

# Python Plots & Plots with GetDist



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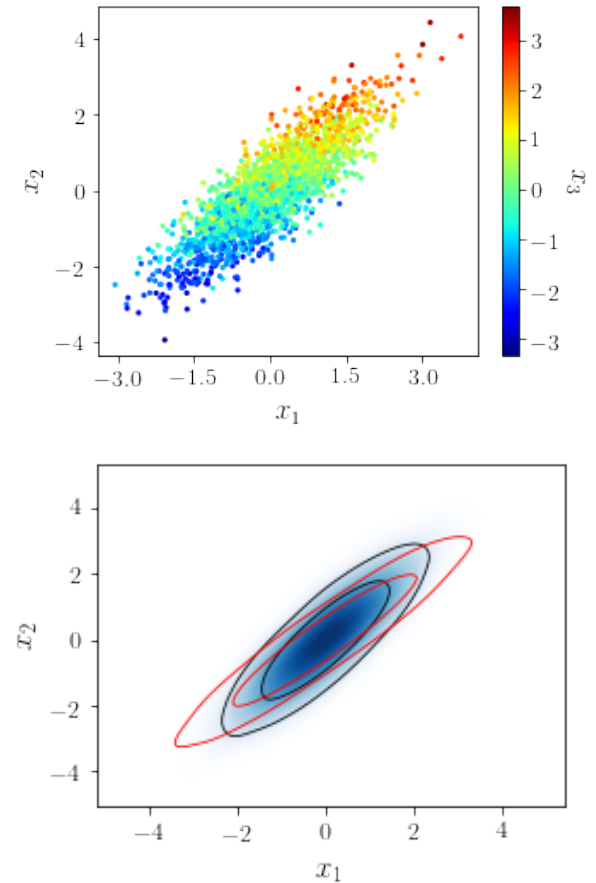


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# CosmoMC outputs

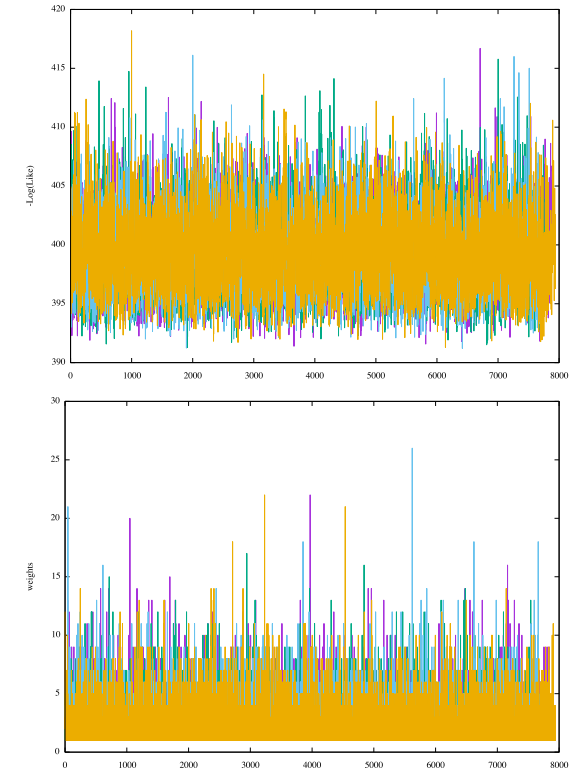
CosmoMC output files:

- root.inputparams → CosmoMC execution parameters.
- root.likelihoods → Likelihoods taking part in the MCMC.
- root.paramnames → Names of the chain parameters.
- root.ranges → Min. & max. values of the parameters.
- root\_1.txt, root\_2.txt... → Chain file with weight, likelihood...

Of these, only go into GetDist/GetDist GUI...

{  
root.ranges  
root.paramnames  
root\_1.txt, root\_2.txt...  
}

Let's see them closer



# CosmoMC outputs

root.ranges

omegab <sub>h2</sub>	0.5000000E-02	0.1000000E+00
omega <sub>ch2</sub>	0.1000000E-02	0.9900000E+00
theta	0.5000000E+00	0.1000000E+02
tau	0.1000000E-01	0.8000000E+00
omegak	0.0000000E+00	0.0000000E+00
m <sub>nu</sub>	0.6000000E-01	0.6000000E-01
m <sub>effsterile</sub>	0.0000000E+00	0.0000000E+00
w	-0.1000000E+01	-0.1000000E+01
w <sub>a</sub>	0.0000000E+00	0.0000000E+00
n <sub>nu</sub>	0.3046000E+01	0.3046000E+01
y <sub>he</sub>	0.2400000E+00	0.2400000E+00
alpha <sub>1</sub>	0.0000000E+00	0.0000000E+00
deltaz <sub>rei</sub>	0.5000000E+00	0.5000000E+00
Alens	0.1000000E+01	0.1000000E+01
Alens <sub>f</sub>	-0.1000000E+01	-0.1000000E+01
f <sub>dm</sub>	0.0000000E+00	0.0000000E+00
logA	0.2000000E+01	0.4000000E+01
n <sub>s</sub>	0.8000000E+00	0.1200000E+01
n <sub>run</sub>	0.0000000E+00	0.0000000E+00
n <sub>runrun</sub>	0.0000000E+00	0.0000000E+00
r	0.0000000E+00	0.0000000E+00
n <sub>t</sub>	0.0000000E+00	0.0000000E+00
n <sub>trun</sub>	0.0000000E+00	0.0000000E+00
A <sub>hiphi</sub>	0.1000000E+01	0.1000000E+01
calPlanck	0.9000000E+00	0.1100000E+01
acib <sub>217</sub>	0.0000000E+00	0.2000000E+03
ncib	-0.1300000E+01	-0.1300000E+01
xi	0.0000000E+00	0.1000000E+01
asz <sub>143</sub>	0.0000000E+00	0.1000000E+02

Gives min. (1<sup>st</sup> col.) and max. (2<sup>nd</sup> col) value of the prior. Hard limit.

1<sup>st</sup> column: variable names within the code.

2<sup>nd</sup> column: LaTeX names for plots format.

