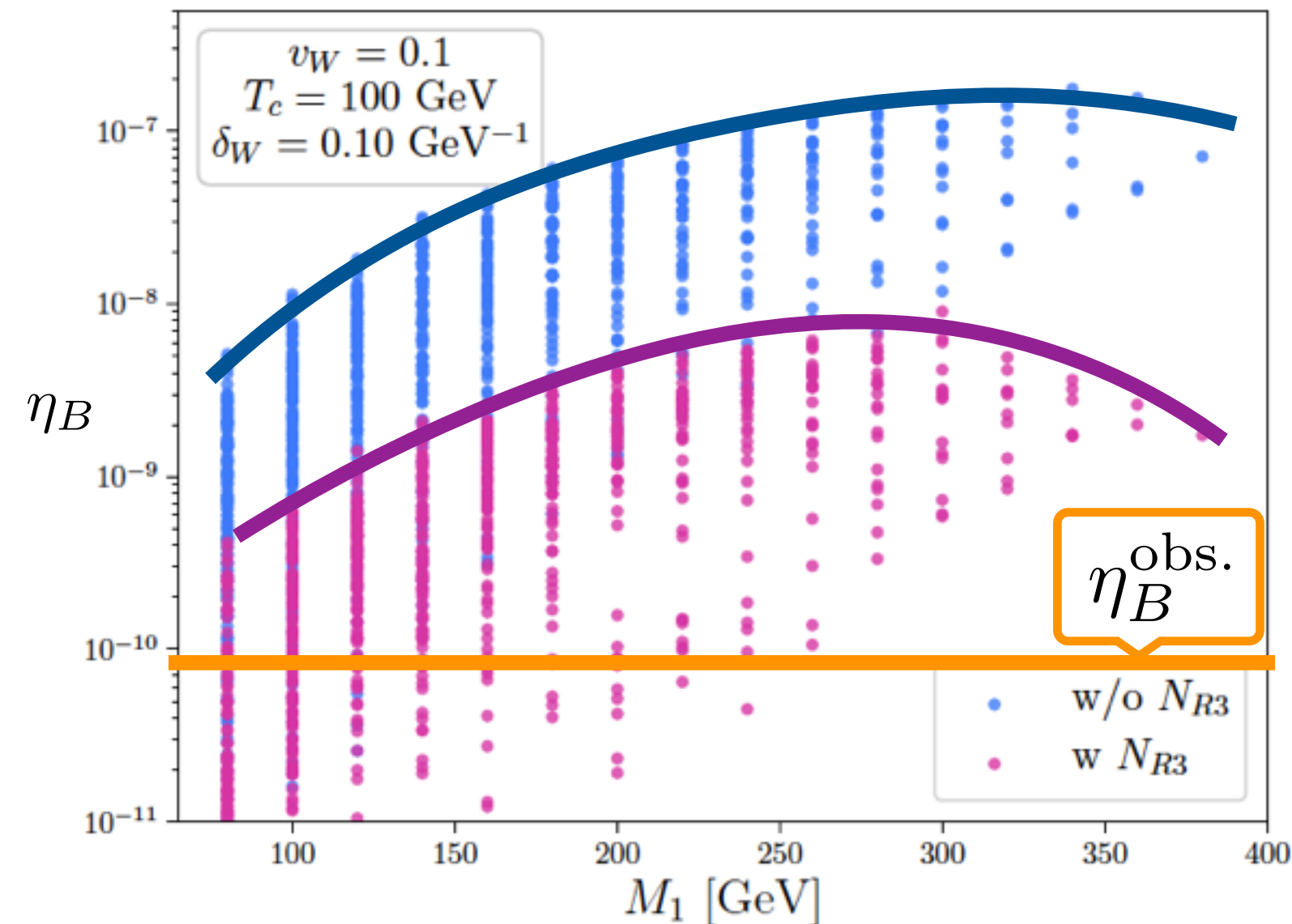
For the bounds from heavy ν mixing,
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 1605.08774

Flavour effect is crucial to reproduce the baryon asymmetry

More on flavour effect

Scan the values of $M_{2,3}$

$$M_{i+1} = [M_i + 10, 400] \text{ GeV}$$



Pros&cons of large M_i

- More efficient wash-out but less diffusion
- CPV from transmission gets suppressed with Boltzmann factor
- Large hierarchy in M_i enhances d_{CP}
- etc.