\* stands for derived params, not MCMCs.

root.paramnames

omegab <sub>h2</sub>	$\Omega_{\text{b}} h^2$
omega <sub>ch2</sub>	$\Omega_{\text{c}} h^2$
theta	$100 \theta_{\text{MC}}$
tau	$\tau$
logA	$\ln(10^{10} A_{\text{s}})$
n <sub>s</sub>	$n_{\text{s}}$
calPlanck	$y_{\text{cal}}$
acib <sub>217</sub>	$A_{\text{CIB}}^{217}$
xi	$\xi_{\text{tSZ-CIB}}$
asz <sub>143</sub>	$A_{\text{tSZ}}^{143}$
aps <sub>100</sub>	$A_{\text{PS}}^{100}$
aps <sub>143</sub>	$A_{\text{PS}}^{143}$
aps <sub>143217</sub>	$A_{\text{PS}}^{143 \times 217}$
aps <sub>217</sub>	$A_{\text{PS}}^{217}$
aksz	$A_{\text{kSZ}}$
kgal <sub>100</sub>	$A_{\text{dustTT}}^{100}$
kgal <sub>143</sub>	$A_{\text{dustTT}}^{143}$
kgal <sub>143217</sub>	$A_{\text{dustTT}}^{143 \times 217}$
kgal <sub>217</sub>	$A_{\text{dustTT}}^{217}$
cal <sub>0</sub>	$c_{100}$
cal <sub>2</sub>	$c_{217}$
H <sub>0</sub> *	$H_0$
omega <sub>l</sub> *	$\Omega_{\Lambda}$
omegam*	$\Omega_{\text{m}}$
omegam <sub>h2</sub> *	$\Omega_{\text{m}} h^2$
omeganu <sub>h2</sub> *	$\Omega_{\nu} h^2$
omegam <sub>h3</sub> *	$\Omega_{\text{m}} h^3$
sigma <sub>8</sub> *	$\sigma_8$
s <sub>8omegam5</sub> *	$\sigma_8 \Omega_{\text{m}}^{0.5}$

# CosmoMC outputs

root\_1.txt

6.000000E+00	4.020593E+02	2.237905E-02	1.210001E-01	1.040673E+00
7.961286E-02	3.095802E+00	9.689967E-01	1.000905E+00	5.072992E+01
9.992040E-01	3.612232E+00	2.627977E+02	3.357852E+01	3.989548E+01
1.090350E+02	6.971365E+00	1.173381E+01	9.813909E+00	1.323354E+01
7.928245E+01	9.996154E-01	9.943139E-01	6.693115E+01	6.785014E-01
3.214986E-01	1.440243E-01	6.451439E-04	9.639711E-02	8.366901E-01
4.744104E-01	6.300274E-01	1.022705E+00	2.510974E+00	1.011810E+01
2.210495E+00	1.885119E+00	1.228440E+03	5.695538E+03	2.539407E+03
8.190871E+02	2.324751E+02	9.689967E-01	2.453968E-01	2.467233E-01
2.589648E+00	1.380795E+01	1.089994E+03	1.441675E+02	1.040856E+00
1.385086E+01	1.060047E+03	1.468169E+02	1.411623E-01	1.606773E-01
3.426328E+03	1.045747E-02	8.088600E-01	4.470520E-01	7.099794E-02
9.281875E+01	1.395937E+03	6.785478E-01	4.889963E-01	6.199804E-01
2.472889E+01	2.928717E+01	1.041134E+02	1.359998E+01	7.821099E+02
8.408603E+00	7.957099E+02			
1.000000E+00	4.051888E+02	2.200543E-02	1.235358E-01	1.040069E+00
3.637712E-02	3.013929E+00	9.567040E-01	9.996694E-01	7.415064E+01
4.920187E-01	6.157384E+00	3.232672E+02	4.418528E+01	3.463432E+01
7.945601E+01	4.202721E+00	7.431789E+00	8.378352E+00	1.865833E+01
7.722513E+01	9.991016E-01	9.974961E-01	6.555908E+01	6.598728E-01
3.401272E-01	1.461864E-01	6.451439E-04	9.583848E-02	8.081931E-01
4.713416E-01	6.171993E-01	9.981566E-01	2.463189E+00	5.836487E+00
2.036726E+00	1.893808E+00	1.241035E+03	5.693506E+03	2.535620E+03
8.129329E+02	2.288998E+02	9.567040E-01	2.452225E-01	2.465484E-01
2.660936E+00	1.387338E+01	1.090697E+03	1.438041E+02	1.040291E+00
1.382344E+01	1.059322E+03	1.465729E+02	1.411301E-01	1.610327E-01
3.478011E+03	1.061516E-02	7.984244E-01	4.418493E-01	7.007005E-02
9.217150E+01	1.415249E+03	6.831381E-01	4.765368E-01	5.946455E-01
3.156666E+01	3.240660E+01	1.049658E+02	1.475256E+01	7.915088E+02



1<sup>st</sup> point in the Markov chain.  
weight = 6.0      -LogLike = 4.0E+02 ...



In general we are interested in the 1D (histograms) and 2D (contours) marginalized posterior probability densities of this parameters.

2<sup>nd</sup> point in the Markov chain.  
weight = 1.0 -LogLike = 4.1E+02 ...

# Plotting & analyzing MCMCs with GetDist

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## GETDIST COMPILATION

**Stand alone version:** A. Lewis, March 2017

GitHub: <https://github.com/cmbant/getdist>

1. tar -xvf getdist-master.tar.gz
2. cd getdist-master
3. python setup.py install
4. python GetDist.py

**CosmoMC version:** A. Lewis, March 2017

GitHub: <https://github.com/cmbant/CosmoMC>

1. tar -xvf cosmomc-master
2. cd cosmomc-master
3. make getdist
4. ./getdist distparams.ini chains/root

❖ **Caution!** GetDist only supported by versions Python 2.7 or newer.

In Hydra = Python version 2.7

❖ **Caution!** You need to add CosmoMC's python path to your environment variables.

export PYTHONPATH=COSMOMCPATH/python:\$PYTHONPATH

❖ There is a ton of scripts to plot the chains in the **/COSMOMCPATH/python** directory...  
... **that can be used as a black box.**

# Plotting & analyzing MCMCs with GetDist

---

distparams.ini

`./getdist distparams.ini chains/root`

❖ **Caution!** The GetDist output folder has to be created beforehand or no output is created.

❖ **Caution!** Some parameters have hard boundaries that have to be taken care of:

```
#Need to give limits if prior cuts off distribution where not  
very small
```

```
limits[r02]= 0 N
```

➤ For 1D plots:

```
#Parameters to use. If not specified use all parameters which  
have labels.
```

```
#plot_params = PARAM1 PARAM2 PARAM3...
```

➤ For 2D plots:

```
plot_2D_param = 0
```

```
#if both zero it will plot most correlated variables
```

```
plot_2D_num = 0
```

```
plot1 = XPARAM YPARAM
```

```
plot2 = XPARAM YPARAM
```

# Plotting & analyzing MCMCs with GetDist

---

`./getdist distparams.ini`

```
[mtrashorras@hydra0 cosmomc-master]$ ./getdist distparams.ini
producing files in directory ./chains/plikHM_TT_lowTEB_lensing/dist/
reading chains/plikHM_TT_lowTEB_lensing/base_plikHM_TT_lowTEB_lensing_1.txt
reading chains/plikHM_TT_lowTEB_lensing/base_plikHM_TT_lowTEB_lensing_2.txt
reading chains/plikHM_TT_lowTEB_lensing/base_plikHM_TT_lowTEB_lensing_3.txt
reading chains/plikHM_TT_lowTEB_lensing/base_plikHM_TT_lowTEB_lensing_4.txt
Number of chains used = 4
var(mean)/mean(var), remaining chains, worst e-value: R-1 = 0.00644
RL: Thin for Markov: 20
RL: Thin for indep samples: 22
RL: Estimated burn in steps: 126 (55 rows)
mean input multiplicity = 2.27828971618135
Random seeds: 31201, 17315 rand_inst: 0
using 24417 rows, processing 2 parameters
Approx indep samples: 2529
Best fit sample -log(Like) = 5638.377000000000
Ln(mean 1/like) = 5652.96527696196
mean(-Ln(like)) = 5646.14296077585
-Ln(mean like) = 5643.28888428720
Producing 1 2D plots
producing 1 2D colored scatter plots
[mtrashorras@hydra0 cosmomc-master]$
```



# Plotting & analyzing MCMCs with GetDist

---

distparams.ini

`./getdist distparams.ini (chains/root)`

❖ **Caution!** The GetDist output folder has to be created beforehand or no output is created.