Not only wash-out but also the asymmetry in N_R comes into the game

Inclusion of N_{R3} reduces CPV $\rightarrow$ GIM cancellation

We have a good chance to reproduce the correct B/s



Wrap-up & Work in progress

1

ν EWBG Maybe we were neutrinos born at a bubble

...overcomes shortcomings of EWBG in the SM;

1st-order EWPT with ϕ , a new CP phase, and neutrino mass

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...suffers the GIM suppression and cannot reproduce B/s.
That was more-or-less known by Hernandez & Rius.
Large CPV requires large light-heavy mixings $\rightarrow$ good for pheno.

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That was more-or-less known by Hernandez & Rius.
Large CPV requires large light-heavy mixings $\rightarrow$ good for pheno.

3 Flavour effect (Wash-out effect)
Thanks to the flavor-dependent wash-out effect,
we can access to CPV in each flavour.
To have large wash-out effect, we need large Y_ν
which suggests large M_i but we want to keep Y_N small for diffusion.
We have a good chance to reproduce the correct B/s

Work-in-progress

What are realistic wall properties?

- We should derive wall properties from scalar potentials

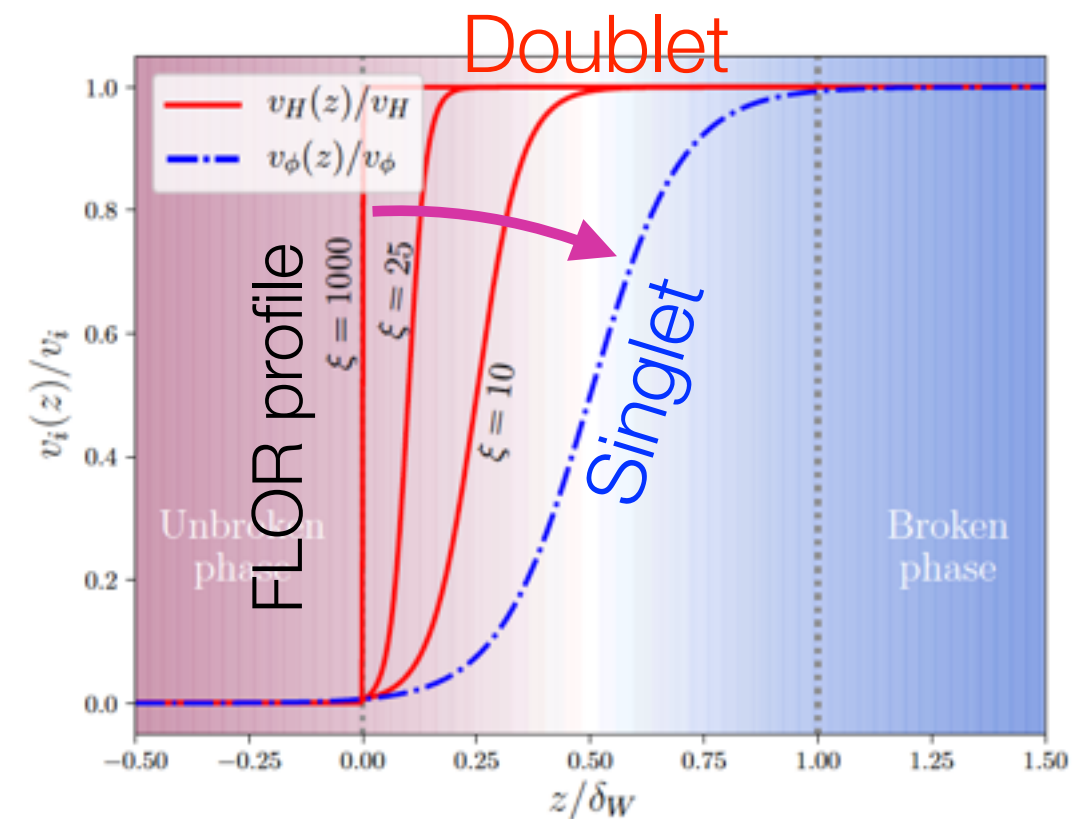
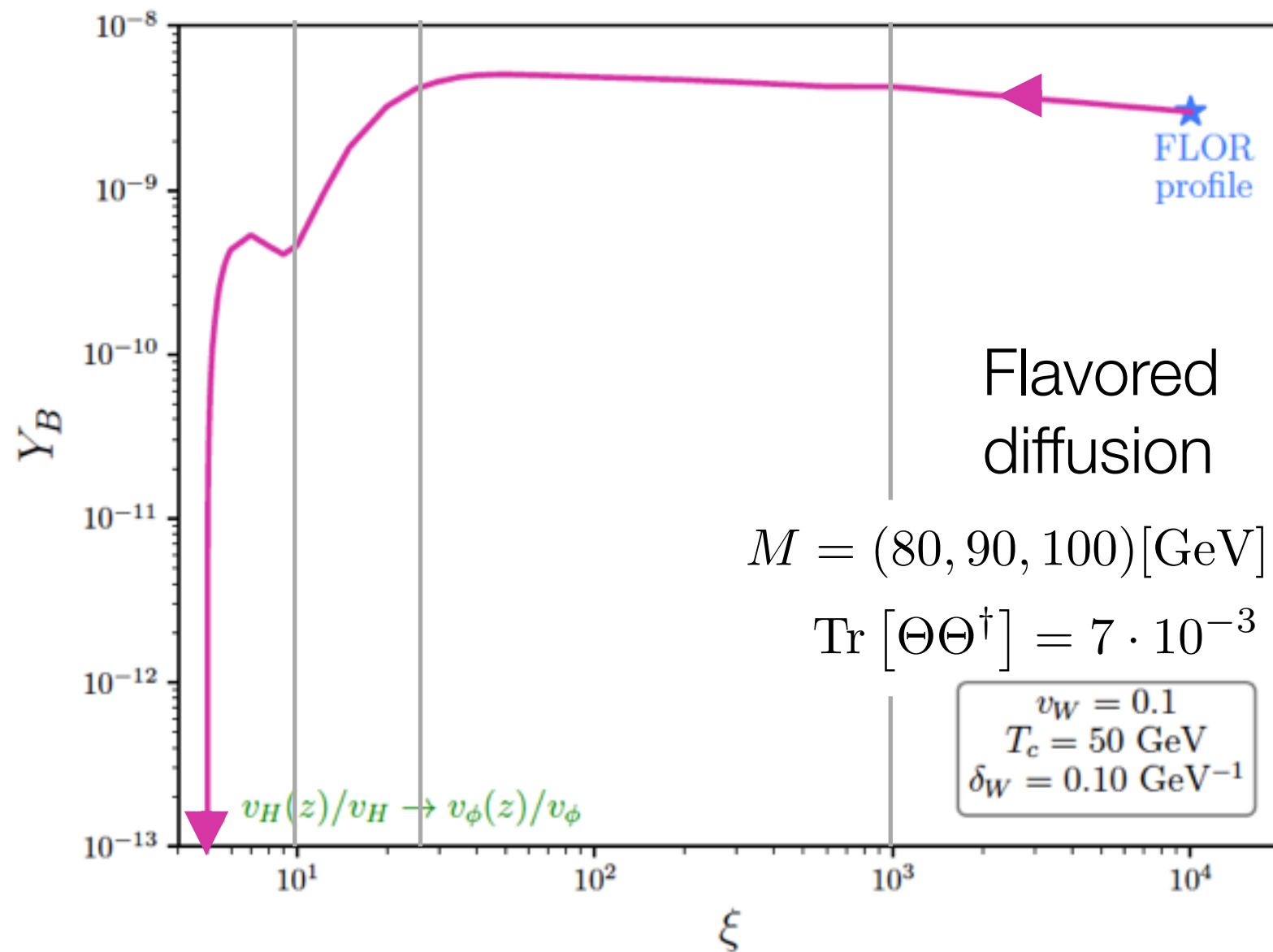
We need more discussion on related phenomenologies...