❖ **Caution!** Some parameters have hard boundaries that have to be taken care of:

#Need to give limits if prior cuts off distribution where not very small

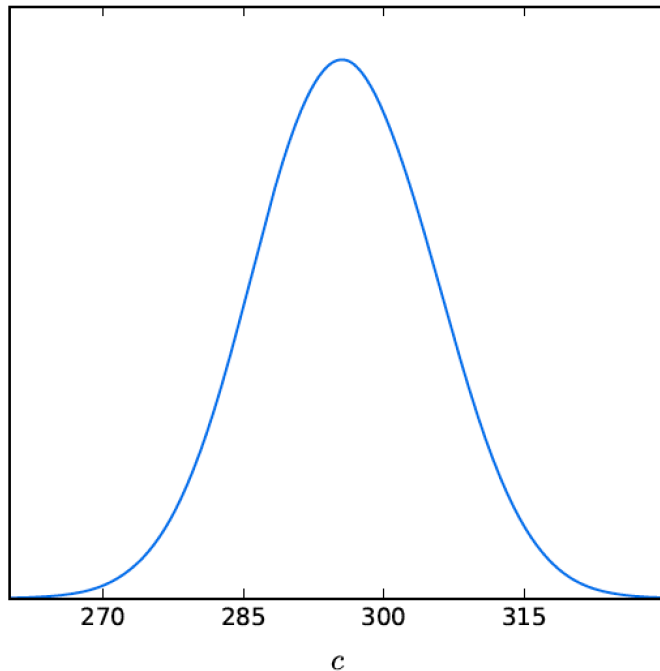
limits[r02]= 0 N

1. Set input & output folders:
  - file\_root = chains/root
  - out\_root =
  - out\_dir = ./chains
  - plot\_data\_dir = ./chains
2. Set which chains to read:
  - chain\_num = 4
  - first\_chain = 1
  - exclude\_chain = 3
3. Disregard burn-in if using raw chains:
  - ignore\_rows = 0.3

# Plotting & analyzing MCMCs with GetDist

---

distparams.ini

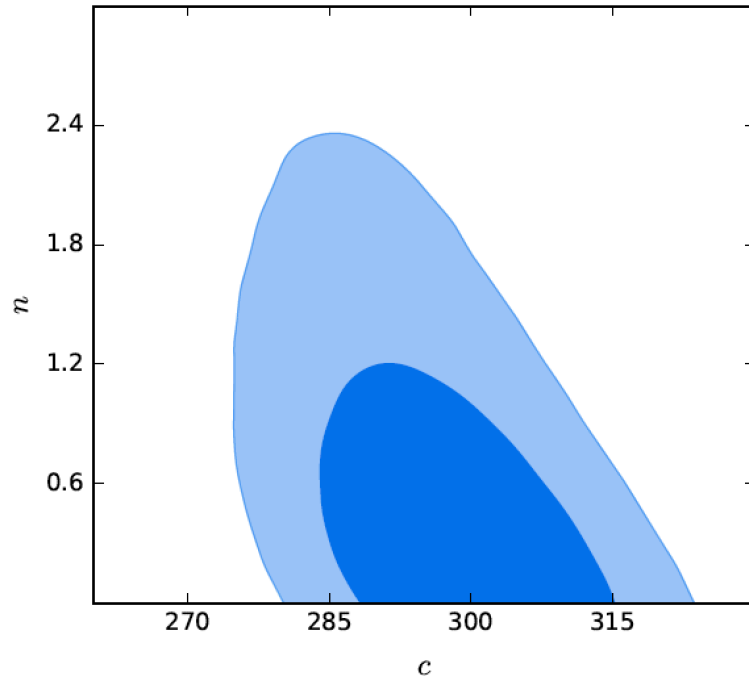


- For 1D plots:  
#Parameters to use. If not specified use all parameters which have labels.  
plot\_params = PARAM1 PARAM2 PARAM3...
- For 2D plots:  
plot\_2D\_param = 0  
#if both zero it will plot most correlated variables  
plot\_2D\_num = 0  
plot1 = XPARAM YPARAM  
plot2 = XPARAM YPARAM

# Plotting & analyzing MCMCs with GetDist

---

distparams.ini



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# Plotting & analyzing MCMCs with GetDist

---

distparams.ini

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#Need to give limits if prior cuts off distribution where not very small

limits[r02]= 0 N

➤ For 3D plots:

#number of sample plots, colored by third parameter

#if last parameter is 0 or -1 colored by the parameter most correlated

#with one of the eigenvector directions (e.g. parallel or orthogonal to degeneracy)

num\_3D\_plots = 1

3D\_plot1 = XPARAM YPARAM ZPARAM

➤ For triangle 2D plots:

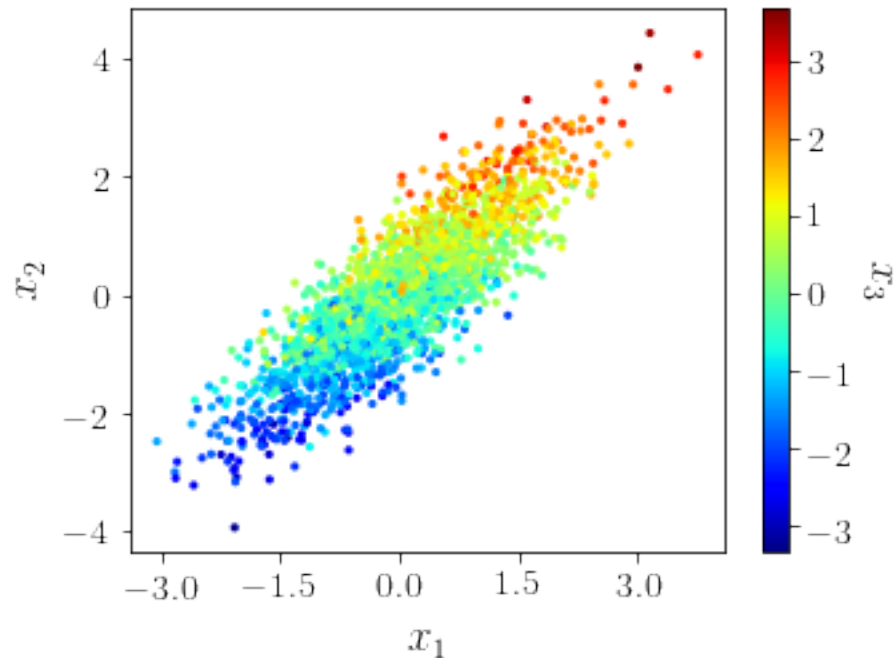
#Output 2D plots for param combos with 1D marginalized plots along the diagonal

triangleplot = T

triangle\_params = PARAM1 PARAM2 PARAM3...

# Plotting & analyzing MCMCs with GetDist

distparams.ini



## ➤ For 3D plots:

#number of sample plots, colored by third parameter

#if last parameter is 0 or -1 colored by the parameter most correlated

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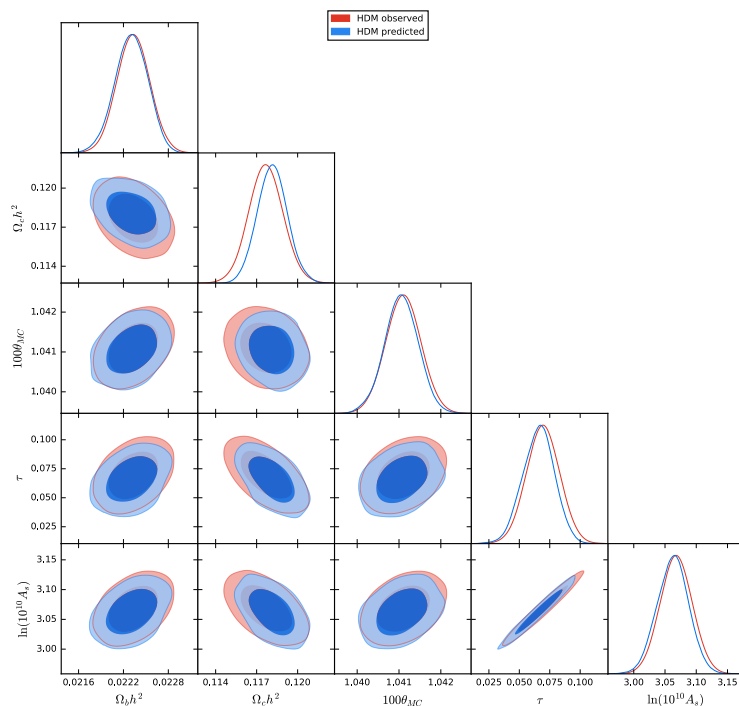
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# Plotting & analyzing MCMCs with GetDist

distparams.ini



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## ➤ For triangle 2D plots:

#Output 2D plots for param combos with 1D marginalized plots along the diagonal

triangleplot = T

triangle\_params = PARAM1 PARAM2 PARAM3...

# GetDist outputs

---

<b>root.converge</b>	→ Information about chain R convergence for each parameter.
<b>root.likstats</b> (action=2)	→ Best-fit values of each parameters at the point of maximum likelihood. <b>This is NOT the mean of the value after marginalization.</b>
<b>root.margstats</b> (action=4)	→ $\mu$ , $\sigma$ , lower and upper limits at the 68%, 95% & 99% C.L. of each parameter. It takes into account whether the distribution has one tail (like r)... ... or two tails (like $\Omega_b h^2$ , $\Omega_c h^2$ , $\tau$ , $100\theta_{MC}$ , $n_s$ , $A_s$ ...), ... or uneven (plus/minus) upper and lower error bands. <b>This are the distribution values you put on your paper tables.</b>
<b>root.covmat</b>	→ Covariance matrix $\text{Cov}_{XY}$ of the MCMC chain: $\text{Cov}_{XY} = E[(X-\mu_X)(Y-\mu_Y)]$
<b>root.cormat</b>	→ Correlation matrix $\text{Corr}_{XY}$ of the MCMC chain: $\text{Corr}_{XY} = E[(X-\mu_X)(Y-\mu_Y)]/(\sigma_X\sigma_Y)$ <b>Using this can accelerate A LOT the convergence of your chain.</b>

# GetDist outputs: Conv. & Like. stats.

root.converge

root.likelihood

Variance test convergence stats using remaining chains			Best fit sample -log(Like) = 391.208700000000						
param var(chain mean)/mean(chain var)			Ln(mean 1/like) = 408.142147850205						
			mean(-Ln(like)) = 399.192801115134						
			-Ln(mean like) = 396.137287781809						
1	0.00188	\Omega_b h^2	param	bestfit	lower1	upper1	lower2	upper2	\Omega_b h^2
2	0.00032	\Omega_c h^2	1	0.2254609E-01	0.2156323E-01	0.2336626E-01	0.2139829E-01	0.2341123E-01	\Omega_c h^2
3	0.00078	100\theta_{MC}	2	0.1175199E+00	0.1097975E+00	0.1267073E+00	0.1087987E+00	0.1276735E+00	100\theta_{MC}
4	0.00130	\tau	3	0.1041411E+01	0.1039323E+01	0.1043063E+01	0.1039075E+01	0.1043122E+01	\tau
5	0.00138	{\rm ln}(10^{10} A_s)	4	0.1389374E+00	0.1006788E-01	0.2216860E+00	0.1000718E-01	0.2216860E+00	{\rm ln}(10^{10} A_s)
6	0.00020	n_s	5	0.3206859E+01	0.2955915E+01	0.3358265E+01	0.2948083E+01	0.3358946E+01	n_s
7	0.00055	y_{\rm cal}	6	0.9740042E+00	0.9465927E+00	0.9967470E+00	0.9443846E+00	0.1001550E+01	y_{\rm cal}
8	0.00043	A^{tSZ-CIB}_{217}	7	0.1000669E+01	0.9920820E+00	0.1008768E+01	0.9918367E+00	0.1008859E+01	A^{tSZ-CIB}_{217}
9	0.00028	\xi^{tSZ-CIB}	8	0.6017307E+02	0.4051734E+02	0.8401751E+02	0.3747470E+02	0.8964108E+02	\xi^{tSZ-CIB}
10	0.00019	A^{tSZ}_{143}	9	0.6689172E+00	0.8915621E-04	0.9999306E+00	0.8915621E-04	0.9999306E+00	A^{tSZ}_{143}
11	0.00031	A^{PS}_{100}	10	0.4205002E+01	0.8551188E-01	0.9989486E+01	0.3169491E-01	0.9998132E+01	A^{PS}_{100}
12	0.00017	A^{PS}_{143}	11	0.2537030E+03	0.1529453E+03	0.3397544E+03	0.1463604E+03	0.3571739E+03	A^{PS}_{143}
13	0.00021	A^{PS}_{143\times 217}	12	0.4234664E+02	0.1260847E+02	0.6966265E+02	0.7209575E+01	0.6966265E+02	A^{PS}_{143\times 217}
14	0.00037	A^{kSZ}	13	0.3965156E+02	0.9750135E+01	0.6871381E+02	0.4757443E+01	0.6871381E+02	A^{kSZ}
15	0.00061	A^{\rm dust}TT_{100}	14	0.9955250E+02	0.6041211E+02	0.1355931E+03	0.5220979E+02	0.1384577E+03	A^{\rm dust}TT_{100}
16	0.00054	A^{\rm dust}TT_{143}	15	0.3807139E+01	0.1304440E-03	0.9982156E+01	0.1304440E-03	0.9994407E+01	A^{\rm dust}TT_{143}
17	0.00070	A^{\rm dust}TT_{143\times 217}	16	0.8351118E+01	0.1470876E+01	0.1410769E+02	0.5086565E+00	0.1421403E+02	A^{\rm dust}TT_{143\times 217}
18	0.00011	A^{\rm dust}TT_{217}	17	0.7560569E+01	0.3028060E+01	0.1513238E+02	0.2440929E+01	0.1552554E+02	A^{\rm dust}TT_{217}
19	0.00047	c_{100}	18	0.1321709E+02	0.4205105E+01	0.3113902E+02	0.1658623E+01	0.3228868E+02	c_{100}
20	0.00010	c_{217}	19	0.7812315E+02	0.5605151E+02	0.1077274E+03	0.5345433E+02	0.1125470E+03	c_{217}
21	0.00013	H_0	20	0.9979888E+00	0.9953912E+00	0.1000244E+01	0.9945802E+00	0.1000757E+01	H_0
22	0.00036	\Omega_{\Lambda}	21	0.9950807E+00	0.9909866E+00	0.1000810E+01	0.9904039E+00	0.1001499E+01	\Omega_{\Lambda}
23	0.00034	\Omega_m h^2	22	0.6854248E+02	0.6419189E+02	0.7195068E+02	0.6367920E+02	0.7259521E+02	\Omega_m h^2
24	0.00034	\Omega_m h^3	23	0.7004918E+00	0.6394513E+00	0.7418866E+00	0.6307364E+00	0.7484496E+00	\Omega_m h^3
25	0.00169		24	0.2005000E+00	0.2500123E-00	0.2605107E-00	0.2615504E-00	0.2606255E-00	