- ν EWBG (Large CPV, Successful PhT etc.) vs Observables

Improve the treatment of the diffusion equations.

Backup

Dependence on wall profile



Offset of the two vevs is necessary for z-dependent CP phase

Nelson Kaplan Cohen NPB373 (1992) 453

FLOR vs HR - 2-3 orders of magnitude different in final B/s

Diffusion eqs w. flavour effect

Joyce Prokopec Turok 9410281

$$\left\{ \begin{array}{l} D_B \partial_z^2 n_B - v_W \partial_z n_B - 3\Gamma_S \theta(-z) n_B - \Gamma_S \theta(-z) n_L = 0 \quad n_L \equiv \sum_{\alpha} n_{\nu_{\alpha}} \\ D_L \partial_z^2 n_{\nu_{\alpha}} - v_W \partial_z n_{\nu_{\alpha}} - 3\Gamma_S \theta(-z) n_B - \Gamma_S \theta(-z) n_L \\ \quad - \sum_i \Gamma_{N_i \nu_{\alpha}} \left[\frac{1}{2} n_{\nu_{\alpha}} - n_{N_i} \right] = \xi_L j_{\nu_{\alpha}} \partial_z \delta(z) \\ D_{N_i} \partial_z^2 n_{N_i} - v_W \partial_z n_{N_i} + \sum_{\alpha} \Gamma_{N_i \nu_{\alpha}} \left[\frac{1}{2} n_{\nu_{\alpha}} - n_{N_i} \right] = \xi_{N_i} j_{N_i} \partial_z \delta(z) \end{array} \right.$$