# GetDist outputs: Conv. & Like. stats.

root.converge

root.likestats

Variance test convergence stats using remaining chains  
param var(chain mean)/mean(chain var)

1 0.00188 \Omega<sub>b</sub> h<sup>2</sup>  
2 0.00032 \Omega<sub>c</sub> h<sup>2</sup>  
3 0.00078 100\theta<sub>MC</sub>  
4 0.00020 n<sub>s</sub>  
5 0.00055 y\_{\rm cal}  
6 0.00043 A^{CIB}\_{217}  
7 0.00028 A^{CIB}\_{100}  
8 0.00041 A^{PS}\_{100}  
9 0.00017 A^{PS}\_{143}  
10 0.00021 A^{PS}\_{143\times 217}  
11 0.00037 A^{PS}\_{217}  
12 0.00054 A^{dust}\_{100}  
13 0.00070 A^{dust}\_{143}  
14 0.00011 A^{dust}\_{143\times 217}  
15 0.00017 A^{dust}\_{217}  
16 0.00013 H<sub>0</sub>  
17 0.00036 H<sub>0</sub>  
18 0.00034 \Omega<sub>Λ</sub>  
19 0.00034 \Omega<sub>m</sub>  
20 0.00034 \Omega<sub>m</sub> h<sup>2</sup>  
21 0.00169 \Omega<sub>m</sub> h<sup>3</sup>

Information about chain R convergence for each parameter.

Best-fit sample -log(Like) = 391.268700000000  
Ln(mean 1/like) = 408.142147850205  
mean(-Ln(like)) = 399.192801115134  
-Ln(mean like) = 396.137287781809

param	bestfit	lower1	upper1	lower2	upper2
1	0.00188	0.00169	0.00207	0.00169	0.00207
2	0.00032	0.00028	0.00036	0.00028	0.00036
3	0.00078	0.00069	0.00087	0.00069	0.00087
4	0.1389374E+00	0.1006788E-01	0.2216860E+00	0.1000718E-01	0.2216860E+00
5	0.3206859E+01	0.2955915E+01	0.3358265E+01	0.2948083E+01	0.3358946E+01
6	0.00042E+00	0.046592E+00	0.996747E+00	0.0463846E+00	0.1001550E+01
7	0.00041E+00	0.000000E+00	0.000000E+00	0.000000E+00	0.000000E+00
8	0.00041E+00	0.000000E+00	0.000000E+00	0.000000E+00	0.000000E+00
9	0.6689172E+00	0.8915621E-04	0.9999306E+00	0.8915621E-04	0.9999306E+00
10	0.4205002E+01	0.8551188E-01	0.9989486E+01	0.3169491E-01	0.9998132E+01
11	0.253118E+03	0.152945E+03	0.37514E+03	0.146504E+03	0.421403E+03
12	0.00037E+00	0.000000E+00	0.000000E+00	0.000000E+00	0.000000E+00
13	0.00054E+00	0.000000E+00	0.000000E+00	0.000000E+00	0.000000E+00
14	0.9955250E+02	0.6041211E+02	0.1355931E+03	0.5220979E+02	0.1384577E+03
15	0.3807139E+01	0.1304440E-03	0.9982156E+01	0.1304440E-03	0.9994407E+01
16	0.8351118E+01	0.1470876E+01	0.110769E+02	0.5086565E+00	0.1421403E+02
17	0.00011E+00	0.000000E+00	0.000000E+00	0.000000E+00	0.000000E+00
18	0.00017E+00	0.000000E+00	0.000000E+00	0.000000E+00	0.000000E+00
19	0.7812315E+02	0.5605151E+02	0.1077274E+03	0.5345433E+02	0.1125470E+03
20	0.9979888E+00	0.9953912E+00	0.1000244E+01	0.9945802E+00	0.1000757E+01
21	0.9950807E+00	0.9909866E+00	0.1000810E+01	0.9904039E+00	0.1001499E+01
22	0.6854248E+02	0.6419189E+02	0.7195068E+02	0.6367920E+02	0.7259521E+02
23	0.7004918E+00	0.6394513E+00	0.7418866E+00	0.6307364E+00	0.7484496E+00
24	0.00034E+00	0.000000E+00	0.000000E+00	0.000000E+00	0.000000E+00
25	0.00034E+00	0.000000E+00	0.000000E+00	0.000000E+00	0.000000E+00
26	0.00034E+00	0.000000E+00	0.000000E+00	0.000000E+00	0.000000E+00
27	0.00034E+00	0.000000E+00	0.000000E+00	0.000000E+00	0.000000E+00

Best-fit values of each parameters at the point of maximum likelihood. This is NOT the mean of the value after marginalization.

# GetDist outputs: Marginalized distr.

root.margestats

Marginalized limits: 0.68; 0.95; 0.99												
parameter	mean	sddev	lower1	upper1	limit1	lower2	upper2	limit2	lower3	upper3	limit3	
<u>omegab<sub>h</sub>2</u>	0.2240105E-01	0.2720869E-03	0.2213491E-01	0.2267298E-01	two	0.2187295E-01	0.2293902E-01	two	0.2170909E-01	0.2311312E-01	two	\Omega <sub>b</sub> h <sup>2</sup>
<u>omegac<sub>h</sub>2</u>	0.1180795E+00	0.2601772E-02	0.1154620E+00	0.1207285E+00	two	0.1130735E+00	0.1231817E+00	two	0.1116684E+00	0.1247566E+00	two	\Omega <sub>c</sub> h <sup>2</sup>
<u>theta</u>	0.1041093E+01	0.5252627E-03	0.1040571E+01	0.1041617E+01	two	0.1040062E+01	0.1042126E+01	two	0.1039734E+01	0.1042452E+01	two	100\theta_{MC}
<u>tau</u>	0.1122441E+00	0.3308596E-01	0.8022497E-01	0.1484359E+00	two	0.4454194E-01	0.1739681E+00	two	0.2469220E-01	0.1894897E+00	two	\tau
<u>logA</u>	0.3154177E+01	0.6216351E-01	0.3094375E+01	0.3222096E+01	two	0.3026148E+01	0.3270048E+01	two	0.2989510E+01	0.3298291E+01	two	{\rm ln}(10^{10} A_s)
<u>ns</u>	0.9711264E+00	0.7949215E-02	0.9630789E+00	0.9791998E+00	two	0.9560376E+00	0.9867325E+00	two	0.9510960E+00	0.9912493E+00	two	n_s
<u>calPlanck</u>	0.1000240E+01	0.2458639E-02	0.9978083E+00	0.1002675E+01	two	0.9953802E+00	0.1005107E+01	two	0.9939051E+00	0.1006521E+01	two	y_{\rm cal}
<u>acib217</u>	0.6232246E+02	0.6733444E+01	0.5558833E+02	0.6901537E+02	two	0.4907236E+02	0.7557394E+02	two	0.4498581E+02	0.7950621E+02	two	A^{CIB}_{217}
<u>xi</u>	0.5313423E+00	0.2832136E+00	0.0000000E+00	0.1000000E+01	none	0.0000000E+00	0.1000000E+01	none	0.0000000E+00	0.1000000E+01	none	\xi^{SZ-CIB}
<u>asz143</u>	0.5427851E+01	0.1893317E+01	0.3561682E+01	0.7552006E+01	two	0.1637007E+01	0.9010552E+01	two	0.0000000E+00	0.1000000E+02	none	A^{tSZ}_{143}
<u>aps100</u>	0.2517272E+03	0.2818557E+02	0.2234962E+03	0.2794511E+03	two	0.1960807E+03	0.3074713E+03	two	0.1784630E+03	0.3247337E+03	two	A^{PS}_{100}
<u>aps143</u>	0.4084459E+02	0.8177795E+01	0.3268743E+02	0.4901528E+02	two	0.2453979E+02	0.5658535E+02	two	0.1987311E+02	0.6113381E+02	two	A^{PS}_{143}
<u>aps143217</u>	0.3865720E+02	0.9809581E+01	0.2859053E+02	0.4888123E+02	two	0.2004803E+02	0.5736936E+02	two	0.1499268E+02	0.6230958E+02	two	A^{PS}_{143\times 217}
<u>aps217</u>	0.9798726E+02	0.1101387E+02	0.8690086E+02	0.1090775E+03	two	0.7642706E+02	0.1188460E+03	two	0.6917582E+02	0.1260989E+03	two	A^{PS}_{217}
<u>aksz</u>	0.3026377E+01	0.2307365E+01	0.0000000E+00	0.3837883E+01	>	0.0000000E+00	0.7571021E+01	>	0.0000000E+00	0.1000000E+02	none	A^{kSZ}
<u>kgal100</u>	0.7396573E+01	0.1890509E+01	0.5509501E+01	0.9289582E+01	two	0.3704003E+01	0.1112353E+02	two	0.2441027E+01	0.1214036E+02	two	A^{\rm dust}_{TT}_{100}
<u>kgal143</u>	0.8954715E+01	0.1856776E+01	0.7110114E+01	0.1077449E+02	two	0.5298666E+01	0.1259713E+02	two	0.4214609E+01	0.1384710E+02	two	A^{\rm dust}_{TT}_{143}
<u>kgal143217</u>	0.1691740E+02	0.4170524E+01	0.1275497E+02	0.2108686E+02	two	0.8633815E+01	0.2498006E+02	two	0.6236259E+01	0.2757912E+02	two	A^{\rm dust}_{TT}
<u>_{143\times 217}</u>												
<u>kgal217</u>	0.8186303E+02	0.7436888E+01	0.7442150E+02	0.8929146E+02	two	0.6717990E+02	0.9629155E+02	two	0.6254587E+02	0.1007803E+03	two	A^{\rm dust}_{TT}_{217}
<u>cal0</u>	0.9978826E+00	0.7817532E-03	0.9971161E+00	0.9986690E+00	two	0.9963363E+00	0.9994061E+00	two	0.9958315E+00	0.9998717E+00	two	c_{100}
<u>cal2</u>	0.9957631E+00	0.1461775E-02	0.9943244E+00	0.9972108E+00	two	0.9928894E+00	0.9986552E+00	two	0.9919926E+00	0.9995745E+00	two	c_{217}
<u>H0*</u>	0.6812991E+02	0.1211243E+01	0.6690890E+02	0.6935398E+02	two	0.6577937E+02	0.7051601E+02	two	0.6512496E+02	0.7125740E+02	two	H_0
<u>omegal*</u>	0.6954928E+00	0.1593819E-01	0.6801620E+00	0.7129643E+00	two	0.6632804E+00	0.7252183E+00	two	0.6532571E+00	0.7332156E+00	two	\Omega_{\Lambda}
<u>omegam*</u>	0.3045072E+00	0.1593819E-01	0.2870357E+00	0.3198380E+00	two	0.2747889E+00	0.3367197E+00	two	0.2667916E+00	0.3467447E+00	two	\Omega_m
<u>omegamh2*</u>	0.1411257E+00	0.2421213E-02	0.1386906E+00	0.1435618E+00	two	0.1364763E+00	0.1458851E+00	two	0.1351923E+00	0.1473413E+00	two	\Omega_m h^2

# GetDist outputs: Marginalized distr.

root.margestats

$\mu$ ,  $\sigma$ , lower and upper limits at the 68%, 95% & 99% C.L. of each parameter.

It takes into account whether the distribution has one tail (like  $r$ ) or two tails (like  $\Omega_b h^2$ ,  $\Omega_c h^2$ ,  $\tau$ ,  $100\theta_{MC}$ ,  $n_s$ ,  $A_s$  and uneven (plus/minus) error bands.