In the flavored scenario, CPV in n_L is generated with

#1. the wash-out of $n_{\nu_{\tau}}$

#2. the asymmetry in $n_{N_{Ri}}$

CPV: d_CP

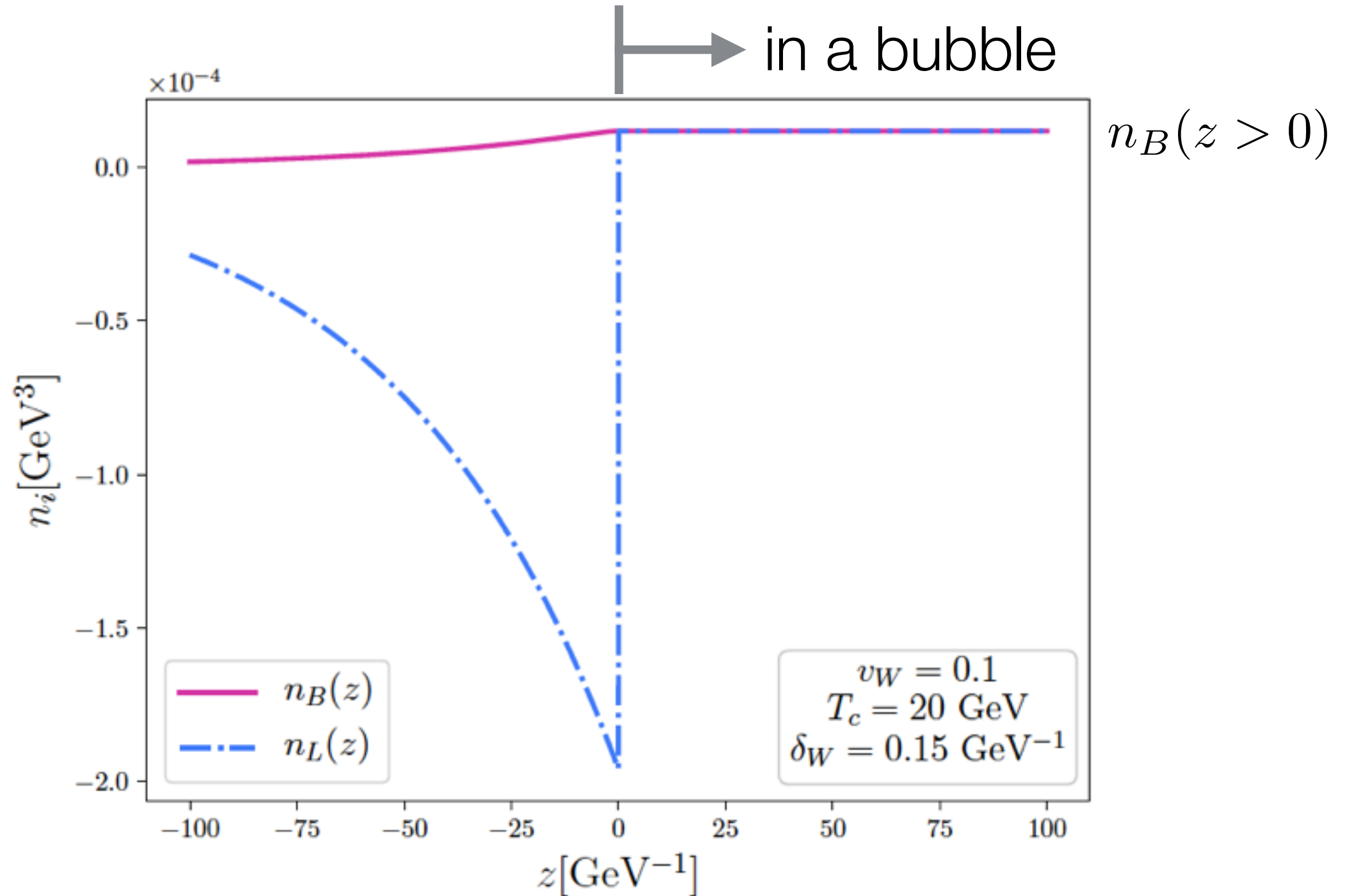
$$\begin{aligned}
 d_{\text{CP}} &= \frac{1}{2i} \det \left[M_N^\dagger M_N, m_D^\dagger m_D \right] & F_q &\equiv (m_{q_3}^2 - m_{q_2}^2)(m_{q_3}^2 - m_{q_1}^2)(m_{q_2}^2 - m_{q_1}^2) \\
 &= F_{M_N} F_{m_D} \text{Im} \left[V_{ia} V_{ib}^* V_{ja}^* V_{jb} \right] & m_D &= (U_\ell)_{\alpha a} \hat{m}_{Da} (V^\dagger)_{ai} \\
 &= M_1^2 M_2^2 M_3^2 F_{M_N} \text{Im} \left[(\Theta^\dagger \Theta)_{12} (\Theta^\dagger \Theta)_{23} (\Theta^\dagger \Theta)_{31} \right] \\
 & & (\Theta)_{\alpha i} &\equiv (m_D)_{\alpha i} (M^{-1})_i
 \end{aligned}$$

To have large CPV,

large mass hierarchies $F_{M_N} \quad F_{m_D}$
 & large mixing and phase J

large mass and hierarchy in $M_N \quad F_{M_N}$
 & large light-heavy mixing Θ

Solution of diffusion eqs.



$$\begin{cases} D_B \partial_z^2 n_B - v_W \partial_z n_B - 3\Gamma_S \theta(-z) n_B - \Gamma_S \theta(-z) n_L = 0 \\ D_L \partial_z^2 n_L - v_W \partial_z n_L - 3\Gamma_S \theta(-z) n_B - \Gamma_S \theta(-z) n_L = \xi_L j_{\nu_L} \partial_z \delta(z) \end{cases}$$