# GetDist outputs: Covariance Matrices

root.covmat

#	omegab <sub>h2</sub>	omegach <sub>2</sub>	theta tau	logA	ns calPlanck	acib <sub>217</sub>	xi asz <sub>143</sub>	aps <sub>100</sub>	aps <sub>143</sub>	aps <sub>143217</sub>	aps <sub>217</sub>	aksz	kgal <sub>100</sub>	kgal <sub>143</sub>	kgal <sub>143217</sub>	kgal <sub>217</sub>	cal0	cal2
0.	7403128E-07	-0.4904856E-06	0.8092008E-07	0.5746298E-05	0.1046478E-04	0.1545109E-05	0.2233939E-07	-0.3924507E-03										
0.9924280E-05	0.8743173E-04	-0.1579764E-02	-0.8710876E-03	-0.1780580E-03	0.6997603E-04	-0.1213103E-03	-0.1243924E-04											
-0.1438233E-04	-0.3858449E-04	0.3016098E-04	0.2974383E-08	-0.3432493E-07														
-0.4904856E-06	0.6769215E-05	-0.7830788E-06	-0.5789203E-04	-0.9961561E-04	-0.1847922E-04	-0.9909124E-07	0.2536625E-02											
-0.6428382E-04	-0.5112298E-03	0.1058943E-01	0.5767582E-02	0.1403701E-02	-0.3365252E-03	0.7156340E-03	0.4988922E-04											
0.1092689E-03	0.3574208E-03	0.7068472E-04	-0.2082193E-07	0.2802215E-06														
0.8092008E-07	-0.7830788E-06	0.2759009E-06	0.8013429E-05	0.1443024E-04	0.2479319E-05	0.4602097E-07	-0.3676843E-03											
0.8162940E-05	0.6235312E-04	-0.1446224E-02	-0.8087629E-03	-0.2359120E-03	0.4553454E-04	-0.9699484E-04	-0.3999631E-05											
-0.1509502E-04	-0.4070976E-04	0.4398018E-04	0.2600451E-08	-0.2870789E-07														
0.5746298E-05	-0.5789203E-04	0.8013429E-05	0.1094681E-02	0.2043952E-02	0.1950492E-03	-0.1692286E-05	-0.4789840E-01											
0.1211651E-02	0.8941231E-02	-0.1941932E+00	-0.8997870E-01	-0.1027853E-01	0.2021908E-01	-0.1541530E-01	-0.2294695E-02											
-0.2447339E-02	-0.7572012E-02	-0.8556180E-03	-0.1439203E-06	-0.5308757E-05														
0.1046478E-04	-0.9961561E-04	0.1443024E-04	0.2043952E-02	0.3864302E-02	0.3436868E-03	0.8618189E-05	-0.9028255E-01											
0.2303450E-02	0.1676398E-01	-0.3578979E+00	-0.1655686E+00	-0.1494953E-01	0.4554277E-01	-0.2983471E-01	-0.4745292E-02											
-0.5121210E-02	-0.1457946E-01	0.4262537E-03	-0.7323391E-07	-0.1006075E-04														
0.1545109E-05	-0.1847922E-04	0.2479319E-05	0.1950492E-03	0.3436868E-03	0.6319002E-04	0.1323770E-06	-0.1292790E-01											
0.3327060E-03	0.2503872E-02	-0.5781278E-01	-0.2343101E-01	-0.9576717E-03	0.7291539E-02	-0.4472613E-02	0.1430250E-03											
-0.4512391E-03	-0.1817738E-02	0.2005840E-03	-0.1835668E-06	-0.1287372E-05														
0.2233939E-07	-0.9909124E-07	0.4602097E-07	-0.1692286E-05	0.8618189E-05	0.1323770E-06	0.6044907E-05	0.6099607E-03											
-0.5085330E-05	0.2590295E-04	0.3481454E-02	0.1609045E-03	0.1535810E-03	0.1238527E-02	0.9124751E-05	-0.1021976E-05											
0.2594028E-04	0.2378471E-04	0.8576764E-03	-0.3239925E-08	-0.2934137E-07														
-0.3924507E-03	0.2536625E-02	-0.3676843E-03	-0.4789840															



# GetDist outputs: Covariance Matrices

root.covmat

Covariance matrix  $\text{Cov}_{XY}$  of the MCMC chain:

$$\text{Cov}_{XY} = E[(X - \mu_X)(Y - \mu_Y)],$$

related to the correlation matrix  $\text{Corr}_{XY}$  of the MCMC chain by

$$\text{Cov}_{XY} = \text{Corr}_{XY} / (\sigma_X \sigma_Y).$$

And to the idea of the Figures of Merit in a 2D contour plot:

$$\text{FoM}_{XY} = 1/\text{Area}_{XY} = |M(\text{Cov})_{XY}|^{1/2} = (\sigma_X^2 \sigma_Y^2 - \text{Cov}_{XY}^2)^{1/2}$$

# The GetDist GUI

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## GETDIST GUI COMPILATION & EXECUTION

**Stand alone version:** A. Lewis, March 2017

GitHub: <https://github.com/cmbant/getdist>

1. Get MacPorts/PiP/Brew to install GetDist

port install python27

port select --set python python27 → NN = 27

port install py-matplotlib

port install py-scipy

port install py-pyside

port install texlive-latex-extra

port install texlive-fonts-recommended

port install dvipng

2. Also for the GetDist GUI you also need

port install pyNN-pyside

port install pyNN-pyqt4

3. Add to your ~/.bashrc file the lines

export LC\_ALL=en\_US.UTF-8

export LANG=en\_US.UTF-8

4. Compile and launch the GetDist GUI

1. cd getdist-master

2. python setup.py install

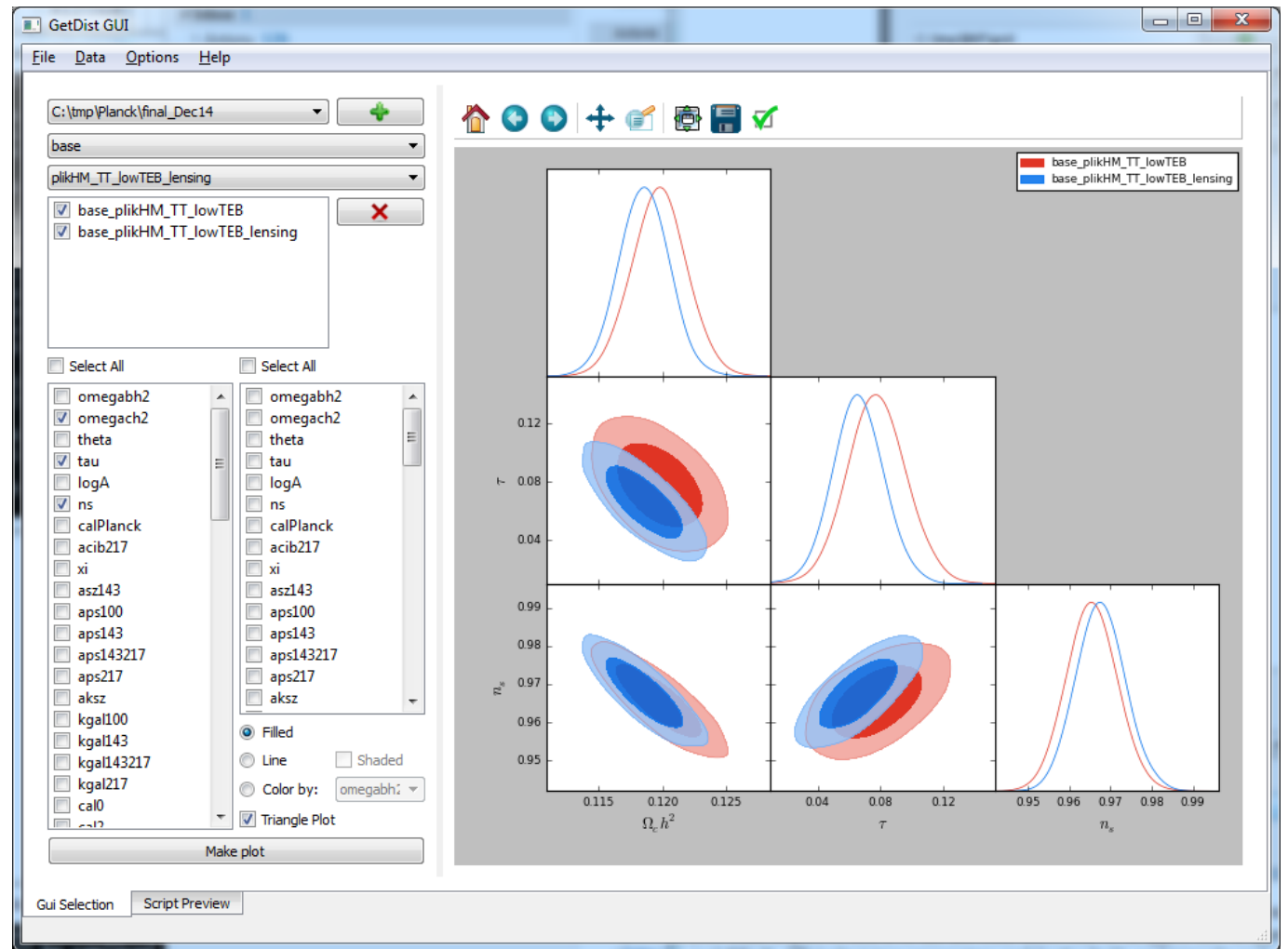
3. python GetDistGUI.py

# The GetDist GUI

## GUI – Interactive mode

*Advantages:* Extremely easy & fast to use.

*Disadvantages:* Not as customizable as Python.

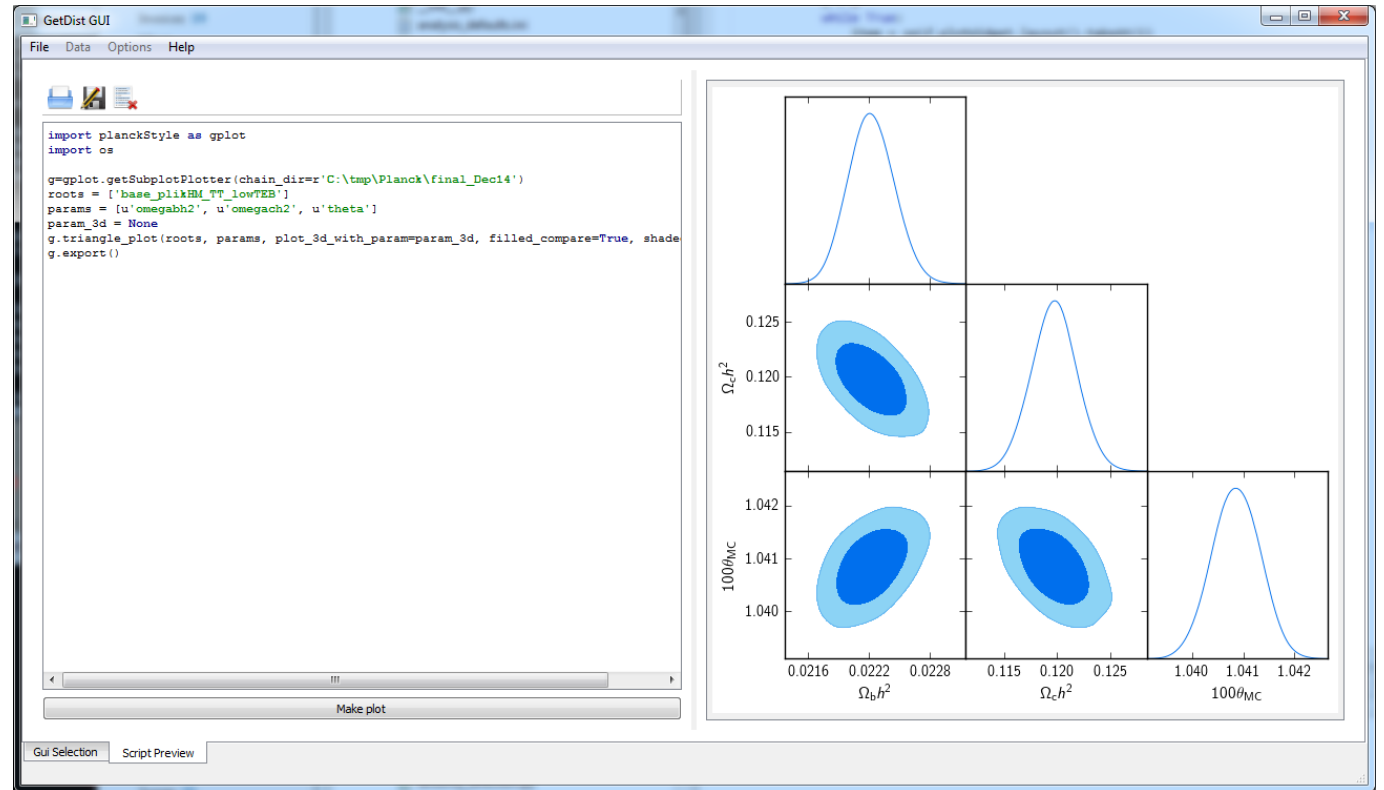


# The GetDist GUI

GUI – Python mode

*Advantages:* Almost customizable as Python.

*Disadvantages:* Not many, really. You can modify the script as much as you like.





# Useful links

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Introduction to MCMCs: <http://www.uco.es/~ajcuesta/cosmomc-ugr---day-1.pdf>

Introduction to CosmoMC: <http://www.uco.es/~ajcuesta/cosmomc-ugr---day-2.pdf>

Introduction to GetDist: <http://www.uco.es/~ajcuesta/cosmomc-ugr---day-3.pdf>

CosmoCoffee wiki: <http://cosmocoffee.info/>

CosmoMC Readme: <http://cosmologist.info/cosmomc/readme.html>

Planck Readme: [http://cosmologist.info/cosmomc/readme\\_planck.html](http://cosmologist.info/cosmomc/readme_planck.html)

Python Readme: [http://cosmologist.info/cosmomc/readme\\_python.html](http://cosmologist.info/cosmomc/readme_python.html)

GetDist GUI Readme : [http://cosmologist.info/cosmomc/readme\\_gui.html](http://cosmologist.info/cosmomc/readme_gui.html)